

**Source:**

A quotient space is similar to a modulo because both take some subpart of the structure and smoosh it to zero.

## **1 | looking at $V/U$**

1.1 | **set of affine subsets ( $\{v+U : v \in V\}$ )**

1.2 | **"modding out by  $U$ " (a subspace) means it gets collapsed to zero**

1.2.1 | **could just "call the line zero" or carry the entire thing as an element**

1.2.2 | **these are NOT subspaces because most of them don't include zero!**

1.3 |  **$V/U$  is isomorphic to the perpendicular line**

1.4 | **if two vectors end up on the same affine subset, then when you subtract them, their difference is an element of  $U$  and thus the same as zero**