









## QUANTUM COMPUTING WITH IBM QISKIT

WORKSHOP SESSION 2: January 21, 2023

## About Me



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Former Lecturer at ENTC and ENTC Alumni (14' Batch)



### Outline

- Qiskit and IBM Quantum experience
- First circuit in Qiskit
- Quantum speedups-- Deutsch-Jozsa Algorithm
- Quantum Teleportation and Entanglement

# Open-source python-based frameworks for quantum computing





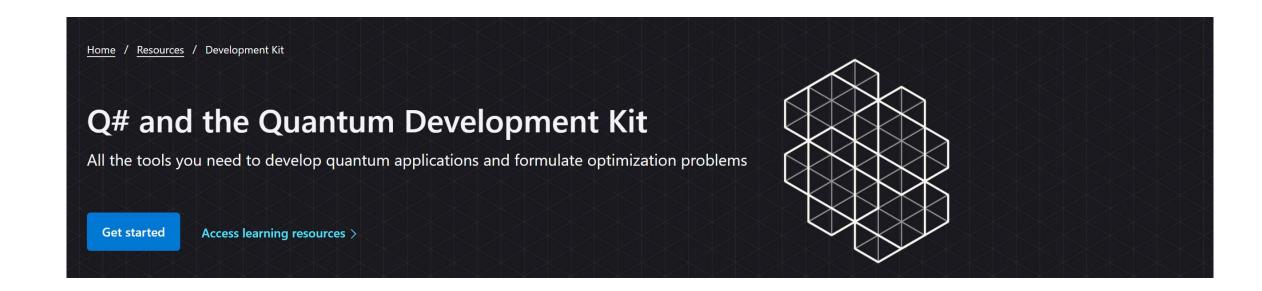


https://qiskit.org/

https://pennylane.ai/

https://quantumai.google/cirq





https://azure.microsoft.com/en-us/resources/development-kit/quantum-computing/

## What is Qiskit?





IBM's Quantum computer programming language



Open-source quantum computing software development framework



#### IBM Quantum experience



Graphically build circuits with

IBM Quantum Composer

Launch Composer



Develop quantum experiments in

IBM Quantum Lab

Launch Lab

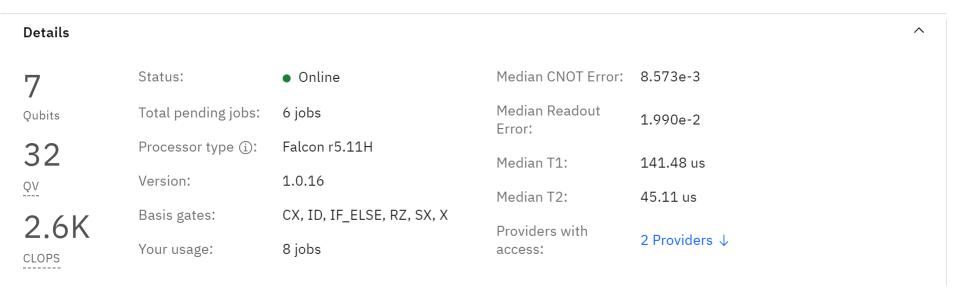
- Simulator to debug and validate circuits
- Quantum computing resources of IBM

Name	Qubits	QV	CLOPS	Status	Total pending jobs	Processor type	Plan	Features
ibm_nairobi	7	32	2.6K	<ul><li>Online</li></ul>	18	Falcon r5.11H	open	OpenQASM 3
ibm_oslo	7	32	2.6K	<ul><li>Online</li></ul>	5	Falcon r5.11H	open	OpenQASM 3
ibmq_manila	5	32	2.8K	<ul><li>Online</li></ul>	17	Falcon r5.11L	open	OpenQASM 3
ibmq_quito	5	16	2.5K	<ul><li>Online</li></ul>	17	Falcon r4T	open	
ibmq_belem	5	16	2.5K	Online - Queue paused	24	Falcon r4T	open	
ibmq_lima	5	8	2.7K	Online - Queue paused	29	Falcon r4T	open	

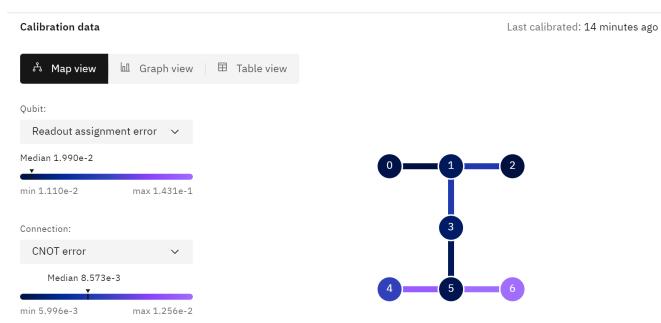




 $\underline{\downarrow}$ 



## One of the IBM quantum computers



#### Resources shared

- Creating an account—IBMid
- Uploading Jupyter Notebook to Quantum Lab
- How to configure API to run algorithms on real quantum devices of IBM







