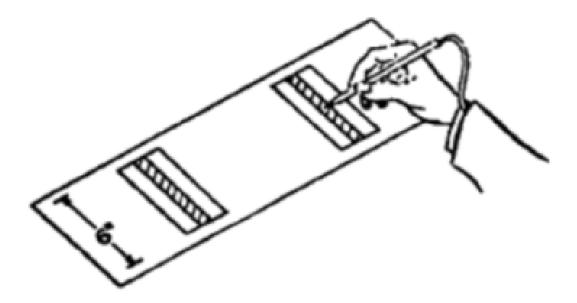
# "Beating" Fitts' Law

Jaime Ruiz CS 349 July 22, 2009

#### Fitts' Law

- Published by Paul Fitts in 1954
- Most robust and highly adopted models of human movement.





#### Fitts' Law

$$MT = a + b \log_2 \left(\frac{A}{W} + 1\right)$$

- a and b are empirically defined constants
- A = Amplitude of movement (distance between start point and center of target)
- W = Constraining size of target

CS 349

#### Fitts' Law

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  Also Known as Index of Difficulty (ID)

• W = Constraining size of target

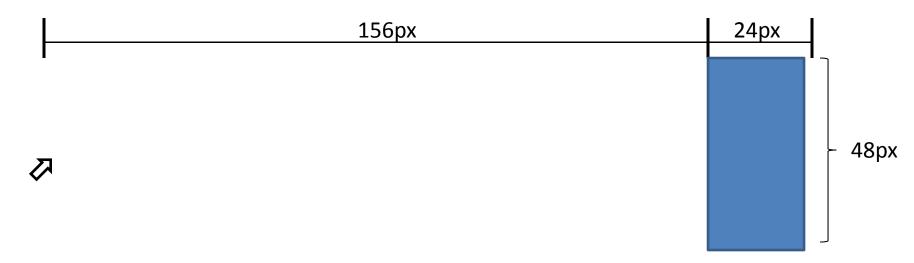
CS 349

Figure 11. Survey of Fitts' law performance characteristics from six studies on user input devices.

Device	Study	Regression Coefficient <sup>a</sup>					
		Intercept, a (ms)	Slope, b (ms/bit)	IP(bits/s)	r	Errors (%)	Comments
Eye tracker <sup>b</sup>	Ware & Mikaelian (1987)	680	73	13.7		8.5	Hardware button
Foot pedal	Drury (1975)	187	85	11.8	.97	< 3.3	Experiment 2
Hand	Fitts (1954)	12.8	94.7	10.6	.98	1.8	Tapping, 1-oz stylus
Mouse	Card, English, & Burr (1978)	1030	96	10.4	.91	5	,
Eye trackerb	Ware & Mikaelian (1987)	790	97	10.3		22	On-screen button
Eye trackerb	Ware & Mikaelian (1987)	680	107	9.3	_	12	Dwell time
Helmet sight	Jagacinski & Monk (1985)	-268	1 <b>9</b> 9	5.0	.99	0	
Joystick	Jagacinski & Monk (1985)	<b>-303</b>	1 <b>9</b> 9	5.0	.99	0	Isometric; position contr
Joystick	Card, English, & Burr (1978)	990	220	4.5	.94	12	Isometric; velocity contro
Joystick	Kantowitz & Elvers (1988)	<b>-328</b>	297	3.4	.62	25	Isometric, position, high
Joystick	Kantowitz & Elvers (1988)	<del>- 44</del> 7	297	3.4	.76	25	Isometric, position, low
Trackball	Epps (1986)	282	347	2.9	.93	0	-
Mouse	Epps (1986)	108	392	2.6	.83	0	
Touchpad	Epps (1986)	181	434	2.3	.74	0	Absolute positioning
Joystick	Kantowitz & Elvers (1988)	-8 <b>4</b> 6	<b>44</b> 9	2.2	.84	25	Isometric, velocity, high
Joystick	Kantowitz & Elvers (1988)	-880	<b>44</b> 9	2.2	.85	25	Isometric, velocity, low
Touchpad	Epps (1986)	-194	609	1.6	.70	0	Relative positioning
Joystick	Epps (1986)	<b> 58</b> 7	861	1.2	.81	0	Isometric; velocity contro
Joystick	Epps (1986)	-560	919	1.1	.86	0	Displacement; velocity co

