

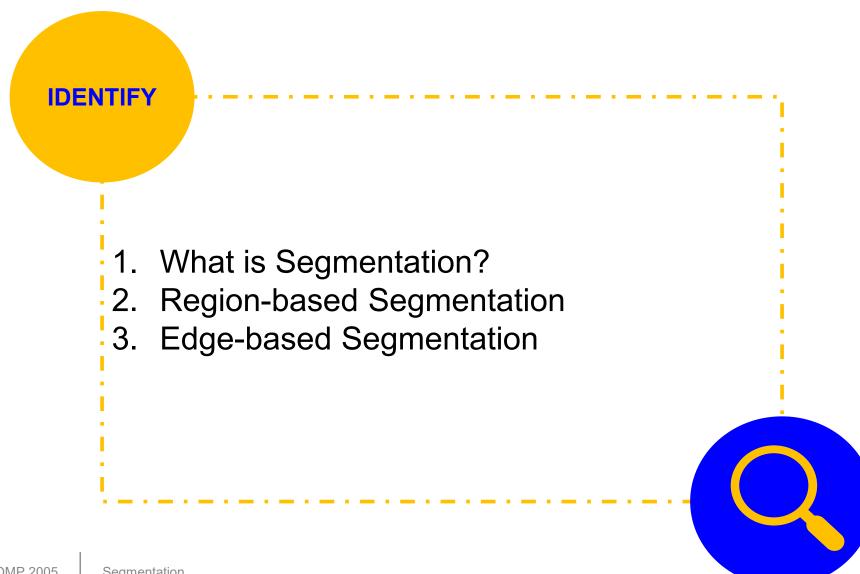
# University of Nottingham UK | CHINA | MALAYSIA

# Introduction to Image Processing

Lecture 7
Segmentation



## Learning Outcomes





# What is Segmentation?



#### Image Segmentation

?

A common task in image analysis & computer vision

To identify **meaningful** regions

Why do it?

We can partition or group pixels according to local image properties

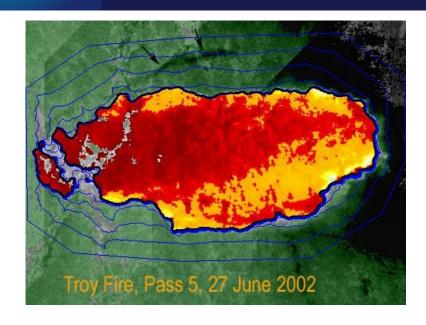
- Intensity or colour from original images, or computed values based on image operators
- Textures or patterns that are unique to each type of region
- Spectral profiles that provide multidimensional image data

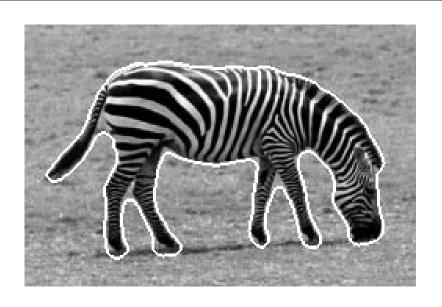
Elaborate systems may use a combination of properties

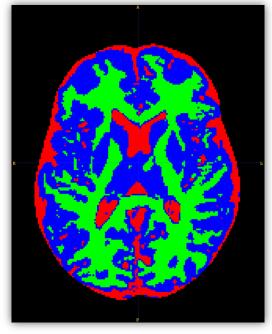


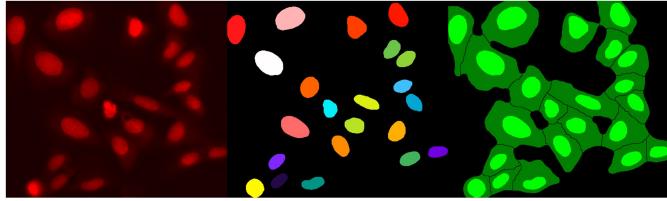


## **Applications**













#### **Approaches**

Many different approaches have been taken to the segmentation problem

Seeks groups of similar pixels, with no regard for where they are – views images as uncorrelated data

Clustering

- Focus on finding physically connected sets of pixels
- E.g., region growing, split and merge

**Region-based** 

Emphasise the boundaries between regions

E.g., watersheds

**Edge-based** 

Thresholding + connected components is a form of segmentation, but treats grey/colour and spatial information independently

Note



# Region-Based Segmentation



#### Region-based Segmentation

We want smooth regions in the image

- We still want the pixels in each region to be similar, and those in adjacent regions to be different
- One way to do this is to work with regions rather than pixels

#### **Region Growing**

Start with a small 'seed' and expand by adding similar pixels

#### Split & Merge

- Splitting divides regions that are inconsistent
- Merging combines adjacent regions that are consistent



## **Region Growing**

Region growing starts with a small patch of seed pixels



- Compute statistics about the region
- Check neighbours to see if they can be added
- Recompute the statistics

**Algorithm** 

This procedure repeats until the region stops growing

- Simple example: we compute the mean grey level of pixels in the region
- Neighbours are added if their grey level is near the average





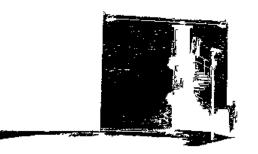
## **Region Growing Example**













Output 2



Output 3

Output 1

COMP 2005

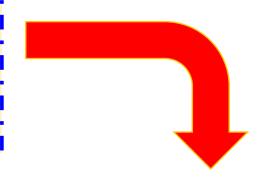
Segmentation



## Split and Merge - Split

We start by taking the whole image to be one region

- We compute some measure of internal similarity
- If this indicates there is too much variety, we divide the region
- Repeat until no more splits, or we reach a minimum region size



