### BS 6207 ASSIGNMENT 3 - Tian Siqi, G2101015G

Github link: https://github.com/SigiT/Assigmnment

#### **Question 1**

- 1.torch.nn.MaxPool2d(kernel size=2, stride=1, padding=0, dilation=1, return indices=False, ceil\_mode=False),
- 2.torch.nn.AvgPool2d(kernel\_size=2, stride=1, padding=0, ceil\_mode=False, count\_include\_pad=True, divisor\_override=None)

Pooling layers are used to reduce the dimensions of the feature maps.

```
diff = torch.sum(torch_out-my_out)
tensor(-9.3453e-05, dtype=torch.float64)
```

MaxPool2d:

```
diff = torch.sum(torch_out-my_out)
diff
tensor(-0.0001, dtype=torch.float64)
```

AvgPool2d:

Thus, torch\_out and my\_out are equal up to small numerical errors.

- 3.torch.nn.Conv2d(in channels=3, out channels=6, kernel size=3, stride=1, padding=0, dilation=1, groups=1, bias=True, padding\_mode='zeros')
- 4.torch.nn.Conv2d(in\_channels=3, out\_channels=6, kernel\_size=5, stride=2, padding=0, dilation=2, groups=1, bias=True, padding\_mode='zeros')

This layer creates a convolution kernel that is convolved with the layer input to produce a tensor of outputs.

```
diff = torch.sum(torch_out-torch.from_numpy(my_out))
diff
tensor(0.0003, dtype=torch.float64, grad fn=<SumBackward0>)
```

Stride=1:

```
my_out = my_Cov2d_dilation(5,2,2,6,weight,14.bias,x)
            diff = torch.sum(torch_out-torch.from_numpy(my_out))
Stide=2: tensor(3.2881e-05, dtype=torch.float64, grad_fn=<SumBackward0>)
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

5.torch.nn.ConvTranspose2d(in\_channels=3, out\_channels=4, kernel\_size=3, stride=1, padding=0, output padding=0, groups=1, bias=True, dilation=1, padding mode='zeros')

This module can be seen as the gradient of Conv2d with respect to its input. It is also known as a fractionally-strided convolution or a deconvolution.

```
ny_out = my_ConvTranspose2d(3,1,4,15.weight,15.bias,x
diff = torch.sum(torch_out-torch.from_numpy(my_out))
tensor(-0.0002, dtype=torch.float64, grad_fn=<SumBackward0>)
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

**6.**torch.flatten(input, start\_dim=0, end\_dim=-1)

Flattens input by reshaping it into a one-dimensional tensor.

```
my_out=my_flatten(x)
diff = np.sum(torch_out.numpy()-my_out)
diff
0.00011458222
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

7.torch.sigmoid(input, \*, out=None)

This is one of the activation function.

```
diff = torch.sum(torch_out-my_out)
diff
tensor(4.3333e-05)
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

**8.**torchvision.ops.roi\_pool(input: torch.Tensor, boxes: torch.Tensor, output\_size: None, spatial\_scale: float = 1.0)

Performs Region of Interest (RoI) Pool operator described in Fast R-CNN.

```
diff = torch.sum(18-torch.from_numpy(my_out))
diff

property tensor(7.9337e-06, dtype=torch.float64)
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

**9.**torch.nn.functional.batch\_norm(input, running\_mean, running\_var, weight=None, bias=None, training=False, momentum=0.1, eps=1e-05)

Applies Batch Normalization for each channel across a batch of data.

```
my_out = my_batch_norm(x,running_mean,running_var)
diff = torch.sum(torch_out-my_out)
diff
tensor(-0.0005)
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

**10.**torch.nn.functional.cross\_entropy(input, target, weight=None, size\_average=None, ignore\_index=-100, reduce=None, reduction='mean')

This criterion computes the cross entropy loss between input and target.



Thus, torch\_out and my\_out are equal up to small numerical errors.

**11.**torch.nn.functional.mse\_loss(input, target, size\_average=None, reduce=None, reduction='mean')

Measures the element-wise mean squared error.