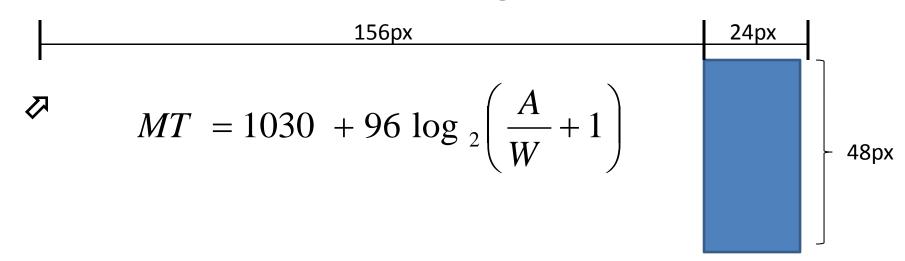
 $<sup>^{</sup>a}MT = a + b ID$ ; IP = 1/b.  $^{b}Data$  inferred from plot.  $^{c}Provided$  for comparison purposes only.

• Calculate movement time given a=1030, b=96

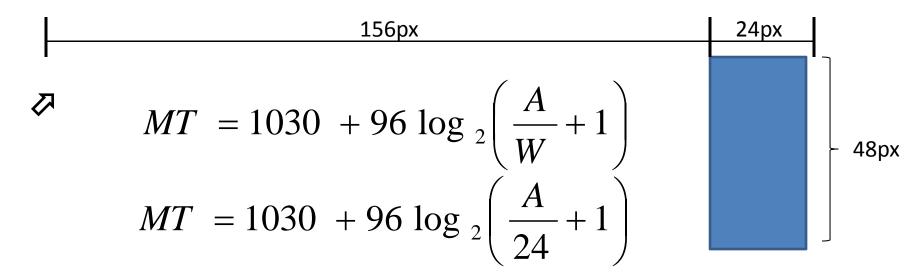


CS 349

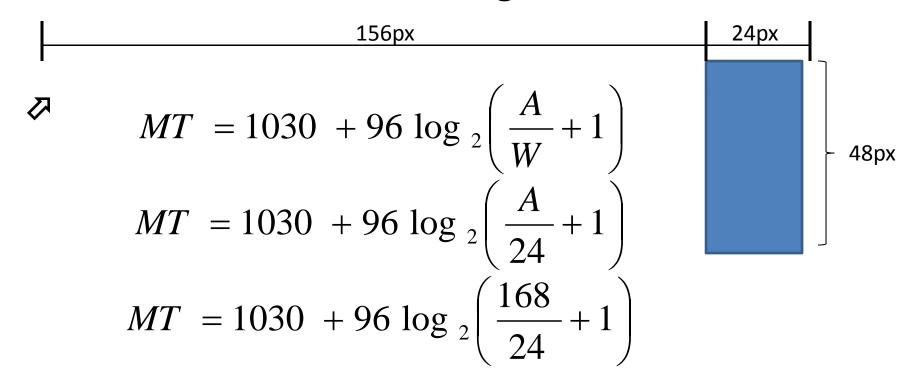
Calculate movement time given a=1030, b=96



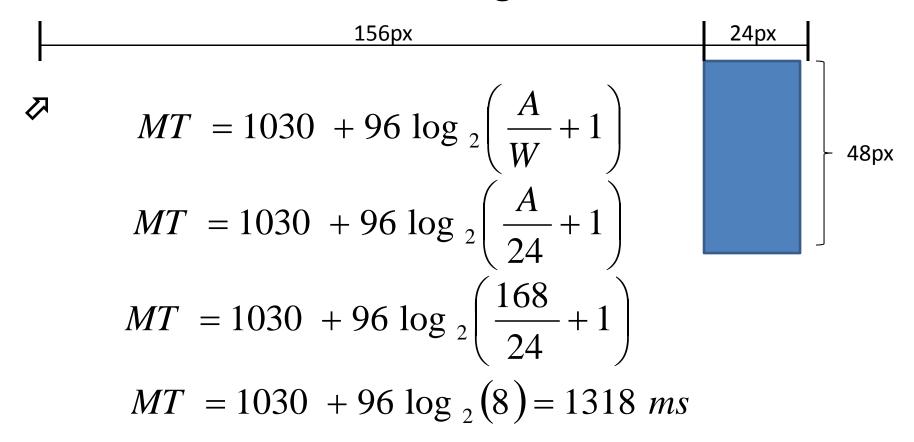
Calculate movement time given a=1030, b=96