#### IBM Quantum Experience Guide

**Introduction to Quantum Computing Free Workshop** 

Dept. of Electronic & Telecommunication Engineering, University of Moratuwa (ENTC, UoM)

**Last Modified** - 15/01/2023

#### **Table of Contents**

C

Creating an account on IBM Quantum Experience
IBM Quantum Experience -- Frequently asked guestions (FAQs)

Uploading Jupyter Notebooks

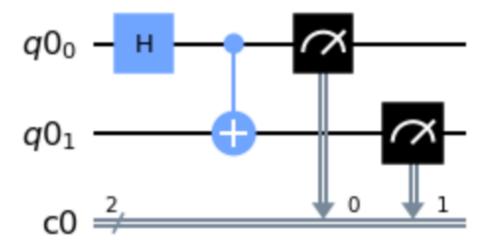
IBM quantum computer configuration with QISKIT

# HelloWorld with Qiskit

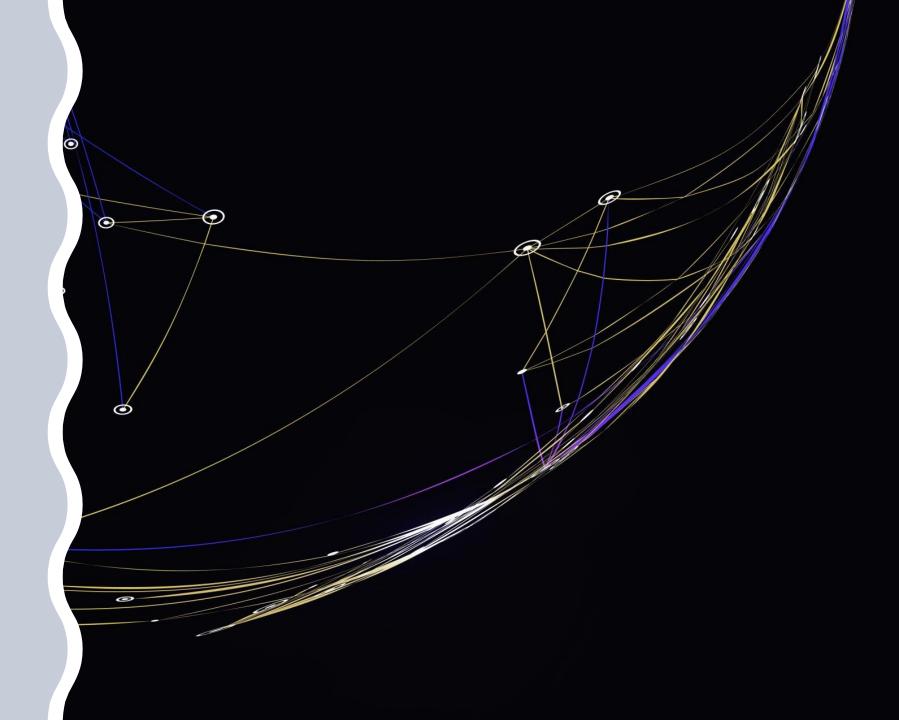
• Let's implement our first circuit in Qiskit

Notebook: FirstCircuit.ipynb

- Hadamard gate
- CNOT gate
- Then measure the qubits
- Run the circuit in quantum simulator
- Run the circuit in IBM quantum devices



Quantum Speedups



## Deutsch-Jozsa Algorithm

• Goal: Given a function  $f: \{0,1\}^n \to \{0,1\}^m$ , finding whether that function f is balanced or constant

Input	Output
0	1
1	0

Input	Output
0	0
1	0

**Balanced** 

Constant

How many times that we have to access this function to determine this?

For a classical computer, we need 2 queries

Input	Output
0	1
1	0

Claim: Quantum computer needs only one query

For a classical computer, we need 3 queries

Claim: Quantum computer needs only one query

Input		Output
0	0	1
0	1	1
1	0	1
1	1	1

Let's justify the claim!

## Setup

- $f: \{0,1\} \rightarrow \{0,1\}$
- How many such functions? 4!
- What are they?

Input	Output
0	0
1	0

Input	Output
0	1
1	1

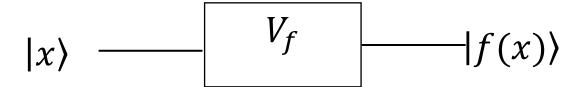
Input	Output
0	0
1	1

Input	Output
0	0
1	0

How to implement these functions in a quantum computer?

