

You have n boxes labeled from 0 to $n - 1$. You are given four arrays: `status`, `candies`, `keys`, and `containedBoxes` where:

- `status[i]` is 1 if the i^{th} box is open and 0 if the i^{th} box is closed,
- `candies[i]` is the number of candies in the i^{th} box,
- `keys[i]` is a list of the labels of the boxes you can open after opening the i^{th} box.
- `containedBoxes[i]` is a list of the boxes you found inside the i^{th} box.

You are given an integer array `initialBoxes` that contains the labels of the boxes you initially have. You can take all the candies in any open box and you can use the keys in it to open new boxes and you also can use the boxes you find in it.

Return the maximum number of candies you can get following the rules above.

open/closed

Example 1:

0th box 1 2 3
↑ ↑ ↑ ↑

0 1 2 3

0th box contains
no keys ↑ 1st box contains no keys.

Input: status = [1,0,1,0], candies = [7,5,4,100], keys = [[],[],[1],[]], containedBoxes = [[1,2],[3],[],[]], initialBoxes = [0]

Output: 16

Explanation: You will be initially given box 0. You will find 7 candies in it and boxes 1 and 2.

Box 1 is closed and you do not have a key for it so you will open box 2. You will find 4 candies and a key to box 1 in box 2.

In box 1, you will find 5 candies and box 3 but you will not find a key to box 3 so box 3 will remain closed.

Total number of candies collected = $7 + 4 + 5 = 16$ candy.

Example 2:

0 1 2 3 4 5

0 1 2 3 4 5

0 1 2 3

Input: status = [1,0,0,0,0,0], candies = [1,1,1,1,1,1], keys = [[1,2,3,4,5],[],[],[],[],[]], containedBoxes = [[1,2,3,4,5],[],[],[],[],[]], initialBoxes = [0]

Output: 6

Explanation: You have initially box 0. Opening it you can find boxes 1,2,3,4 and 5 and their keys.

The total number of candies will be 6.

box no → 0 1 2

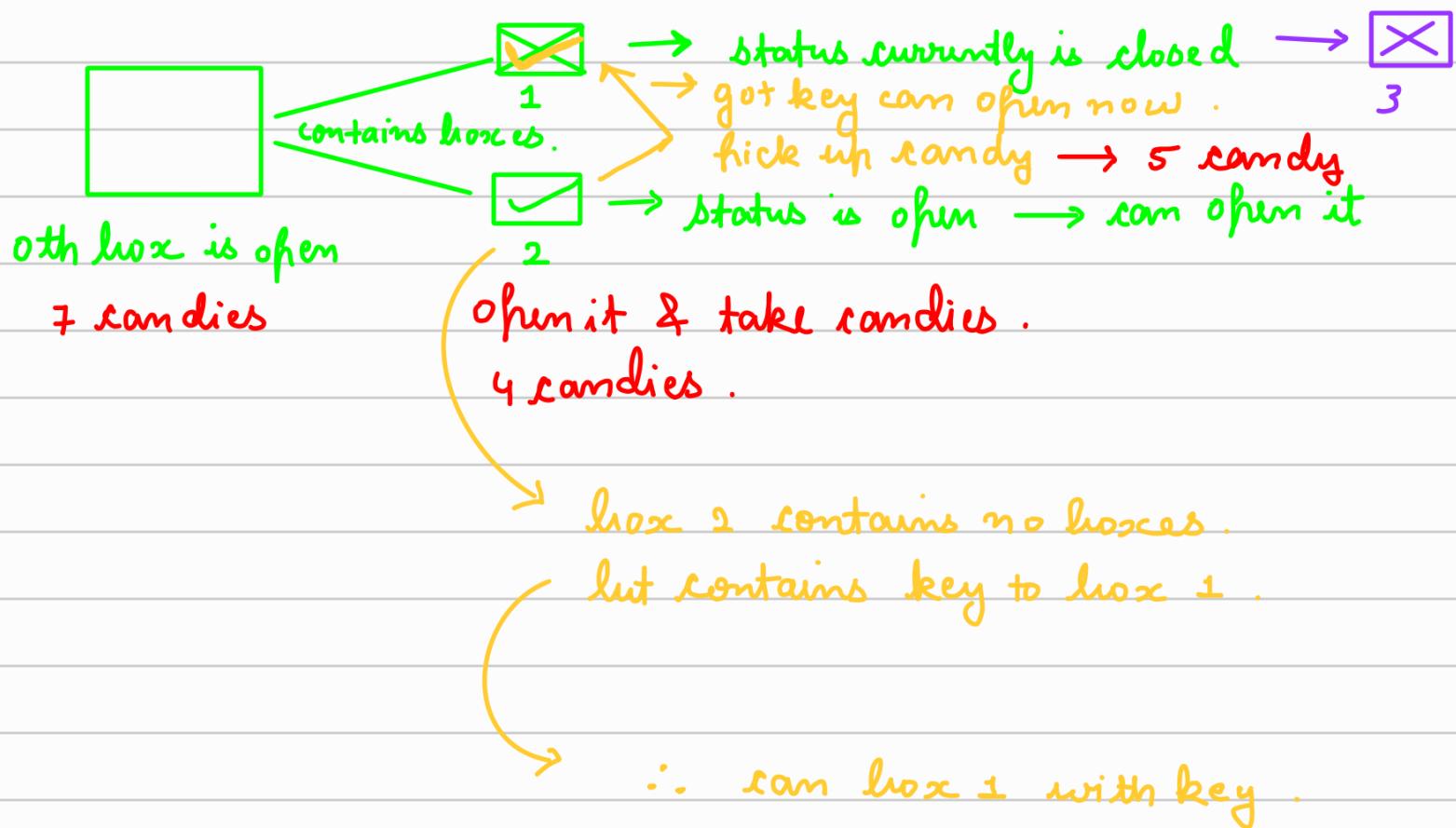
keys = [[], [], [1]]

