## Analogy for Natural Language Processing and Machine Translation



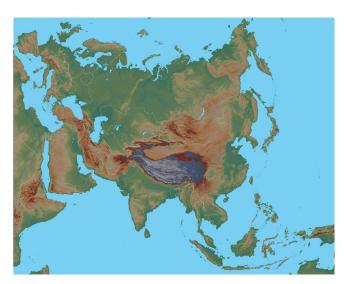
Yves LEPAGE

Waseda University

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- $lue{1}$  Waseda  $\supset$  IPS  $\supset$  Information Architecture  $\supset$  EB(MT/NLP) lab
- Proportional analogy
  - Examples, definition and usefulness
  - Analogy in morphology
  - Solving analogical equations
  - Machine translation by analogy

## France – Japan





- Known for its faculty of literature, its faculty of law, has no faculty of medicine
- Alumni: famous Japanese writers, actors, politicians, CEOs of world-wide companies
- Open to foreign students from its creation
- Ranked nº 1 in Japan for employability



- Known for its faculty of literature, its faculty of law, has no faculty of medicine
- Alumni: famous Japanese writers, actors, politicians, CEOs of world-wide companies
- Open to foreign students from its creation
- Ranked nº 1 in Japan for employability
- Excellent rugby team, 1st or 2nd in Japan university championship

学問の独立 = Independence of scientific and technical knowledge



ÖKUMA Sigenobu, founder of Waseda university in 1882, twice prime minister of Japan. Activisit in favour of scientific progress and the enlightenment of people. Eager to welcome foreign students from abroad

理想の光 = Light of reason



SUGIHARA Tiune, graduated from Waseda university. Saved thousands of Lithuanian and Polish Jews by delivering visas to Japan in violation of the orders of his hierarchy. "Righteous among the nations" after his death in 1985.

# Graduate School of Information, Production and Systems (IPS)



## Graduate School of Information, Production and Systems (IPS)



#### Field of Information Architecture



## EB(MT/NLP) laboratory

- Machine translation
- Natural language processing
- using example-based methods
- Resources for Chinese—Japanese machine translation (word segmentation, terminology, corpora)
- Alignment methods for machine translation (word-to-word, sub-sentential)
- Proportional analogy on language data (kanji, words, chunks, sentences)

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  - Machine translation by analogy

Word vector representations allow to represent words as vectors [Pantel and Turney, 2010].

What is to a woman in the same way as a king is to a man?

- 1 empress
- 2 queen
- g princess

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What is to a woman in the same way as a king is to a man?

- 1
- 2 queen
- 3

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Word vector representations (Word2Vec by [Mikolov, 2013] or GloVe [Pennington et al., 2014])

 $man: king:: woman: x \Rightarrow x =$ 

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 $\overrightarrow{queen}$ 

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- 1
- 2 queen
- 3

Word vector representations (Word2Vec by [Mikolov, 2013] or GloVe [Pennington et al., 2014])

$$man : king :: woman : x \Rightarrow x = queen$$

$$\overrightarrow{queen} \approx \overrightarrow{king} - \overrightarrow{man} + \overrightarrow{woman}$$

foot: shoe:: hand:



































































#### foot: shoe:: hand: glove

















维结准诘

#### foot: shoe:: hand: glove

















维结销

01000000 : 00110000 :: 00011100 :

#### foot: shoe:: hand: glove

















绀

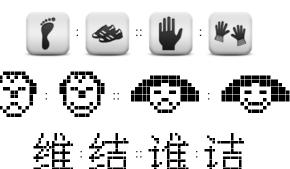






01000000 : 00110000 :: 00011100 : 00001111

#### foot: shoe:: hand: glove



01000000 : 00110000 :: 00011100 : 00001111

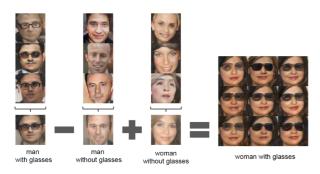
take: taking:: elaborate:

#### foot: shoe:: hand: glove



01000000 : 00110000 :: 00011100 : 00001111

take: taking:: elaborate: elaborating



Picture from Radford et al., Unsupervised Representation Learning with Deep Convolutional Generative Adversarial Networks, ArXiv, 2015.

## Usefulness in learning [Matsushita, 2013]

Hypothesis: correspondences on the three levels of form, sound and meaning should help in remembering.

```
洛 : 珞 :: 渝 : 瑜
```

river : accessory :: river : accessory /lùo/ : /lùo/ :: /yú/ : /yú/

Shaanxi : necklace :: Chongqing : gem, jewel

Matsushita (2013) showed that remembering groups of 4 hanzi is eased when graphical analogies can be found between them.

