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### ECEN 489 - Applied Data Science

### Homework 2

#### Libraries =>

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import metrics
sns.set()
```

We are given unit variance (1) and zero mean Below the irreducible error is calculated

```
#Initializing the random error
mean, std = 0,1
#Number of values being tested
count = 3
#Creating the random error distribution
E = np.random.normal(mean, std, count)
#Values of the error at given instances
print('Irreducible Error at the 3 points',E)
Irreducible Error at the 3 points [ 4.42145873e-01 -1.34622794e+00 -1.28965790]
```

# - 1) - A

Y = f(X) + E is the general form of a quantitive response for Y therefore the regression function f(X) = 1 + X, given that the model of Y = 1 + X + E.

```
#creating x = 1,2,..count
X = np.arange(1,count+1,1,dtype=float)
#initializing Y
Y = np.zeros(count,dtype=float)
print('X = ',X)
```

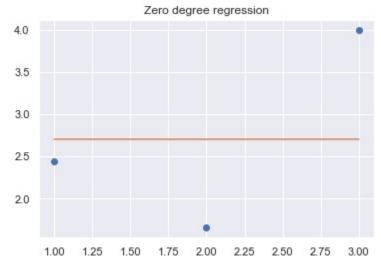
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## 1) - B

#### Below I will show fitting the data to a 0th degree regression

```
#This funtion produces a polynomial to fit to 0th degree
B_0_zero_degree = np.polyfit(X,Y,0)
#Plotting the scatterplot of the original data
plt.plot(X,Y,'o')
#Plotting the 0th degree regression
plt.plot(X,X*0 + B_0_zero_degree)
plt.title('Zero degree regression')
```





#### Below I will show fitting the data to a 1st degree regression

```
#generating the coefficients of the first order regresison
[B_1_1st,B_0_1st] = np.polyfit(X,Y,1)
#printing the coeggicents
print('B_0 first degree = ', B_0_1st )
print('B_1 first degree = ', B_1_1st)
#plotting the original data
plt.plot(X,Y,'o')
#potting the regression
```

2.0

1.00

1.25

1.50

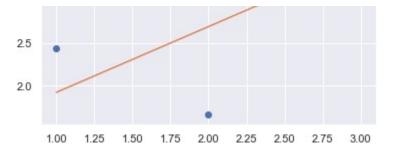
1.75

2.00

2.25

2.50

2.75



### Below I will shot fitting the data to a 2nd degree regression

```
#Generating the second degree regression
[B 2 2nd, B 1 2nd, B 0 2nd] = np.polyfit(X,Y,2)
#Printing the coefficents
print('B 0 second degree = ', B 0 2nd)
print('B_1 second degree = ', B_1_2nd)
print('B_2 second degree = ', B 2 2nd)
#Plotting the original data
plt.plot(X,Y,'o')
#Ploting the regression
plt.plot(X,((X**2) * B_2_2nd + X * B_1_2nd + B_0_2nd))
plt.title('Second Degree Regression')
    B 0 second degree = 6.363831779915271
    B 1 second degree = -5.488341954672097
    B 2 second degree = 1.5666560473555577
    Text(0.5, 1.0, 'Second Degree Regression')
                    Second Degree Regression
     4.0
     3.5
     3.0
     2.5
```

```
Y predicted = 2.442145872598732
Y real 2.4421458725987324
Y predicted = 1.6537720599933081
Y real 1.653772059993311
Y predicted = 3.9987103420990007
Y real 3.998710342099
training error for M2 = 3.106139814307734e-30
```

## 1) - C

Now creating the 1000 different test cases, This is just the Y and irreducible error values. I will stores values momentarily in arrays while computing them and then place them inside of a dataframe for ease of use later on

IM 2 2nd!

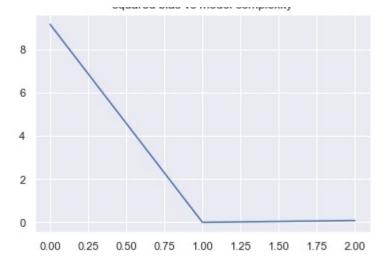
### Now the constants for the regresisons will be calculated and stored in arrays

```
#initiating arrays to store the constants of the regressions
#0th degree
cnst_0 = np.zeros(set_amount, dtype = float)
#1st degree
cnst_1 = np.zeros((set_amount,2), dtype = float)
#2nd degree
cnst_2 = np.zeros((set_amount,3), dtype = float)
```

#### Calculating the regressions

```
#This will run for all training sets
for i in range(0,set_amount):
    #calculating 0th degree constant(s)
    cnst_0[i] = np.polyfit(X,Y_real[i,:],0) #b0_0
    #calculating 1st degree constant(s)
    cnst_1[i,:] = np.polyfit(X,Y_real[i,:],1) #b1_1, b0_1
    #calculating 2nd degree constant(s)
    cnst_2[i,:] = np.polyfit(X,Y_real[i,:],2) #b2_2, b1_2, b0_2
print(cnst 2[1,:])
```

1) - D



```
for i in range(0, set_amount):
    IE_f5 = np.random.normal(mean, std, 5)
    Y_5 = 6 + IE_f5[4]
    diff_0[i] = (Y_5 - est_5_0[i])**2
    diff_1[i] = (Y_5 - est_5_1[i])**2
    diff_2[i] = (Y_5 - est_5_2[i])**2
```