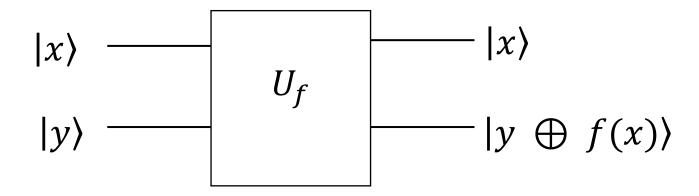
## Oracle Implementation

- Quantum circuits that we want to implement should be unitary and reversible.
- Let  $0 \rightarrow |0\rangle$ ,  $1 \rightarrow |1\rangle$
- $x, y \in \{0,1\}$



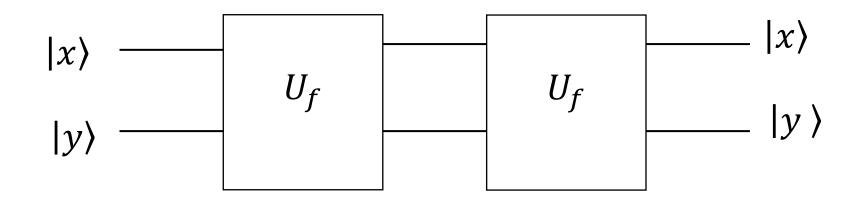
Is this reversible?

## Oracle Implementation



Is this reversible?

## Why is it reversible?

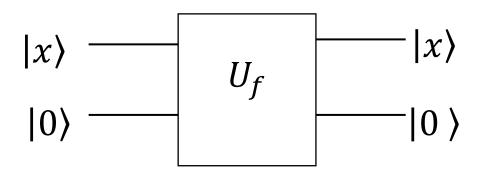


Property 1:  $|y \oplus y\rangle = |0\rangle$ 

Property 2:  $|y \oplus 0\rangle = |y\rangle$ 

#### Oracle for constant 0 function

Input	f
0	0
1	0

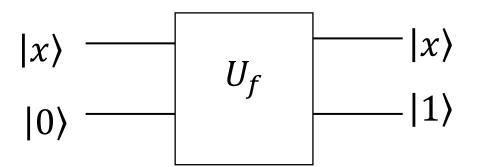


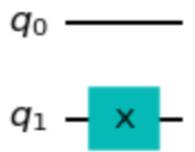
 $q_0$  —

 $q_1$  —

#### Oracle for constant 1 function

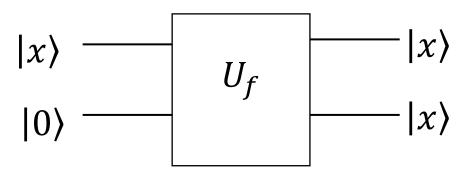
Input	f
0	1
1	1

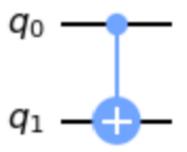




### Oracle for balanced function 1

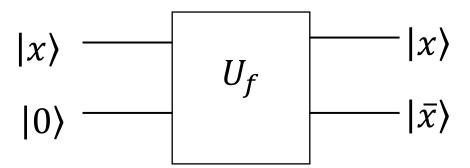
Input	f
0	0
1	1





### Oracles for balanced function 2

Input	f
0	1
1	0





## Summary: Oracles for each function

Input to q\_0 qubit and ancillary qubit to q\_1

Input	f
0	0
1	0

Input	f
0	1
1	1

Input	f
0	0
1	1

Input	f
0	1
1	0

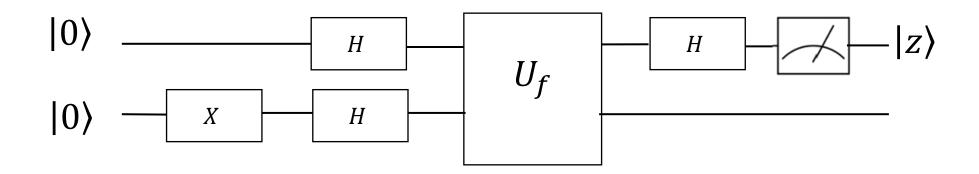
$$q_0$$
 —

$$q_1 = -$$

$$q_0$$
  $q_1$ 



## Quantum circuit



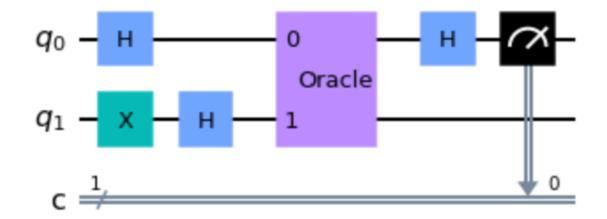
How to decide?

