

[专题二] BJT管及放大电路

知识点1: 极性判断 略, 善用假设.

知识点2: BJT 相关概念题 / 静态工作点计算 (抄一下课件)

三极管工作:

1. 放大模式下, $i_c = I_s e^{\frac{V_{BE}}{V_T}}$, $i_c = \beta i_b$, $i_e = (1+\beta)i_b$

2. 考虑厄利现象(图右):

$$i_c = I_s e^{\frac{V_{BE}}{V_T}} \left(1 + \frac{V_{CE}}{V_A}\right)$$

$$\text{输出电阻 } r_o = \frac{\Delta V_{CE}}{\Delta i_c} = \frac{V_A}{I_C}$$

3. 小信号中频等效模型,

$$v_{be} = v_s + v_s$$

$$i_c = I_s e^{\frac{V_{BE}}{V_T}} = I_s e^{\frac{V_s + V_s}{V_T}} = I_C e^{\frac{v_s}{V_T}} \quad (I_C \text{ 是静态工作下, 集电极电流})$$

$$\text{若 } v_s \ll V_T, \text{ 则 } i_c = I_C + \underbrace{\frac{I_C}{V_T} \cdot v_s}_{\text{交流}}$$

$$\therefore \text{定义跨导 } g_m = \frac{I_C}{V_T} \quad i_c = g_m v_s = g_m v_{be}, \quad i_c = \beta i_b$$

$$\Delta g_m = \frac{\beta}{r_{be}}$$

4. 几种放大电路的优缺点/性质:

① 直接耦合电路 → 零漂, 器件受温度影响

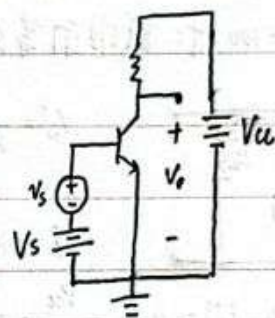
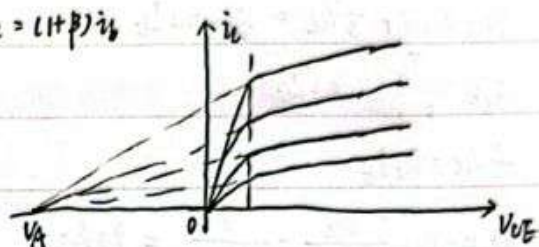
② 共射放大电路: 电压放大倍数为负, 具有一度电压放大能力

③ 共集放大电路: 射极跟随器, 放大倍数正近似为1

输入电阻一般较大, 输出电阻一般较小

④ 差模放大电路: 电压放大倍数正, 不具电流放大能力

宽频带, 中高频特性好.



A 5. 一个电压放大器的输入电阻越小, 对信号源的影响则 _____; 输出电阻越小, 带负载的能力则越 _____.

A. 越大, 越强 B. 越小, 越强 C. 越大, 越弱 D. 越小, 越弱

A. 电压电压放大器要求输入电阻大, 输出电阻小, 目的是使放大器的输入从信号源获得大的电阻分压, 负载从放大器的输出获得大的电阻分压.

三极管静态工作点计算

<方法> 基尔霍夫...

[P2-Ex2] 解:

(a) β 非常大, 则 $I_E \approx I_C$

$$V_{BE} = 0.7 + \frac{1}{3} V_{CE} = R_2 \cdot 0.2 I_E$$

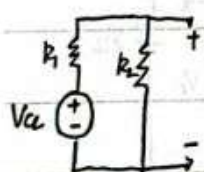
$$V_{CC} = (R_1 + R_2) \cdot 0.2 I_E$$

$$\frac{1}{3} V_{CC} = R_E I_E$$

$$\Rightarrow R_1 + R_2 = \frac{V_{CC}}{\frac{1}{3} I_E} = \frac{9}{0.1 \text{ mA}} = 90 \text{ k}\Omega$$

$$\frac{R_2}{R_1 + R_2} \cdot V_{CC} = \frac{1}{3} V_{CC} + 0.7 \Rightarrow$$

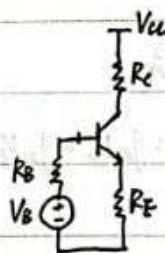
$$\left(\frac{R_2}{R_1 + R_2} - \frac{1}{3} \right) \cdot V_{CC} = 0.7 \Rightarrow \frac{R_2}{R_1 + R_2} - \frac{1}{3} = \frac{7}{90} \Rightarrow R_2 = 37 \text{ k}\Omega \therefore R_1 = 53 \text{ k}\Omega$$