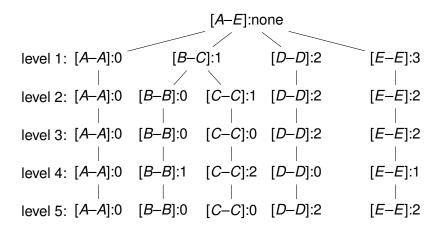
## Chinese characters = pixel images



## Production of analogical clusters (1/4) [Lepage, 2014]

$$\begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \end{pmatrix} \qquad \begin{pmatrix} 1 \\ 0 \\ 0 \\ 1 \\ 0 \end{pmatrix} \qquad \begin{pmatrix} 1 \\ 1 \\ 0 \\ 2 \\ 0 \\ 2 \end{pmatrix} \qquad \begin{pmatrix} 2 \\ 2 \\ 2 \\ 2 \\ 0 \\ 2 \end{pmatrix} \qquad \begin{pmatrix} 3 \\ 2 \\ 2 \\ 1 \\ 2 \end{pmatrix}$$

## Production of analogical clusters (2/4)



## Production of analogical clusters (3/4)

## Same ratio = same difference on each level Level 1:

	[A-A]:0	[B-C]:1	[ <i>D</i> – <i>D</i> ]:2	[ <i>E</i> – <i>E</i> ]:3
[A-A]:0		1	2	3
[ <i>B</i> – <i>C</i> ]:1		0	1	2
[ <i>D</i> – <i>D</i> ]:2				1
[E-E]:3				

# Production of analogical clusters (3/4)

Same ratio = same difference on each level Level 2:

	[A-A]:0	[ <i>B</i> – <i>B</i> ]:0	[ <i>C</i> – <i>C</i> ]:1	[D-D]:2	[ <i>E</i> – <i>E</i> ]:2
A-A:0		1,0	1,1	2,2	
[ <i>B</i> – <i>B</i> ]:0			0,1	1,2	2,2
$\overline{[C-C]:1}$				1,1	2,1
[ <i>D</i> – <i>D</i> ]:2					1,0
[ <i>E</i> – <i>E</i> ]:2					

## Production of analogical clusters (3/4)

Same ratio = same difference on each level Level 3:

	[A-A]:0	[ <i>B</i> – <i>B</i> ]:0	[ <i>C</i> – <i>C</i> ]:0	[ <i>D</i> – <i>D</i> ]:2	[ <i>E</i> – <i>E</i> ]:2
[A-A]:0		1,0,0	1,1,0	2,2,2	
[ <i>B</i> – <i>B</i> ]:0				,	2,2,2
$\overline{[C-C]:0}$				1,1,2	
$\overline{[D-D]:2}$					1,0,0
[ <i>E</i> – <i>E</i> ]:2					

## Production of analogical clusters (4/4)

#### Result:

The method reduces a problem with a complexity of  $O(n^4)$  to an exploration in  $O(n^2)$ .

It enumerates all series of pairs of objects (represented by their vector) with the same ratio, i.e., analogical clusters.

Definition of an analogical cluster.

诘:结

调:绸

谝:编

谁:维

## Analogical clusters of Chinese char. [Lepage, 2014]

倔:掘 恨:抿

怕:拍

惜:措 快:抉

怜:拎

惦:掂 俸:捧

诅:祖 诈:祚 铂:珀

锂:理

捂:梧 抗:杭

拮:桔

]:回

一. | | |

偏:惆 谝:调

编:绸

叧:另

余:余

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## Paradigm tables

```
inf.: preterit: pres. part.: past part.

to be: was: being: been
to take: took: taking: taken
to look: looked: looking: looked
to walk: walked: walking: walked
```

Figure: A paradigm table with exponents (header) and lemmas (first column).

Anto memakan nasi dan meminum air. Nasi itu dibeli di pasar. Di pasar, Anto melihat mainan. Anto senang main bola. Setelah main, Anto suka minum es dan makan cilok. Makanan dan minuman itu juga dia beli di pasar. Es dan cilok memang enak dimakan dan diminum selesai olahraga.

Figure: A text in Indonesian.

air anto beli bola cilok dan di dia dibeli dimakan diminum enak es itu juga main mainan makan makanan melihat memakan memang meminum minum minuman nasi olahraga pasar selesai senang setelah suka

Figure: List of words extracted from the previous text.

```
makan : dimakan : memakan : makanan
minum : diminum : meminum : minuman
main : : : mainan
beli : dibeli : :
```

```
makan: dimakan: memakan: makanan
minum: diminum: meminum: minuman
main:: : mainan
beli: dibeli:: :
```

```
makan : dimakan : memakan : makanan minum : diminum : meminum : minuman main : : : mainan beli : dibeli : : :
```

```
makan : dimakan : memakan : makanan
minum : diminum : meminum : minuman
main : : : mainan
beli : dibeli : :
```