If z = 0: Constant function

If z = 1: Balanced function

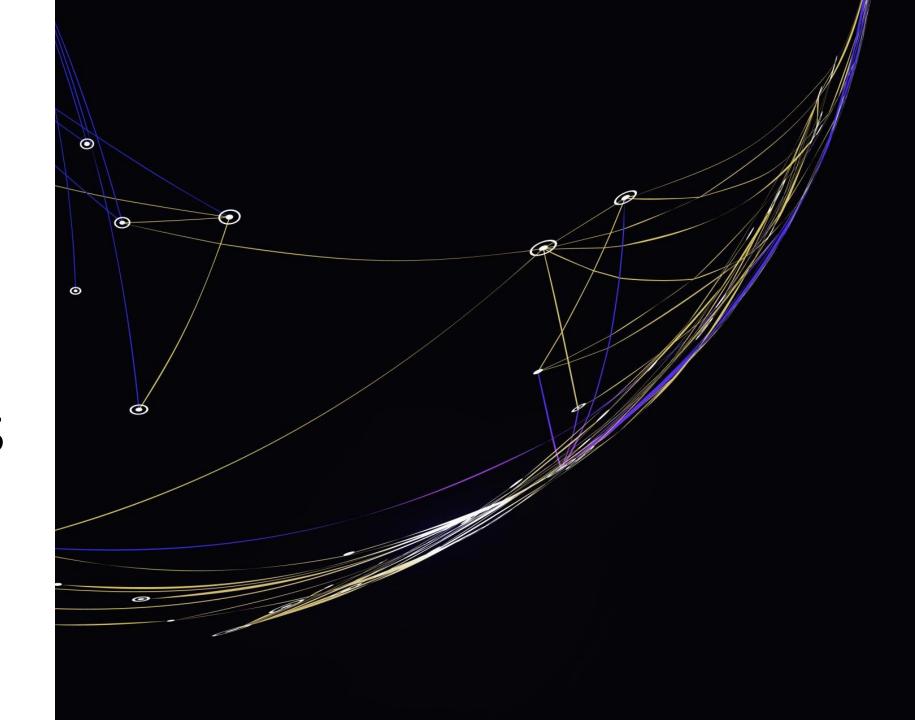
## Back to implementation

Let's look at a Qiskit implementation of this quantum circuit now!



Notebook: Demo\_Deutsch\_Jozsa.ipynb

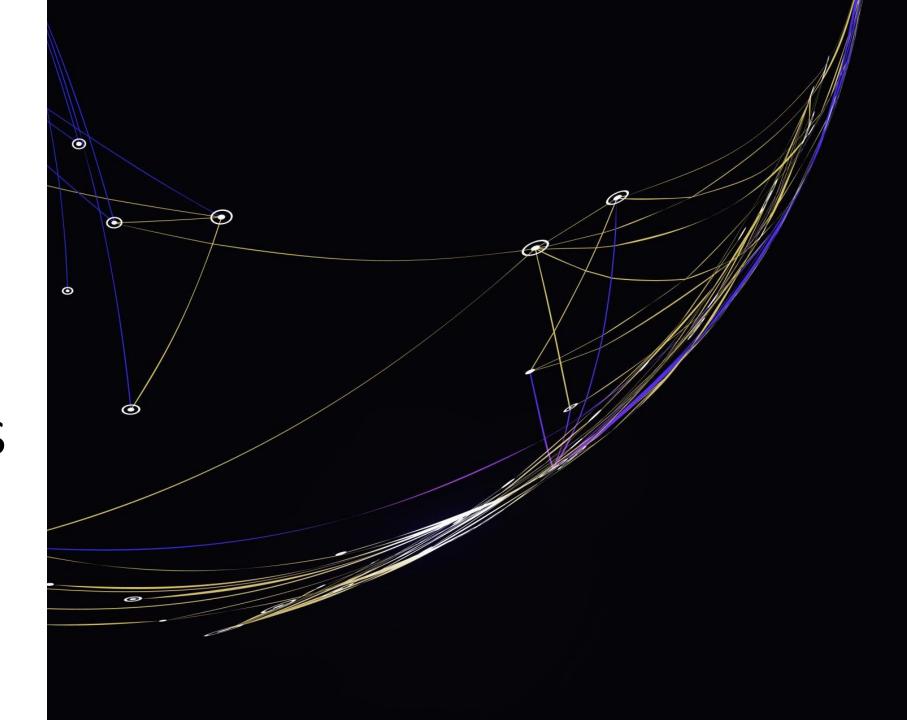
## Quantum Speedups



## Quantum speedups

- Deutsch-Josza algorithm for n-bit functions
  - Classically  $2^{n-1} + 1$  queries to the oracle (worst case)
  - Quantum—only 1 query
- This algorithm leads to more advanced algorithms to identify interesting properties
  - Period finding--- Simon's algorithm
  - Factoring algorithm---Shor's algorithm
- Speed up provided for factoring --- Breaking down RSA encryption

