

# assignment\_8\_solution

Sahir Khan

November 11, 2024

```
# Q1.A pipe manufacturing organization produces different kinds of pipes.  
# We are given the monthly data of the wall thickness of certain types of pipes  
# (data is available on LMS Clt-data.csv).  
# The organization has an analysis to perform and one of the basic assumption  
# of that analysis is that the data should be normally distributed.  
# You have the following tasks to do:  
# (a) Import the csv data file in R.  
# (b) Validate data for correctness by counting number of rows and viewing the  
# xtop ten rows of the dataset.  
# (c) Calculate the population mean and plot the observations by making a histogram.  
# (d) Mark the mean computed in last step by using the function abline.  
data = read.csv("Clt-data.csv")  
dim(data)
```

```
## [1] 9000    1
```

```
head(data,10)
```

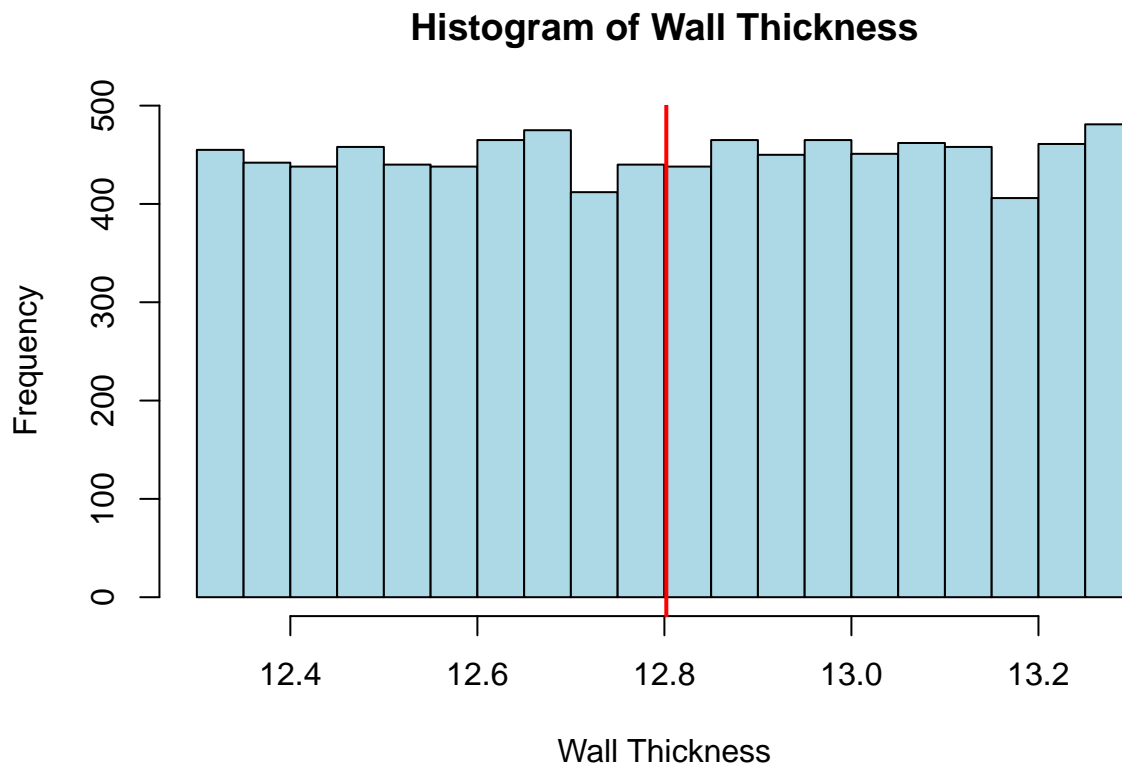
```
##      Wall.Thickness  
## 1          12.35487  
## 2          12.61742  
## 3          12.36972  
## 4          13.22335  
## 5          13.15919  
## 6          12.67549  
## 7          12.36131  
## 8          12.44468  
## 9          12.62977  
## 10         12.90381
```

```
# Calculate the population mean  
population_mean <- mean(data$Wall.Thickness)  
print(paste("Population mean: ", population_mean))
```

```
## [1] "Population mean: 12.8020492455356"
```

```
# Plot a histogram of the data  
hist(data$Wall.Thickness, breaks = 30,  
     main = "Histogram of Wall Thickness",  
     xlab = "Wall Thickness", col = "lightblue", border = "black")
```

```
# Mark the population mean on the histogram
abline(v = population_mean, col = "red", lwd = 2)
```



```