Definition of an analogical grid. Caution: there may be empty cells.

$$A:B::C:D \iff \begin{cases} A:B = C:D \\ A:C = B:D \end{cases}$$
 (3)

Definition of an analogy.

$$A: B \stackrel{\triangle}{=} \begin{pmatrix} |A|_{a} - |B|_{a} \\ \vdots \\ |A|_{z} - |B|_{z} \\ d(A, B) \end{pmatrix}$$

$$(4)$$

$$A: B \stackrel{\triangle}{=} \begin{pmatrix} |A|_a - |B|_a \\ \vdots \\ |A|_z - |B|_z \\ d(A, B) \end{pmatrix}$$
(4)

makan: makanan =

$$A: B \stackrel{\triangle}{=} \begin{pmatrix} |A|_{a} - |B|_{a} \\ \vdots \\ |A|_{z} - |B|_{z} \\ d(A, B) \end{pmatrix}$$
(4)

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(4)

$$makan: makanan = \begin{pmatrix} (a) 2-3 \\ \vdots \\ (n) 1-2 \end{pmatrix}$$

$$A: B \triangleq \begin{pmatrix} |A|_{a} - |B|_{a} \\ \vdots \\ |A|_{z} - |B|_{z} \\ d(A, B) \end{pmatrix}$$

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$$A: B \triangleq \begin{pmatrix} |A|_{a} - |B|_{a} \\ \vdots \\ |A|_{z} - |B|_{z} \\ d(A, B) \end{pmatrix}$$

$$(4)$$

$$makan: makanan = \begin{pmatrix} (a) 2-3 \\ \vdots \\ (n) 1-2 \\ \vdots \\ (z) 0-0 \\ d(makan, makanan) \end{pmatrix} = \begin{pmatrix} -1 \\ \vdots \\ -1 \\ \vdots \\ 0 \\ 2 \end{pmatrix}$$

abc : def :: ghi : jkl

*abc*: *def*:: *ghi*: *jkl* あいう: えおか:: きくけ:

*abc* : *def* :: *ghi* : *jkl* あいう : えおか :: きくけ : こさし

abc : def :: ghi : jkl

あいう: えおか:: きくけ: こさし

man : woman :: king : queen fish : fins :: bird : wings

```
abc : def :: ghi : jkl
あいう : えおか :: きくけ : こさし
man : woman :: king : queen
fish : fins :: bird : wings
```

## Producing analogical grids (1/2)

- Produce analogical clusters with words represented as vectors (number of occurrences of characters)
- Check for equality of edit distances
- Produce analogical grids by combining compatible clusters either vertically or horizontally (next slide)

# Producing analogical grids (2/2)

- Sort list of analogical clusters by length.
- Take longest analogical cluster as a new analogical grid.
- For each analogical cluster of the list:
  - If it can be added (vertically or horizontally) to the analogical grid [check density threshold too] then
    - Add it to the table.
    - Remove it from the list of analogical clusters.
- Scan the list several times until no more cluster can be added into the table.
- Redo from second step until all analogical clusters are used up.

#### Tools downloadable at:

```
http://lepage-lab.ips.waseda.ac.jp/
    kakenhi-2-tools-released
```

#### Programs:

- solveanalogy, verifanalogy,
- Words2Clusters, Words2Grids,
- etc.

Language	# tokens (N)	# types (V)	Length of types avg±std. dev.	# grids	Time (h:min)
English	792,074	12,498	$7.03 \pm 2.18$	12,855	45
Indonesian	648,606	15,641	$7.84 \pm 2.63$	25,752	2:04
Modern Greek	706,771	36,786	$8.49 \pm 2.49$	69,173	11:03
Russian	560,524	47,226	$8.26\pm2.73$	60,035	10:34

Table: Number of analogical grids produced with the time needed to produce them on the New Testament, corpus<sup>2</sup> collected by Christodoulopoulos as a continuation of work by Resnik (1999).

<sup>1</sup> http://homepages.inf.ed.ac.uk/s0787820/bible/

## Saturation of analogical grids

Saturation = 
$$\frac{\text{Number of non-empty cells}}{\text{Total number of cells}} \times 100\%$$
 (5)

## Saturation of analogical grids

$$Saturation = \frac{Number of non-empty cells}{Total number of cells = Size} \times 100\%$$
 (5)

```
makan : dimakan : memakan : makanan
minum : diminum : meminum : minuman
main : : : mainan
beli : dibeli : : :
```

Figure: An analogical grid with a saturation of  $\frac{12}{16} \times 100\% = \frac{3}{4} \times 100\% = 75\%$ 

## Size, saturation, and number of analogical grids

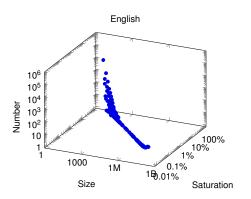


Figure: Number of analogical grids obtained against their size and saturation in English. Algorithmic scale on the three axes.

