#flo #ref #hw

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# 1 | def of a vector space

- **Props of addition and scalar multiplication in F^N**
  - +: comutative, associative, identiy
    - every element has an additive inverse
  - *: associative, identity
  - addition and scalar multiplication, connected by distributive props
- let ***V*** be a set with an addition and scalar multiplication that satisfy the props,

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**addition, scalar multiplication**
- addition: assigns an element u+v in V to each pair of elements u, v in V
- scalar multiplication: lv with l in f and v in V

**vector space**
is V with addition and SCMUL with:

- commutativitity
- associativity
- additive idenitity
- additive inverse
- multiplicative identity
- distibutive properties
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- no multiplicative inverse?
  - is this how you solve the 0 issue?
- vec, point
  - elements of vec space are called vecs or points
- simplest vec space: $\{0\}$
- f^infin is the set of all seqencues of elements of F
  - additive identity: seqnece of all zeros
- vector space can include a set of functions? not quite..
  - let S be a set, and F^S be the set of functions from S to F
  - what?? #review
- let S be the interval 0,1 and F=R
  - R^\0, \1 is the set of real valued function on the interval 0,1
  - ??
- F^N -> F^{1,2,...,n}
- F^infin -> F^{1,2,...}
- vector spaces need unique additive inverse
  - 0'=0'+0=0+0'=0
    - nicer than my proof

- unique additive inverse
    - w=w+0=w+(v+w')=(w+v)=(w+v)+w'=0+w'=w'

```
V denotes a vector space over F

1. no multiplicative inverse required?
2. what does the set of functions from S to F mean?
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## 1.1 | **exercises**

homework: [[KBxSolvingSystems]]