Course overview

Computer Organization and Assembly Languages Yung-Yu Chuang 2005/09/22

with slides by Kip Irvine

Prerequisites



• Programming experience with some high-level language such C, C ++, Java ...

Logistics



- Meeting time: 9:10am-12:10pm, Thursday
- Classroom: CSIE Room 103
- Instructor: Yung-Yu Chuang
- Teaching assistants: 徐士璿/楊善詠
- Webpage:

http://www.csie.ntu.edu.tw/~cyy/assembly
id / password

- Forum:
 - http://www.cmlab.csie.ntu.edu.tw/~cyy/forum/viewforum.php?f=4
- Mailing list: assembly@cmlab.csie.ntu.edu.tw
 Please subscribe via

https://cmlmail.csie.ntu.edu.tw/mailman/listinfo/assembly/

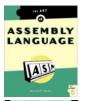
Books





Textbook

Assembly Language for Intel-Based Computers, 4th Edition, Kip Irvine



Reference

The Art of Assembly Language, Randy Hyde



Michael Abrash' s Graphics Programming Black Book, chap 1-22

Grading (subject to change)



- Assignments (50%)
- Class participation (5%)
- Midterm exam (20%)
- Final project (25%)

Why learning assembly?



- It is required.
- It is foundation for computer architecture and compilers.
- At times, you do need to write assembly code.

"I really don't think that you can write a book for serious computer programmers unless you are able to discuss low-level details."

Donald Knuth

Why programming in assembly?



- It is all about lack of smart compilers
- Faster code, compiler is not good enough
- Smaller code , compiler is not good enough, e.g. mobile devices, embedded devices, also
 Smaller code → better cache performance → faster code
- Unusual architecture, there isn't even a compiler or compiler quality is bad, eg GPU, DSP chips, even MMX.

Syllabus (topics we might cover)



- IA-32 Processor Architecture
- Assembly Language Fundamentals
- Data Transfers, Addressing, and Arithmetic
- Procedures
- · Conditional Processing
- Integer Arithmetic
- Advanced Procedures
- · Strings and Arrays
- Structures and Macros
- High-Level Language Interface
- · BIOS Level Programming
- Real Arithmetic
- MMX
- Code Optimization

What you will learn



- Basic principle of computer architecture
- IA-32 modes and memory management
- Assembly basics
- How high-level language is translated to assembly
- How to communicate with OS
- Specific components, FPU/MMX
- Code optimization
- Interface between assembly to high-level language

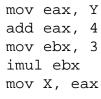
Chapter.1 Overview

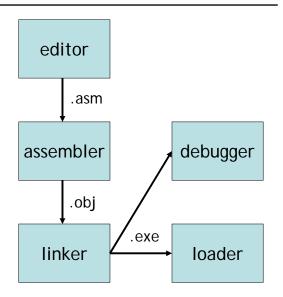


- Virtual Machine Concept
- Data Representation
- Boolean Operations

Assembly programming



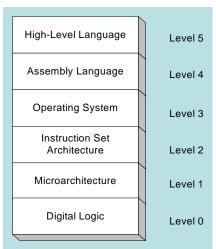




Virtual machines



Abstractions for computers



High-Level Language



- Level 5
- Application-oriented languages
- Programs compile into assembly language (Level 4)

$$X := (Y+4) * 3$$

Operating System



- Level 3
- Provides services
- Programs translated and run at the instruction set architecture level (Level 2)

Assembly Language



- Level 4
- Instruction mnemonics that have a one-to-one correspondence to machine language
- Calls functions written at the operating system level (Level 3)
- Programs are translated into machine language (Level 2)

mov eax, Y
add eax, 4
mov ebx, 3
imul ebx
mov X, eax

Instruction Set Architecture



- Level 2
- Also known as conventional machine language
- Executed by Level 1 program (microarchitecture, Level 1)

Microarchitecture



- Level 1
- Interprets conventional machine instructions (Level 2)
- Executed by digital hardware (Level 0)

Digital Logic



- Level 0
- CPU, constructed from digital logic gates
- System bus
- Memory

Data representation



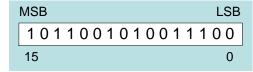
- Computer is a construction of digital circuits with two states: *on* and *off*
- You need to have the ability to translate between different representations to examine the content of the machine
- Common number systems: binary, octal, decimal and hexadecimal

Binary numbers



- Digits are 1 and 0

 (a binary digit is called a bit)
 - 1 = true
 - 0 = false
- MSB -most significant bit
- LSB -least significant bit
- Bit numbering:



• A bit string could have different interpretations

Unsigned binary integers



- Each digit (bit) is either 1 or 0
- Each bit represents a power of 2:

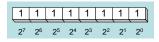


Table 1-3 Binary Bit Position Values.

