## Source:

## 1 | invertible, inverse def

- A linear map  $T \in \mathcal{L}(V, W)$  is *invertible* if there exists a linear map  $S \in (W, V)$  such that ST equals the identity map on V and TS equals the identity map on W.
- A linear map  $S \in (W,V)$  satisfying ST = I and TS = I is called an *inverse* of T
- If T is invertable,  $T^{-1}$  denotes the inverse of T

## 1.1 | careful

- 1.1.1 | the inverse of a map has to be commutative (TS = I and ST = I)
- 1.1.2 | the target identity is in one space on one side and in the other space on the other side
- 1.2 | **results**
- 1.2.1 | unique

any invertible map has exactly one inverse

1.2.2 | equivalant to injectivity and surjectivity (bijectivity)

See bijectivity. Iff a map is bijective, then it is invertable.

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