## Size vs. saturation of analogical grids

$$\log(\text{saturation}) = a \times \log(\text{size}) + b$$

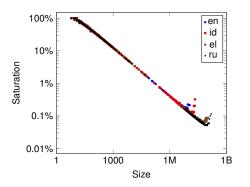


Figure: Saturation of paradigm tables against size in each language

# $log(saturation) = a \times log(size) + b$ independent of language, size and genre?

Table: Linear coefficients for each language; and for different sizes and different genres in English.

		Range for saturation			
Language	Data and size	[0%,100%]		[50%,100%]	
		а	b	а	b
English	Bible 100.0 %	-0.480	0.510	-0.366	0.332
	50.0 %	-0.479	0.507	-0.372	0.343
	25.0 %	-0.476	0.499	-0.368	0.336
	12.5 %	-0.474	0.491	-0.361	0.323
	Europarl (same size as Bible)	-0.481	0.516	-0.365	0.333
Indonesian	Bible 100.0%	-0.481	0.518	-0.371	0.343
Modern Greek	"	-0.479	0.514	-0.369	0.342
Russian	"	-0.482	0.520	-0.370	0.342

# Use of analogical grids

```
show: shows: showing: showed walk: walks: walking: walked open: opens: opening: study: : studying:

Figure: An analogical grid in English
```

# Generating new words

```
show: shows: showing: showed walk: walks: walking: walked open: opens: opening: study: studys: studying: studyed

Figure: An analogical grid in English
```

# Explaining unseen words

```
show: shows: showing: showed
walk: walks: walking: walked
open: opens: opening: opened
study:: studying:
Figure: An analogical grid in English
```

## Examples of words explained by analogical grids

Reasoning and glorifying are two words which appear in Luke but not in Matthew. They are explained by the analogical grids built from the words in Matthew.

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```
enter: entering: entered reason: reasoning: reasoned mourn: mourning: mourned open: opened
```

# Examples of words explained by analogical grids

Reasoning and glorifying are two words which appear in Luke but not in Matthew. They are explained by the analogical grids built from the words in Matthew.

```
enter: entering: entered marry: marrying: married reason: reasoning: reasoned deny: : denied mourn: mourning: mourned open: : opened glorify: glorifying: glorified
```

# Languages and texts used

Language	Training set (Matthew)			Test set (Luke)		
	Number of tokens	Number of types	Type-token ratio (%)	Number of tokens	Number of types	Type-token ratio (%)
English	23,726	2,098	8.8	25,987	2,370	9.1
Indonesian	22,375	2,450	10.9	23,623	2,650	11.2
Nahuatl	23,222	3,833	16.5	24,060	4,096	17.0
Greek	20,438	3,819	18.7	21,856	4,367	20.0
Somali	20,375	3,967	19.5	21,535	4,244	19.7
Chinese	18,350	4,030	22.0	19,956	4,488	22.5
Achuar	22,470	5,349	23.8	23,177	5,609	24.2
Finnish	17,331	4,467	25.8	18,804	5,003	26.6
Quichua	15,038	4,066	27.0	16.332	4,249	26.0
Swahili	16,851	3,926	23.3	18,467	4,411	23.9
Xhosa	14,505	5,580	38.5	15,537	6,265	40.3
Telugu	13,083	6,066	46.4	14,404	6,747	46.8

# Explaining unseen words using analogical grids

Language	Productive	analogical grids	s (Matthew)	Unseen words (Luke)		
	Total number	Avg size	Avg density (%)	Total number	Explained	Ratio (%)
English	587	49.5	58.3	858	75	8.7
Indonesian	790	48.3	57.8	940	126	13.4
Chinese	220	88.4	55.9	2,497	193	7.7
Finnish	2,147	49.7	57.6	2,597	331	12.
Nahuatl	512	67.9	57.1	2,143	296	13.8
Greek	793	64.1	57.7	2,238	352	15.
Somali	2,078	61.8	55.1	1,929	392	20.
Swahili	2,067	53.6	56.5	2,381	430	18.
Telugu	557	74.4	56.0	4,485	459	10.
Xhosa	3,501	60.2	55.2	3,807	734	19.
Achuar	11,349	49.1	53.4	2,801	748	26.
Quichua	4,478	59.3	55.0	2,170	900	41.

# Explaining unseen words on the levels of form, morphology and distributional semantics

```
Form: makan : makanan :: minum : minuman

Morphological representation: makan\_VB : makan+an\_NN :: minum\_VB : minum+an\_NN