(b) $\beta = 100$ 时: 戴维南等效:

$$V_B' = \frac{R_2}{R_1 + R_2} \cdot V_{CC} = 3.7 \text{ V}$$

$$R_B = R_1 // R_2 = 21.79 \text{ k}\Omega$$

$$\text{上-问: } R_E = \frac{V_{CC}}{3 I_E} = \frac{9}{3 \times 0.5 \times 10^{-3}} = 6 \text{ k}\Omega$$

 \Rightarrow 

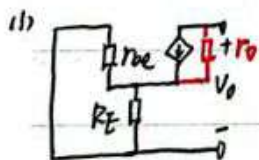
$$\therefore V_B' = I_B R_B + 0.7 + (1 + \beta) R_E I_B$$

$$\Rightarrow I_B = \frac{V_B' - 0.7}{R_B + (1 + \beta) R_E} = 4.79 \times 10^{-3} \text{ mA}$$

$$\therefore I_E = (1 + \beta) I_B = 0.483 \text{ mA}$$

知识点3: 相关交流模型计算

[P2-Ex.2]



$$R_o = \frac{V_o}{i_o} = \frac{r_{be} + (1 + \beta) r_o R_E}{\beta r_o} = \frac{r_{be} + (1 + \beta) R_E}{\beta} \quad \text{X.}$$

怎么还有 r_o <小量> ..

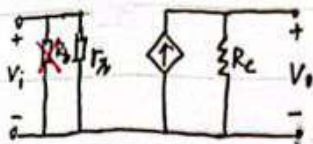
$$R_o = \frac{V_o}{i_o} = \frac{\beta i_b r_o + i_b (1 + \beta) (R_E // r_o)}{\beta i_b}$$

 \downarrow 

<这题搞懂的, 不做了...>

[P3-Ex.1]

小信号模型:



$$A_v = \frac{V_o}{V_i} = \frac{-\beta R_c}{(R_b // r_{be})}$$

这里的 R_b 相当于电流源 V_i 的内阻就行了。 β 未知, 得由静态求解:

$$\text{静态中 } V_{cc} = V_{CE} + I_C R_c = 7 + 1 \times 2 = 9V$$

真是错先了... 这题正确方法应该是

$$I_b = \frac{V_{cc} - 0.7}{R_b} = \frac{6.3V}{470k\Omega} \approx 0.0134mA$$

$$g_m = \frac{I_C}{V_T} = \frac{\beta}{r_{be}} \quad \therefore \beta = r_{be} \cdot g_m$$

$$\therefore \beta = \frac{I_C}{I_b} = 74.60$$

$$R_b // r_{be} = \frac{470 \times 10^3 \times 1.6 \times 10^3}{470 \times 10^3 + 1.6 \times 10^3} = 1.595k\Omega$$

$$A_v = -\frac{\beta R_c}{r_{be}} = -g_m R_c = -76.92$$

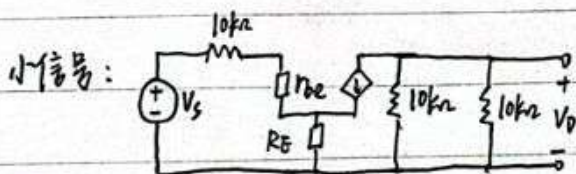
$$\therefore A_v = -74.6 \times \frac{2}{1.595} = -93.54$$

~~注: 题中没并 R_b , 我觉得有悖~~

[P3-Ex.3]

$$(1) \text{ 解: 先算静态: } I_C = \frac{\beta I_E}{1+\beta} = \frac{50}{51} \times 0.2mA$$

$$\therefore g_m = \frac{I_C}{V_T} = \frac{\beta}{r_{be}}, r_{be} = \frac{\beta}{g_m} = \frac{\beta V_T}{I_C} = 50 \times \frac{26}{\frac{50}{51} \times 0.2} = 6.63k\Omega$$



