



Concept 4: Circular Permutation

There are two cases of circular-permutations:-

- If clockwise and anti-clockwise orders are different, then the total number of circular-permutations is given by $(n - 1)!$
- If clockwise and anti-clockwise orders are taken as not different, then total number of circular-permutations is given by $(n - 1)!/2$, where n is the no. of objects.



Drill 4



You go to a jewellery shop to buy a beaded necklace and the necklace displayed on the side is shown to you.



After some time, the sales man rotates the displayed jewellery by a certain angle and claims it to be a different jewellery. Will you accept it? *Yes/No*

- a. In how many ways can 5 friends sit around a table?

Are clockwise and anti-clockwise arrangements different? Yes/No

Number of circular arrangements = _____

- b. How many necklaces can be formed with 7 different beads?

Are clockwise and anti-clockwise arrangements different? Yes/No

Number of circular arrangements = _____

- c. How many garlands can be formed with 6 different coloured roses?

Are clockwise and anti-clockwise arrangements different? Yes/No

Number of circular arrangements = _____

- d. In how many ways can 4 boys and 4 girls sit around a table, if no two boys should sit together? _____