Semantic representation: \overrightarrow{makan} - \overrightarrow{makan} + \overrightarrow{minum} \approx \overrightarrow{minuman}
```

Figure: Confirming an analogy on different levels of representation for the word *minuman*.

## Number of unseen words explained

Surface form	Morphology	Distributional semantics	Total	
<b>√</b>			1,249	98 %
<b>√</b>	✓		1,010	79 %
<b>√</b>		✓	791	62 %
$\checkmark$	✓	✓	724	57 %

Table: Number of unseen words that can be explained on three different levels. Ten-fold cross-validation on the BPPT (nearly half a million tokens, 27,000 types)

#### Examples of unseen words explained

F	М	S	Number	Examples	English translation	
				ilustrasi	'illustration'	
✓	×	×	172	terenggut	'wrenched'	
				Montolivo	person's name	
				disewakan	'for rent'	
✓	✓	×	286	bercampur	'mixed'	
				menyepakatinya	'to agree'	
				endoplasma	'endoplasm'	
✓	×	✓	67	perfeksionis	'perfectionist'	
				radjawali	name of a kind of bird	
				persilangan	'crossing'	
✓	✓	✓	724	terkoordinasi	'coordinated'	
				pembelajaran	'learning'	

Table: Examples of unseen words explained or not on each level of representation: surface form (F), morphological representation (M), and distributional semantic representation (S).

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# Standard techniques [Lepage, 1998]

First algorithm based on the use of edit distance traces. Very fast.

```
(Chinese) 科学: 科学家:: 政治: 政治家
```

(French) recevoir : j'ai reçu :: percevoir : j'ai perçu

(German) sprechen: ihr sprächet:: nehmen: ihr nähmet

(Hebrew) *mélex* : *mlaxím* :: *rések* : *rsakím* 

(Malay) kawan : mengawani :: keliling : mengelilingi

(Polish) stworzyć: stwarzać:: rozmnożyć się: rozmnażać się

(formal) abc : abcabc :: abcabcabc : abcabcabcabc
(formal) ab : aaabb :: aaaaaabbbbbbb : aaaaaaabbbbbbb

# Standard techniques [Lepage, 2017]

Recent algorithm based on the use of edit distance traces.

- Data from Task 1 of Track 1 of SIGMORPHON 2016 Shared Task: Morphological Reinflection in 10 different languages.<sup>3</sup>
- Analogy questions built by extracting all analogies of form, and filtering by morphological features. Each analogy yields four different analogy questions.<sup>4</sup>

