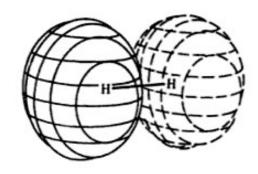
Molecular Orbital Theory of H₂



$$\psi_{anti-bonding} = \frac{1}{2[1-S]} \left[\phi_{1s_A}^1 \phi_{1s_A}^2 + \phi_{1s_B}^1 \phi_{1s_B}^2 - \phi_{1s_A}^1 \phi_{1s_B}^2 - \phi_{1s_B}^1 \phi_{1s_A}^2 \right]$$

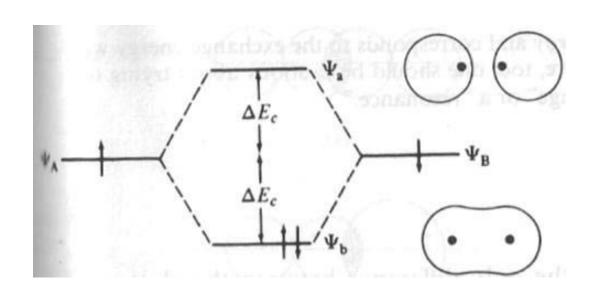
$$\frac{1}{2[1-S]} \left[1s_A(1) \cdot 1s_A(2) + 1s_B(1) \cdot 1s_B(2) - 1s_A(1) \cdot 1s_B(2) - 1s_B(1) \cdot 1s_A(2) \right]$$

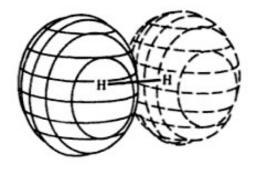


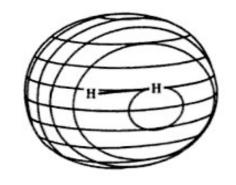
$$\nu_{bonding} = \frac{1}{2[1+S]} \left[\phi_{1s_A}^1 \phi_{1s_A}^2 + \phi_{1s_B}^1 \phi_{1s_B}^2 + \phi_{1s_A}^1 \phi_{1s_B}^2 + \phi_{1s_B}^1 \phi_{1s_A}^2 \right]$$

$$\frac{1}{2[1+S]} \left[1s_A(1) \cdot 1s_A(2) + 1s_B(1) \cdot 1s_B(2) + 1s_A(1) \cdot 1s_B(2) + 1s_B(1) \cdot 1s_A(2) \right]$$

Molecular Orbital Theory of H₂



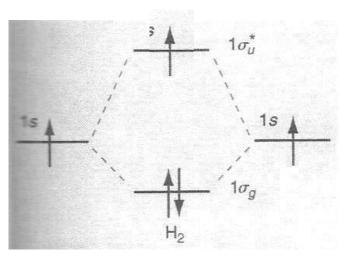


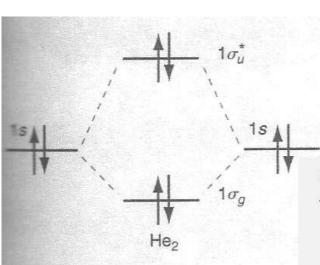


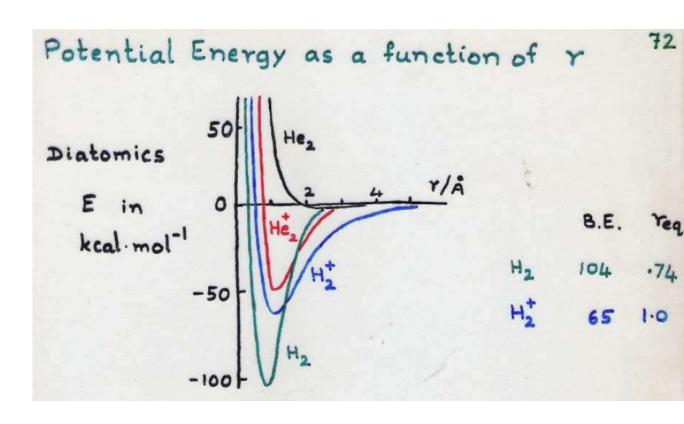
Effective nuclear charge changes the absolute energy Levels and the size of orbitals!