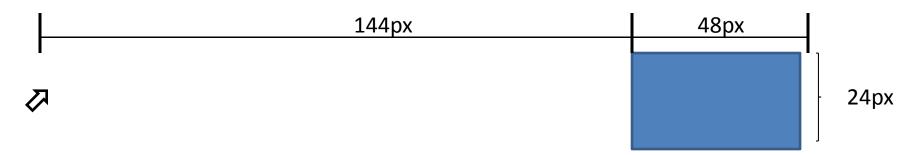
Calculate movement time given a=1030, b=96



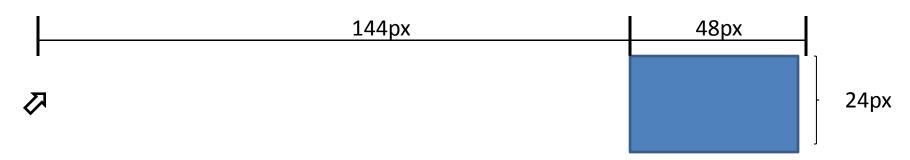
Calculate movement time given a=1030, b=96



• Calculate movement time given a=1030, b=96



Calculate movement time given a=1030, b=96



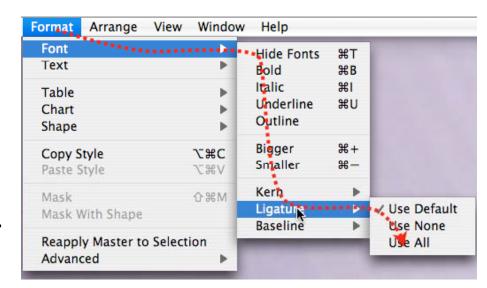
$$MT = 1030 + 96 \log_{2} \left( \frac{168}{24} + 1 \right)$$
  
 $MT = 1030 + 96 \log_{2} (8) = 1318 \text{ ms}$ 

### Adaptations of Fitts' Law

Steering Law

$$MT = a + b \left(\frac{A}{W}\right)$$

W = height/width of tunnel



A = amplitude/distance

## Is it possible to "Beat" Fitts' Law?

$$MT = a + b \log_2 \left(\frac{A}{W} + 1\right)$$

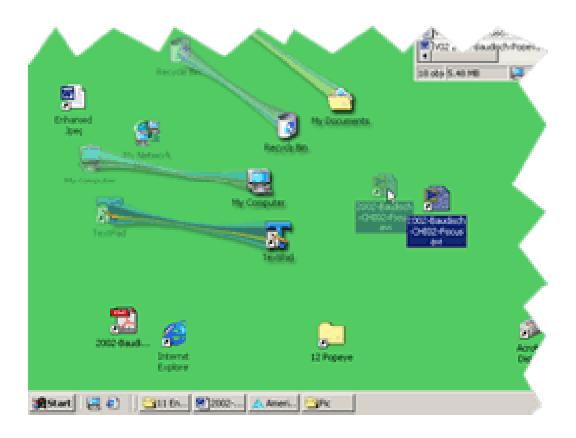
## Is it possible to "Beat" Fitts' Law?

