

25 Electromagnetic Induction

25.1 Generating Electricity

When a magnet is moved near a wire, an **emf is induced** in the wire. This effect is known as **electromagnetic induction**.

- Occurs whenever a wire **cuts across magnetic field lines**.
- If the wire is part of a complete circuit, the induced emf **forces electrons around the circuit**.
- The induced emf can be increased by
 - Moving the wire **faster**.
 - Using a **stronger magnet**.
 - Making the wire into a **coil**, and pushing the magnet in or out of the coil.

No emf is induced in the wire if the wire is **parallel to the magnetic field lines** as it moves through the field - the wire must cut across field lines for an emf to be induced.

Other methods of generating an induced emf

- Using an **electric motor** in reverse.
- Using a **cycle dynamo**.

In both cases an emf is induced because there is **relative motion** between the coil and the magnet.

Energy Changes

An electric current **transfers energy** from the source of the emf in a circuit to the other components in the circuit. The induced emf becomes zero when the relative motion between the magnet and the wire ceases.

- **Work must be done** to keep it spinning.
- The energy transferred by the coil is equal to the work done on the coil to keep it spinning.

Electromagnetic Induction in a Metal Rod

1. A metal rod is a tube containing lots of **free electrons**.
2. If the rod is moved across a magnetic field, the field **forces the free electrons** in the rod to one end away from the other end.
3. One end of the rod becomes negative and the other end positive, an emf is induced in the rod.

If the relative motion ceases, the induced emf becomes zero because the magnetic field no longer exerts a force on the electrons in the rod.

The **dynamo rule**, or Fleming's right-hand rule can be used to find the direction of the induced current.

25.2 The Laws of Electromagnetic Induction

A magnetic field is produced in and around a coil when a current is passed through it. The pattern of the magnetic field lines is **like the pattern for a bar magnet**. The field lines pass through the solenoid and loop round outside the solenoid from one end to the other end.

- Current passes anticlockwise round the north pole end.
- Current passes clockwise round the south pole end.

Lenz's Law

Lenz's law states that the direction of the induced current is always such as to oppose the change that causes the current.

The explanation to Lenz's law is that energy is never created or destroyed - the induced current would never be in a direction to help the change that causes it, as it would produce electrical energy out of nowhere.

Faraday's Law of Electromagnetic Induction

Consider a conductor a length l which is part of a complete circuit cutting through lines of a magnetic field B .

If the conductor moves a distance Δs in time Δt

- The conductor experiences a force $F = BIl$ due to carrying a current in a magnetic field.
- Work done by the applied force $W = F\Delta s = BIl\Delta s$
- The charge transfer in this time is $Q = I\Delta t$.
- The induced emf is $\varepsilon = \frac{W}{Q} = \frac{BIl\Delta s}{I\Delta t} = \frac{Bl\Delta s}{t} = \frac{BA}{\Delta t}$

where A is the area swept out by the conductor in time Δt .

- **Magnetic flux** is the product of magnetic flux density and the area swept out.

$$\phi = BA$$

- **Magnetic flux linkage** through a coil of N turns $\Phi = N\phi = NBA$.

The unit of magnetic flux is the **weber**, equal to 1 Tm^2 .

When the magnetic field is at angle θ to the normal at the coil face, the flux linkage through the coil is $N\phi = BAN \cos \theta$.

Faraday's law of electromagnetic induction states that the induced emf in a circuit is equal to the rate of change of flux linkage through the circuit.

$$\varepsilon = -N \frac{d\phi}{dt}$$

- For a moving conductor

$$\begin{aligned}\varepsilon &= \frac{Bl\Delta s}{\Delta t} \\ &= Blv\end{aligned}$$

- For a fixed coil in a changing magnetic field

$$\begin{aligned}\varepsilon &= \frac{N\Delta\phi}{\Delta t} \\ &= \frac{NA\Delta B}{\Delta t}\end{aligned}$$