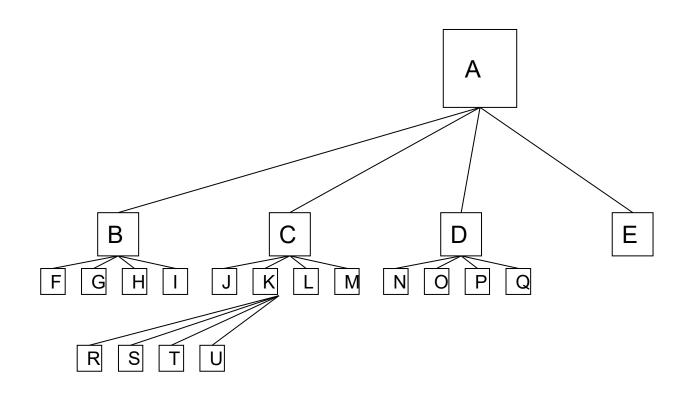
Some details are needed



- How to we measure similarity? standard deviation are commonly used
- How do we determine whether to split or not? thresholding is easy
- How do we split regions? quadtrees are a common method



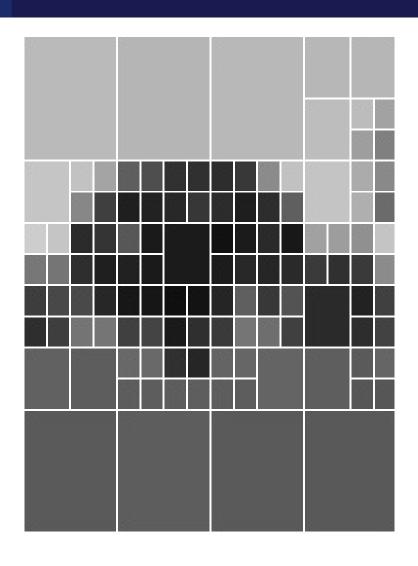
## Quadtrees



F	G	J	R	S
			Т	U
Н	I	L	М	
N	0	E		
Р	Q			



## **Example - Splitting**



We'll use the tree image again

- Splitting based on intensity (could use something else)
- Splitting based on standard deviation, with a threshold of 25

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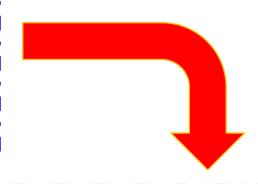
Split using quadtree with a maximum of 5 level



## **Split and Merge - Merge**

#### Splitting give us...

- Regions that are small, consistent, or both
- Rather too many regions, as adjacent ones may be very similar
- We can now combine adjacent regions to make bigger ones

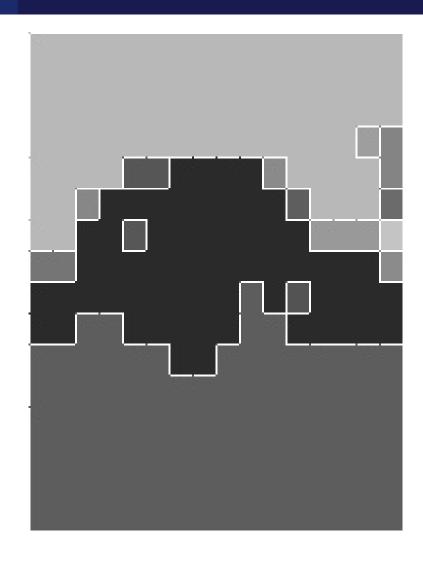




- We merge two regions if they are adjacent and similar
- Need a measure of similarity can compare their mean grey level, or use statistical tests
- Repeat the merging until you can do no more



## **Example - Merging**



We consider merging adjacent regions

- Two regions are merged if their mean grey levels differ by less than 25
- This leads to less regularly shaped regions, but they are larger and still consistent



## Break



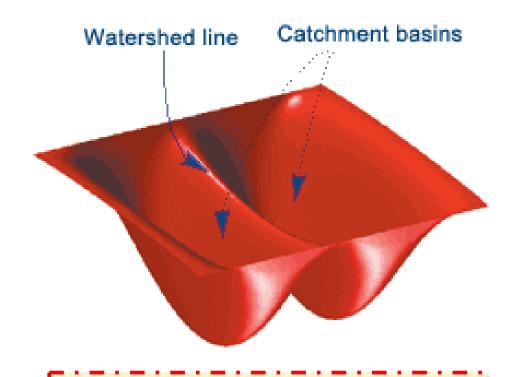


# Edge-based Segmentation (Watersheds)



#### **Edge-based Segmentation**

- Do region-based methods focus too much on regions?
- Edge represent discontinuities in image intensity
- Regions should then be areas without edges, and should be bounded by edges
- One class of edge-based segmentation uses watersheds



In geography, a watershed is a ridge which divides rainfall into basins on either side



#### **Catchments in images**

We can view the **gradient** image as a terrain

- Areas of high gradient are high points on the terrain
- Catchment basins are regions in the image
- Watersheds are the lines dividing them

We don't have to use the usual intensity gradient

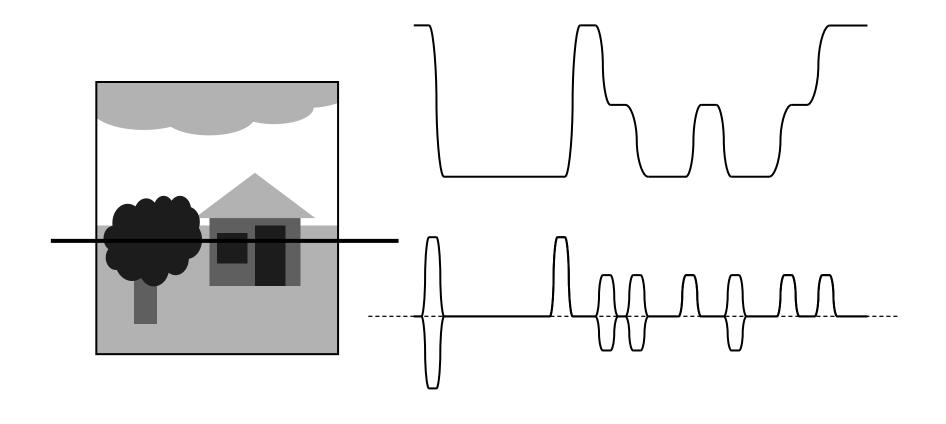
- Gradients can be computed from hue etc., if we want
- Any value that is low within a region and high at boundaries could be used



