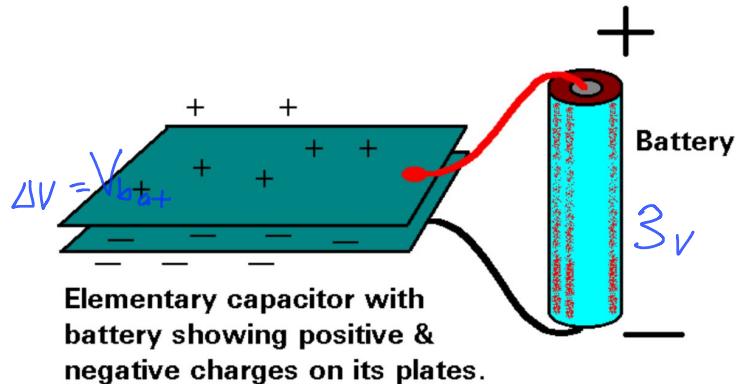


Capacitors

Store Charge



More voltage → more stored charge

: Amount of charge a capacitor can store at a given voltage

Variable: C

$$\text{Unit: } \frac{C}{V}$$

Vars $\downarrow Q$

One Coulomb/Volt = 1 Farad F

Farads are BIG
cuz Coulombs are big

OH Gop

$$F = \frac{C}{V} = \frac{A \cdot s}{V} = \frac{J}{V^2} = \frac{W \cdot s}{V^2} = \frac{N \cdot m}{V^2} = \frac{C^2}{J} = \frac{C^2}{N \cdot m} = \frac{s^2 \cdot C^2}{m^2 \cdot kg} = \frac{s^4 \cdot A^2}{m^2 \cdot kg} = \frac{s}{\Omega} = \frac{1}{\Omega \cdot Hz} = \frac{s^2}{H}$$

$$F = \frac{s}{\Omega}$$

$$\frac{1}{\Omega} = \frac{A}{V}$$

to increase charge!

increase area

decrease distance

Capacitance depends on

Area

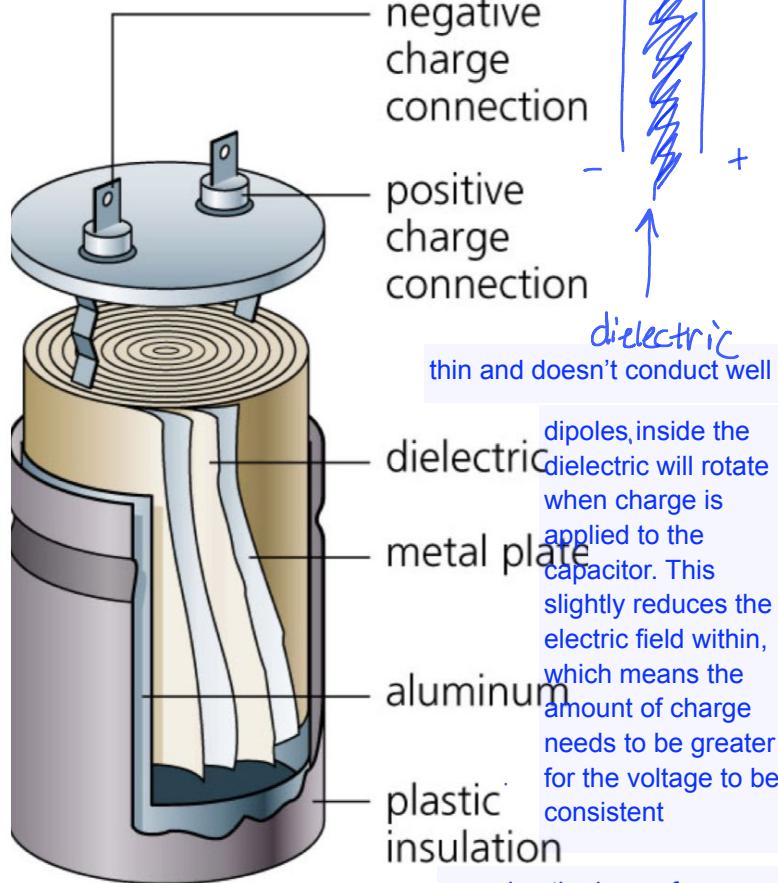
Distance between plates

Dielectric between plates

Without dielectric

$$C = \frac{\epsilon_0 A}{d}$$

$$\frac{A}{d} = \frac{m^2}{m} = M$$



"Electric Constant" - since 2008 **MKS**

ϵ_0 (formerly "Permittivity of free space")

$$= 8.854 \times 10^{-12} \text{ C}^2/\text{N m}^2 \text{ (or F/m)}$$

"no actual meaning, it's just a way of getting from point A to point B"

coercing the laws of physics to give us what we want

With stuff, "dielectric," between the plates:

$$C = \frac{\kappa \epsilon_0 A}{d}$$

polar molecules can have stronger dipoles, and if molecules can move a little (soft) then it will make a better dielectric

$\kappa \rightarrow$ relative permittivity of the dielectric

greek letter kappa?