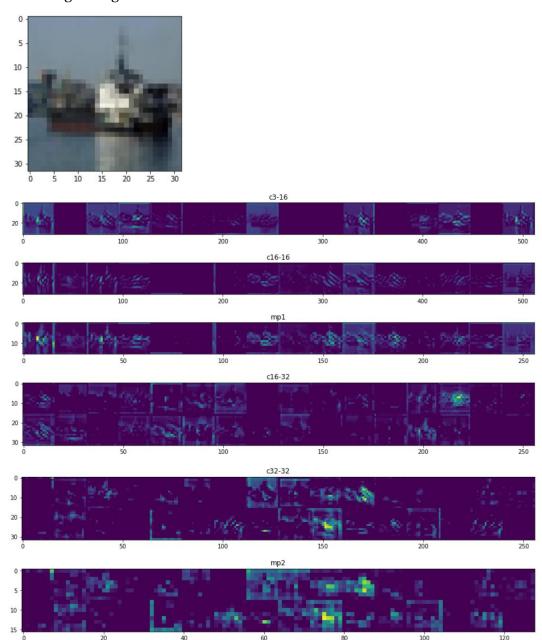
```
tensor(1.9804)

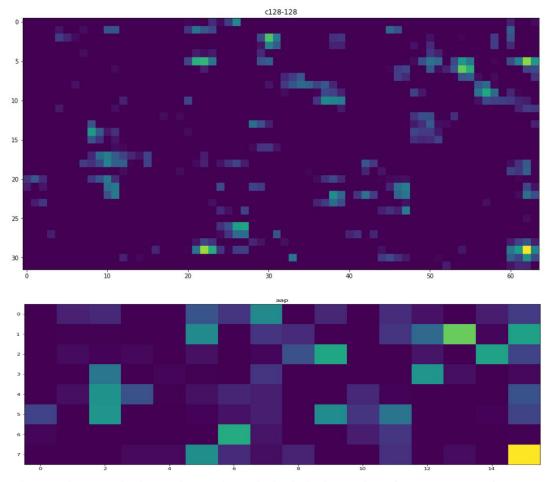
my_out = torch.mean((x-target)**2)
my_out
tensor(1.9804)
```

Thus, torch\_out and my\_out are equal up to small numerical errors.

