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\begin{split} \operatorname{drop}(F) &= C, \{C \mapsto (l, L' \cup \bigcup L_f)\} \\ l &= \operatorname{type} \ C(x : \operatorname{Query}) = \\ & \operatorname{member} \ \operatorname{«drop} \ f \ \ : C_f = C_f(\Pi_{\operatorname{dom}(F')}(x)) \\ & \operatorname{member} \ \operatorname{then} : C' = C'(x) \\ \forall f \in \operatorname{dom}(F) \ \operatorname{where} \ C_f, L_f = \operatorname{drop}(F') \\ & \operatorname{and} \ F' = \{f' \mapsto \tau' \in F, f' \neq f\} \\ & \operatorname{where} \ C', L' = \operatorname{pivot}(F) \\ \\ \\ \operatorname{provide}(\{\nu_1 : \sigma_1, \dots, \nu_n : \sigma_n\}) = \\ & C, \{C \mapsto (l, L_1 \cup \dots \cup L_n \cup)\} \\ \\ l = \operatorname{type} \ C(x_1 : \operatorname{Data}) = \\ & \operatorname{member} \ \nu_1 : C_1 = \operatorname{convField}(\nu, \nu_1, x_1, C_1) \quad (\dots) \\ & \operatorname{member} \ \nu_n : C_n = \operatorname{convField}(\nu, \nu_n, x_n, C_n) \\ & \operatorname{where} \ C_i, L_i = \operatorname{provide}(\sigma_i) \end{split}
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