

# **ASSIGNMENT 3 AI**

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## Table of Contents

1. Medium Challenges .....	3
1.1 Queens Attack II: .....	3
1.2 Sherlock and Anagrams .....	5
2. Hard Challenges .....	7
2.1 Almost Sorted: .....	7
2.2 Matrix Layer Rotation: .....	10

Q: Complete **only Medium and Hard** challenges of Python from <https://www.hackerrank.com/>

## 1. Medium Challenges

**1.1 Queens Attack II:** This challenge involves calculating how many squares the queen can attack on an  $n \times n$  chessboard. It's a great exercise to understand grid-based problems and edge-case handling.

### Understanding the Problem

- The chessboard is  $n \times n$  in size.
- The queen can move horizontally, vertically, and diagonally until she encounters an obstacle or the edge of the board.
- You are given the queen's position and the positions of obstacles.

### Algorithm

**Initialize Counters:** Initialize eight counters for each direction (up, down, left, right, and the four diagonals).

**Calculate Maximum Distances:** For each direction, calculate the maximum distance the queen can move without any obstacles. This will be limited by the edges of the board.

**Adjust for Obstacles:** For each obstacle, determine if it blocks the queen's path. If it does, update the maximum distance for that direction to be the distance from the queen to the obstacle, minus one.

**Sum the Distances:** Add up the maximum distances the queen can move in each direction. This sum is the total number of squares she can attack.

## Implementation in Python

```
1 def queensAttack(n, k, r_q, c_q, obstacles):
2     # Initialize directions: up, down, left, right, and diagonals
3     up = down = left = right = up_left = up_right = down_left =
        down_right = 0
4
5     # Calculate initial maximum distances
6     up = n - r_q
7     down = r_q - 1
8     left = c_q - 1
9     right = n - c_q
10    up_left = min(up, left)
11    up_right = min(up, right)
12    down_left = min(down, left)
13    down_right = min(down, right)
14
15    # Adjust distances for each obstacle
16    for obs in obstacles:
17        r_o, c_o = obs
18        # Check each direction and update if the obstacle is blocking
19        # ...
```

```
20
21    # Sum up the distances
22    total_attack_squares = up + down + left + right + up_left + up_right
        + down_left + down_right
23    return total_attack_squares
24
25 # Write Python 3 code in this online editor and run it.
26 print("Hello world")
```

**1.2 Sherlock and Anagrams:** In this problem, you need to determine the number of anagrammatic pairs of substrings in a string. It's a good challenge for practicing string manipulation and hash tables.

### Understanding the Problem

- A substring is anagrammatic to another if they contain the same characters, regardless of the order.
- You need to count pairs of substrings that are anagrams of each other.

### Algorithm

***Iterate Over All Possible Substrings:*** Generate all possible substrings of the given string.

***Sort & Hash Substrings:*** For each substring, sort its characters (so anagrams will be identical) and use a hash table to count identical sorted substrings.

***Count Anagrammatic Pairs:*** For each group of identical sorted substrings in the hash table, calculate the number of pairs. If a group has  $n$  identical substrings, the number of anagrammatic pairs is  $n * (n - 1) / 2$  (combinatorial formula for pairs).

## Implementation in Python

```
1  # Onfrom collections import defaultdict
2
3  def sherlockAndAnagrams(s):
4      # Hash table to store counts of sorted substrings
5      substrings = defaultdict(int)
6
7      # Generate all substrings and count their sorted forms
8      for i in range(len(s)):
9          for j in range(i + 1, len(s) + 1):
10             substring = ''.join(sorted(s[i:j]))
11             substrings[substring] += 1
12
13     # Count anagrammatic pairs
14     count = 0
15     for key in substrings:
16         count += substrings[key] * (substrings[key] - 1) // 2
17
18     return count
19
20 # Example usage
```

```
21  s = "abba"
22  print(sherlockAndAnagrams(s)) # Output will be
    the number of anagrammatic pairs
23  line Python compiler (interpreter) to run Python
    online.
24  # Write Python 3 code in this online editor and
    run it.
25  print("Hello world")
```

## 2. Hard Challenges

**2.1 Almost Sorted:** The "Almost Sorted" challenge on HackerRank asks to determine if an array can be sorted by either swapping just two elements or reversing a contiguous segment of the array. It's a great problem to test your understanding of sorting algorithms and array manipulation.

### Understanding the Problem

- You are given an unsorted array.
- The goal is to check if the array can be sorted by a single swap or a single reverse of a contiguous segment.
- If possible, you need to identify the indices that need to be swapped or the start and end indices of the segment to be reversed.

### Algorithm

- ❖ Check if Already Sorted: If the array is already sorted, print 'yes' and return.
- ❖ Find Unsorted Segments: Identify the segments of the array that are not in sorted order.
- ❖ Check for Swap or Reverse:
- ❖ If there is only one unsorted segment and swapping the first and last elements of this segment sorts the array, print 'yes', 'swap', and the indices.
- ❖ If the entire unsorted segment can be reversed to sort the array, print 'yes', 'reverse', and the start and end indices of the segment.
- ❖ If neither of the above conditions is met, print 'no'.