Every binary number is a sum of powers of 2

2 ⁿ	Decimal Value	2 ⁿ	Decimal Value
20	1	28	256
21	2	2 ⁹	512
22	4	210	1024
23	8	211	2048
24	16	212	4096
25	32	2 ¹³	8192
26	64	214	16384
27	128	2 ¹⁵	32768

Translating Binary to Decimal



Weighted positional notation shows how to calculate the decimal value of each binary bit:

$$\begin{aligned} dec &= (D_{n\text{-}1} \times 2^{n\text{-}1}) + (D_{n\text{-}2} \times 2^{n\text{-}2}) + ... + (D_1 \times 2^1) + (D_\theta \times 2^0) \end{aligned}$$

D = binary digit

binary 00001001 = decimal 9:

$$(1 \times 2^3) + (1 \times 2^0) = 9$$

Translating Unsigned Decimal to Binary



• Repeatedly divide the decimal integer by 2. Each remainder is a binary digit in the translated value:

Division	Quotient	Remainder
37 / 2	18	1
18 / 2	9	0
9/2	4	1
4/2	2	0
2/2	1	0
1/2	0	1

$$37 = 100101$$

Binary addition



• Starting with the LSB, add each pair of digits, include the carry if present.

			Cá	arry:	1				
	0	0	0	0	0	1	0	0	(4)
+	0	0	0	0	0	1	1	1	(7)
	0	0	0	0	1	0	1	1	(11)
bit position:	7	6	5	4	3	2	1	0	

Integer storage sizes



Standard sizes:

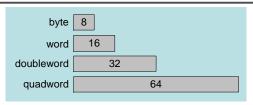


Table 1-4 Ranges of Unsigned Integers.

Storage Type	Range (low-high)	Powers of 2
Unsigned byte	0 to 255	0 to $(2^8 - 1)$
Unsigned word	0 to 65,535	0 to (2 ¹⁶ – 1)
Unsigned doubleword	0 to 4,294,967,295	0 to $(2^{32} - 1)$
Unsigned quadword	0 to 18,446,744,073,709,551,615	0 to $(2^{64} - 1)$

Practice: What is the largest unsigned integer that may be stored in 20 bits?

Large measurements



- Kilobyte (KB), 2¹⁰ bytes
- Megabyte (MB), 2²⁰ bytes
- Gigabyte (GB), 230 bytes
- Terabyte (TB), 240 bytes
- Petabyte
- Exabyte
- Zettabyte
- Yottabyte

Hexadecimal integers



All values in memory are stored in binary. Because long binary numbers are hard to read, we use hexadecimal representation.

Table 1-5 Binary, Decimal, and Hexadecimal Equivalents.

Binary	Decimal	Hexadecimal	Binary	Decimal	Hexadecimal
0000	0	0	1000	8	8
0001	1	1	1001	9	9
0010	2	2	1010	10	A
0011	3	3	1011	11	В
0100	4	4	1100	12	С
0101	5	5	1101	13	D
0110	6	6	1110	14	Е
0111	7	7	1111	15	F

Translating binary to hexadecimal



- Each hexadecimal digit corresponds to 4 binary bits.
- Example: Translate the binary integer 000101101010011110010100 to hexadecimal:

1	6	A	7	9	4
0001	0110	1010	0111	1001	0100

Converting hexadecimal to decimal



 Multiply each digit by its corresponding power of 16:

$$dec = (D_3 \times 16^3) + (D_2 \times 16^2) + (D_1 \times 16^1) + (D_0 \times 16^0)$$

- Hex 1234 equals $(1 \times 16^3) + (2 \times 16^2) + (3 \times 16^1) + (4 \times 16^0)$, or decimal 4,660.
- Hex 3BA4 equals $(3 \times 16^3) + (11 * 16^2) + (10 \times 16^1) + (4 \times 16^0)$, or decimal 15,268.

Powers of 16



Used when calculating hexadecimal values up to 8 digits long:

16 ⁿ	Decimal Value	16 ⁿ	Decimal Value
16 ⁰	1	16 ⁴	65,536
16 ¹	16	16 ⁵	1,048,576
16 ²	256	16 ⁶	16,777,216
16 ³	4096	16 ⁷	268,435,456

Converting decimal to hexadecimal



Division	Quotient	Remainder
422 / 16	26	6
26 / 16	1	A
1 / 16	0	1

decimal 422 = 1A6 hexadecimal

Hexadecimal addition



Divide the sum of two digits by the number base (16). The quotient becomes the carry value, and the remainder is the sum digit.

		1	1
36	28	28	6A
42	45	58	4B
78	6D	80	B5

Important skill: Programmers frequently add and subtract the addresses of variables and instructions.