each element tells what keys (which box's key) they contain & each element's index represent the box no.

Ex : box 2 contains box 1's key .

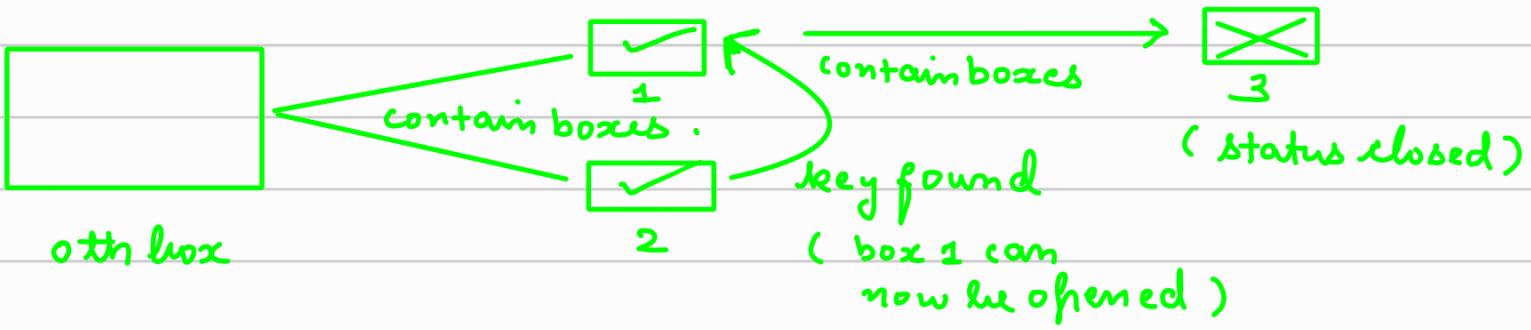
Thought Process

```
status = [1, 0, 1, 0]    candies = [7, 5, 4, 100]
          ^   ^   ^
          0   1   2   3
Keys   = [( ), ( ), (1), ( )]
          ^   ^   ^   ^
          0   1   2   3
contained Boxes = [(1,2), (3), ( ), ( )]
initial Boxes   = [0]
```