# Function to draw samples and calculate mean
draw_samples <- function(sample_size, sample_colour, num_samples = 1000) {
  sample_means <- numeric(num_samples)

  for (i in 1:num_samples) {
    sample_means[i] <- mean(sample(data$Wall.Thickness, sample_size, replace = TRUE))
  }

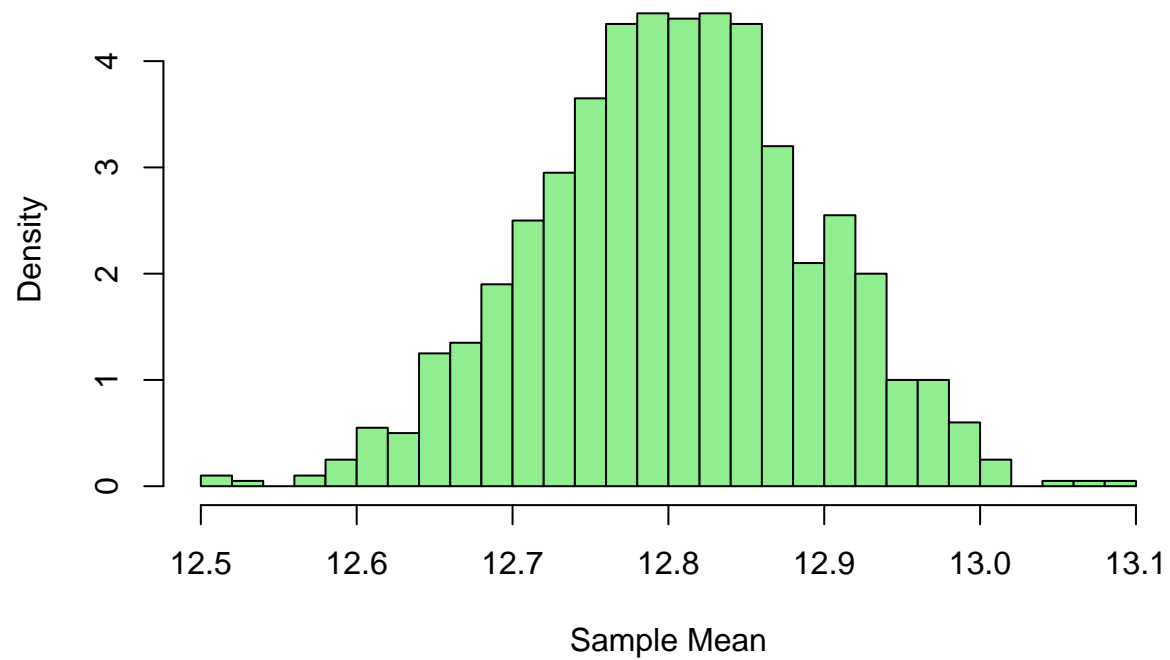
  # Plot the histogram of sample means
  hist(sample_means, breaks = 30,
        main = paste("Histogram of Sample Means (n =", sample_size, ")"),
        xlab = "Sample Mean", col = sample_colour, freq = FALSE)
  abline(v = mean(sample_size), col = "red", lwd = 2)
}

# Sample sizes
sample_sizes <- c(10, 50, 500, 9000)
sample_colours <- c("lightgreen", "lightcoral", "lightblue", "lightyellow")
n=4

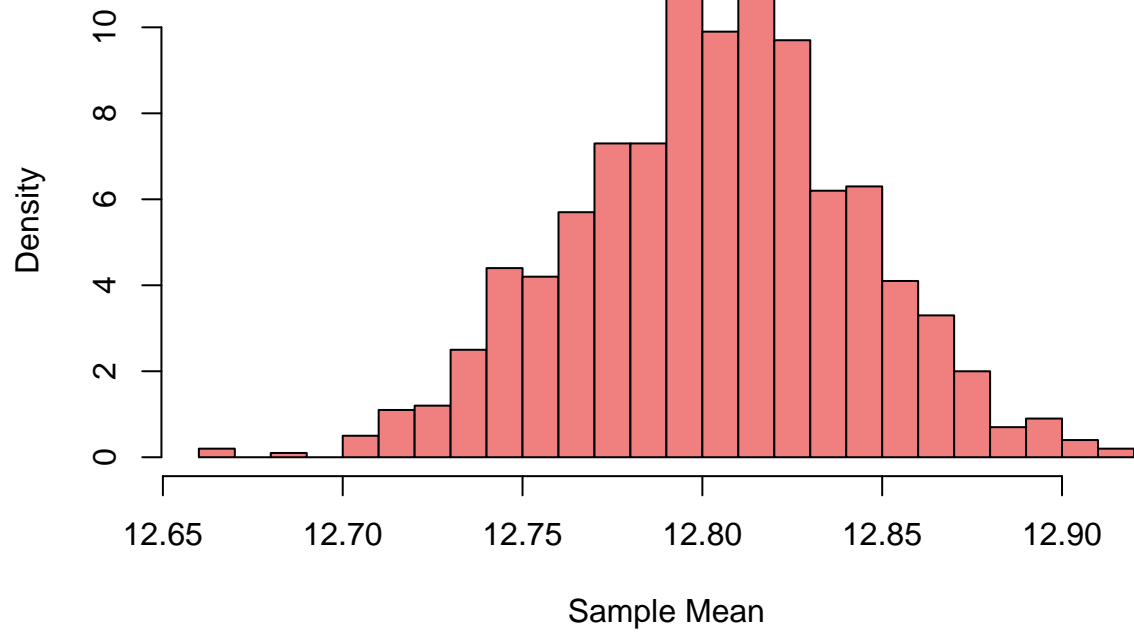
# Plot sample means for each sample size
for (i in 1:n) {
```

```
draw_samples(sample_sizes[i],sample_colours[i])  
}
```