### Question 2

## A. No batch normalization For a single image data



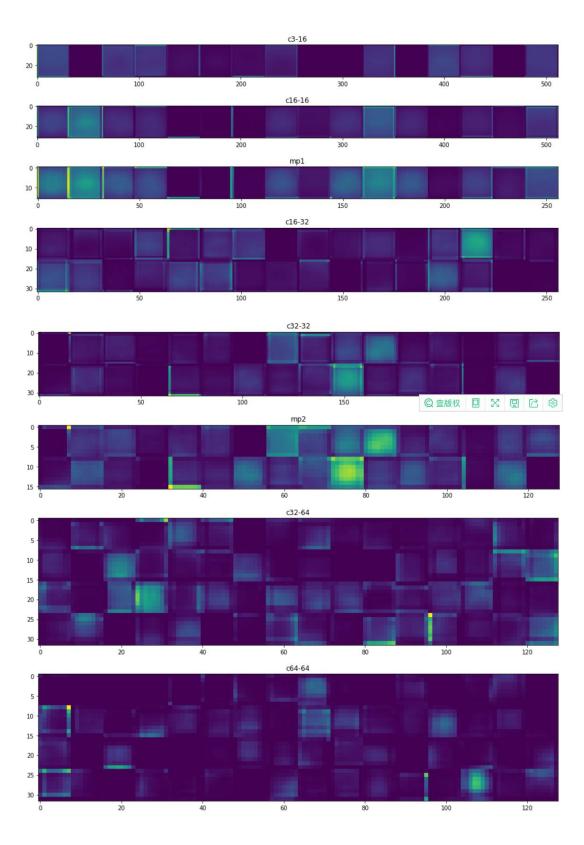


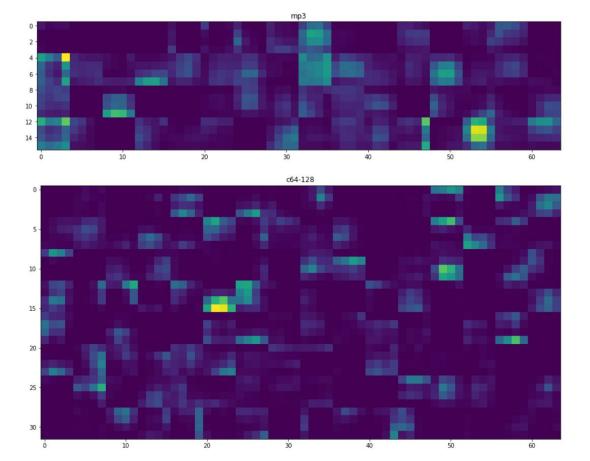
Observation: Each channel encodes relatively independent features, some focus on the edge, some focus on a single border, etc, we can see this from the first layer's activation.

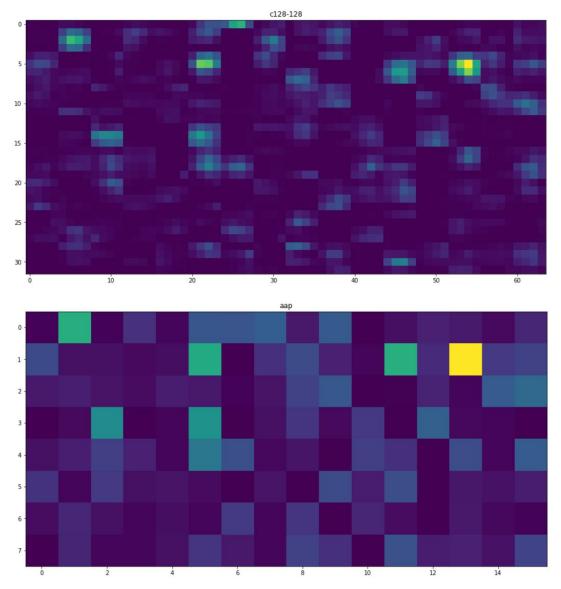
In the first layer, it retains almost the full shape of the image, it contains the full image of the original image.

As it goes deeper, the activation is harder for us to understand, they begin to encode higher-level concepts, this increasingly less information about the visual contents of the image, and increasingly more information related to the class of the image.

(ii)For 10000 training image data( can't use all, the kernel would crush)