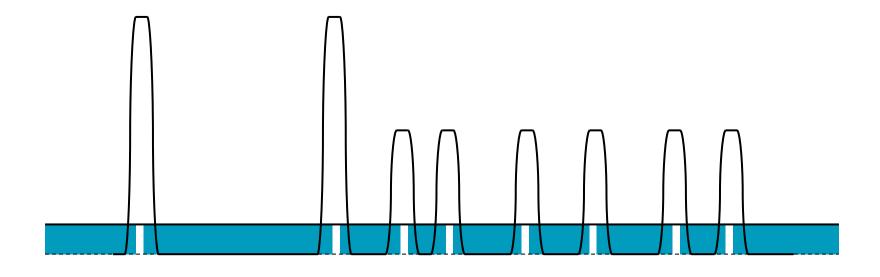
Using gradients is common, though....



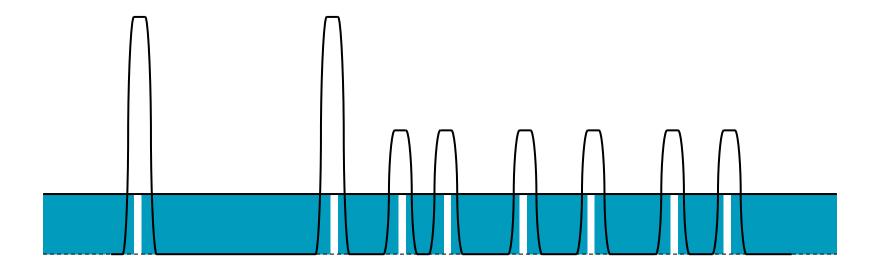
## Gradients in Highlight Edges



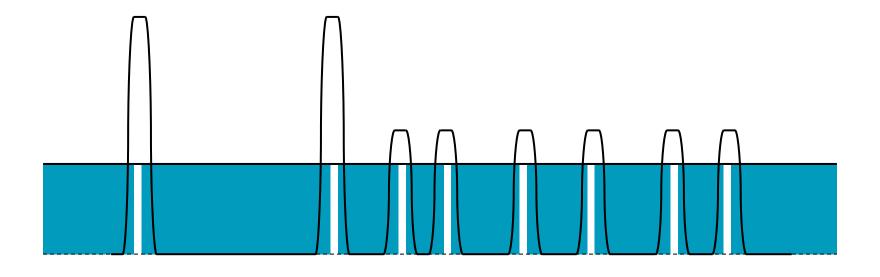








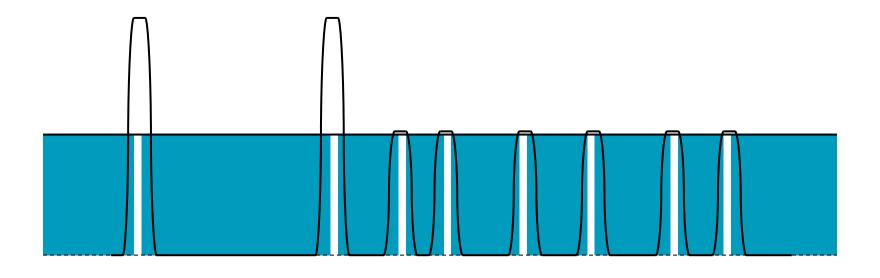




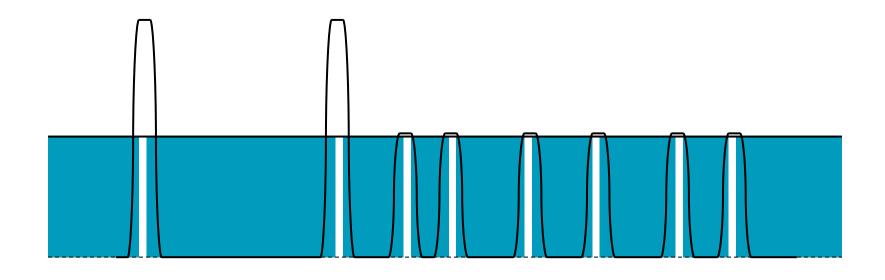
COMP 2005 Segmentation

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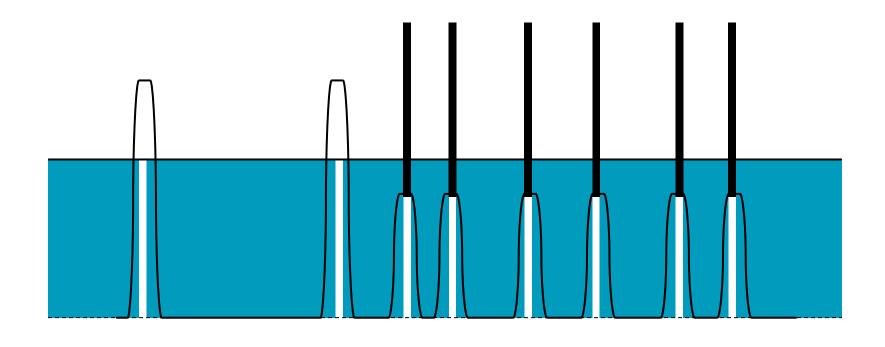