Quantum Properties



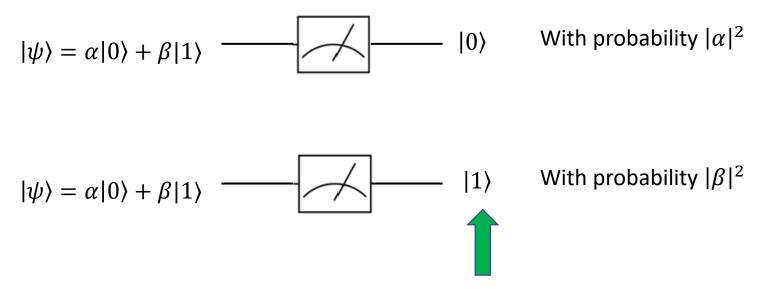
## No-cloning Theorem

- What is that?
  - Classical data can be copied and duplicated
  - Can't copy, duplicate quantum states
- Interesting property for security applications

#### Destructiveness of measurements

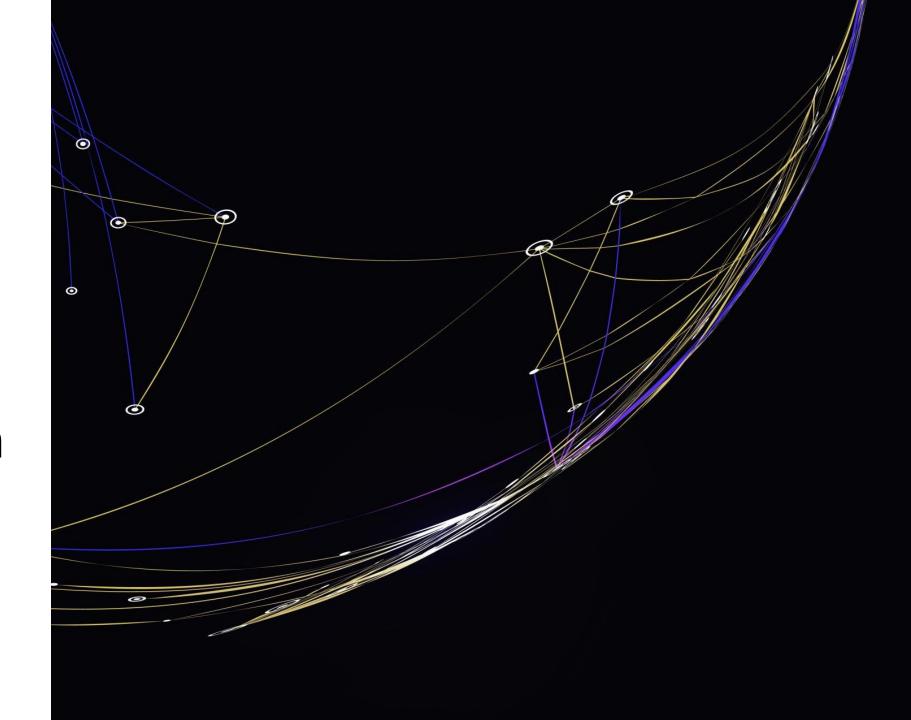
• Once the measurement is done, original state may "collapses"