Matching of energies of AOs important for LCAO-MO If energies are not close to each other, they would Not interact to form MOs.

Diatoms of First Row: H₂⁺, H₂, He₂, He₂⁺



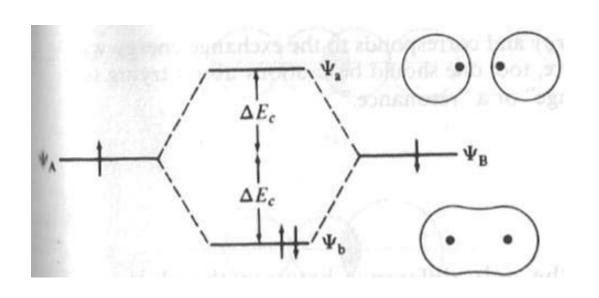


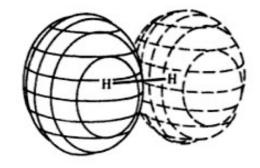


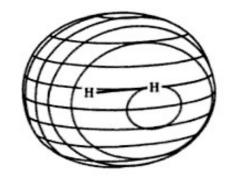
Molecular properties of H₂⁺, H₂, He₂⁺, and He₂.

Species	Number of electrons	Ground-state electron configuration	Bond order	Bond length/pm	Binding energy/kJ·mol ⁻¹
11,	1	$(\sigma_{g} 1s)^{1}$	1/2	106	268
H ₂	2	$(\sigma_{\rm g}^{\circ} ls)^2$	1	74	457
He ₂ ⁺	3		1/2	108	241
He ₂	4	$(\sigma_{g} 1s)^{2} (\sigma_{u} 1s)^{4}$ $(\sigma_{g} 1s)^{2} (\sigma_{u} 1s)^{2}$	0	≈ 6000	≪ 1

Molecular Orbital Theory of H₂



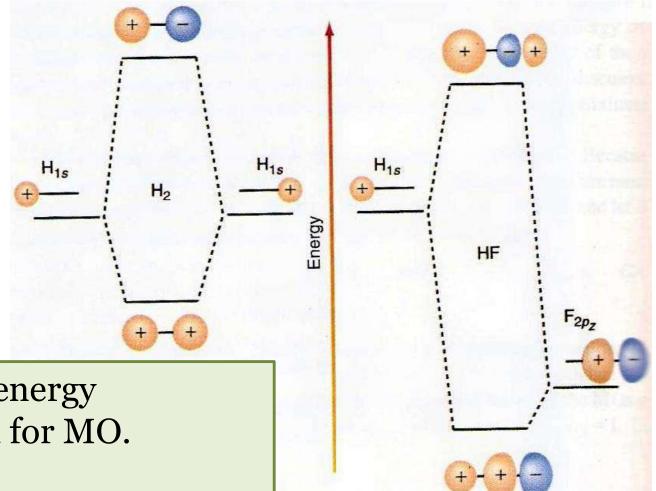




Effective nuclear charge changes the absolute energy levels and the size of orbitals!

Matching of energies of AOs important for LCAO-MO, if the energies of two Aos are not close they will not interact to form MOs.