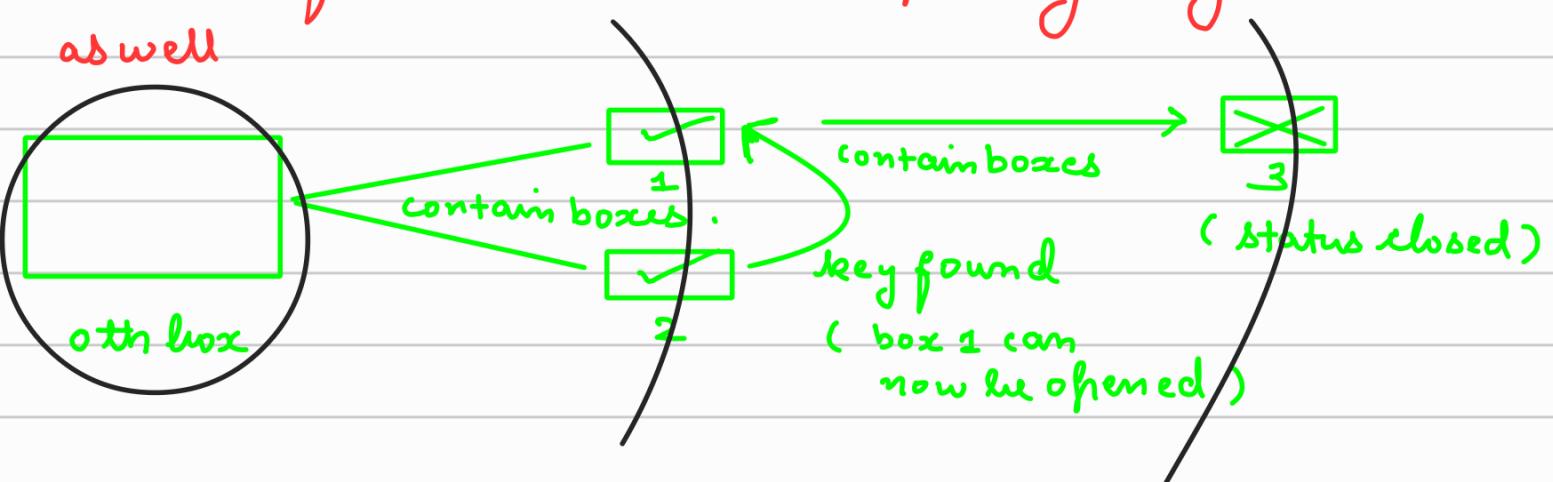


$$7 + 4 + 5 = 16 .$$

box 1 contains box 3 inside
box 3 status → closed.
no key found for box 3
∴ box 3 cannot be opened.



This diagram looks familiar to graph traversal.
 dfb traversal → we are going into depth
 (of boxes)
 can be lfs traversal → Exploring neighbours.
 as well



levels . Bfd .

Another Example :

$$\text{status} = [1, \underline{1}, 1] \quad \text{candies} = [100, 1, 100]$$

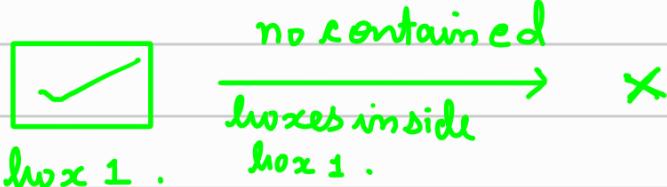
$$\text{Keys} = [(\cdot), (\cdot, 0.2), (\cdot^2)]$$

$$\text{contained Boxes} = [(\cdot), (\cdot), (\cdot^2)]$$

$$\text{initial Boxes} = [\underline{1}]$$

Initially box 1 ,

candies = 1 .



[Status: box 1 is open.]

1 candy

even though box 1
contains key of boxes
 $0 \neq 2$.

(do if it was closed
we could have opened it)
but there is no way
to reach those boxes
(as box 1 contains no
boxes inside it)

$\therefore \underline{\text{candies}} = 1$

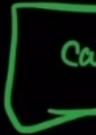
Observation : Even though found keys to box. $0 \neq 2$

But no way to reach them (box 0 & 2)

\therefore cannot open them (box 0 & 2)

so we will apply dfs from initial box given,

edge case

$\text{status} = [\begin{smallmatrix} \bullet & 1 & 2 \\ 1 & & 1 \end{smallmatrix}]$	$\text{candies} = [\begin{smallmatrix} \bullet & 1 & 2 \\ 100 & & 100 \end{smallmatrix}]$
$\text{Keys} = [(\bullet), (0, 2), (^2)]$	
$\text{contained Boxes} = [(1, \bullet), (\bullet, 2), ()]$	
$\text{initial Boxes} = [1]$	

in box 0 , we got box 1 & box 2

in box 1 , we got box 2 again .

so we won't visit box 2 again at box 1
(as we visited box already at box 2)

\therefore no duplicates \rightarrow don't visit visited box again
as candies will be taken from it during the first visit
 \therefore no point in visiting again (no candies will be present
to collect in second visit)

\therefore keep a visited array \rightarrow for visited boxes .