```
alterado: alterada:: adeudados: x \Rightarrow x = adeudadas alterada: alterado:: adeudadas: x \Rightarrow x = adeudados adeudadas: adeudados:: alterada: x \Rightarrow x = alterado adeudados:: adeudados:: alterado: x \Rightarrow x = alterada
```

<sup>4</sup>Different from the task proposed in SIGMORPHON Shared Task.

<sup>&</sup>lt;sup>3</sup>All files <language>-task1-train from https://github.com/ryancotterell/sigmorphon2016/tree/master/data/

# Standard techniques

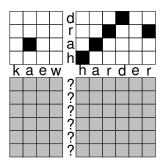
Language	Number of analog- ical equations	% of correct answers	
Arabic	381,132	94	
Finnish	3,076	95	
Georgian	7,256,156	87	
German	349,796	91	
Hungarian	15,157,368	94	
Maltese	10,000	97	
Navajo	18,588,020	97	
Russian	66,672	99	
Spanish	95,564	95	
Turkish	729,092	86	
Total	42,636,876	94	

Table: Solving analogical equations extracted from all training data of Task 1 of Track 1 from SIGMORPHON 2016 Shared Task.



# Neural networks for analogy

hard: harder:: weak:  $x \Rightarrow x = \frac{\pi}{2}$ 

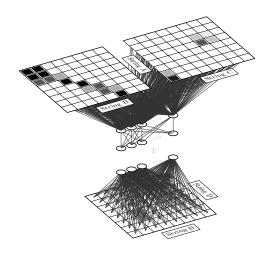


# Neural networks for analogy

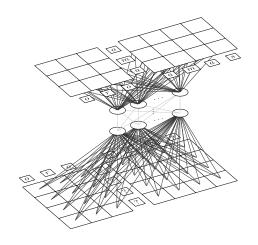
hard: harder:: weak:  $x \Rightarrow x =$  weaker



# First model [Kaveeta and Lepage, 2016]

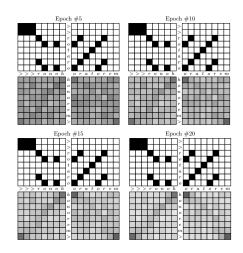


# Second model [Kaveeta, 2017]



 $amo: oro:: amas: x \Rightarrow x = oras$ 





orator: honor:: oratorem:  $x \Rightarrow x = honorem$ 

#### Data used

oratorem: orator:: honorem: honor

huzila : huzāl :: ṣudi'a : ṣudā' setzen : setzte :: lachen : lachte

inné : nées :: indu : dues

biorąc: bierzesz:: piorąc: pierzesz

tinggal : ketinggalan :: duduk : kedudukan

**aa** : **ab** :: **ba** : **bb** 

abc: aabbcc:: aaabbbccc: aaaabbbbcccc
aab: aaaabb:: aaaaaaabbb
aaaabbbbcccc: aaabbbccc: abc

# Results for the first model (90 % train, 10 % test)

		# of hyper parameters	Train time (m:s)	Train loss (MSE)	Test loss (MSE)	Accuracy (%)
	2 × 2	1,668	4.07	0.009	0.005	1.73
Alignment	$4 \times 4$	6,288	4.53	0.013	0.008	16.75
matrices	8 × 8	24,768	5.34	0.017	0.010	67.18
size	16 × 16	98,688	7.12	0.024	0.017	79.10
	$32 \times 32$	394,368	14.03	0.035	0.026	84.11
	NN	98,688	6.56	0.039	0.031	67.88
Re-sampling	Bilinear	98,688	7.10	0.015	0.010	72.71
methods	Bicubic	98,688	6.40	0.019	0.012	78.24
	Proposed	98,688	7.12	0.024	0.017	79.10
	None	98,688	6.28	0.056	0.044	77.72
Filtering	Morph	98,688	6.39	0.040	0.031	76.68
methods	Weight	98,688	7.32	0.034	0.025	79.45
	Both	98,688	7.12	0.024	0.017	80.48
Ni	128	98,688	7.12	0.024	0.017	80.83
Number of hidden	256	197,120	8.21	0.022	0.015	82.38
	512	393,984	9.51	0.021	0.017	83.07
nodes	1024	787,712	13.28	0.019	0.012	85.84
Ni mala au af	1	98,688	7.12	0.024	0.017	80.66
Number of	2	115,200	9.55	0.023	0.015	84.44
hidden	3	131,712	11.22	0.023	0.014	86.36
layers	4	148,224	11.54	0.023	0.014	87.56



## Results for the second model (5 % train, 95 % test)

Techniques	Model	Mat. dim.	Accuracy (%)
Nearest neighbour	Single	32 x 32	11.68
Linear	Single	32 x 32	14.19
Bilinear	Single	32 x 32	15.82
Bicubic	Single	32 x 32	15.76
Generation	Multiple	Variables	55.86
Generation (Small training set) <sup>5</sup>	Multiple	Variables	36.29

# Third model? [Zhao, 2018]?

- Use of generative adversarial networks (GAN)?
- Use of Siamese neural networks?

 $\bigcirc$  Waseda  $\supset$  IPS  $\supset$  Information Architecture  $\supset$  EB(MT/NLP) lab

- Proportional analogy
  - Examples, definition and usefulness
  - Analogy in morphology
  - Solving analogical equations
  - Machine translation by analogy

Suppose that the sentence translates into How to translate the sentence in the same way?

濃い紅茶が飲みたい。 I would like a cup of strong tea.

濃いコーヒーが飲みたい。

Suppose that the sentence translates into In the same way the sentence translates into

濃い紅茶が飲みたい。

I would like a cup of strong tea.

濃いコーヒーが飲みたい。

I would like a cup of strong coffee.

Suppose that the sentence

translates into In the same way,

the sentence

translates into

because

the word

is to the word

in the same way as

the word

is to the word

濃い紅茶が飲みたい。

I would like a cup of strong tea.

濃いコーヒーが飲みたい。

I would like a cup of strong coffee.

紅茶

tea

コーヒー

coffee

The sentence is to the sentence in the same way as the sentence is to the sentence because the word is to the word in the same way as the word is to the word

濃い紅茶が飲みたい。

I would like a cup of strong tea.

濃いコーヒーが飲みたい。

I would like a cup of strong coffee.

紅茶

tea

コーヒー

coffee

The sentence is to the word in the same way as the sentence is to the word because the sentence is to the word in the same way as the sentence is to the word

濃い紅茶が飲みたい。 紅茶

濃いコーヒーが飲みたい。 コーヒー

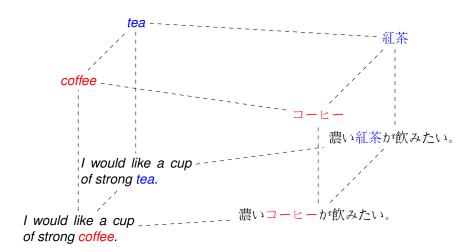
I would like a cup of strong tea. tea

I would like a cup of strong coffee. coffee

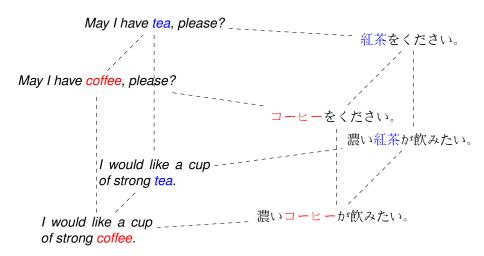
# Principle



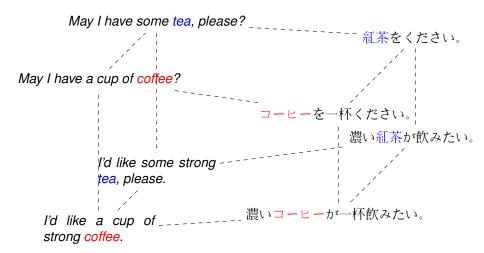
# Dictionary / Sentences



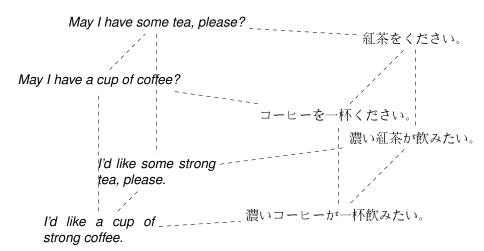
#### Identical contexts



#### Different contexts



#### General case



#### In Prolog:

% database of facts (bicorpus)

