EE 569 Discussion



Zhiruo Zhou 01/22/2020



Before you start doing the homework

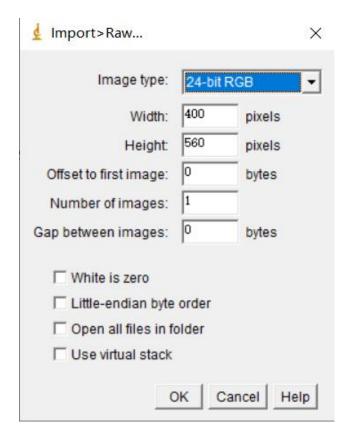
- Read all the following files carefully
 - EE569_Homework_Guidelines.pdf
 - EE569_MATLAB_Function_Guidelines.pdf
 - EE569_2021Spring_hw1.pdf

• Check the discussion board regularly

Image I/O data type – RAW

• Image file format: refer to "EE569_Homework_Guidelines.pdf"

- Free software:
 - ImageJ: http://rsb.info.nih.gov/ij/
- If you cannot open the raw file
 - Check the height, width and bits
 - "8-bit" for gray images
 - "24-bit RGB" for color images



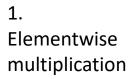
• Use this to view images instead of staring at those on hw pdf files

Image I/O data type – RAW

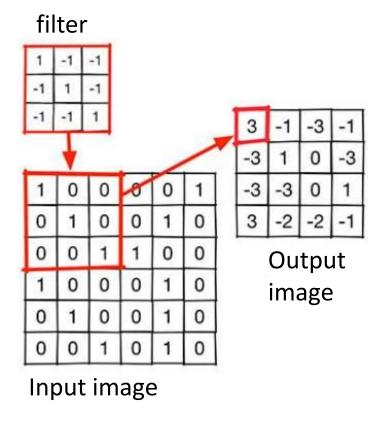
- For programming purpose
 - You need to implement "readraw" and "writeraw" functions for reading and writing RAW images
 - Readraw: RAW to matrix
 - Writeraw: matrix to RAW
 - Reference code uploaded on DEN
 - Your functions should work for arbitrary image size, gray images, color images...
 - How to check whether your code is correct?
 - Could you imshow the output of readraw correctly?
 - Could ImageJ open the output of writeraw correctly?

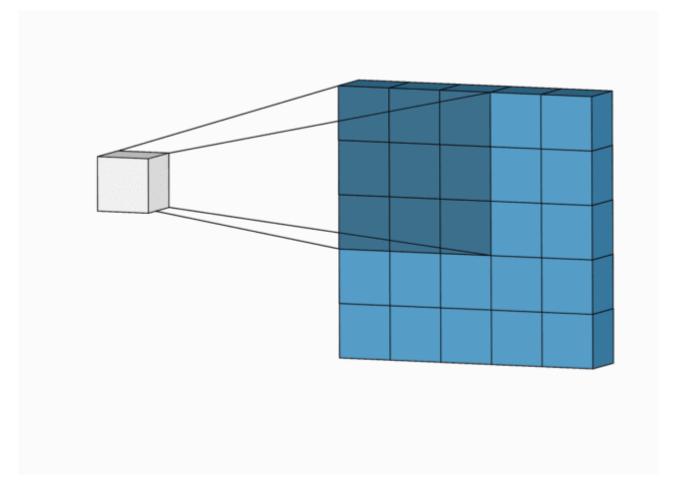
Convolution

• Also named filtering in image processing



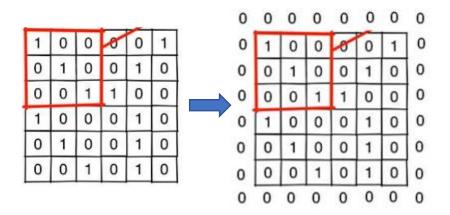
2. Summation

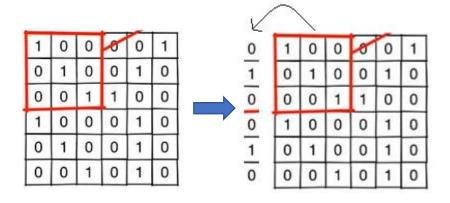




Padding (boundary extension)

