# EE4308 Turtlebot Project

Advances in Intelligent Systems and Robotics Academic Year 2016-2017

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#### What will be discussed

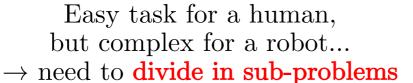
- 1. Problem statement
- 2. Overview of the solution
- 3. Information gathering
- 4. Global planning
- 5. Local planning
- 6. Demonstration



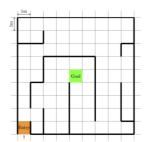
"HIS PATH-PLANNING MAY BE SUB-OPTIMAL, BUT IT'S GOT FLAIR.' 1. Problem statement

#### What is to be achieved

- Design a navigation system for a mobile robot
- Autonomously navigate from start to goal
- Environment is not necessarily known
- Realistic simulation







Sub-systems

Simulation

Kinect

Map prior

Simulation

Kinect

Map map Global path planner

Odometry

Velocity commands

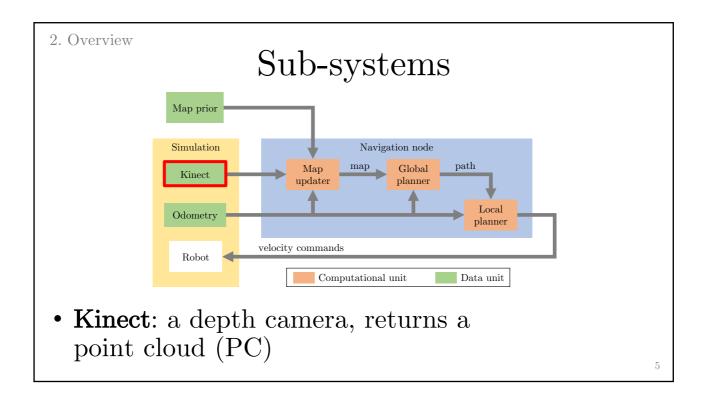
Robot

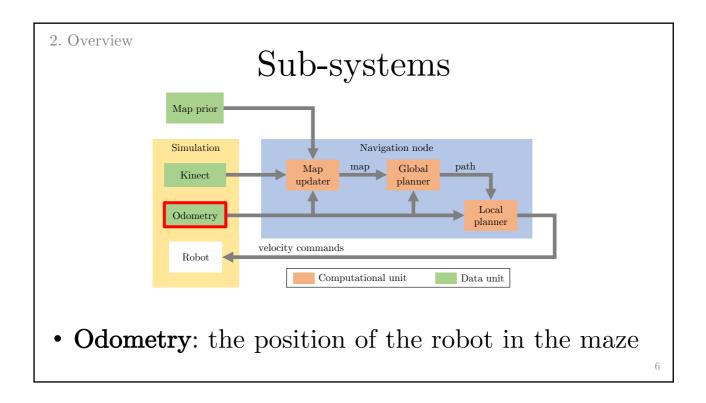
Computational unit

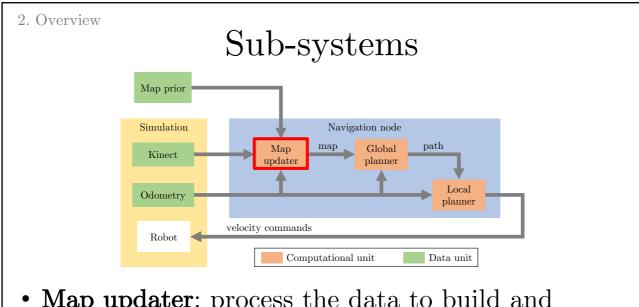
Data unit

• **Map prior**: what is known beforehand (*a priori*) of the environment

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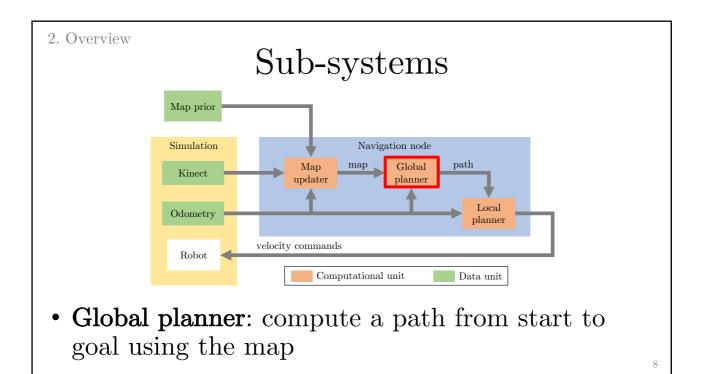