Hexadecimal subtraction



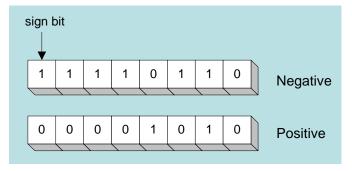
When a borrow is required from the digit to the left, add 10h to the current digit's value:

Practice: The address of **var1** is 00400020. The address of the next variable after var1 is 0040006A. How many bytes are used by var1?

Signed integers



The highest bit indicates the sign. 1 = negative, 0 = positive



If the highest digit of a hexadecmal integer is > 7, the value is negative. Examples: 8A, C5, A2, 9D

Two's complement notation



Steps:

- Complement (reverse) each bit
- Add 1

Starting value	0000001
Step 1: reverse the bits	11111110
Step 2: add 1 to the value from Step 1	11111110 +00000001
Sum: two's complement representation	11111111

Note that 00000001 + 111111111 = 000000000

Binary subtraction



- When subtracting A B, convert B to its two's complement
- Add A to (-B)

Advantages for 2's complement:

- No two 0's
- Sign bit
- Remove the need for separate circuits for add and sub

Ranges of signed integers



The highest bit is reserved for the sign. This limits the range:

Storage Type	Range (low-high)	Powers of 2
Signed byte	-128 to +127	-2^7 to $(2^7 - 1)$
Signed word	-32,768 to +32,767	-2^{15} to $(2^{15}-1)$
Signed doubleword	-2,147,483,648 to 2,147,483,647	-2^{31} to $(2^{31}-1)$
Signed quadword	-9,223,372,036,854,775,808 to +9,223,372,036,854,775,807	-2^{63} to $(2^{63} - 1)$

Character



- Character sets
 - Standard ASCII (0 127)
 - Extended ASCII (0 255)
 - ANSI (0 255)
 - Unicode (0 65,535)
- Null-terminated String
 - Array of characters followed by a *null byte*
- Using the ASCII table
 - back inside cover of book

Boolean algebra



- Boolean expressions created from:
 - NOT, AND, OR

Expression	Description
\neg_X	NOT X
$X \wedge Y$	X AND Y
X v Y	X OR Y
$\neg X \lor Y$	(NOT X) OR Y
$\neg(X \land Y)$	NOT (X AND Y)
X ∧ ¬Y	X AND (NOT Y)

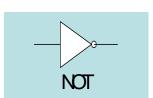
NOT



- Inverts (reverses) a boolean value
- Truth table for Boolean NOT operator:

Х	¬х	
F	Т	
T	F	

Digital gate diagram for NOT:

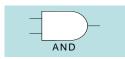




- Truth if both are true
- Truth table for Boolean AND operator:

Х	Υ	$\mathbf{X} \wedge \mathbf{Y}$
F	F	F
F	T	F
Т	F	F
Т	т т т	

Digital gate diagram for AND:



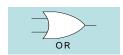
OR



- True if either is true
- Truth table for Boolean OR operator:

Х	(Y X > '		
F	F	F	
F	Т	Т	
Т	F	Т	
Т	Т	Т	

Digital gate diagram for OR:



Operator precedence



- NOT > AND > OR
- Examples showing the order of operations:

Expression Order of Operation		
$\neg X \lor Y$	NOT, then OR	
$\neg(X \lor Y)$	OR, then NOT	
$X \vee (Y \wedge Z)$	AND, then OR	

• Use parentheses to avoid ambiguity

Truth Tables (1 of 3)



- A Boolean function has one or more Boolean inputs, and returns a single Boolean output.
- A truth table shows all the inputs and outputs of a Boolean function

Example: $\neg X \lor Y$

Х	¬х	Υ	¬x ∨ y
F	Т	F	Т
F	Т	Т	Т
Т	F	F	F
Т	F	T	Т

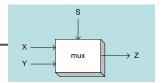
Truth Tables (2 of 3)



• Example: X ∧ ¬Y

X	Y	$\neg_{\mathbf{Y}}$	X ∧¬Y
F	F	Т	F
F	Т	F	F
Т	F	Т	Т
Т	Т	F	F

Truth Tables (3 of 3)



• Example: $(Y \land S) \lor (X \land \neg S)$

Two-input multiplexer

X	Y	S	$Y \wedge S$	$\neg_{\mathbf{S}}$	x∧¬s	$(Y \wedge S) \vee (X \wedge \neg S)$
F	F	F	F	T	F	F
F	Т	F	F	Т	F	F
T	F	F	F	Т	T	T
T	Т	F	F	T	T	T
F	F	Т	F	F	F	F
F	Т	Т	Т	F	F	T
T	F	Т	F	F	F	F
T	Т	Т	Т	F	F	T