$$R_{in} = r_{be} + (1+\beta)R_E$$

$$= 6630 + 51 \times 125\Omega = 13.005k\Omega$$

$$\frac{V_o}{V_i} = \frac{-\beta \cdot 5k\Omega}{r_{be} + (1+\beta)R_E} = \frac{-50 \times 5k\Omega}{13.005k\Omega} = -19.223$$

$$\frac{V_i}{V_s} = \frac{R_{in}}{R_{in} + R_s} = \frac{13.005}{13.005 + 10}$$

$$\therefore \frac{V_o}{V_s} = -10.867$$

$$(2) \text{ 解: } V_{be} \leq 5mV \Rightarrow V_i = \frac{r_{be} + (1+\beta)R_E}{r_{be}} \cdot V_{be} \leq 9.808mV$$

$$\Rightarrow V_s \leq \frac{17.35mV}{5.544} = 3.13mV$$

$$|V_o| \leq 188.539mV$$

求反了。

No.

Date

[P3-Ex.8] 解: <共集放大电路>

先解直流:

静态:

$$g_m = \frac{I_c}{V_T} = \frac{\beta}{r_{be}}$$

$$V_{ce} = I_c R_c + 0.7 + I_b R_s$$

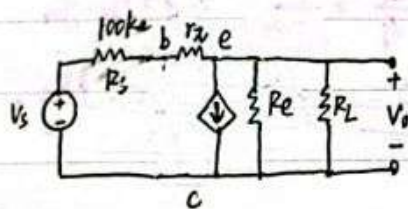
$$\therefore I_b = \frac{V_{ce} - 0.7}{R_s + (1+\beta)R_c} = \frac{5 - 0.7}{100 + 121 \times 3.3} = 8.612 \times 10^{-3} \text{ mA}$$

$$\therefore I_c = 1.033 \text{ mA}$$

$$I_E = 1.042 \text{ mA}$$

$$\therefore r_{be} = \frac{\beta V_T}{I_c} = \frac{120 \times 25 \text{ mV}}{1.033 \text{ mA}} = 2.904 \text{ k}\Omega = 2.9 \text{ k}\Omega$$

∴ 小信号模型:



$$R_i = (1+\beta)(R_E \parallel R_L) + R_s + r_{be} = 95.76 \text{ k}\Omega$$

$$R_o = R_E \parallel R_L + \frac{R_s + r_{be}}{1+\beta}$$

$$R_E \parallel R_L = \frac{3.3 \times 1}{3.3 + 1} = 0.85 \text{ k}\Omega$$

$$\begin{aligned} \therefore \frac{V_o}{V_s} &= \frac{V_o}{V_i} \cdot \frac{V_i}{V_s} = \frac{R_i}{R_i + R_s} \cdot \frac{(1+\beta)(R_E \parallel R_L)}{(1+\beta)(R_E \parallel R_L) + r_{be}} \\ &= \frac{95.76}{95.76 + 100} \cdot \frac{121 \times \frac{3.3 \times 1}{3.3 + 1}}{121 \times \frac{3.3 \times 1}{3.3 + 1} + 2.9} = 0.474 \end{aligned}$$

[P3-Ex.9] 解:

$$\beta = 100, I_c = 1 \text{ mA}, R_c = 5 \text{ k}\Omega, g_m = \frac{I_c}{V_T}$$

$$A_v = -\frac{\beta I_b R_c}{I_c R_{be}} = -g_m R_c = -\frac{1}{25} \times 5 \times 10^3 = -200$$

[P3-Ex.10] 解:

$$V_{B'} = \frac{39}{120 + 39} \times 12 \text{ V} = 2.943 \text{ V}$$

$$R_B = R_{B1} \parallel R_{B2} = 29.43 \text{ k}\Omega$$

$$\therefore \text{静态: } V_{B'} = I_B R_B + 0.7 + I_E R_E$$

$$\therefore I_{BQ} = \frac{V_{B'} - 0.7}{R_B + (1+\beta)R_E} = 0.016 \text{ mA}$$

$$I_{CQ} = \beta I_{BQ} = 0.821 \text{ mA} \quad V_{CEQ} = V_{cc} - I_{CQ} R_c - I_{EQ} R_E = 7.038 \text{ V}$$

$$I_{EQ} = 0.838 \text{ mA}$$

<答案有问题, 这题 $\beta > 50$, I_{CQ} , I_{EQ} 差别大小>