#### Example:

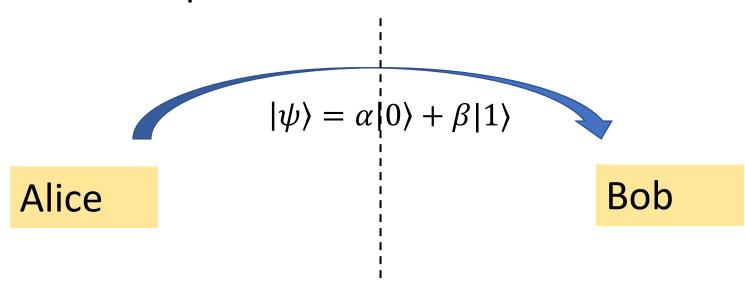


Post-measurement state

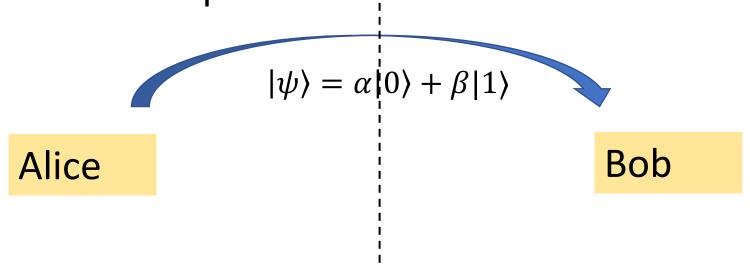
Quantum Teleportation



## Quantum Teleportation

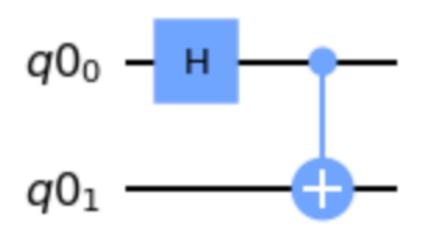


Quantum Teleportation



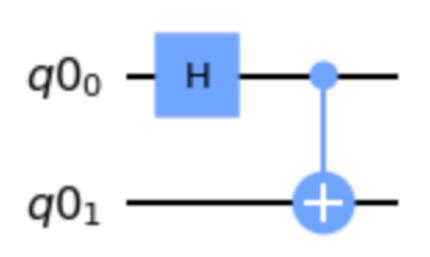
- From No-Cloning theorem, quantum states can't be copied or duplicated.
- How to transmit the quantum information without destroying the superposition of quantum states?

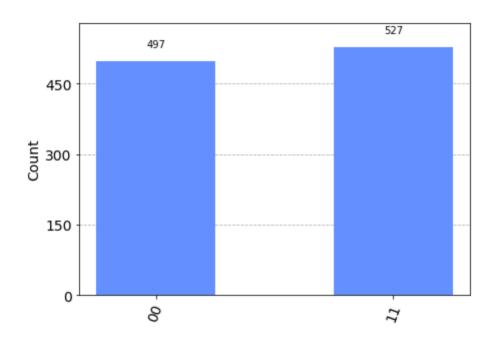
## Back to our first circuit in Qiskit



Output state of this circuit: 
$$|\psi\rangle = \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle)$$
  
=  $\frac{1}{\sqrt{2}}(|0\rangle \otimes |0\rangle + |1\rangle \otimes |1\rangle)$ 

## Back to our first circuit in Qiskit





Output state of this circuit: 
$$|\psi\rangle = \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle)$$
  
=  $\frac{1}{\sqrt{2}}(|0\rangle \otimes |0\rangle + |1\rangle \otimes |1\rangle)$ 