```
translation(s_1, \widehat{s_1}).

translation(s_2, \widehat{s_2}).

\vdots

translation(s_n, \widehat{s_n}).
```

```
\begin{array}{l} \text{translation}(D,\widehat{D}) := \\ \text{translation}(A,\widehat{A}), \\ \text{translation}(B,\widehat{B}), \\ \text{analogy}(A,B,C,D), \\ \text{translation}(C,\widehat{C}), \\ \text{analogy}(\widehat{A},\widehat{B},\widehat{C},\widehat{D}), \\ \text{assert}(\text{translation}(D,\widehat{D})). \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) :- \\ \text{translation}(A, \widehat{A}), \\ \text{translation}(B, \widehat{B}), \\ \text{analogy}(A, B, C, \textcolor{red}{d}), \\ \text{translation}(C, \widehat{C}), \\ \text{analogy}(\widehat{A}, \widehat{B}, \widehat{C}, \widehat{D}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{D})). \end{array}
```

```
 \begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), & \leftarrow \\ \text{translation}(\textcolor{red}{B}, \widehat{\textcolor{red}{B}}), & \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{B}, \textcolor{red}{C}, \textcolor{red}{d}), & \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), & \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{B}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), & \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). & \\ \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{C}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \\ \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{C}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{C}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \\ \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{C}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \end{array}
```

```
 \begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), & \leftarrow \\ \text{translation}(\textcolor{red}{B}, \widehat{\textcolor{red}{B}}), & \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{B}, \textcolor{red}{C}, \textcolor{red}{d}), & \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), & \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{B}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), & \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). & \\ \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{C}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \\ \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{C}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{C}, \widehat{\textcolor{red}{C}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{C}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \end{array}
```

```
\begin{array}{l} \text{translation}(\textbf{d},\widehat{D}) := \\ \text{translation}(\textbf{a},\widehat{\textbf{a}}), \\ \text{translation}(\textbf{b},\widehat{\textbf{b}}), \\ \text{analogy}(\textbf{a},\textbf{b},\textbf{c},\textbf{d}), \\ \text{translation}(\textbf{c},\widehat{C}), \\ \text{analogy}(\widehat{\textbf{a}},\widehat{\textbf{b}},\widehat{C},\widehat{D}), \\ \text{assert}(\text{translation}(\textbf{d},\widehat{D})). \end{array}
```

```
\begin{array}{l} \text{translation}(\textbf{d},\widehat{D}) := \\ \text{translation}(\textbf{a},\widehat{\textbf{a}}), \\ \text{translation}(\textbf{b},\widehat{\textbf{b}}), \\ \text{analogy}(\textbf{a},\textbf{b},\textbf{c},\textbf{d}), \\ \text{translation}(\textbf{c},\widehat{\textbf{c}}), \\ \text{analogy}(\widehat{\textbf{a}},\widehat{\textbf{b}},\widehat{\textbf{c}},\widehat{D}), \\ \text{assert}(\text{translation}(\textbf{d},\widehat{D})). \end{array}
```

```
\begin{array}{l} \text{translation}(\textcolor{red}{d}, \widehat{D}) := \\ \text{translation}(\textcolor{red}{a}, \widehat{\textcolor{red}{a}}), \\ \text{translation}(\textcolor{red}{b}, \widehat{\textcolor{red}{b}}), \\ \text{analogy}(\textcolor{red}{a}, \textcolor{red}{b}, \textcolor{red}{c}, \textcolor{red}{d}), \\ \text{translation}(\textcolor{red}{c}, \widehat{\textcolor{red}{c}}), \\ \text{analogy}(\widehat{\textcolor{red}{a}}, \widehat{\textcolor{red}{b}}, \widehat{\textcolor{red}{c}}, \widehat{\textcolor{red}{D}}), \\ \text{assert}(\text{translation}(\textcolor{red}{d}, \widehat{\textcolor{red}{D}})). \end{array}
```

