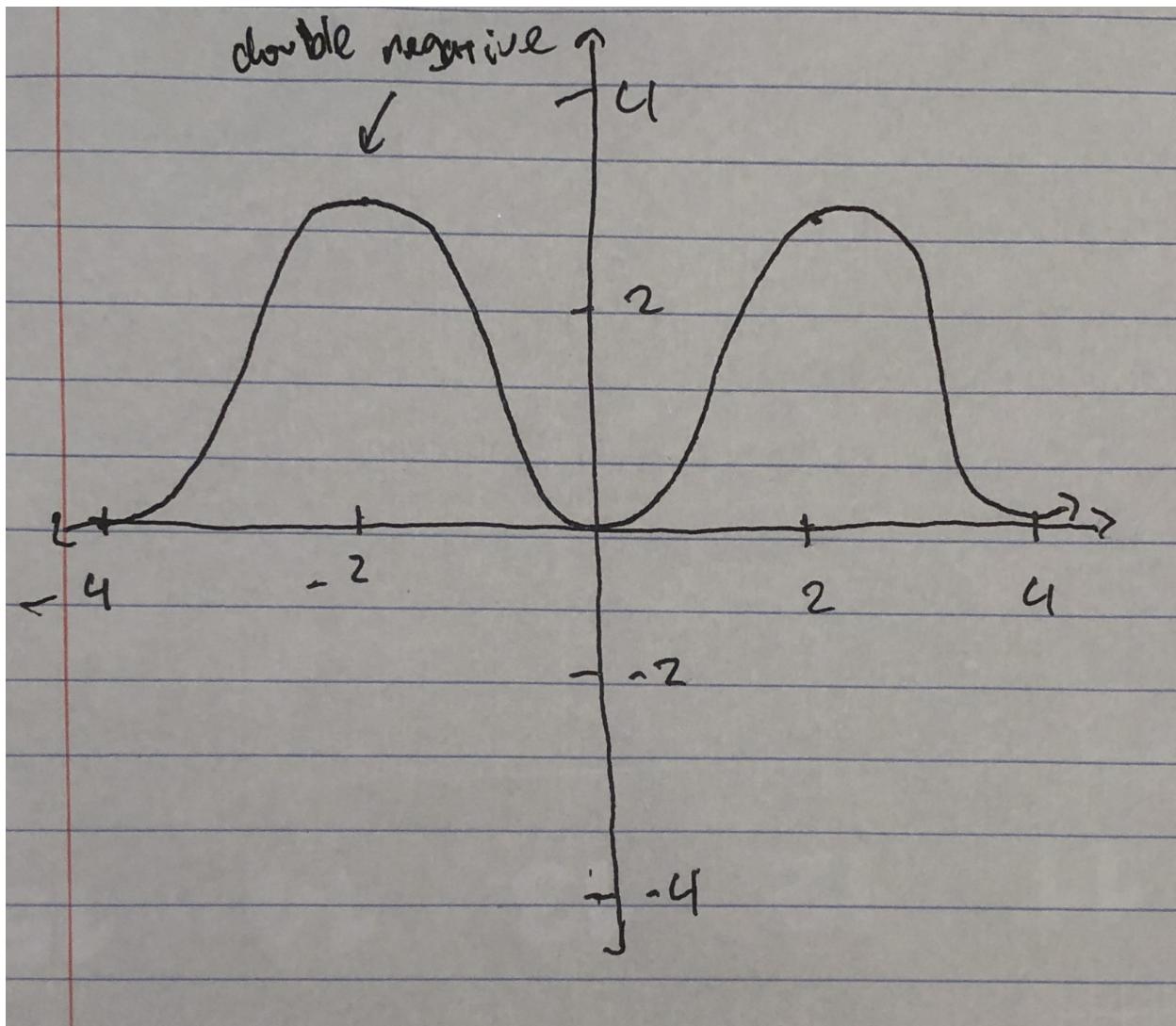


1 | Let $F(x) = \int_0^x f(t)dt$

1.1 | complete the table

x	0	1	2	3	4
$F(x)$	0	$\frac{4}{3}$	$\frac{8}{3}$	$\frac{4}{3}$	0

1.2 | sketch the function



2 | $G(x) = \int_2^x f(t)dt$

2.1 | complete the table

x	0	1	2	3	4
G(x)	$-\frac{8}{3}$	$-\frac{4}{3}$	0	$-\frac{4}{3}$	$-\frac{8}{3}$

2.2 | sketch the function



3 | 3

3.1 | complete the table

x	0	1	2	3	4
H(x)	0	$\frac{4}{3}$	$\frac{8}{3}$	$\frac{4}{3}$	0

3.2 | sketch the function

same as 1b

4 | complete the table

	$F(x)$	$G(x)$	$H(x)$
maximum	$4x+2$		
minimum	$4x$		
increases	$4x, 4x+2$		
decreases	$4x-2, 4x$		

The other columns are the same, because $H(x) = F(x)$ and $G(x) = H(x) - \frac{8}{3}$.

5 | why does it work over the entire domain?

The argument for each cell is the same: it should work across the domain because those are the points where the derivative of $F(x)$ (which is $f(x)$) is zero and function is periodic.

$F(x)$ increases when $f(x)$ is positive.

6 | family of functions

Changing the 'zero point' of the derivative just shifts the graph up and down, by up to the range of the function.

7 | sketching more functions