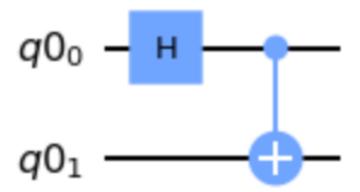
**Exists Correlations!** 

#### Bell states

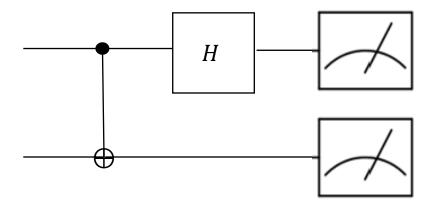
• Bell states are entangled states

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle)$$

How to create the following Bell state



#### Bell measurement

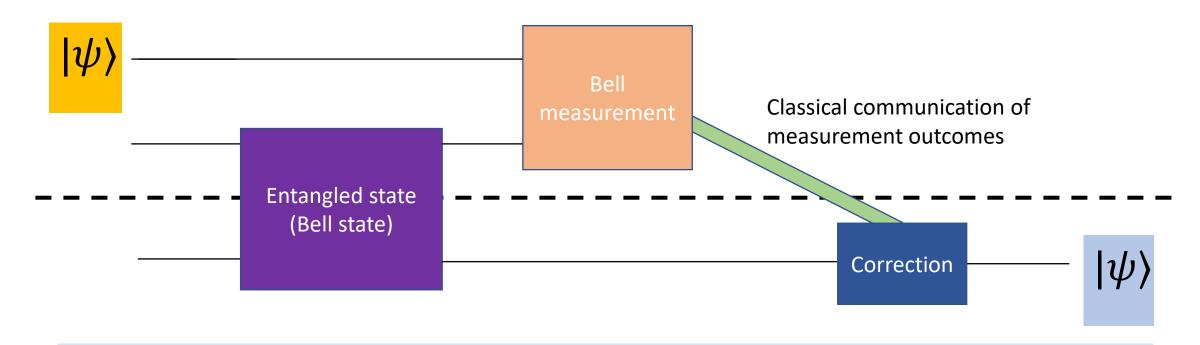


**Entanglement and measurement** 

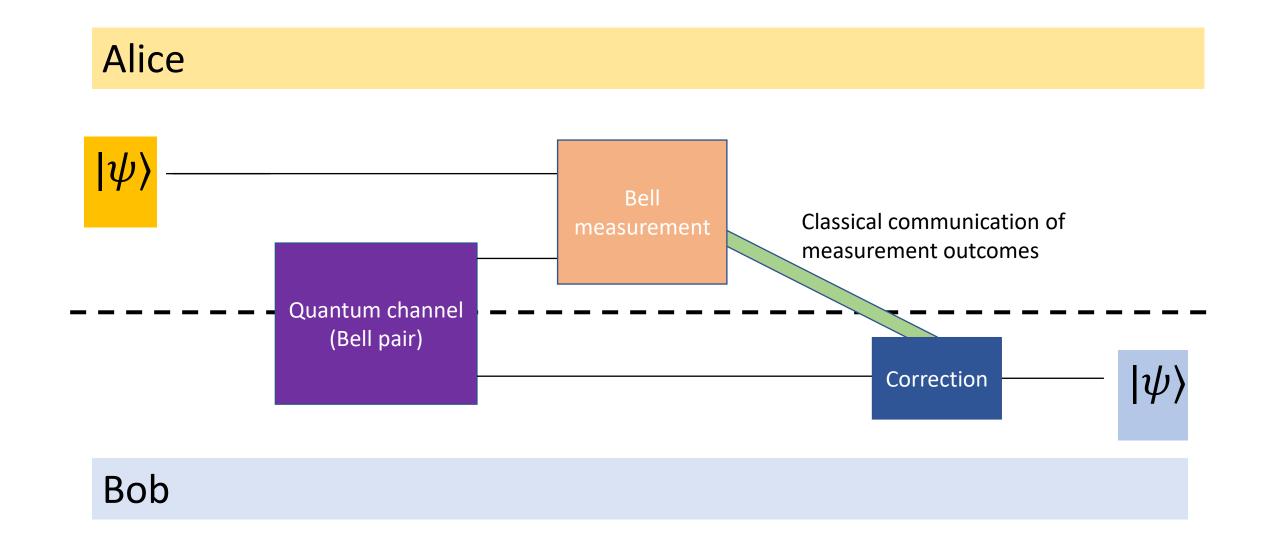
## Steps

- Alice has one qubit with state  $|\psi\rangle$
- Alice and Bob share an entangled state--- Bell pair
- Alice apply a Bell measurement to his two qubits
- Then Alice send the outcomes of those measurements to Bob through a classical channel
- Bob does the correction circuit
- Now Bob has the state  $|\psi\rangle$ --- Teleportation

#### Alice

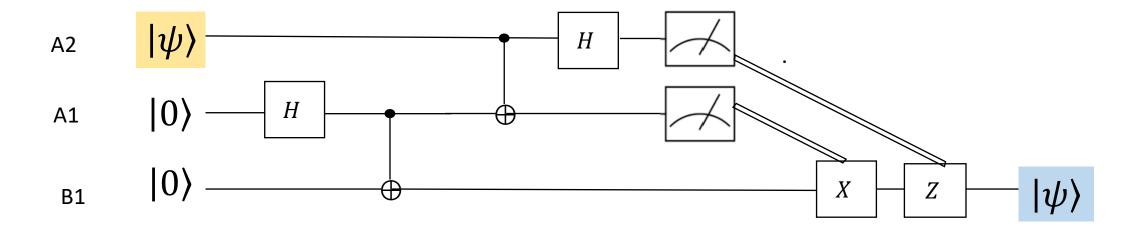


Bob



This protocol destroys the quantum state in one location and recreates at a distant location

# Quantum circuit



$$|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$$

#### What is Bob's correction?

Measurement outcomes of Alice	00	01	10	11
Bob's qubit	$\alpha 0\rangle + \beta 1\rangle$	$\alpha 1\rangle + \beta 0\rangle$	$\alpha 0\rangle - \beta 1\rangle$	$\alpha 1\rangle - \beta 0\rangle$

- Without knowing measurement outcomes, all these states are equiprobable
- Thus, can't do teleportation violating the speed of light –
   Need to send the outcomes through a classical channel

Measurement outcomes of Alice	00	01	10	11
Bob's qubit	$\alpha 0\rangle + \beta 1\rangle$	$\alpha 1\rangle + \beta 0\rangle$	$\alpha 0\rangle - \beta 1\rangle$	$\alpha 1\rangle - \beta 0\rangle$



$$X|0\rangle = |1\rangle$$
  
 $X|1\rangle = |0\rangle$   
 $Z|0\rangle = |0\rangle$   
 $Z|1\rangle = -|1\rangle$ 