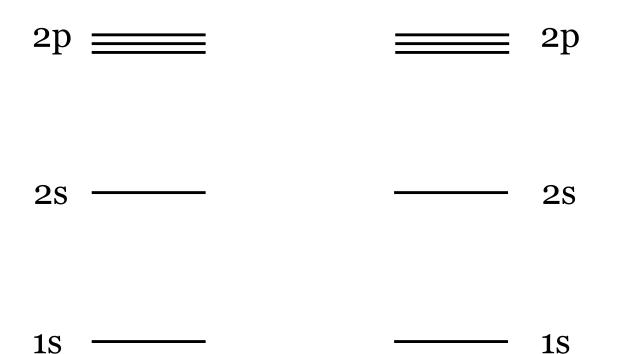
Matching of AO energies for MO



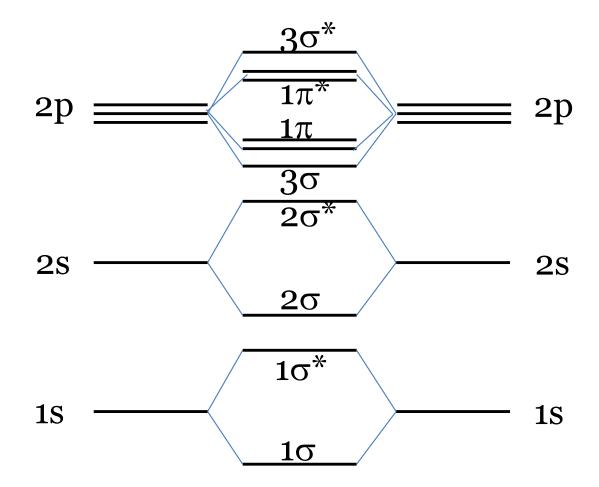
Both symmetry and energy Matching is required for MO.

Valence electrons are most important

Due to large difference in energy of $\mathbf{1s}(H)$ and $\mathbf{1s}(F)$, LCAO-MO for both 1S is not feasible in HF. Rather, $\mathbf{2p}_{z}(F)$ and $\mathbf{1s}(H)$ form a sigma bond.

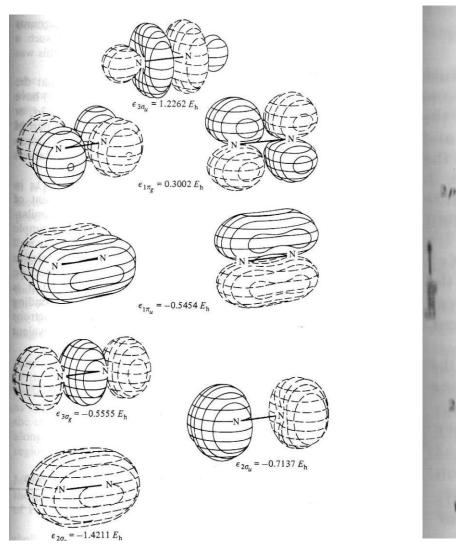


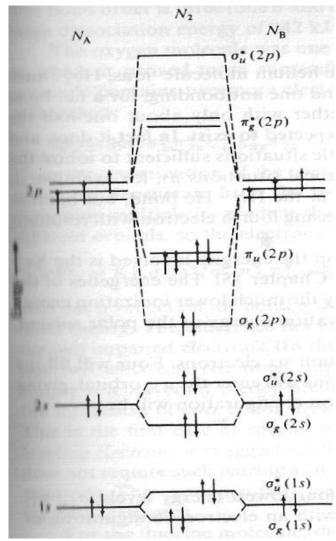
The orbital energies of the two approaching atoms are identical before they start interacting to form a BOND



The interaction between the energy and symmetry matched orbitals leads to various types of BONDs

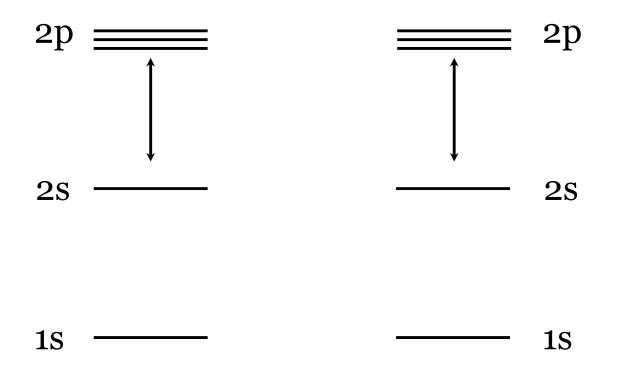
MO Energies of Dinitrogen





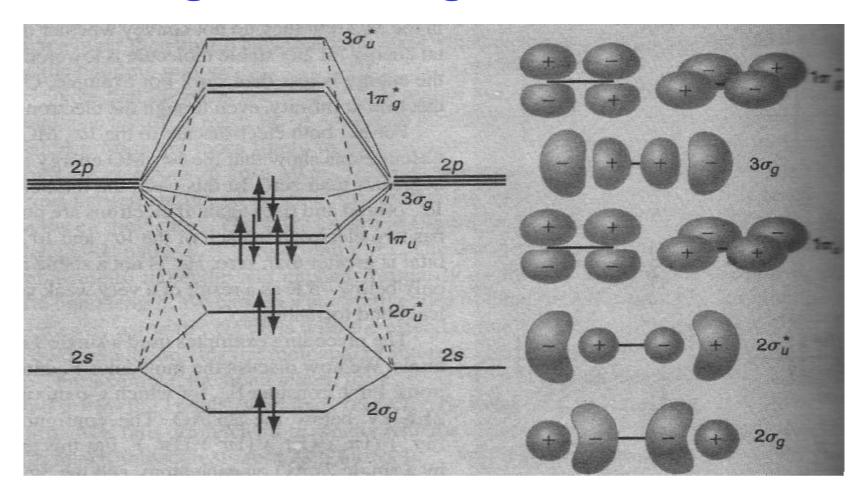
Experiments tell us this picture is incorrect!

