Tutomial-4

Ans 1 T(n) = 3T (1/2) + n2

2/96 = 2/93

Companing $n^{\log_2^3}$ l n^2 $n^{\log_2^3} < n^2$

Coose 3)

: According to moster theorem,

T(n) = 0 (n2)

Ans2 T(n) = 4T(n/2)+n2

 $n^{\log_2^4} = n^2 = f(n) \qquad \text{Cose 2}$

: According to moster theorem,

Tand= O(n2/ogn)

Ans3 T(n) = T(n/2) +27

a=1, b=2

n/092 = 2n°=1

· T(n)=0(2")

Ans 4 T(n) = 2" T(1/2) + n"

Master's theorem is not applicable.

Ans 5 T(n)=16 T (7/4) +n

a=16, b=4 f(n)=n

n/094 = n2

 $n^2 > f(n)$

: T(n) = O(n2)

Ans 6 TCn) = 2 TC1/2) + nlogh

a=2, b=2, f(n)=nlog"

 $n^{\log 2} = n$

f (n)zn

· TCn) = @ (nlogn)

Ans 7 (Cn) = 2 T (1/2) + 1/10gn

a=2, b=2, f(n)= n/logn

 $n^{\log^2} = n$

n>f(n)

T.(n)= 0(n)

Ans 8 T(n) = 2T(n/3) + n0.51

a=2, 6=4, f(n)= n0.51

n 1092 = n0.5

:. In = 0 (no.51)

Ans 1 T Cm): 0.5 T (1/2) + 1/n

Master's Theorem is not applicable as ac1.

Ans 10 TCn = 16T (1/4) +n!

a=16,6=4, f(n)=n!

 $n \log_{1}^{16} = n^{2}$ $T(n) = \Theta(n!)$

Ans 11 $T(m) = 4T(n/2) + \log n$ $a = 4, b = 2, f(n) = \log^n$ $n^{\log_2^n} = n^2$

: T(n) = O(n2)

Ans 12 T(n) = squt (n) + T(1/2) + logn

Master's Theorem is not applicable.

Ans 13 T(n) = 3T(n/2) + na = 3, b = 2, f(n) = n

 $C \frac{n\log^{\frac{3}{2}} = n^{1.58}}{\Gamma(n) = O(n\log_2^3)}$

Ans 14 $T(n) = 3T(n/3) + \sqrt{n}$ $a = 3, b = 3, f(n) - \sqrt{n}$

 $n^{\log_3^3} = n$ $T(n) = \Theta(n)$

Ans 16 T(n) = 3T (1/4) + nlogn a=3, 6=4, f(n)=nlogn

20094 = 20.79

T(n) = O(nlogn)

Ans 17 T(n)=3T(n/3)+1/2 4=3, 6=3, fcn)=1/2 nlog3 =n

0(n) = 0 (n/2)

T(n)= O(nlogn)

Ans 18 T (n) = 6T (1/3) + n 2/09 n a=6, b=3, f(n)=n2logn

nlog = n1.63

T(n)=O(n2/ogn)

Ans 19 TCh) = 4 T (1/2) + 1/10gh a=4, b=2, F(n)=n/logn

n/092 = n2

: T(n)= 0(n2)

Ans 20 TCn)=64 T (1/8)-n2/0gn

Master's Theorem is not applicable.

Ans21 TLn) = 7T (1/3) +n2

 $a = 7, b = 3, f(n) = n^2$

n/093 = n1.7

: T(n) = O(n2)

Ans 22 TCn) = TCM2) +n(2-cosn)

Master's Theorem is not applicable.