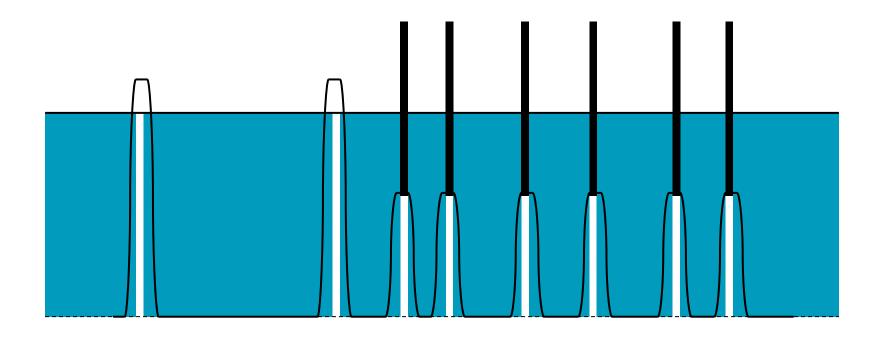




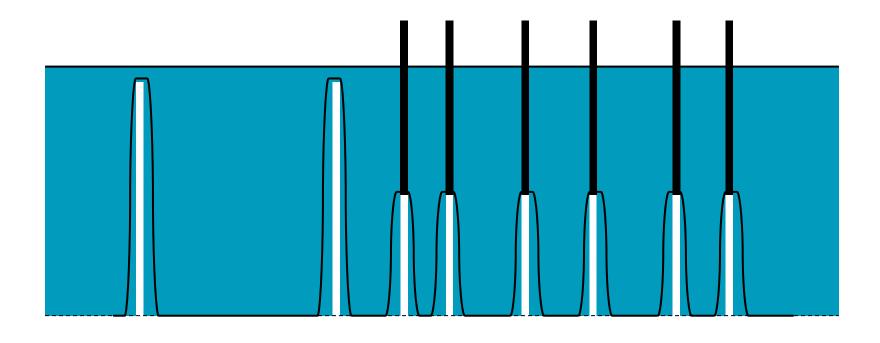


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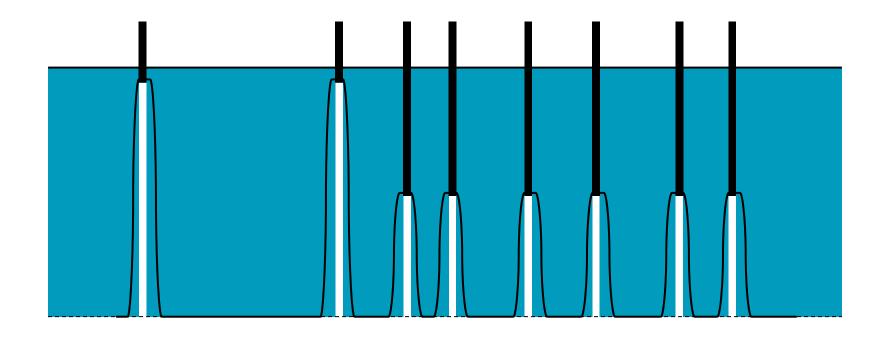




COMP 2032 Segmentation

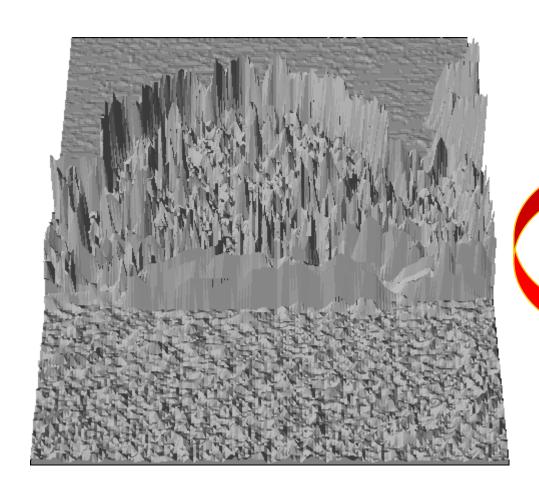
28







#### Watersheds in Images



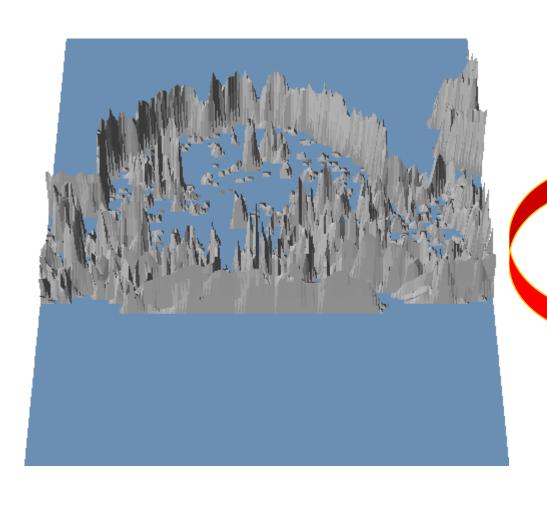
We start by finding images gradients

- Using methods like Sobel operators, we get a value – for the gradient magnitude
- This can be viewed as a 3D 'terrain'

$$\sqrt{I_X^2 + I_y^2}$$



#### Watersheds in Images



We then slowly flood the terrain

- Flat areas of the image become areas of low gradient, so are valleys in the terrain
- Edges in the image have high gradient and so are ridges in the terrain



#### Watershed Algorithm

1. Sort the pixels: low to high

2. For each pixels

- 1

If it's neighbours are all unlabelled, give it a new label

If it has neighbours with a single label, it gets that label

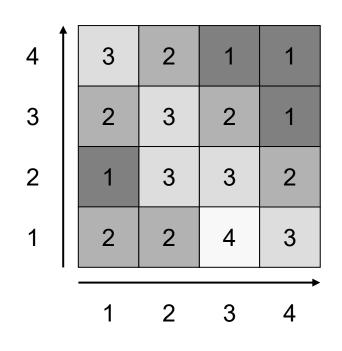
- If it has neighbours with two or more labels, it is a watershed

This is a very basic version

- It has certain problems in that it can give 'thick' watersheds rather than fine lines
- It is sensitive to noise and so can generate lots of small regions
- It does show the basic plan, though