Measurement outcomes of Alice	00	01	10	11
Bob's qubit	$\alpha 0\rangle + \beta 1\rangle$	$\alpha 1\rangle + \beta 0\rangle$	$\alpha 0\rangle - \beta 1\rangle$	$\alpha 1\rangle - \beta 0\rangle$

$$X|0\rangle = |1\rangle$$

$$X|1\rangle = |0\rangle$$

$$Z|0\rangle = |0\rangle$$

$$Z|1\rangle = -|1\rangle$$

 $\mathsf{Apply}\,X$ 

Measurement outcomes of Alice	00	01	10	11
Bob's qubit	$\alpha 0\rangle + \beta 1\rangle$	$\alpha 1\rangle + \beta 0\rangle$	$\alpha 0\rangle - \beta 1\rangle$	$\alpha 1\rangle - \beta 0\rangle$

$$X|0\rangle = |1\rangle$$

$$X|1\rangle = |0\rangle$$

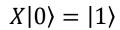
$$Z|0\rangle = |0\rangle$$

$$Z|1\rangle = -|1\rangle$$



 $\operatorname{\mathsf{Apply}} Z$ 

Measurement outcomes of Alice	00	01	10	11
Bob's qubit	$\alpha 0\rangle + \beta 1\rangle$	$\alpha 1\rangle + \beta 0\rangle$	$\alpha 0\rangle - \beta 1\rangle$	$\alpha 1\rangle - \beta 0\rangle$



$$X|1\rangle = |0\rangle$$

$$Z|0\rangle = |0\rangle$$

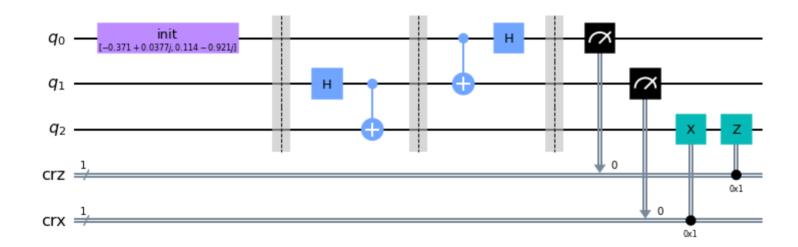
$$Z|1\rangle = -|1\rangle$$



Apply ZX

## Quantum Teleportation circuit with Qiskit

Let's implement this quantum circuit and see how it works



Notebook: Demo\_Quantum\_Teleportation

## Entanglement swapping

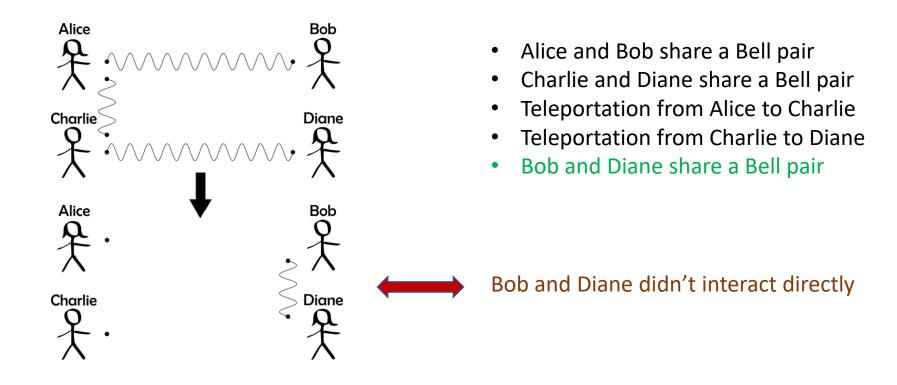


Image Source: Scott Aaronson's notes

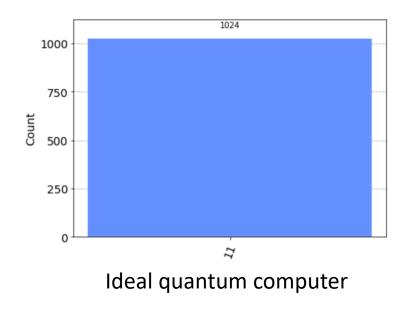
#### Back to Outline

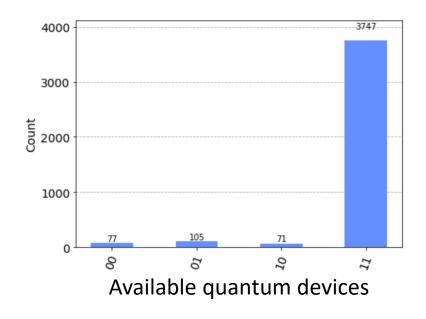
- Qiskit and IBM Quantum experience
- First circuit in Qiskit
- Quantum speedups-- Deutsch-Jozsa Algorithm
- Quantum correlations--Entanglement
- Quantum Teleportation

Questions?

# Challenges in Quantum computing

• Errors





- Scalability
- Connectivity