dielectric constant

$$\kappa = \frac{1}{4\pi \epsilon_0}$$

$\kappa \neq K$

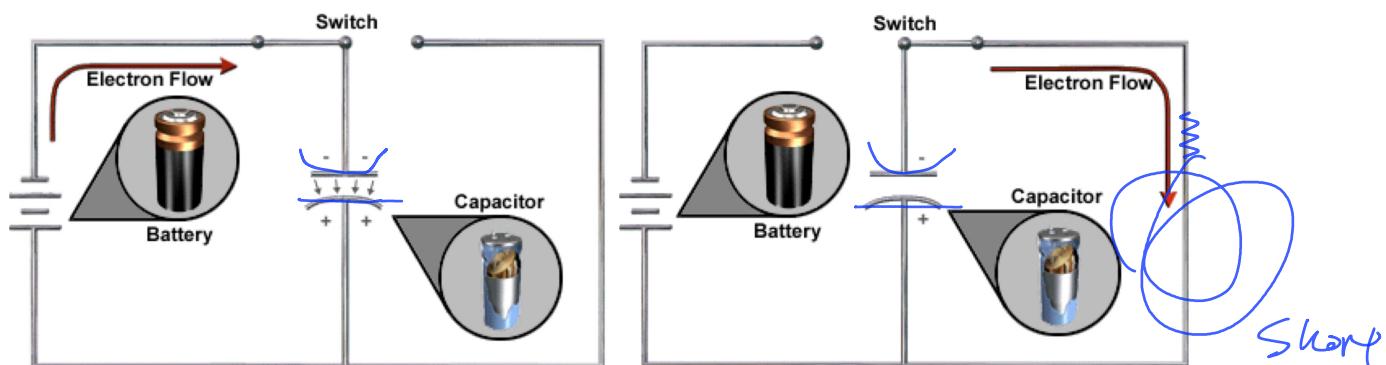
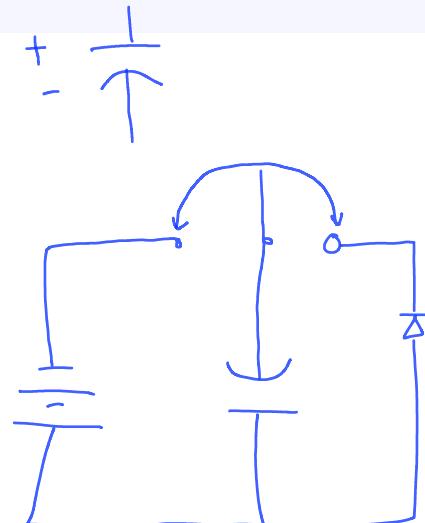
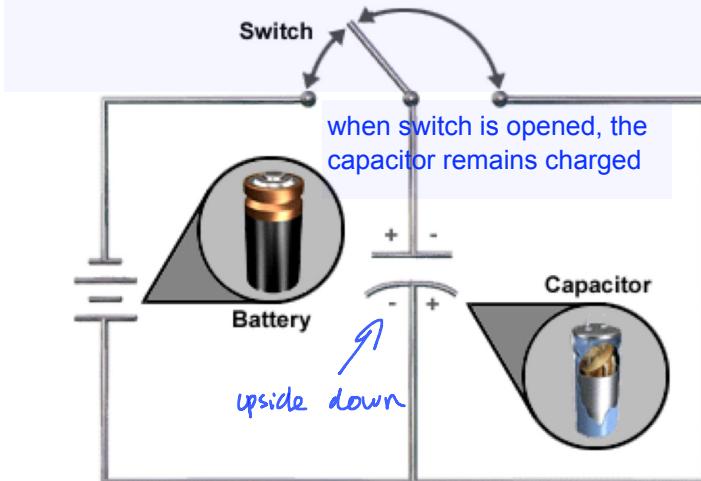
Coulomb's Law constant

$$F = k \frac{q_1 q_2}{r^2}$$

capacitor polarity:

the little flat ones don't, but the barrel ones do. Date _____
stripe with minus signs points to the negative terminal

because the dielectric is more sophisticated, but when you go backwards the dielectric oxidizes and ~blows up~ expands rapidly and uncontrollably

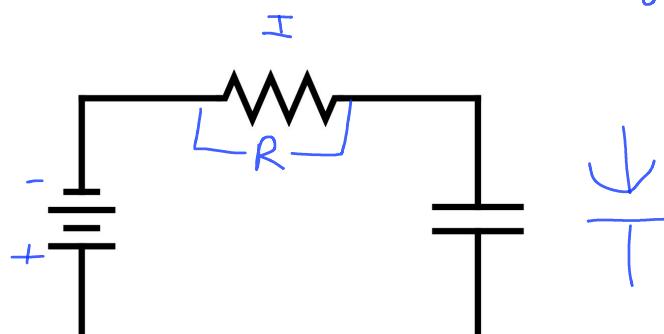


$$V_{cap} = 0 \quad V_{bat}$$

$$t=0 \quad I = \frac{V_{bat}}{R}$$

- $V_{cap} < V_{bat}$
- $I = \frac{V_{bat} - V_{cap}}{R}$

$$V_{cap} = V_{bat}$$



$$F = \frac{C}{V} = \frac{S}{\Omega}$$

$$V_{cap} = V_{bat} e^{-\left(\frac{t}{T}\right)}$$

time (seconds)
to charge $\frac{2}{3}$ of the way
 $T = RC$
euler's constant
ohms
Farads