**COMP 2005** 





#### Sorted list:

$$(3,4) = 1$$
  
 $(4,4) = 1$ 

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$
  
 $(1,3) = 2$ 

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

$$(2,1) = 2$$

$$(1,4) = 3$$

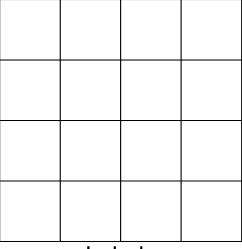
$$(2,3) = 3$$

$$(2,2) = 3$$

$$(3,2) = 3$$

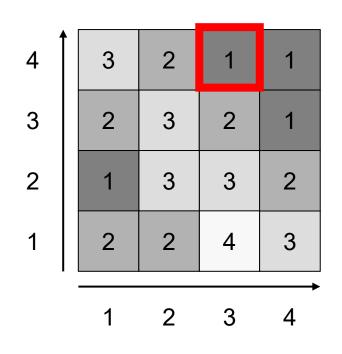
$$(4,1) = 3$$

$$(3,1) = 4$$



Labels





#### Sorted list:

$$(3,4) = 1$$

$$(4,4) = 1$$

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

$$(2,1) = 2$$

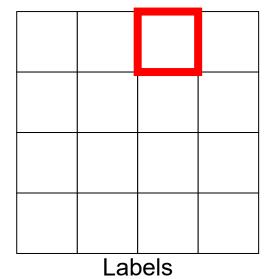
$$(1,4) = 3$$

$$(2,3) = 3$$

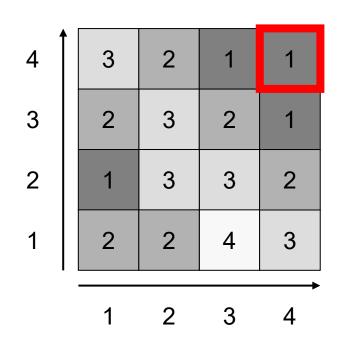
$$(2,2) = 3$$

$$(3,2) = 3$$

(4,1) = 3(3,1) = 4







#### Sorted list:

$$(3,4) = 1$$

$$(4,4) = 1$$

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

$$(2,1) = 2$$

$$(1,4) = 3$$

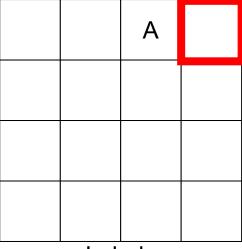
$$(2,3) = 3$$

$$(2,2) = 3$$

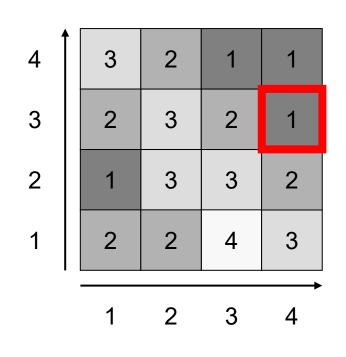
$$(3,2) = 3$$

$$(4,1) = 3$$

$$(3,1) = 4$$



Labels



#### Sorted list:

$$(3,4) = 1$$

$$(4,4) = 1$$

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

$$(2,1) = 2$$

$$(1,4) = 3$$

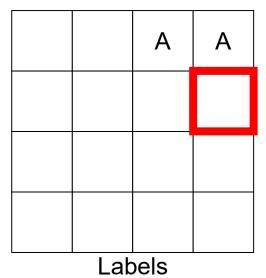
$$(2,3) = 3$$

$$(2,2) = 3$$

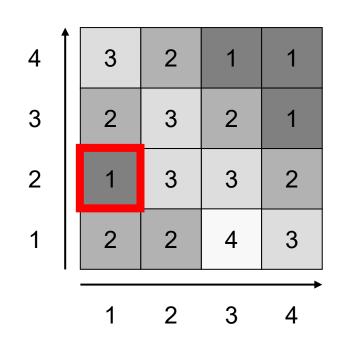
$$(3,2) = 3$$

$$(4,1) = 3$$

$$(3,1) = 4$$





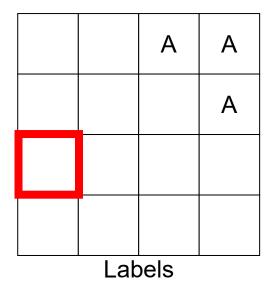


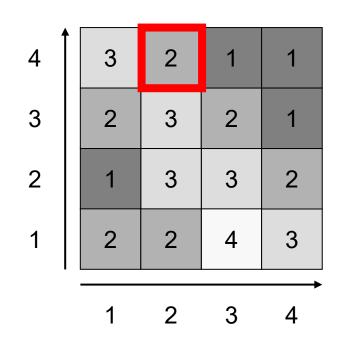
#### Sorted list:

Sorted list:  

$$(3,4) = 1$$
  
 $(4,4) = 1$   
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 $(1,2) = 1$   
 $(2,4) = 2$   
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 $(3,3) = 2$   
 $(4,2) = 2$   
 $(1,1) = 2$   
 $(2,1) = 2$   
 $(1,4) = 3$   
 $(2,3) = 3$   
 $(2,2) = 3$   
 $(3,2) = 3$ 