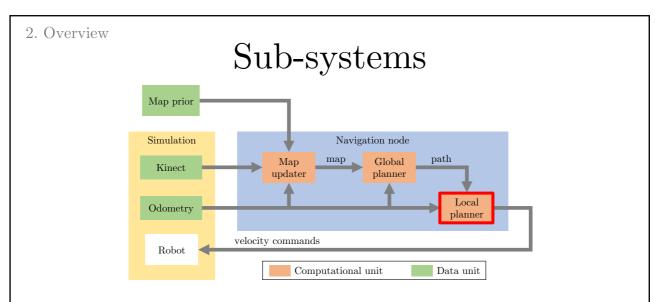




• Map updater: process the data to build and update an internal map of the environment

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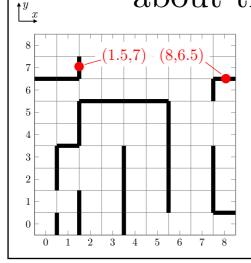




• Local planner: ensure that the robot actually follows the path, computes the velocity commands

2. Overview Implementation **:::ROS** Map prior Simulation Navigation node Kinect updater planner Odometry planner velocity commands Robot Computational unit Data unit • Navigation system = ROS node, in Python Callbacks trigg. by new Kinect/Odometry data 10 3. Information Gathering

# How to efficiently store information about the environment?



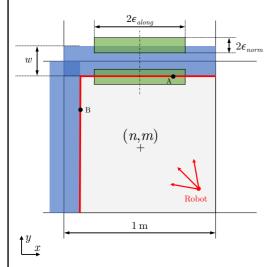
Use the constraints on the maze: walls only at boundaries of cells

 $\rightarrow$  only store the coordinates of the centres of the walls!

One of the two coordinates is an integer:  $x \rightarrow horizontal wall$  $y \rightarrow vertical wall$ 

3. Information Gathering

#### How to extract walls from the Kinect?



- Extract a row of the 2D PC
- Define a ROI with tolerances: 2.

$$(n \pm \epsilon_{along}, m + 0.5 \pm w/2 \pm \epsilon_{norm})$$
 horizontal   
  $(n + 0.5 \pm w/2 \pm \epsilon_{norm}, m \pm \epsilon_{along})$  vertical

- For each point: **check** if in any possible ROI
- If enough points are assumed to belong to a wall

 $\rightarrow$  add it to the map

4. Global planning

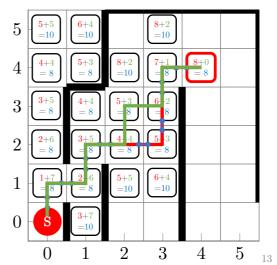
# Global planner:

1. Find a path from S to G with A\*

$$f = g + h$$

- g move cost from S
- h Manhattan dist. to G

Can dis/encourage turns/lines by tuning g

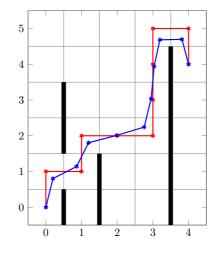


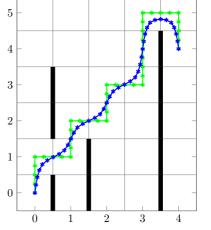
4. Global planning

Global planner:

### 2. Smooth

 $\begin{array}{c} \text{Minimise } J \\ \text{with Gradient} \\ \text{Descent} \end{array}$ 





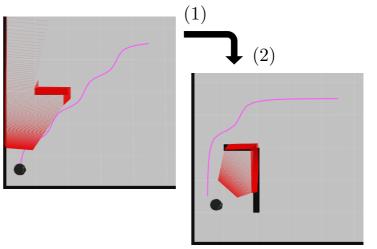
$$J = \frac{1}{2} \sum_{i=1}^{n} \alpha \underbrace{\left( \left( x_{i} - x_{i}^{'} \right)^{2} + \left( y_{i} - y_{i}^{'} \right)^{2} \right)}_{\text{priorized parts}} + (1 - \alpha) \underbrace{\left( \left( x_{i}^{'} - x_{i+1}^{'} \right)^{2} + \left( y_{i}^{'} - y_{i+1}^{'} \right)^{2} \right)}_{\text{priorized parts}}$$

4. Global planning

#### Known or unknown environment?

If no map prior:

- 1. Assume there are no walls (1)
- 2. Add some as you discover them
- 3. Update the path if necessary (2)



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#### 5. Local planning

# Local planner: following the path

- PI controller for linear and angular velocities
- Weighted average of the errors on the next k points:

$$\theta_{PI} = \frac{\sum_{i=1}^{k} \theta_{j+i} d_{j+i} w_i}{\sum_{i=1}^{k} d_{j+i} w_i} \qquad d_{PI} = \frac{\sum_{i=1}^{k} d_{j+i} w_i}{\sum_{i=1}^{k} w_i}$$

$$error$$

$$error$$

- Act as a local smoothing
- Limit speed + anti wind-up

j current point  $w_i$  weights

5. Local planning

# Local planner: choosing the next point

- 1. Find the closest point to the current position (here i)
- 2. Compute the angle  $\alpha$ :
  - If smaller than 90° then i+1 is the next
  - Otherwise i