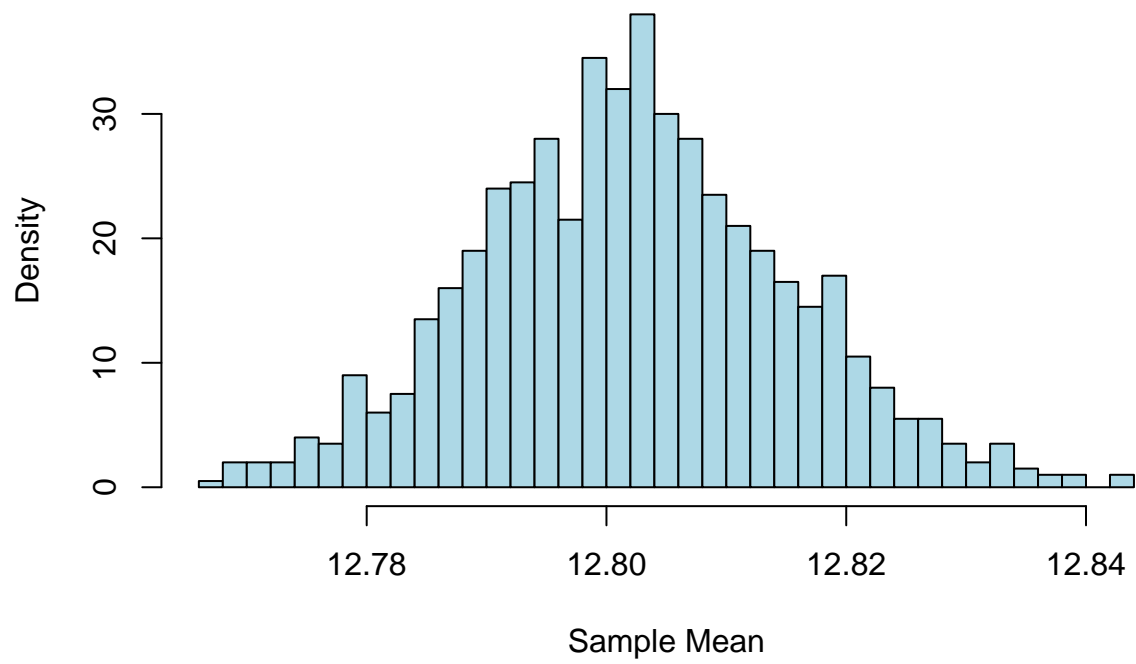
**Histogram of Sample Means (n = 10 )**



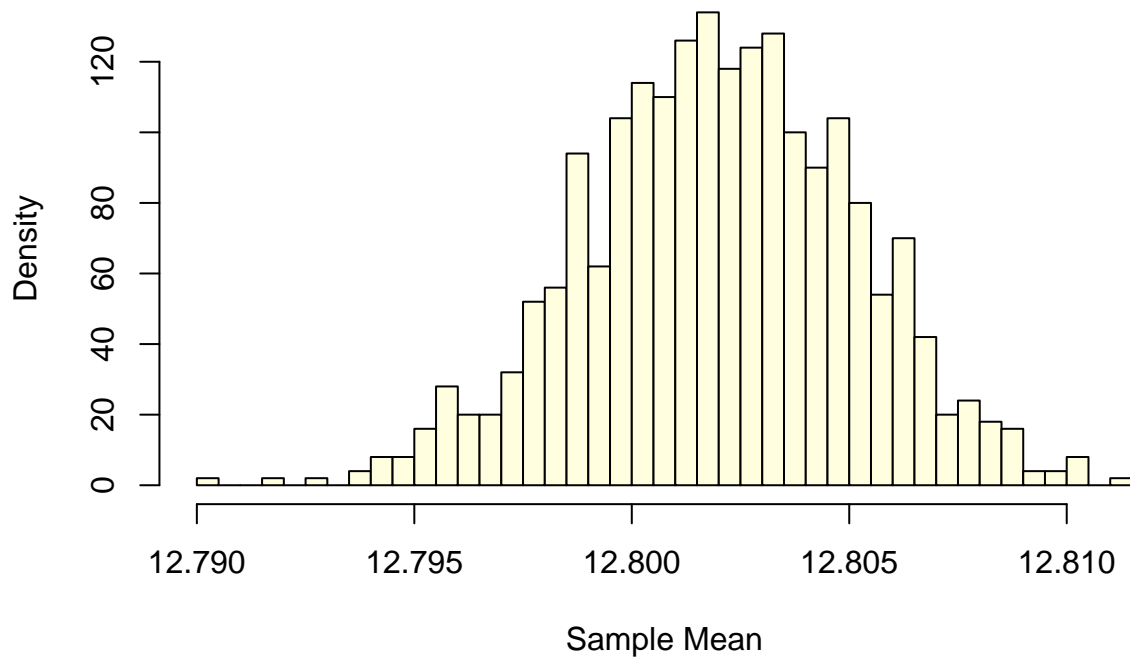
**Histogram of Sample Means (n = 50 )**



**Histogram of Sample Means (n = 500 )**



## Histogram of Sample Means (n = 9000 )



*# Q2. The following table gives information on ages and cholesterol levels for a random sample of 10 men. Plot the scatter diagram and a regression line that will enable us to predict Cholesterol level on age. Further, estimate the cholesterol level of a 60 year-old man.*

```
Age <- c(58, 69, 43, 39, 63, 52, 47, 31, 74, 36)
```

```
Cholesterol <- c(189, 235, 193, 177, 154, 191, 213, 165, 198, 181)
```

*# Scatter plot*

```
plot(Age, Cholesterol, main = "Scatter Plot of Age vs Cholesterol Level",  
     xlab = "Age", ylab = "Cholesterol Level", pch = 19, col = "blue")
```