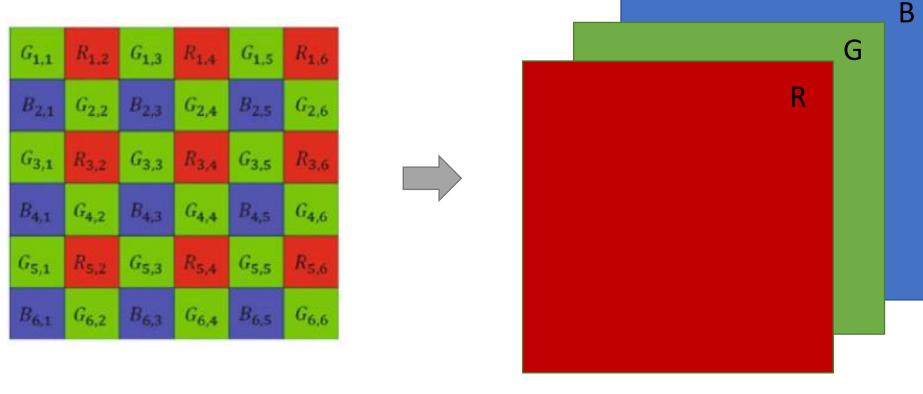
- To make the output size the same with that before convolution
- Mainly two types of padding
 - Zero padding
 - Mirror reflection
 - Row first or column first? Both are fine.





HW1 - P1 Demosaicing

• Idea: interpolation

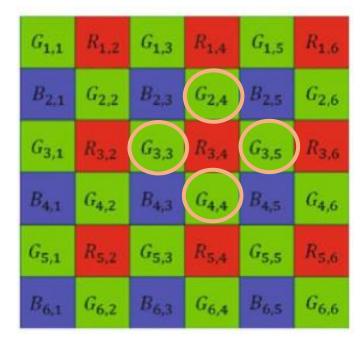


Input: H*W

Output: H*W*3

HW1 - P1 Demosaicing

• Bilinear interpolation



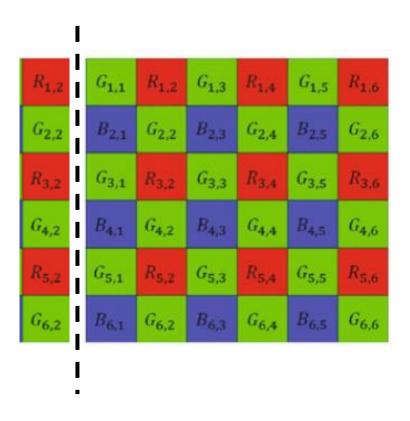
$$\widehat{G}_{3,4}^{bl} = \frac{1}{4} \left(G_{3,3} + G_{2,4} + G_{3,5} + G_{4,4} \right)$$

What's the corresponding filter?

$$\begin{bmatrix} 0 & 1/4 & 0 \\ 1/4 & 0 & 1/4 \\ 0 & 1/4 & 0 \end{bmatrix}$$

HW1 - P1 Demosaicing

• Use "mirror reflection" for padding



HW1 – P1 Histogram Manipulation





- Method A: the transfer-function-based histogram equalization method
- **Method B**: the cumulative-probability-based histogram equalization method (bucket-filling method)

Note

- Generally, histogram manipulation can only cope with gray images
- For RGB images, process each channel separately