(4,1) = 3(3,1) = 4





#### Sorted list:

$$(3,4) = 1$$

$$(4,4) = 1$$

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

$$(2,1) = 2$$

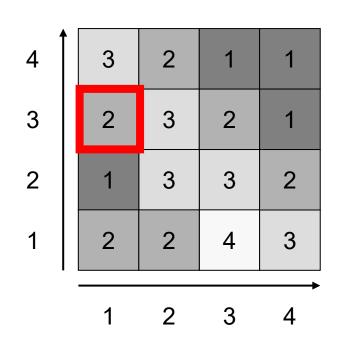
$$(1,4) = 3$$

$$(2,3) = 3$$

$$(2,2) = 3$$

(3,2) = 3 (4,1) = 3(3,1) = 4

		Α	Α
			А
В			
Labels			



#### Sorted list:

$$(3,4) = 1$$

$$(4,4) = 1$$

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

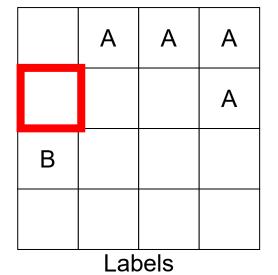
$$(2,1) = 2$$

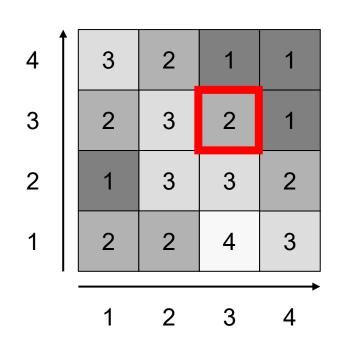
$$(1,4) = 3$$

$$(2,3) = 3$$

$$(2,2) = 3$$

(3,2) = 3(4,1) = 3(3,1) = 4





#### Sorted list:

$$(3,4) = 1$$
  
 $(4,4) = 1$   
 $(4,3) = 1$   
 $(1,2) = 1$   
 $(2,4) = 2$   
 $(1,3) = 2$   
 $(3,3) = 2$   
 $(4,2) = 2$   
 $(1,1) = 2$ 

$$(2,1) = 2$$

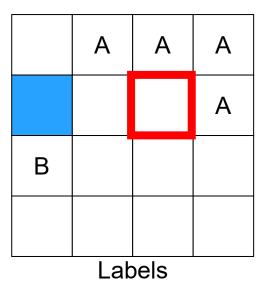
$$(1,4) = 3$$
  
 $(2,3) = 3$ 

$$(2,2) = 3$$

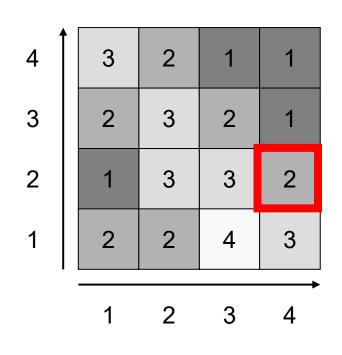
$$(3,2) = 3$$

$$(4,1) = 3$$

$$(3,1) = 4$$







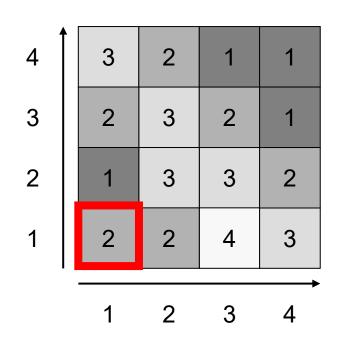
$$(3,4) = 1$$
  
 $(4,4) = 1$   
 $(4,3) = 1$   
 $(1,2) = 1$   
 $(2,4) = 2$   
 $(1,3) = 2$   
 $(3,3) = 2$   
 $(4,2) = 2$   
 $(1,1) = 2$   
 $(2,1) = 2$   
 $(1,4) = 3$   
 $(2,3) = 3$   
 $(2,2) = 3$ 

	Α	Α	A
		Α	Α
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Labels			

$$(4,1) = 3$$

$$(3,1) = 4$$

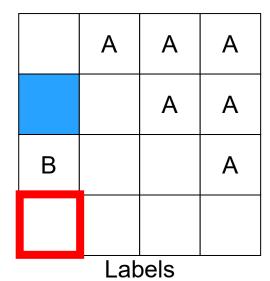




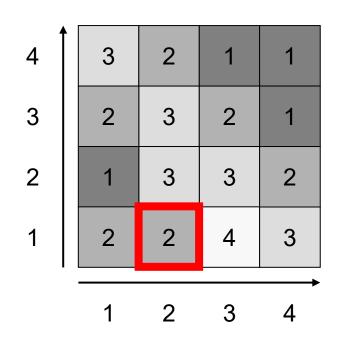
$$(3,4) = 1$$
  
 $(4,4) = 1$   
 $(4,3) = 1$   
 $(1,2) = 1$   
 $(2,4) = 2$   
 $(1,3) = 2$   
 $(3,3) = 2$   
 $(4,2) = 2$   
 $(1,1) = 2$   
 $(2,1) = 2$   
 $(1,4) = 3$ 

(1,4)	=	3
(2,3)	=	3
(2,2)	=	3
(3,2)	=	3

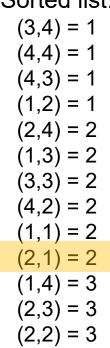
$$(4,1) = 3$$
  
 $(3,1) = 4$ 



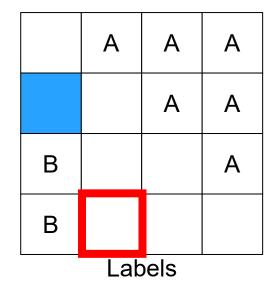




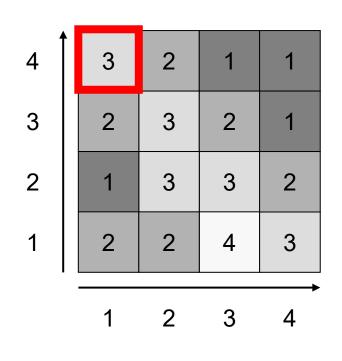
#### Sorted list:



(3,2) = 3 (4,1) = 3(3,1) = 4







#### Sorted list:

Sorted list.  