The 2s and 2p orbitals are degenerate in Hydrogen. However in the many electron atoms these two sets of orbitals are no longer degenerate.



The difference in the energies of the 2s and 2p orbitals increases along the period. Its is minimum for Li and maximum for Ne

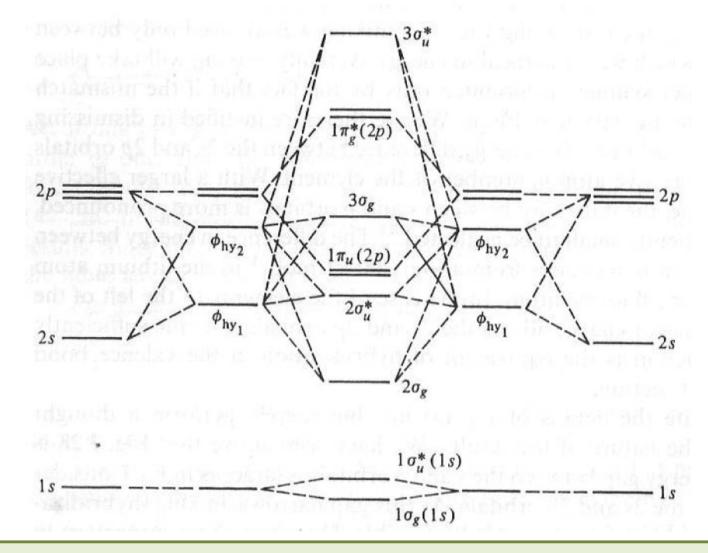
MO Energies of Dinitrogen



Mixing of 2s and 2p orbital occur because of small energy gap between them 2s and 2p electrons feels not so different nuclear charge.

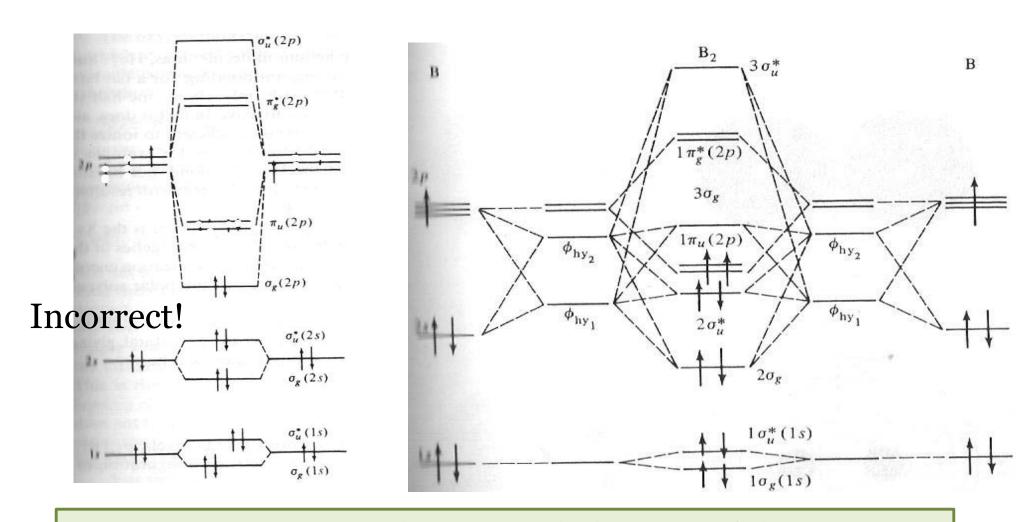
Note how the MO of $2s \rightarrow \sigma$ have p-type looks, while π -levels are clean

