

## SVM\_Classification

1.What is the percentage of correct classification of both (Purchased and Not Purchased) to the total input of test set?

The confusion Matrix:

```
[[80  5]
 [ 7 42]]
```

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

**Accuracy** =  $T(\text{Purchased}) + T(\text{Not Purchased}) \div T(\text{Purchased}) + T(\text{Not Purchased}) + F(\text{Purchased}) + F(\text{Not Purchased})$

$$= 80 + 42 \div 80 + 42 + 5 + 7 = 122 \div 134 = 0.910$$

Recall:

What Is the percentage of correct Classification Of Purchased to the total input of Purchased in the test set?

The confusion Matrix:

```
[[80  5]
 [ 7 42]]
```

	Purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

$$\text{Recall} = T(\text{Purchased}) \div (T(\text{Purchased}) + F(\text{Purchased}))$$

$$= 80 \div 80 + 5 = 80 \div 85 = 0.941$$

What Is the percentage of correct Classification Of Not Purchased to the total input of NotPurchased in the test set?

The Confusion Matrix:

    Tp    Fp  
p    [[80 5]  
N\_p  [ 7 42]  
    fnP  TNp

$$\text{Recall} = \frac{T(\text{Not\_Purchased})}{T(\text{Not\_Purchased}) + F(\text{Not\_Purchased})}$$

$$= \frac{42}{42+7} = \frac{42}{49} = 0.857$$

### Precision:

What is the percentage of correct Classification of (Purchased) to sum of correctly Classified as (Purchased) and wrongly classified as (Purchased) in the test set?

The Confusion Matrix:

The confusion Matrix:  
 $\begin{bmatrix} 80 & 5 \\ 7 & 42 \end{bmatrix}$

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

$$\text{Precision} = \frac{T(\text{Purchased})}{T(\text{Purchased}) + F(\text{Purchased})}$$

$$= \frac{80}{80+5} = \frac{80}{85} = 0.91$$

What is the percentage of correct Classification of (Not\_Purchased) to sum of correctly Classified as (Not\_Purchased) and wrongly classified as (Not\_Purchased) in the test set?

The Confusion Matrix:

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

TP FP

p  $\begin{bmatrix} 80 & 5 \end{bmatrix}$   
 N\_p  $\begin{bmatrix} 7 & 42 \end{bmatrix}$   
 fnP TNp

$$\text{Precision} = \frac{T(\text{Not\_Purchased})}{T(\text{Not\_Purchased}) + F(\text{Not\_Purchased})}$$

$$= \frac{42}{42+5} = \frac{42}{47} = 0.89$$

### F1\_Measure:

What is the overall performance of Purchased?

The Confusion Matrix:

The confusion Matrix:

The confusion Matrix:

```
[[80  5]
 [ 7 42]]
```

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

**F1\_Measure=2\*0.94\*0.91**

**÷0.94+0.91=1.7108÷1.85= 0.924**

What is the overall performance of Not\_Purchased?

The confusion Matrix:

```
[[80  5]
 [ 7 42]]
```

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

**F1\_Measure=2\*0.85\*0.89**

**÷0.85+0.89=1.513 ÷1.74 =0.869**

**Macro\_Average:**

The confusion Matrix:

```
[[80  5]
 [ 7 42]]
```

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

**Precision:**

What is the average performance of Precision(correctly and wrongly classified)?

Precision(Purchased)+Precision(Not\_Purchased)÷2

**=0.91+0.89÷2=1.8÷2**

**Precision=0.9**

### Recall:

What is the average performance of Recall(correctly classified)?

$$\text{Recall(Purchased)} + \text{Recall(Not\_Purchased)} \div 2$$

$$= 0.941 + 0.857 \div 2 = 1.798 \div 2$$

$$= 0.899$$

Which is the average performance of F1\_Measure(overall\_performance)?

$$= \text{F1(Purchased)} + \text{F2(Not\_Purchased)} \div 2$$

$$= 0.924 + 0.869 \div 2 = 1.793 \div 2$$

$$= 0.89$$

### Weighted\_Average:

The confusion Matrix:

[[80 5]

[ 7 42]]

	purchased	Not Purchased	
Purchased	80 TP	5 FP	
Not_Purchased	7 F_Np	42 T_Np	

### Precision:

Total count in the test set = 134

Total count of Purchased in the test set = 123

Total count of Not\_Purchased in the test set = 11

What is the sum of Product of proportion rate weight of each class?

$$\text{Precision(Purchased)} * 123 \div 134 + \text{Precision(Not\_Purchased)} * 11 \div 134$$

$$\text{Precision} = 0.91 * 123 \div 134 + 0.89 * 11 \div 134$$

$$= 111.93 \div 134 + 9.79 \div 134$$

$$= 0.8352 + 0.073 = 0.90$$

### Recall:

What is the sum of product of proportion rate weight of each class?

$$\text{Recall}(\text{Purchased}) * 123 \div 134 + \text{Recall}(\text{Not\_Purchased}) * 11 \div 134$$

$$\text{Recall} = 0.941 * 123 \div 134 + 0.857 * 11 \div 134$$

$$= 115.743 \div 134 + 9.427 \div 134$$

$$= 0.8637 + 0.0703$$

$$= 0.934$$

### F1\_Measure

What is the sum of product of proportion rate weight of each class?

$$\text{F1\_Measure} = f1(\text{Purchased}) * 123 \div 134 + F2(\text{Not\_Purchased}) * 11 \div 134$$

$$= 0.924 * 123 \div 134 + 0.869 * 11 \div 134$$

$$= 113.65 \div 134 + 9.559 \div 134 = 0.8481 + 0.0713$$

$$= 0.919$$