$$MT = a + b \log_2 \left(\frac{A}{W} + 1\right)$$

- Decrease distance to target
- Increase the width of target
- Or both

# Drag & Pop (Baudisch et al. 2003)

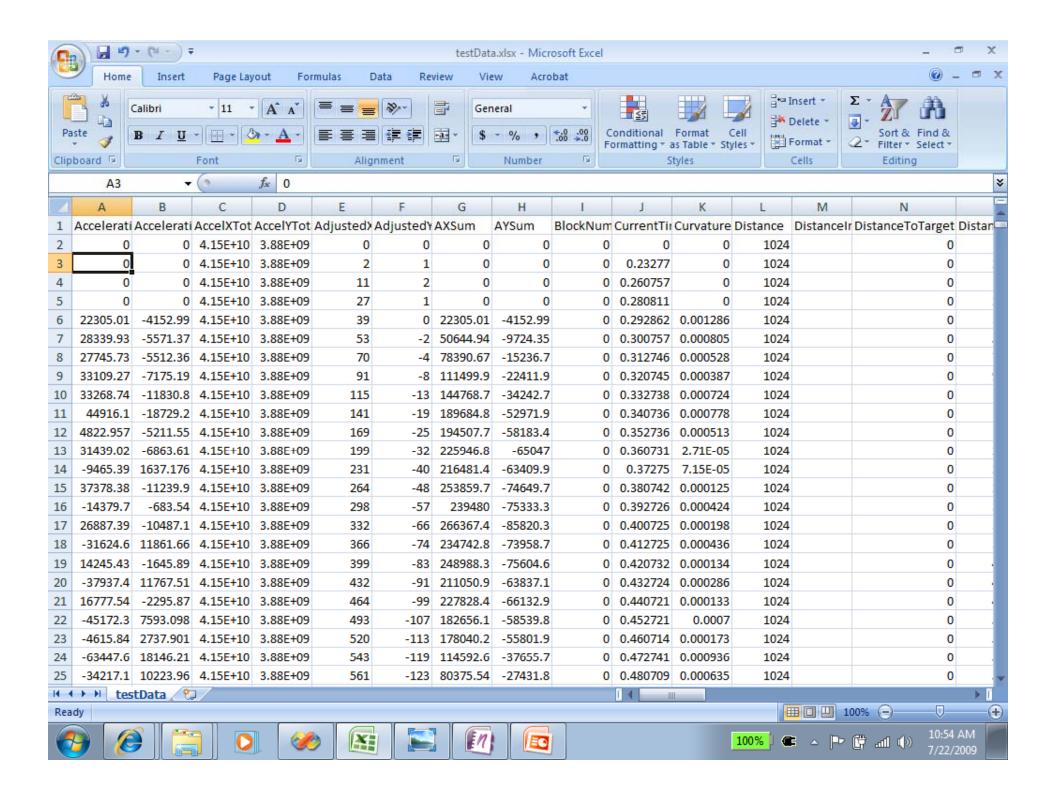
Minimize distance by bringing target closer



## Object Pointing (Guiard et al 2004)

Have mouse skip empty space

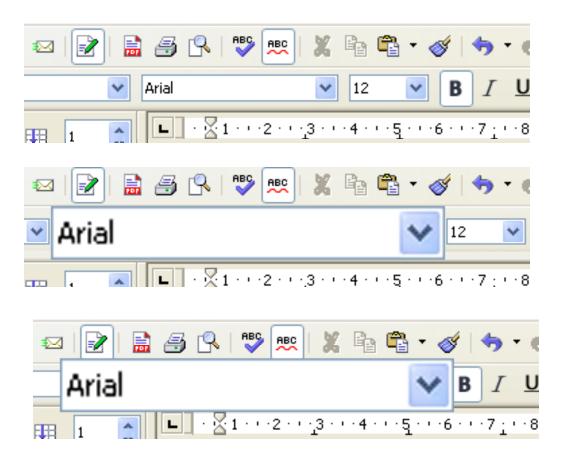




# Bubble Cursors (Grossman and Balakrishnan 2005)

Video

#### **Expanding Widgets**



#### **Predicting Endpoint**

- Use laws of motion to try to predict endpoint
  - i.e. Minimum Jerk Law
- Initial algorithm
  - 40% correct
  - 40% +/- 1 target
  - 20% way off

# Expanding Predictive Endpoint Cued Tablet Keyboard (EXPECT-K)

 The first virtual keyboard to incorporate endpoint prediction, target expansion and visual cues to speed text entry on Tablet PCs.

#### Visual Cues



- •Keys highlighted according to tetra-gram model representing adjacent letter frequencies.
- ■The four keys representing the most frequent tetra-grams are highlighted
- ■Tetra-gram model is updated continuously allowing the model to adjust to the individual's language usage.

## **Expanding Keys**



- ■Expansion of the user's intended key is made possible by a realtime implementation of the Lank et al. endpoint prediction algorithm.
- ■The result from the endpoint predictor, in conjunction with the tetra-gram letter frequencies, is used to predict which key should be expanded.

### **VIDEO**

#### Participate

- 30-60 minutes
- Some pay \$10
- Need lots of people between now and September.
- If interested sign the sheet being passed around or send an email to jgruiz@uwaterloo.ca