

## Q4

As the question mentioned, each square has  $n^2$  trees and total  $16n^2$  trees in orchard. And we already have a map with the number of apples on each tree.

First, assume we have a Sum Matrix which  $sum[i][j]$  equals to the sum of apples from left top(0,0) to right bottom  $(i,j)$  trees which called 2-dimension prefix sum. We can use 2 *for* loops to handle this in  $O(n^2)$ .

Then, we have  $(3n-1)^2$  possible squares and for each square we compute the number of apples in this square by  $sum[i][j] - sum[i-n][j] - sum[i][j-n] + sum[i-n][j-n]$  in  $O(n^2)$ .

Finally, we can find the square contains the largest number of apples in  $O(n^2) + O(n^2) = O(n^2)$ .