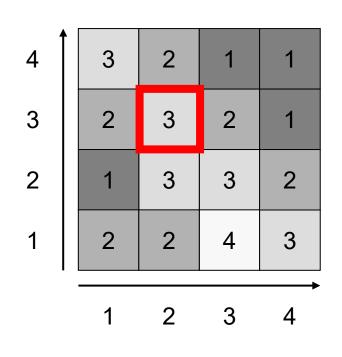
$$(3,4) = 1$$
  
 $(4,4) = 1$   
 $(4,3) = 1$   
 $(1,2) = 1$   
 $(2,4) = 2$   
 $(1,3) = 2$   
 $(3,3) = 2$   
 $(4,2) = 2$   
 $(4,2) = 2$   
 $(1,1) = 2$   
 $(2,1) = 2$   
 $(1,4) = 3$   
 $(2,3) = 3$   
 $(2,2) = 3$ 

(3,2) = 3 (4,1) = 3(3,1) = 4

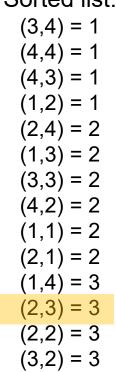
	Α	А	А
		А	А
В			Α
В	В		

Labels





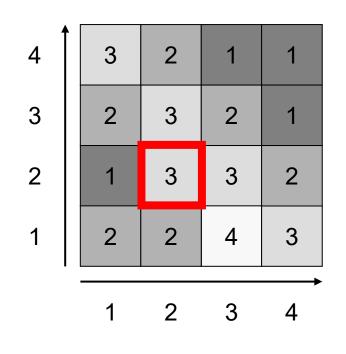
#### Sorted list:



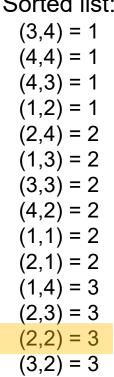
(4,1) = 3(3,1) = 4

А	Α	Α	А
		Α	Α
В			Α
В	В		
Labels			

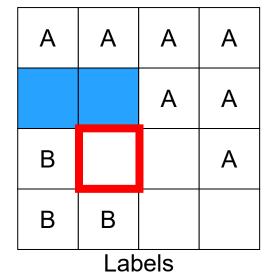




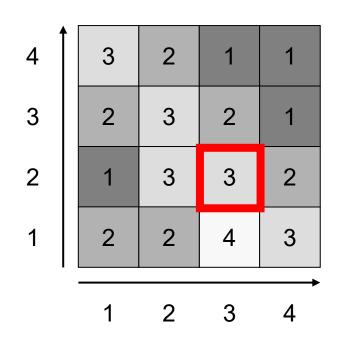
#### Sorted list:



(4,1) = 3(3,1) = 4







#### Sorted list:

$$(3,4) = 1$$

$$(4,4) = 1$$

$$(4,3) = 1$$

$$(1,2) = 1$$

$$(2,4) = 2$$

$$(1,3) = 2$$

$$(3,3) = 2$$

$$(4,2) = 2$$

$$(1,1) = 2$$

$$(2,1) = 2$$

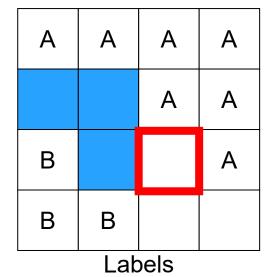
$$(1,4) = 3$$

$$(2,3) = 3$$

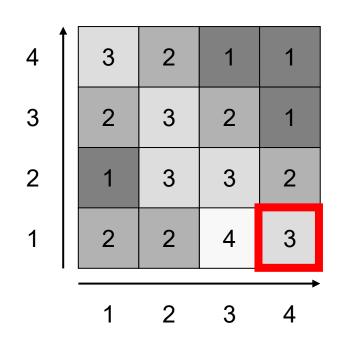
$$(2,2) = 3$$

$$(3,2) = 3$$

(4,1) = 3(3,1) = 4



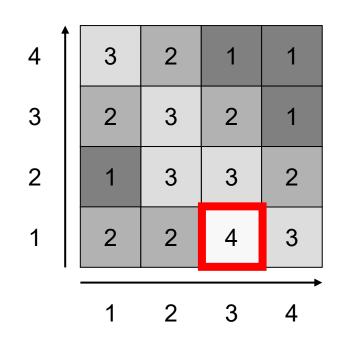


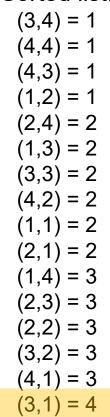


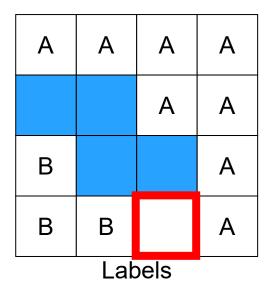
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(3,4)	= 1
(4,4)	= 1
(4,3)	= 1
(1,2)	= 1
(2,4)	= 2
(1,3)	= 2
(3,3)	= 2
(4,2)	= 2
(1,1)	= 2
(2,1)	= 2
(1,4)	= 3
(2,3)	= 3
(2,2)	= 3
(3,2)	= 3
(4,1)	= 3
(3,1)	= 4

А	Α	Α	А
		Α	Α
В			Α
В	В		
Labels			

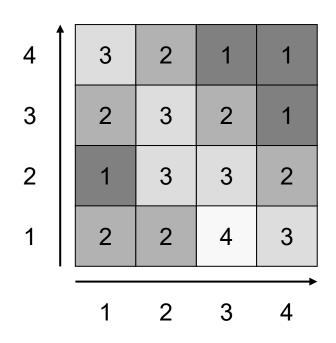












Sorte	ו ג	ISU
(3,4)	=	1
(4,4)	=	1
(4,3)	=	1
(1,2)	=	1
(2,4)	=	2
(1,3)	=	2
(3,3)	=	2
(4,2)	=	2
(1,1)	=	2
(2,1)	=	2
(1,4)	=	3
(2,3)	=	3
(2,2)	=	3
(2.2)	_	2

А	A	A	А
		Α	Α
В			Α
В	В		Α
Labels			



### **Computing Watersheds**

Watershed based segmentations can

be very efficient



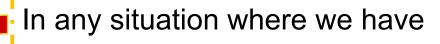
- It is possible to implement it in O(n) time, where n is the number of pixels
- Since it takes *O*(*n*) time to read or write an image, this is as good as it can get in most situations

To implement watersheds we need to sort the pixels

- They need to be sorted from highest to lowest gradient
- Sorting is  $O(n \log(n))$ , so how do we get an O(n) algorithm?