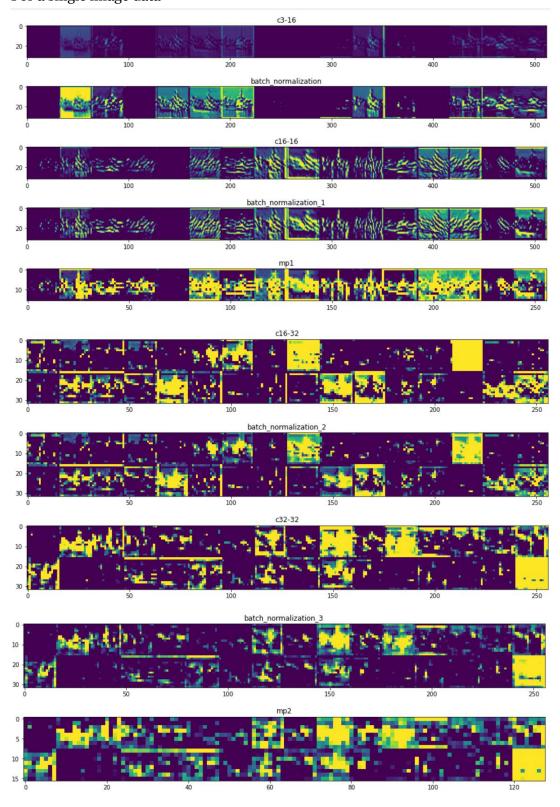


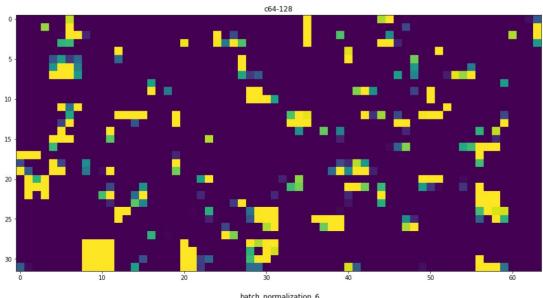


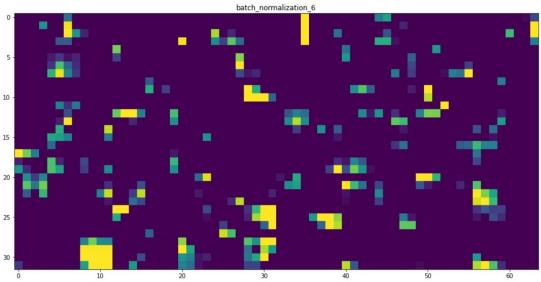


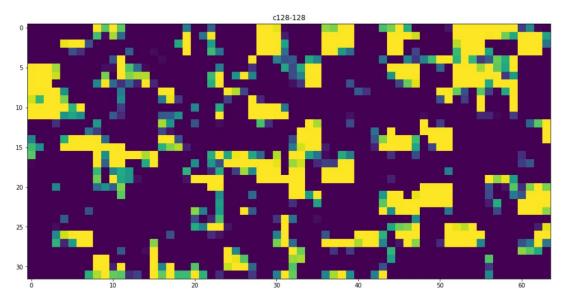
When we average many training data into the picture of activation for layers, we can't tell images information, but we can see different channels still focus on a different character for the image data, and when the layer goes deeper, the features are more abstract.

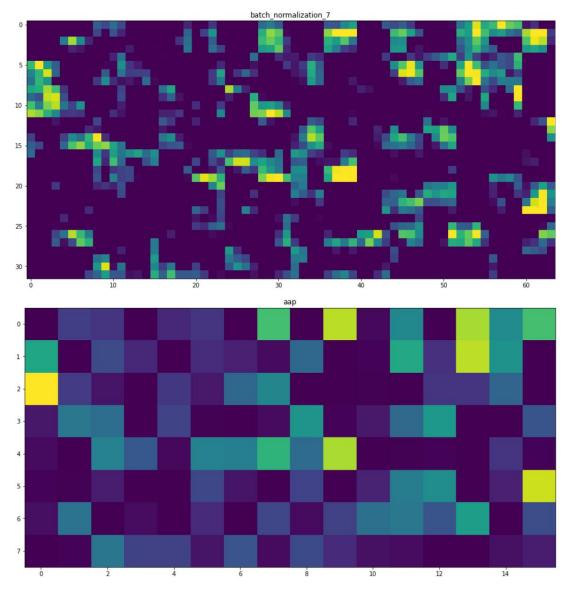
# B. Batch normalization For a single image data