s-p Mixing: Hybridization of MO



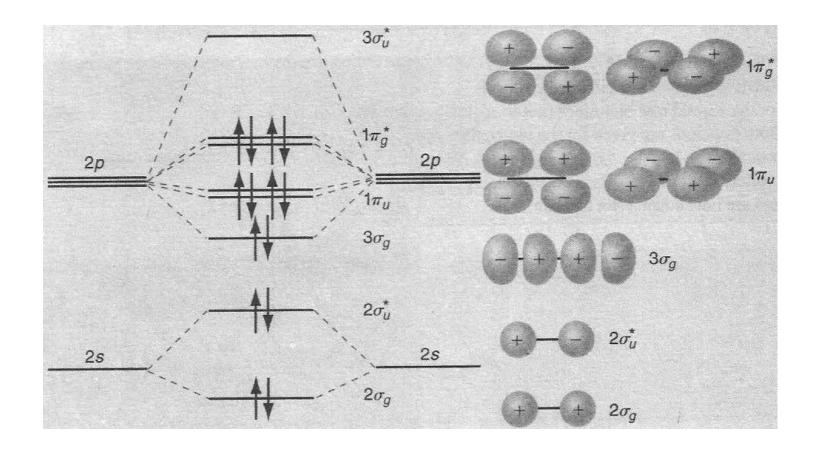
Mixing of 2s and 2p orbital occur because of small energy gap between them 2s and 2p electrons feels not so different nuclear charge

s-p Mixing: Hybridization of MO



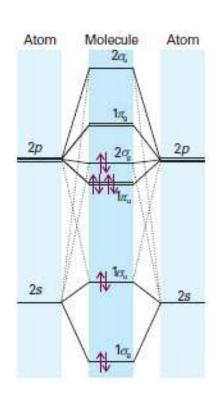
 B_2 is paramagnetic. This can only happen if the two electrons with parallel spin are placed in the degenerate π -orbitals and if π orbitals are energetically lower than the σ orbital

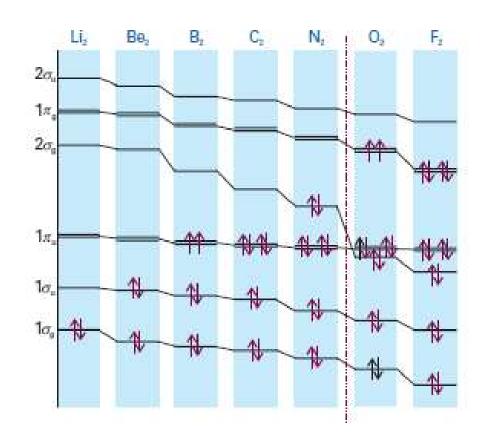
MO diagram of F₂: No s-p Mixing

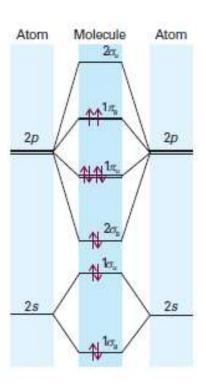


No Mixing of **s** and **p** orbital because of higher energy Gap between **2s** and **2p** levels in Oxygen and Fluorine! **2s** and **2p** electrons feels very different nuclear charge

MO Energy Level Diagram for Homo-Diatomics



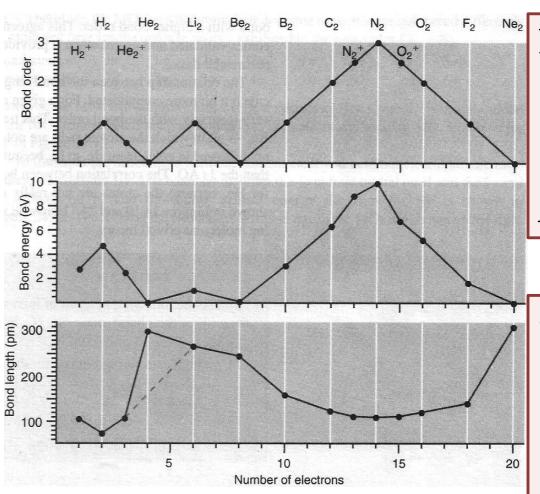




Upto N₂

Beyond N_2

Bond-Order and Other Properties



$$N_{2}: (1\sigma_{g})^{2} (1\sigma_{u}^{*})^{2} (2\sigma_{g})^{2} (2\sigma_{u}^{*})^{2} (1\pi_{ux})^{2} (1\pi_{uy})^{2} (3\sigma_{g})^{2}$$