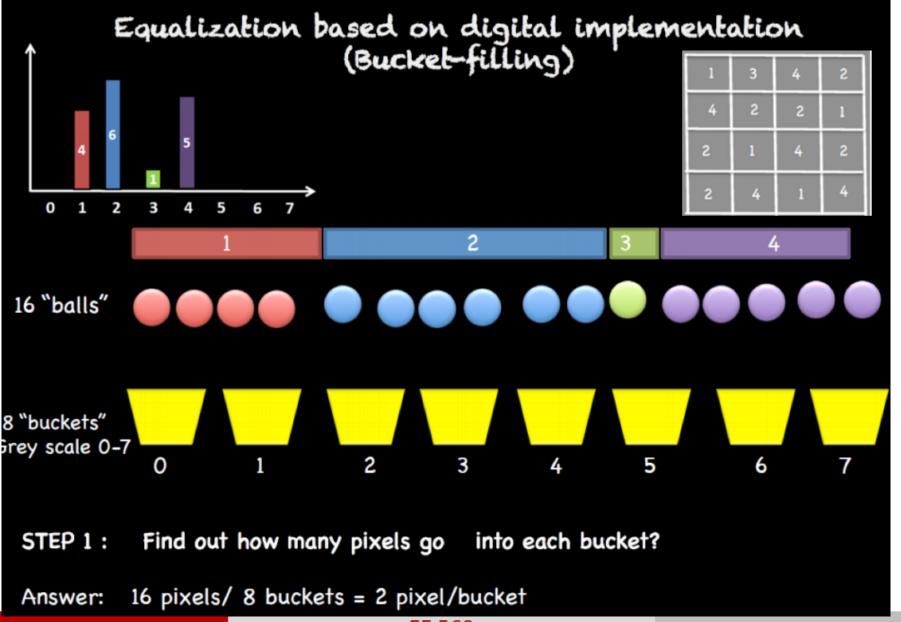
Method A: TRANSFER-FUNCTION-BASED

- Step-by-step Procedure:
 - Step 1: Obtain the histogram
 - Count the frequency of pixels of each grayscale value (0~255)
 - Step 2: Calculate the normalized probability histogram
 - Divide the histogram by total number of pixels
 - Step 3: Calculate the CDF
 - Step 4: Create the mapping-table
 - Mapping rule: x to CDF(x)* 255
 - Transfer function: $x \to 255 * CDF(x)$