## Implementation in Python

```
1 # Odef almostSorted(arr):
2     # Function to check if the array is sorted
3     def is_sorted(a):
4         return all(a[i] <= a[i + 1] for i in
5                     range(len(a) - 1))
6
7     sorted_arr = sorted(arr)
8     if arr == sorted_arr:
9         print("yes")
10        return
```

```
11     # Identifying the indices where arr differs from sorted_arr
12     diff = [i for i in range(len(arr)) if arr[i] !=
13            sorted_arr[i]]
14
15     # Checking if it's possible to sort by swapping
16     if len(diff) == 2:
17         print("yes")
18         print("swap", diff[0] + 1, diff[1] + 1)
19         return
20
21     # Checking if it's possible to sort by reversing
22     if arr[diff[0]:diff[-1] + 1] == sorted_arr[diff[0]:diff[-1]
23        + 1][::-1]:
24         print("yes")
25         print("reverse", diff[0] + 1, diff[-1] + 1)
26         return
```



```

25
26     print("no")
27
28     # Example usage
29     almostSorted([1, 5, 4, 3, 2, 6])
30 ~ nldef almostSorted(arr):
31     # Function to check if the array is sorted
32 ~     def is_sorted(a):
33         return all(a[i] <= a[i + 1] for i in range(len(a) - 1))
34
35     sorted_arr = sorted(arr)
36 ~     if arr == sorted_arr:
37         print("yes")
38         return
39

```

```

40     # Identifying the indices where arr differs from sorted_arr
41     diff = [i for i in range(len(arr)) if arr[i] != sorted_arr[i]]
42
43     # Checking if it's possible to sort by swapping
44 ~     if len(diff) == 2:
45         print("yes")
46         print("swap", diff[0] + 1, diff[1] + 1)
47         return
48
49     # Checking if it's possible to sort by reversing
50 ~     if arr[diff[0]:diff[-1] + 1] == sorted_arr[diff[0]:diff[-1] + 1][
        ::-1]:
51         print("yes")
52         print("reverse", diff[0] + 1, diff[-1] + 1)
53         return
54
55     print("no")

```

```

56
57     # Example usage
58     almostSorted([1, 5, 4, 3, 2, 6])
59     ne Python compiler (interpreter) to run Python online.
60     # Write Python 3 code in this online editor and run it.

```

**2.2 Matrix Layer Rotation:** This challenge involves rotating the layers of a matrix. It's a complex problem that will test your skills in multidimensional array traversal and manipulation.

### **Understanding the Problem**

- ❖ Given a matrix, you need to rotate each layer of the matrix  $r$  times.
- ❖ A layer in a matrix is a set of elements forming a ring at the periphery of the matrix, gradually moving towards the center.
- ❖ The rotation is circular, so elements at one end move to the beginning.

### **Algorithm**

- ❖ **Decompose Matrix into Layers:** Break down the matrix into its constituent layers or rings.
- ❖ **Rotate Each Layer:** For each layer, rotate the elements by  $r$  positions. This rotation needs to be modular to handle cases where  $r$  is greater than the number of elements in the layer.
- ❖ **Reconstruct the Matrix:** After rotating each layer, reconstruct the matrix with the rotated layers.

## Implementation in Python

```
1 # Ondef rotateMatrixLayer(matrix, r):
2     rows, cols = len(matrix), len(matrix[0])
3     layers = min(rows, cols) // 2
4
5     # Function to get the elements of a layer
6     def getLayer(layer):
7         elements = []
8         for j in range(layer, cols - layer):
9             elements.append(matrix[layer][j])
10        for i in range(layer + 1, rows - layer):
11            elements.append(matrix[i][cols - layer - 1])
12        for j in range(cols - layer - 2, layer - 1, -1):
13            elements.append(matrix[rows - layer - 1][j])
14        for i in range(rows - layer - 2, layer, -1):
15            elements.append(matrix[i][layer])
16        return elements
17
18    # Function to set the elements of a layer
19    def setLayer(layer, elements):
20        idx = 0
21
22        for j in range(layer, cols - layer):
23            matrix[layer][j] = elements[idx]
24            idx += 1
25        for i in range(layer + 1, rows - layer):
26            matrix[i][cols - layer - 1] = elements[idx]
27            idx += 1
28        for j in range(cols - layer - 2, layer - 1, -1):
29            matrix[rows - layer - 1][j] = elements[idx]
30            idx += 1
31        for i in range(rows - layer - 2, layer, -1):
32            matrix[i][layer] = elements[idx]
33            idx += 1
34
35    # Rotate each layer
36    for layer in range(layers):
37        layer_elements = getLayer(layer)
```

```
37     rotation = r % len(layer_elements)
38     rotated_elements = layer_elements[rotation:] + layer_elements[
        :rotation]
39     setLayer(layer, rotated_elements)
40
41     return matrix
42
43 # Example usage
44 matrix = [[1, 2, 3, 4], [5, 6, 7, 8], [9, 10, 11, 12], [13, 14, 15,
    16]]
45 rotated_matrix = rotateMatrixLayer(matrix, 2)
46 for row in rotated_matrix:
47     print(row)
48 line Python compiler (interpreter) to run Python online.
49 # Write Python 3 code in this online editor and run it.
50 print("Hello world")
```