import numpy as np

a. Using Numpy, write a basic array of operations on single array to add x to each element of array and subtract y from each element of array.

```
arr = np.array([1,2,3,4,5])
print(arr+1)
Output:
array([2, 3, 4, 5, 6])
print(arr-1)
Output:
array([0, 1, 2, 3, 4])
```

b. Using Numpy, write a program to add, subtract and multiply two matrices.

```
arr1 = np.array([1,2,3,4])

arr2 = np.array([4,3,2,1])

print(arr1+arr2)

print(arr1-arr2)

print(arr1*arr2)

Output:

[5 5 5 5]

[-3 -1 1 3]

[4 6 6 4]
```

- c. Write a Python program to do the following operations: Library: NumPy
 - i) Create multi-dimensional arrays and find its shape and dimension

```
matrix = np.ones([2,3,3])
print(matrix.shape)
print(matrix.ndim)
Output:
(2, 3, 3)
3
```

ii) Create a matrix full of zeros and ones

```
matrix = np.identity(3,dtype=int)
print(matrix)
```

```
Output:
```

```
array([[1, 0, 0], [0, 1, 0], [0, 0, 1]])
```

iii) Reshape and flatten data in the array

```
matrix.flatten()
array([1, 0, 0, 0, 1, 0, 0, 0, 1])
matrix.reshape([1,9])
Output:
array([[1, 0, 0, 0, 1, 0, 0, 0, 1]])
```

iv) Append data vertically and horizontally

```
row = np.array([1,2,3])
col = np.array([1,2,3])
print(np.vstack((matrix,row)))
print(np.hstack((matrix,col.reshape([len(col),1]))))

Output:
[[1 0 0]
[0 1 0]
[0 0 1]
[1 2 3]]
[[1 0 0 1]
[0 1 0 2]
[0 0 1 3]]
```

v) Apply indexing and slicing on array

```
matrix[1:,1:]
Output:
array([[1, 0], [0, 1]])
```

vi) Use statistical functions on array - Min, Max, Mean, Median and Standard Deviation

```
arr = np.array([1,2,3,4,5,6])
print(np.max(arr))
print(np.min(arr))
print(np.mean(arr))
```

```
print(np.median(arr))
print(np.std(arr))
Output:
6
1
3.5
3.5
1.707825127659933
vii)
       Dot and matrix product of two arrays
mat1 = np.array([[1,2],[4,5]])
mat2 = np.array([[6,5],[3,2]])
print(np.dot(mat1,mat2))
print(np.multiply(mat1,mat2))
Output:
[[12 9]
[39 30]]
[[ 6 10]
[12 10]]
viii) Compute the Eigen values of a matrix
matrix = np.array([[1,2,3,4],[5,6,7,8]]) matrix
matrix = np.array([[1,2,3],[5,6,7],[4,8,9]])
np.linalg.eig(matrix)
Output:
(array([16.58623849+0.j
                        , -0.29311924+0.79848134j,
    -0.29311924-0.79848134j]),
                        , -0.16240098+0.43130149j,
array([[ 0.22456533+0.j
    -0.16240098-0.43130149j],
    [ 0.60905077+0.j
                      0.692036 + 0.j
     0.692036 -0.j
                     , -0.50615145-0.2291328j,
    [ 0.76067573+0.j
    -0.50615145+0.2291328j ]]))
       Solve a linear matrix equation such as 3 * x0 + x1 = 9, x0 + 2 * x1 = 8
ix)
D = \text{np.linalg.det}([[3,1],[1,2]])
d1 = \text{np.linalg.det}([[9,1],[2,2]])
d2 = np.linalg.det([[3,1],[1,2]])
```

```
\begin{array}{l} print(f'X0 = \{round(d1/D)\} \ and \ x1 = \{round(d2/D)\}') \\ \textbf{Output:} \\ X0 = 3 \ and \ x1 = 1 \\ \textbf{Output:} \\ a = [[1,2,3],[4,5,6],[7,8,9]] \end{array}
```

x) Compute the multiplicative inverse of a matrix

```
np.linalg.inv(a)
```

Output:

```
array([[ 3.15251974e+15, -6.30503948e+15, 3.15251974e+15], [-6.30503948e+15, 1.26100790e+16, -6.30503948e+15], [ 3.15251974e+15, -6.30503948e+15, 3.15251974e+15])
```

xi) Compute the rank of a matrix

```
np.linalg.matrix\_rank(a)
```

Output:

2

xii) Compute the determinant of an array

np.linalg.det(a)

Output:

-9.51619735392994e-16