```
translation(d, \hat{d}):—
translation(a, \hat{a}),
translation(b, \hat{b}),
analogy(a, b, c, d),
translation(c, \hat{c}),
analogy(\hat{a}, \hat{b}, \hat{c}, \hat{d}),
assert(translation(d, \hat{d})).
```

```
 \begin{array}{l} \text{translation}(\textbf{d}, \widehat{\textbf{d}}) := \\ \text{translation}(\textbf{a}, \widehat{\textbf{a}}), \\ \text{translation}(\textbf{b}, \widehat{\textbf{b}}), \\ \text{analogy}(\textbf{a}, \textbf{b}, \textbf{c}, \textbf{d}), \\ \text{translation}(\textbf{c}, \widehat{\textbf{c}}), \\ \text{analogy}(\widehat{\textbf{a}}, \widehat{\textbf{b}}, \widehat{\textbf{c}}, \widehat{\textbf{d}}), \\ \text{assert}(\text{translation}(\textbf{d}, \widehat{\textbf{d}})). \end{array}
```

```
translation(d, \widehat{d}) :=
translation(a, \widehat{a}),
translation(b, \widehat{b}),
analogy(a, b, c, d),
translation(c, \widehat{c}),
analogy(\widehat{a}, \widehat{b}, \widehat{c}, \widehat{d}),
assert(translation(d, \widehat{d})).
```

#### % database of facts (bicorpus)

```
translation(s_1, \widehat{s_1}). translation(s_2, \widehat{s_2}). \vdots translation(s_n, \widehat{s_n}). translation(d, \widehat{d}).
```

```
このツアーの料金 はいくらですか。
/kono tuā no ryōkin wa ikura desu ka/
'this tour GEN fee/price (N) TOPIC how-much to-be INTERR'
```

- 271 How much does this tour | cost |?
- 160 How much do you charge for this tour?
- 141 What's the price of this tour?
  - 94 What does this tour cost ?
  - 43 What's the price of the tour?
    - 6 What is the price of the tour?
    - 6 How much is the green fee?

```
胃が痛いんです。
/i ga itai n desu/
'stomach NOM painful (A) INSIST to-be'
```

- 1744 I have a stomach ache .
  - 552 My stomach hurts
  - 124 I've got a stomach ache .
    - 56 Do you have a stomach ache.
    - 51 Do you have a stomach ache?
    - 50 I have a stomach ache?
      - 2 My stomach hurts me.
    - 1 I have an abdominal pain in my stomach.
      - 1 I have a pain in my stomach.
    - 1 I have a soare throat.



```
コーヒーのおかわりを頂けますか。
/kōhī no o-kawari wo itadakemasu ka/
'coffee GEN POLITE change/again ACC can-receive INTERR'
```

- 2318 I'd like another cup of coffee.2296 May I have another cup of coffee?
- 1993 Another coffee, please.
- 1982 May I trouble you for another cup of coffee?
- 1982 Can I get some more coffee?
  - 530 Another cup of coffee, please.
  - 516 Another cup of coffee.
  - 466 Can I have another cup of coffee?
  - 337 May I get some more coffee?
  - 205 May I trouble you for another cup of coffee, please?

#### 小銭を混ぜてください。

/kozeni wo mazete kudasai/

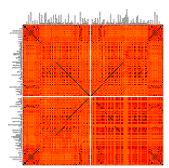
'coins/small-change ACC to-mix deign/if-you-please'

- 924 Can you include some small change?
- 922 Can you include some small change, please?
- 899 Would you include some small change?
- 896 Include some small change, please.
- 895 I'd like to have smaller bills mixed in.
- 895 Please change this into small money.
- 895 Will you include some small change?
- 885 Could you include some small change, please?
- 880 May I have some small change, too?
- 877 Please give me some small change as well.

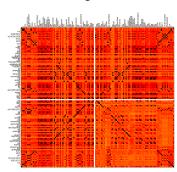
# Next research direction

- Machine translation by analogy
- using word vector representations
- and sub-sentential alignment matrices
- to translate piece by piece.

#### French



#### English



# Contents

- igodellar Waseda  $\supset$  IPS  $\supset$  Information Architecture  $\supset$  EB(MT/NLP) lab
- Proportional analogy
  - Examples, definition and usefulness
  - Analogy in morphology
  - Solving analogical equations
  - Machine translation by analogy

# Waseda University, IPS, EBMT/NLP Lab



# Merci de votre attention.

ご静聴有難うございました。