DFS

```
for ( int &box : initialBoxes ) {
```

```
    candies += dfs( box );
```

```
}
```

```
int dfs( box ) {
```

```
    if ( visited[ box ] == true ) {
```

```
        return 0;
```

```
}
```

```
    if ( status[ box ] == 0 ) { // check status of box
```

```
        foundBoxes.insert( box )  
        return 0;
```

if closed won't get anything.
∴ return 0;

```
}
```

```
visited[ Box ] = True; // mark
```

```
candies += candies[ Box ] box as
```

visited
→ add

```
candies
```

of current
box.

currently box is closed
in future we might get key
& status will be open
∴ keep a tally of found
boxes → take a ds
which stores unique values.
(no duplicates)

∴ unordered - set .
keeping a tally of boxes

found, so if found a key in future we might open it.

- // from current box which other boxes we can visit?
(current box contains which other boxes)
(can be found from contained Boxes array)

```
for (int insideBox : containedBoxes[box]) {  
    candies += dfs(insideBox); // apply dfs  
}
```

- // also what keys we found inside our current box.

```
for (int boxKey : Keys[box]) {  
    status[boxKey] = 1; // whichever box's key we find, change its status to 1 (can be opened).
```

- // can only be opened if key found & also that box was found as well (from inside some other box)
- ```
if (foundBoxes.count(boxKey)) {
```

```
candies += dfs(boxKey); // apply dfs on boxes
```

}

whose keys are found & the boxes themselves are found too.

return candies; // return total candies .

# DFS CODE



```
//Approach-1 (Using DFS)
//T.C : O(n), where n = number of boxes, we don't visit any box more than once
//S.C : O(n), visited & foundBoxes array .
class Solution {
public:

 int dfs(int box, vector<int>& status, vector<int>& candies, vector<vector<int>>& keys,
 vector<vector<int>>& containedBoxes, unordered_set<int>& visited, unordered_set<int>& foundBoxes) {

 if(visited.count(box)) {
 return 0;
 }

 if(status[box] == 0) {
 foundBoxes.insert(box);
 return 0;
 }

 visited.insert(box);
 int candiesCollected = candies[box];

 for(int &insideBox : containedBoxes[box]) {
 candiesCollected += dfs(insideBox, status, candies, keys, containedBoxes, visited,
foundBoxes);
 }

 for(int &boxKey : keys[box]) {
 status[boxKey] = 1; //can be opened
 if(foundBoxes.count(boxKey)) {
 candiesCollected += dfs(boxKey, status, candies, keys, containedBoxes, visited,
foundBoxes);
 }
 }

 return candiesCollected;
 }

 int maxCandies(vector<int>& status, vector<int>& candies, vector<vector<int>>& keys,
vector<vector<int>>& containedBoxes, vector<int>& initialBoxes) {

 int candiesCollected = 0;
 unordered_set<int> visited;
 unordered_set<int> foundBoxes;
 //T.C : O(n) visiting all box only once , n = number of boxes
 //S.C : O(n)
 for(int &box : initialBoxes) {
 candiesCollected += dfs(box, status, candies, keys, containedBoxes, visited, foundBoxes);
 }

 return candiesCollected;
 }
};
```

# BFS CODE



```
//Approach-2 (Using BFS)
//T.C : O(n), where n = number of boxes, we don't visit any box more than once
//S.C : O(n)
class Solution {
public:
 int maxCandies(vector<int>& status, vector<int>& candies, vector<vector<int>>& keys,
vector<vector<int>>& containedBoxes, vector<int>& initialBoxes) {

 int candiesCollected = 0;
 unordered_set<int> visited;
 unordered_set<int> foundBoxes;
 //T.C : O(n) visiting all box only once , n = number of boxes
 //S.C : O(n)

 queue<int> que; //insert those which you have now and you can open it
 for(int &box : initialBoxes) {
 foundBoxes.insert(box);
 if(status[box] == 1) {
 que.push(box);
 visited.insert(box);
 candiesCollected += candies[box];
 }
 }

 while(!que.empty()) {
 int box = que.front();
 que.pop();

 for(int &insideBox : containedBoxes[box]) {
 foundBoxes.insert(insideBox);
 if(status[insideBox] == 1 && !visited.count(insideBox)) {
 que.push(insideBox);
 visited.insert(insideBox);
 candiesCollected += candies[insideBox];
 }
 }

 for(int &boxKey : keys[box]) {
 status[boxKey] = 1; //can be opened in future if we reach this box
 if(foundBoxes.count(boxKey) && !visited.count(boxKey)) {
 que.push(boxKey);
 visited.insert(boxKey);
 candiesCollected += candies[boxKey];
 }
 }
 }

 return candiesCollected;
 }
};
```