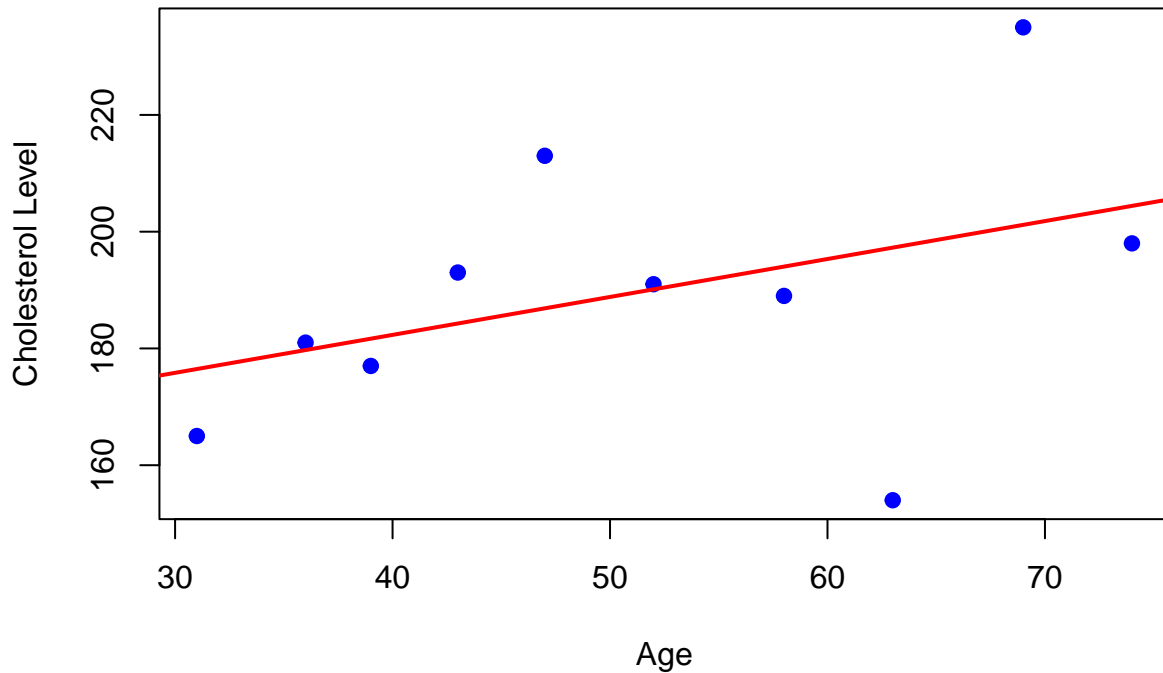
*# Linear regression model*

```
model <- lm(Cholesterol ~ Age)
```

*# Add regression line to the plot*

```
abline(model, col = "red", lwd = 2)
```

## Scatter Plot of Age vs Cholesterol Level



```
# Predict cholesterol for Age = 60
predicted_cholesterol <- predict(model, data.frame(Age = 60))
print(paste("Estimated cholesterol level for a 60-year-old man:", round(predicted_cholesterol, 2)))
```

```
## [1] "Estimated cholesterol level for a 60-year-old man: 195.32"
```

```
# Q3.A research methodology course has recently been added to the PhD curriculum
# at the Thapar Institute of Engineering and Technology, Patiala. To evaluate
# its effectiveness, students take a test on formulating research problems and
# writing research papers both before and after completing the course. Assume
# that the differences between the pre-course and post-course test scores are
# normally distributed, and a high score on the test indicates a strong level of
# assertiveness. Do the collected data, at 5% level of significance, provide
# enough evidence to conclude that research scholars become more assertive after
# completing the course?
```

```
before_test <- c(145, 173, 158, 141, 167, 159, 154, 167, 145, 153)
after_test <- c(155, 167, 156, 149, 168, 162, 158, 169, 157, 161)
```

```
# Differences between before and after scores
differences <- after_test - before_test
print(differences)
```

```
## [1] 10 -6 -2 8 1 3 4 2 12 8
```

```
# Paired t-test
t_test_result <- t.test(after_test, before_test, paired = TRUE, alternative = "greater")
print(t_test_result)
```

```
##
## Paired t-test
##
## data: after_test and before_test
## t = 2.2597, df = 9, p-value = 0.0251
## alternative hypothesis: true mean difference is greater than 0
## 95 percent confidence interval:
## 0.7551657 Inf
## sample estimates:
## mean difference
## 4
```