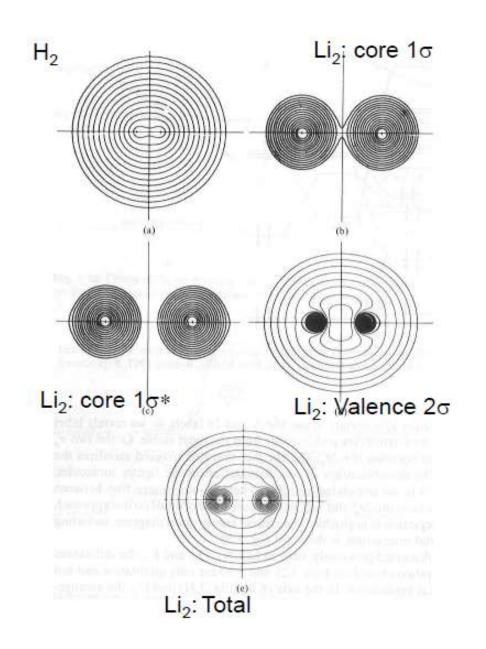
BO = 3 All spins paired: diamagnetic

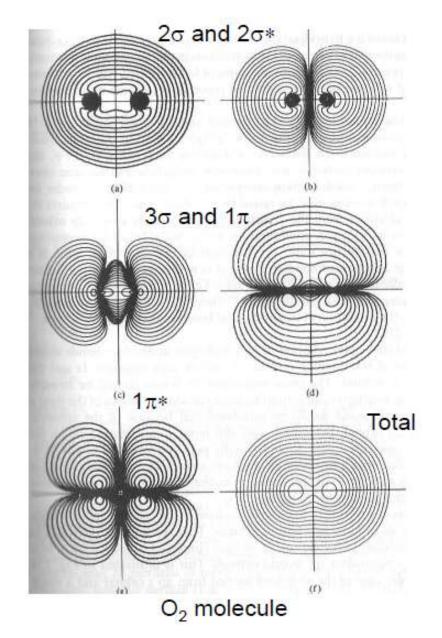
$$O_{2}: (1\sigma_{g})^{2} (1\sigma_{u}^{*})^{2} (2\sigma_{g})^{2} (2\sigma_{u}^{*})^{2} (3\sigma_{g})^{2} (1\pi_{ux})^{2} (1\pi_{uy})^{2} (1\pi_{ux})^{1} (1\pi_{uy}^{*})^{1}$$

$$BO = 2$$

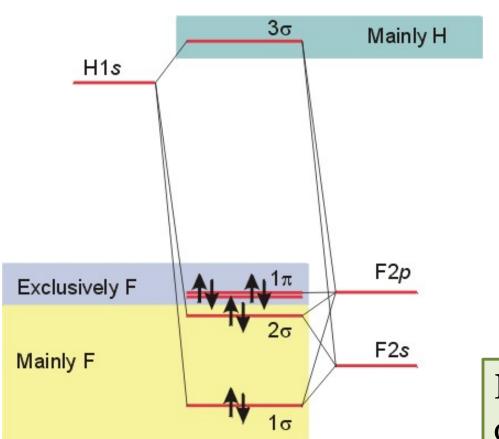
2 spins unpaired: paramagnetic

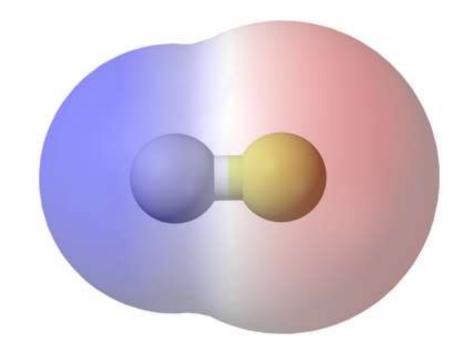
MO Contours and Electron Density





Hetero-Diatomics: HF





Due to higher electronegativity of F than H, the electron distribution is lopsided

Hetero-Diatomics: HCl

For Cl **3p** states close in energy to the **1s** of H

