

(α)

```

elemIntList 5 (p 3)
#    5 <<< 1
=> "no"
#    (p 3) <<< (h:t)
=> x:(3:(p (3^3))) <<< (h:t)
=> "yes"
= elemIntList (5-1) (3:(p (3^3)))
#    (5-1) <<< 1
=> 4 <<< 1
=> "no"
#    3:(p (3^3)) <<< (h:t)
=> "yes"
= elemIntList (4-1) (p (3^3))
#    (4-1) <<< 1
=> 3 <<< 1
=> "no"
#    (p (3^3)) <<< (h:t)
=> x:((3^3):(p ((3^3)^(3^3)))) <<< (h:t)
=> "yes"
= elemIntList (3-1) ((3^3):(p ((3^3)^(3^3))))
#    (3-1) <<< 1
=> 2 <<< 1
=> "no"
#    (3^3):(p ((3^3)^(3^3))) <<< (h:t)
=> "yes"
= elemIntList (2-1) (p ((3^3)^(3^3)))
#    (2-1) <<< 1
=> 1 <<< 1
=> "yes"
#    (p ((3^3)^(3^3))) <<< (h:t)
=> x:(((3^3)^(3^3)): (p (((3^3)^(3^3))^((3^3)^(3^3))))) <<< (h:t)
=> "yes"
= x
= x 'div' x
= (x 'div' x) 'div' x
= ((x 'div' x) 'div' x) 'div' x
= (((x 'div' x) 'div' x) 'div' x) 'div' x
...
```

Στην περίπτωση αυτή η Haksell εκτελεί έναν ατέρμονο υπολογισμό.

(β)

```
elemIntList 4 (p 3)
#    4 <<< 1
=> "no"
#    (p 3) <<< (h:t)
=> x:(3:(p (3^3))) <<< (h:t)
=> "yes"
= elemIntList (4-1) (3:(p (3^3)))
#    (4-1) <<< 1
=> 3 <<< 1
=> "no"
#    3:(p (3^3)) <<< (h:t)
=> "yes"
= elemIntList (3-1) (p (3^3))
#    (3-1) <<< 1
=> 2 <<< 1
=> "no"
#    (p (3^3)) <<< (h:t)
=> x:((3^3):(p ((3^3)^(3^3)))) <<< (h:t)
=> "yes"
= elemIntList (2-1) ((3^3):(p ((3^3)^(3^3))))
#    (2-1) <<< 1
=> 1 <<< 1
=> "yes"
#    (3^3):(p ((3^3)^(3^3))) <<< (h:t)
=> "yes"
= 3^3
= 27
```