List of Symbols

Page	Symbol	Meaning
1	$\forall x$	For all x.
1	$\exists y$	There exists a y.
1	$x \in X$	x is a member of X .
1	$A\subseteq X$	A is a subset of X.
1	$B \subset X$	B is a proper subset of X .
1	X	The cardinality of a set X .
1	$A\cap B$	The intersection of A and B.
1	$A \cup B$	The union of A and B.
2 2 2	A+B	The union of disjoint sets A and B.
2	Ø	The empty set.
	$\mathscr{P}(X)$	The power set of X .
4	$V \times W$	The Cartesian product of sets V and W .
19	SIT	Sets S and T overlap; $S \cap T \neq \emptyset$, $S \nsubseteq T$, and $T \nsubseteq S$.
3	G = (V, E)	The graph G with vertex set V and edge set E .
8	$G=(X_1,X_2,E)$	The bipartite graph G with vertex set X_1+X_2 where each X_i is stable.
5	(V_{S},S)	The subgraph spanned by a subset S of edges.
6	$G_A = (A, E_A)$	The subgraph induced by a subset A of vertices.
3	Adj(v)	The adjacency set of vertex v.
6	Adj ₄ (v)	The adjacency set restricted to A; $Adj_A(v) = Adj(v) \cap A$.
3	N(v)	The neighborhood of vertex V ; $N(v) = \{v\} + Adj(v)$.
7	$d^{\dagger}(v)$	The out-degree of vertex v.
7	d(v)	The in-degree of vertex v.
7	d(v)	The degree of vertex v in an undirected graph.
4	E^{-1}	The reversal of a set E of edges.
4	Ê	The symmetric closure of a set E of edges.
4	âb	The undirected edge $\{ab\} \cup \{ba\}$
7	E	In an undirected graph $G = (V, E)$ we define $ E = \frac{1}{2} E $
4	$ar{G}$	The complement of an undirected graph G.
4	$G\cong G'$	Graphs G and G' are isomorphic.
6	$\omega(G)$	The clique number of G.
6	k(G)	The clique cover number of G.

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6	$\alpha(G)$	The stability number of G.
7	$\chi(G)$	The chromatic number of G.
113	t(G)	The number of transitive orientations of G.
126	r(G)	The rank of the Γ^* -matroid of G .
220	$\theta(G)$	The threshold dimension of G.
203	$\chi(G;w)$	The interval chromatic number of a weighted graph $(G; w)$.
206	$\omega(G;w)$	The maximum weighted clique number of (G;w).
9	K_n	The complete graph on n vertices.
9	C_n	The chordless cycle on n vertices.
9	P_n	The chordless path graph on n vertices.
9	$K_{m,n}$	The complete bipartite graph on $m + n$ vertices partitioned
		into an m-stable set and an n-stable set.
9	$K_{1,n}$	The star graph on $n+1$ vertices.
9	mK_n	m disjoint copies of K_n .
47	$G_1 \times G_2$	The Cartesian product of graphs G_1 and G_2 .
77	$G \cdot H$	The normal product of graphs G and H.
109	$H_0[H_1,\ldots,H_n]$	The composition of graphs.
95	\mathscr{G}	The class of undirected graphs satisfying the property
		that every odd cycle of length greater than or equal
		to 5 has at least two chords.
105	Γ	The forcing relation on edges.
106	Γ*	The reflexive, transitive closure of Γ .
106	$\mathscr{I}(G)$	The collection of implication classes of G.
106	$\mathcal{J}(G)$	The collection of color classes of G.
135	$\mathscr{L}(P)$	The collection of <i>linear extensions</i> of a partial order P.
135	$\dim(P)$	The dimension of a partial order P.
157	$G[\pi]$	The permutation graph of π .
235	$H[\pi]$	The stack sorting graph of π .
157	π^{-1}	The <i>inverse</i> of the permutation π .
158	$\pi^{ ho}$	The reversal of the permutation π .
228	ш	The shuffle product.
236	\mathscr{H}	The class of stack sorting graphs.
23	O(f(m))	Computational complexity on the order of $f(m)$.
26	P	The class of deterministic polynomial-time problems.
27	NP	The class of nondeterministic polynomial-time problems.
27	$\Pi_1 \leqslant \Pi_2$	Problem Π_1 is polynomially transformable to problem Π_2 .
32	Λ	The null or undefined symbol in an algorithm.
176	$T \equiv T'$	The PQ-trees T and T are equivalent.
177	$\Pi(\mathscr{I})$	The collection of all permutations π of X such that the members of each subset $I \in \mathcal{I}$ occur consecutively in π where $\mathcal{I} \subseteq \mathcal{P}(X)$.
53	G ∘h	The graph G multiplied by the vector h.
62	R"	The <i>n</i> -dimensional vector space over the <i>real numbers</i> .
62	$P(\mathbf{A})$	The polyhedron of matrix A.
62	$P_I(\mathbf{A})$	The integral polyhedron of matrix A.
59	1	The vector of all ones.
62	0	The vector of all zeros.
60	J	The matrix of all ones.
60	Ĭ	The identity matrix.
256	$G(\mathbf{M})$	The graph of matrix M.
256	$B(\mathbf{M})$	The bipartite graph of matrix M.
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