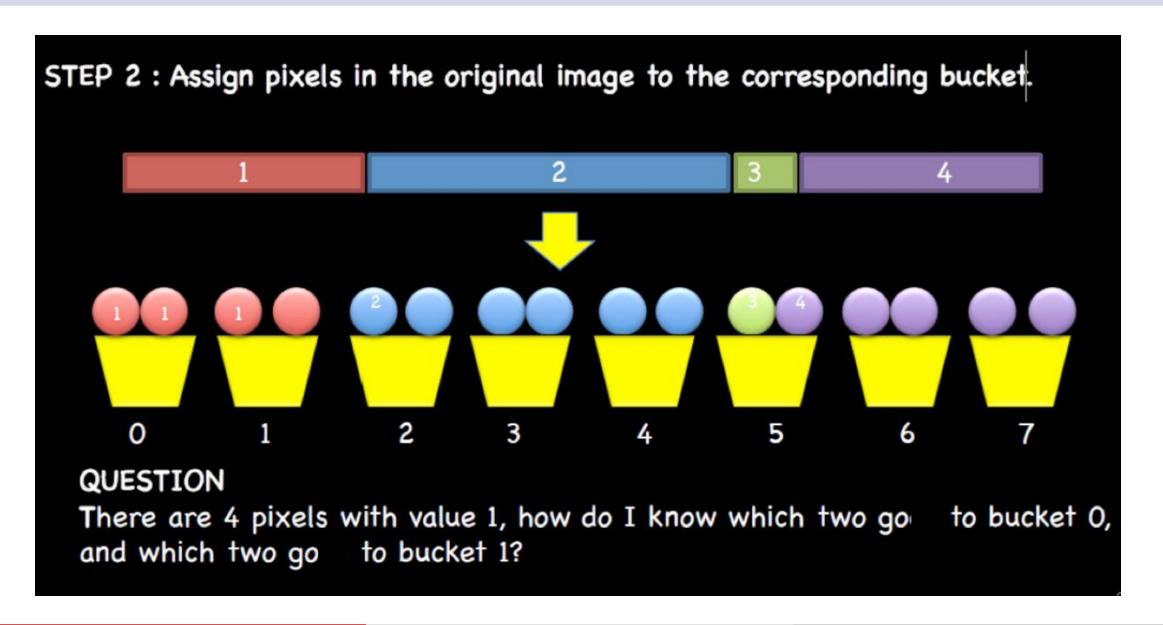
Intuitive Tutorial Video available at

https://www.youtube.com/watch?v=PD5d7EKYLcA

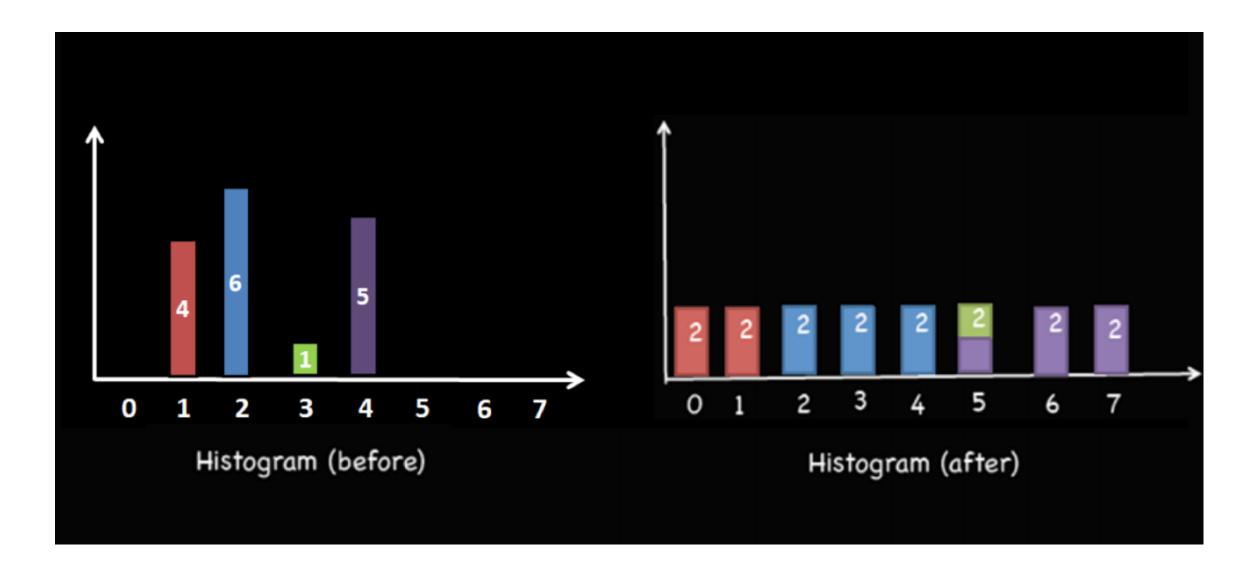
Method B: BUCKET FILLING



Method B: BUCKET FILLING



Method B: BUCKET FILLING



HW1 – P1 Histogram Manipulation







Original

Method A

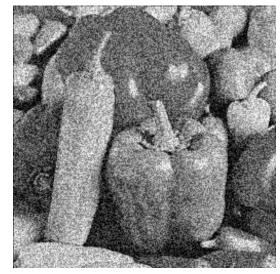
Method B

HW1 – P1 Histogram Manipulation

Note

- Histogram value needs to be computed by your code
- Do NOT use Photoshop, ImageJ or MATLAB functions imhist()/hist() to obtain histogram
- Figure plotting can be done by any tools Matlab or MS Excel

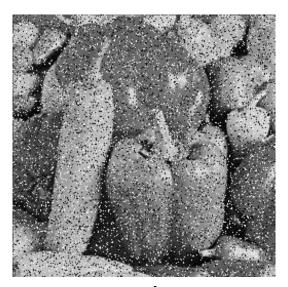
- Different types of noises
 - Uniform noise
 - Gaussian noise
 - Impulse noise ("pepper and salt")



Uniform (or Gaussian)

How to differentiate uniform noise and Gaussian noise?

 Draw the histogram of noise and see the distribution



Impulse

- Different denoising methods:
 - Low pass filter (mean, Gaussian)
 - Median filter
 - Bilateral filter
 - Non local mean (NLM) filter
 - BM3D
 - - ...

• Low pass filter (mean)

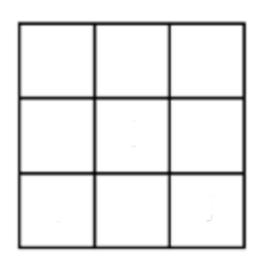
1	1	1
1	1	1
1	1	1

$$Y(i,j) = \frac{\sum_{k,l} I(k,l) w(i,j,k,l)}{\sum_{k,l} w(i,j,k,l)}$$
$$w(i,j,k,l) = \frac{1}{w_1 \times w_2}$$

3x3 Mean kernel

where (k, l) is the neighboring pixel location within the window of size $w_1 \times w_2$ centered around (i, j), I is the noisy image, Y is the output image.