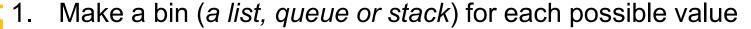
### **Sorting in Linear Time**





- Those values are drawn from a smaller set of possibilities

We can sort in linear time with a bin sort



2. For each item: put it in the appropriate bin

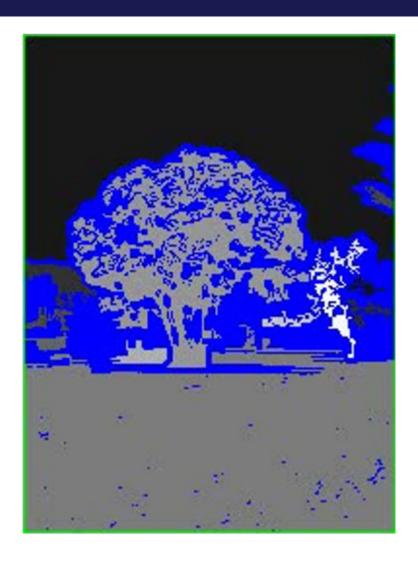
**Bin Sort** 



The items are now SORTED!



### **Example - Watershed**

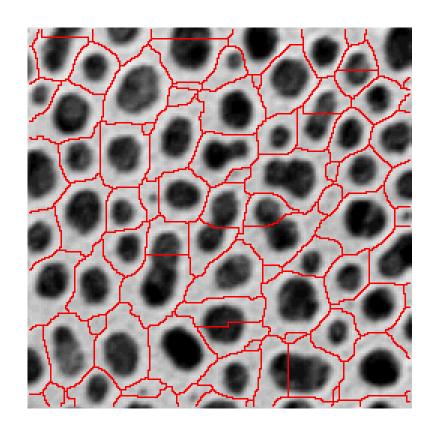


Segmenting the tree image

- The basic algorithm has been modified to avoid the effects of noise
- The gradient has been quantised to remove small variations
- Above a threshold water level, no more new segments are introduced as the water rises



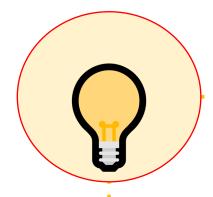
#### **Example - Watershed**



- Watersheds can also be applied to some greyscale images directly
- For example, in many medical and biological images the regions are dark or light regions against a light or dark background

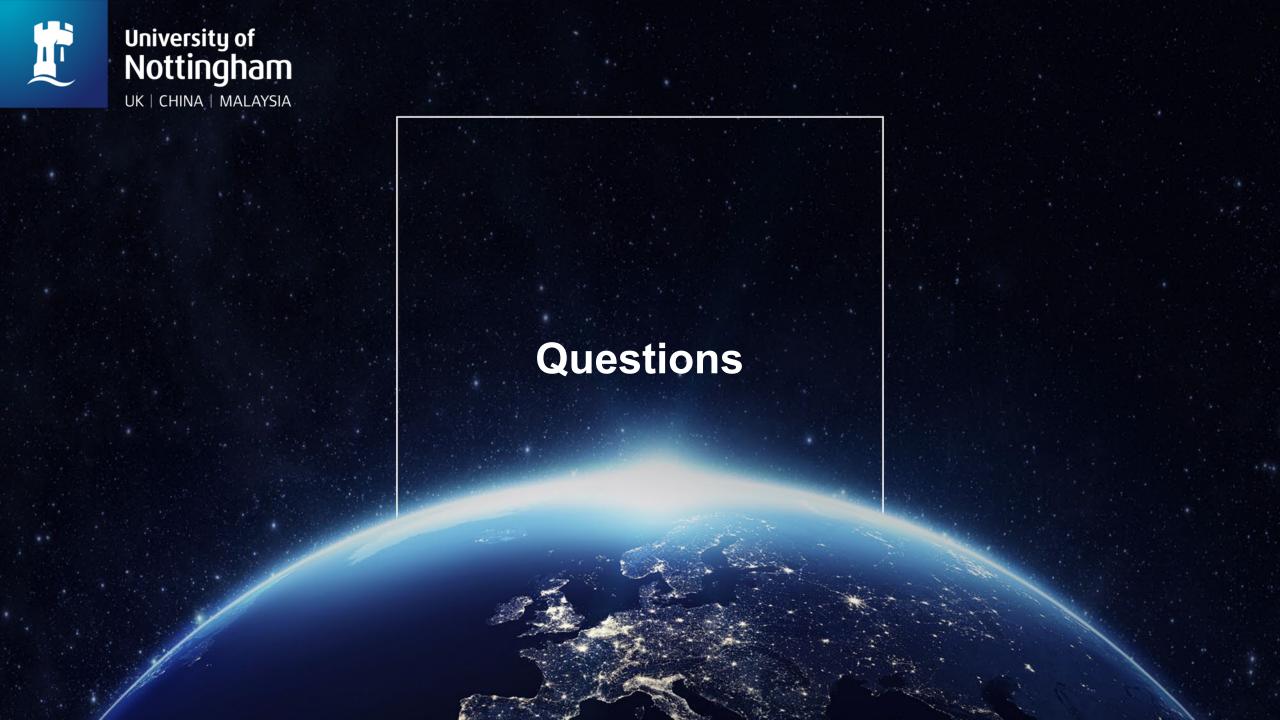


### Summary



- 1. What is Segmentation?
- 2. Region-based Segmentation
- 3. Edge-based Segmentation







# **NEXT:**

Interactive Segmentation