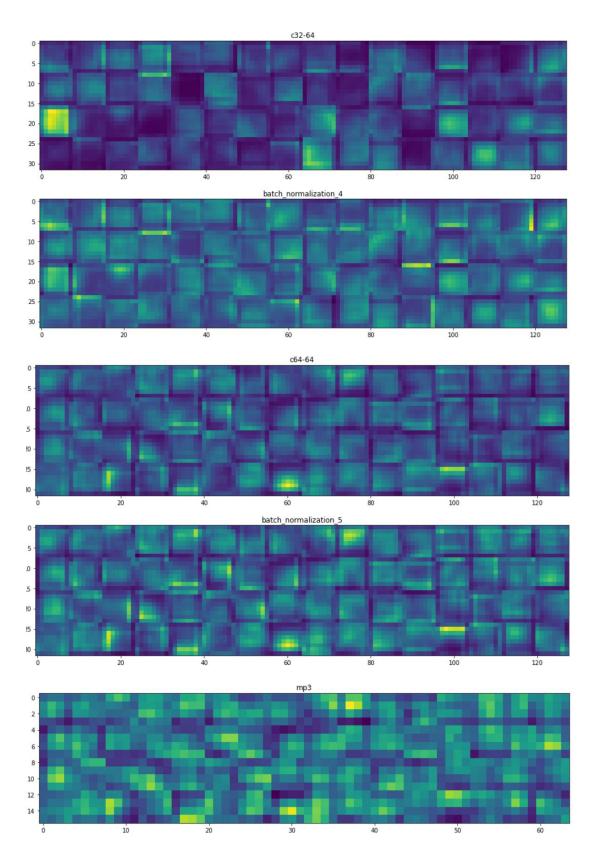


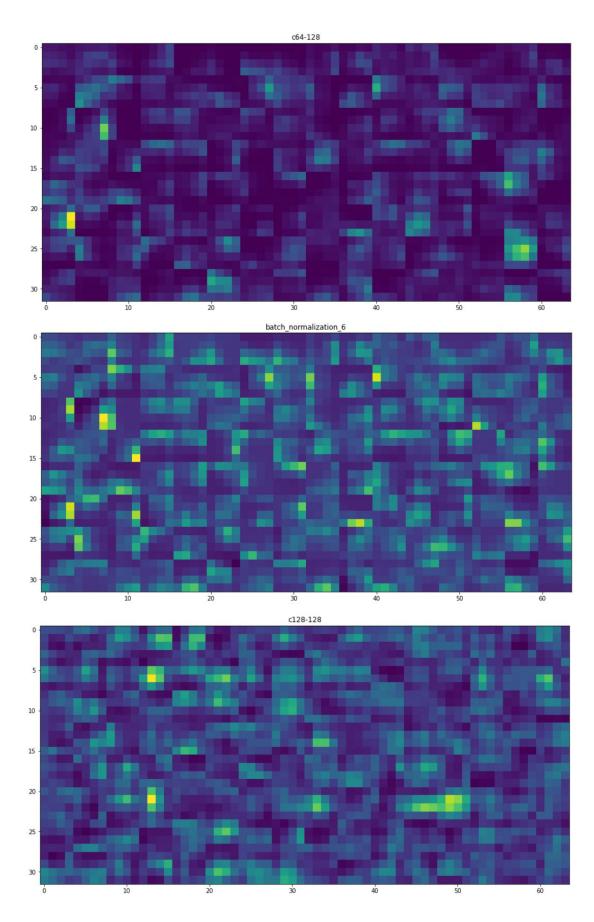


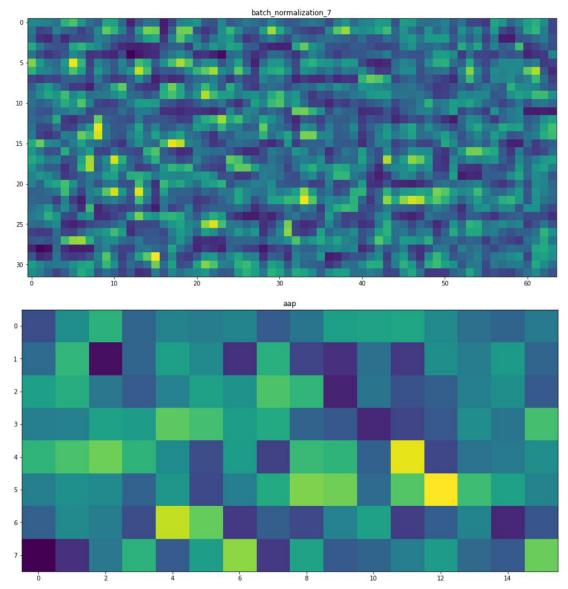


(ii)For 10000 training image data( can't use all, the kernel would crush)

c3-16







Comparing the result from Q2A and Q2B, we can find batch normalization can standardize the inputs to a layer for each mini-batch, It achieves a **stable distribution of activation** values throughout training. This has the effect of stabilizing and speeding-up the training process of deep neural networks.