• Low pass filter (Gaussian)



$$Y(i,j) = \frac{\sum_{k,l} I(k,l) w(i,j,k,l)}{\sum_{k,l} w(i,j,k,l)}$$

$$w(i,j,k,l) = \frac{1}{\sqrt{2\pi}\sigma} \exp\left(-\frac{(k-i)^2 + (l-j)^2}{2\sigma^2}\right)$$

where σ is the standard deviation of Gaussian distribution.

• Bilateral filter

$$Y(i,j) = \frac{\sum_{k,l} I(k,l) w(i,j,k,l)}{\sum_{k,l} w(i,j,k,l)}$$

$$w(i,j,k,l) = exp\left(-\frac{(i-k)^2 + (j-l)^2}{2\sigma_c^2} - \frac{\|I(i,j) - I(k,l)\|^2}{2\sigma_s^2}\right)$$

where σ_c and σ_s are parameters of your choice.

- 1. Preserve sharp edges
- 2. Weights depend not only on Euclidean distance of pixels, but also on the difference on the pixel values

Non local mean filter

where $N_{x,y}$ is the window centered around location (x,y), and h is the filtering parameter. \aleph denotes the local neighborhood centered at the origin, n_1 , $n_2 \in \aleph$ denotes the relative position in the neighborhood window. a is the standard deviation of the Gaussian kernel.

$$w(i,j,k,l) = \exp\left(-\frac{\|I(N_{i,j}) - I(N_{k,l})\|_{2,a}^2}{h^2}\right)$$

$$||I(N_{i,j}) - I(N_{k,l})||_{2,a}^{2} = \sum_{n_1,n_2 \in \aleph} G_a(n_1,n_2) (I(i-n_1,j-n_2) - I(k-n_1,l-n_2))^{2}$$

$$G_a(n_1, n_2) = \frac{1}{\sqrt{2\pi}a} \exp\left(-\frac{n_1^2 + n_2^2}{2a^2}\right)$$

where $N_{x,y}$ is the window centered around location (x,y), and h is the filtering parameter. \aleph denotes the local neighborhood centered at the origin, n_1 , $n_2 \in \aleph$ denotes the relative position in the neighborhood window. a is the standard deviation of the Gaussian kernel.

- Non local mean filter
 - Interpretation: takes Gaussian weighted Euclidean distance between the block centered the target pixel and the neighboring block
 - Good denoising performance
 - Computationally intensive
 - You can use online source code for NLM

How to write a good report

- How many pages should you write?
 - Short answer: it depends (font/figure size)
 - Longer report != better report
 - Suggestions: 1) sufficient length, 2) with some in depth discussion
- Emphasize your idea/contribution. That's what makes your work different
- Use figures/tables/graphs/examples to strengthen your points. Sometimes they are more powerful than words.

Do **NOT** copy problem descriptions into your report!

How to write a good report

Sample structure for each problem:

- 1. Motivation
 - What is the importance of this problem?
- 2. Approach
 - Describe the approach you used (e.g. structure of your denoising system, parameters used in NLM filter, etc.)
- 3. Results
 - Show experimental results.
 - Written problem solutions may go here.
- 4. Discussion (very important!)
 - · Pick several topics and discuss in detail.
 - This part makes your report different from others!

SAMPLE REPORT

Problem 1

- 1.1 Motivation
- 1.2 Approach
- 1.3 Results
- 1.4 Discussion

Problem 2

- 2.1 Motivation
- 2.2 Approach
- 2.3 Results
- 2.4 Discussion

Problem 3

- 3.1 Motivation
- 3.2 Approach
- 3.3 Results
- 3.4 Discussion

Coding style

- Google Style Guides
 - Style guides for Google-originated open-source projects
 - https://google.github.io/styleguide/
 - C/C++, Python...
- Guidelines for writing clean and fast code in MATLAB
 - https://www.mathworks.com/matlabcentral/fileexchange/22943-guidelines-for-writing-clean-and-fast-code-in-matlab
- Generally
 - Modularized functions
 - Reasonable function arguments
 - Less hard coding



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