

# Richard Nelson's model

# Richard Nelson's model explains why underdeveloped economies struggle to break free from poverty.

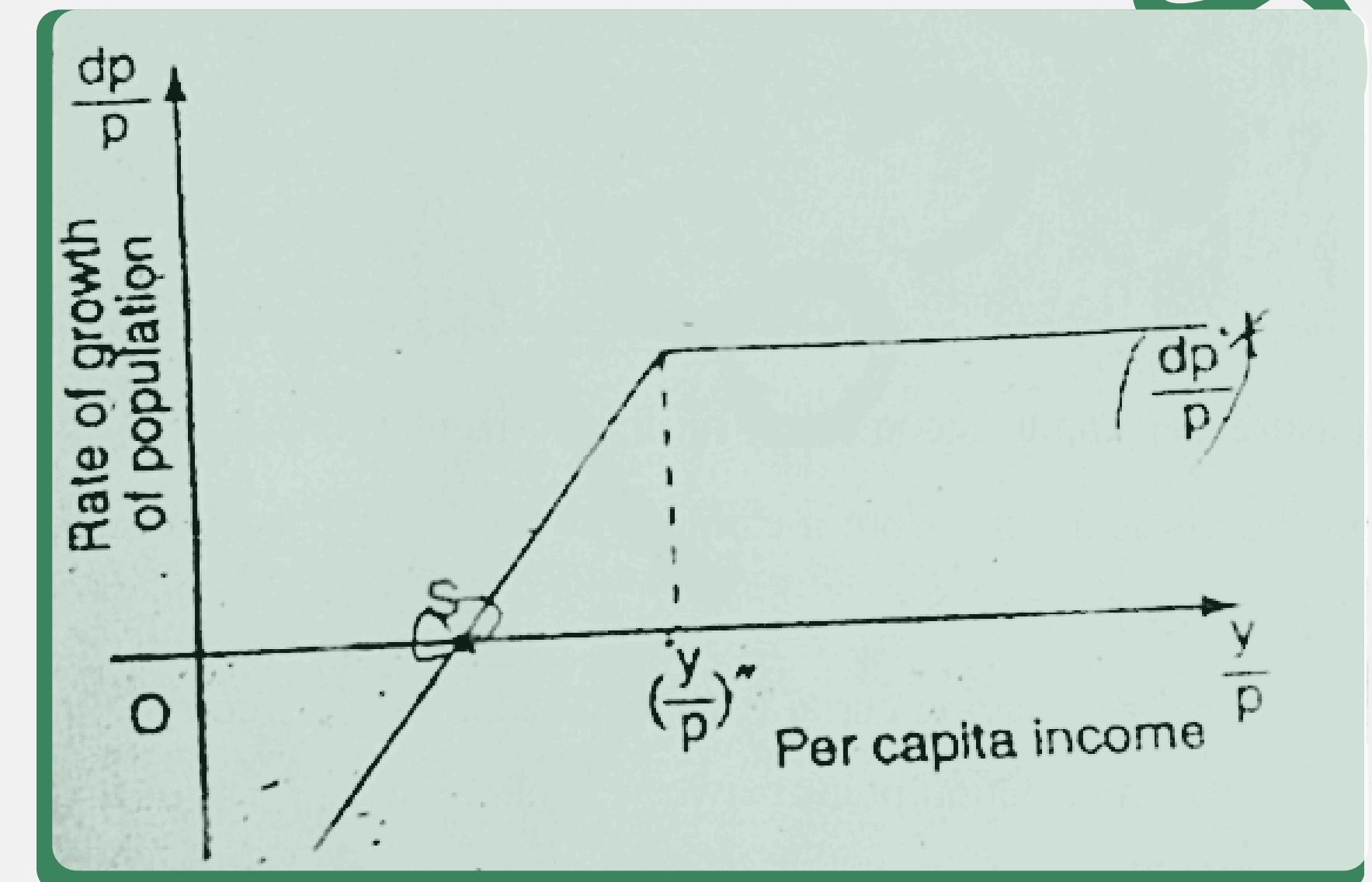
*Core idea:*

Per capita income is a measure of development.

**Per capita income =**  
**National Income / Population**

- If income grows faster than population → per capita income rises.
- If the population grows faster → per capita income falls.

The model shows how certain levels of income and population growth trap economies in low development.



# Introduction to the Low-Level Equilibrium Trap

## *Definition*

A low-level equilibrium trap is a situation where an economy is stuck in a state of low income, low savings, and low investment, making it difficult to break into sustained economic growth.

## *Main Idea:*

The population grows faster than income, so per capita income stays low, which in turn limits savings and investment, resulting in stagnant development.

$$Y = R(K, P)$$

Where,

Y = Total income/output

K = Capital

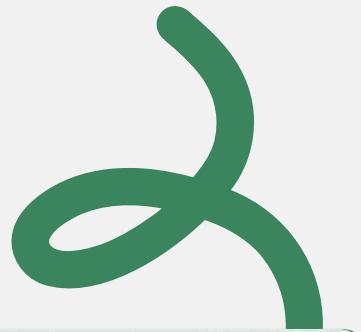
P = Population

R = Production function dependent on K and P

Per capita income depends on per capita capital (K/P).



# Per Capita Saving & Investment Relationship



*Output Function:*

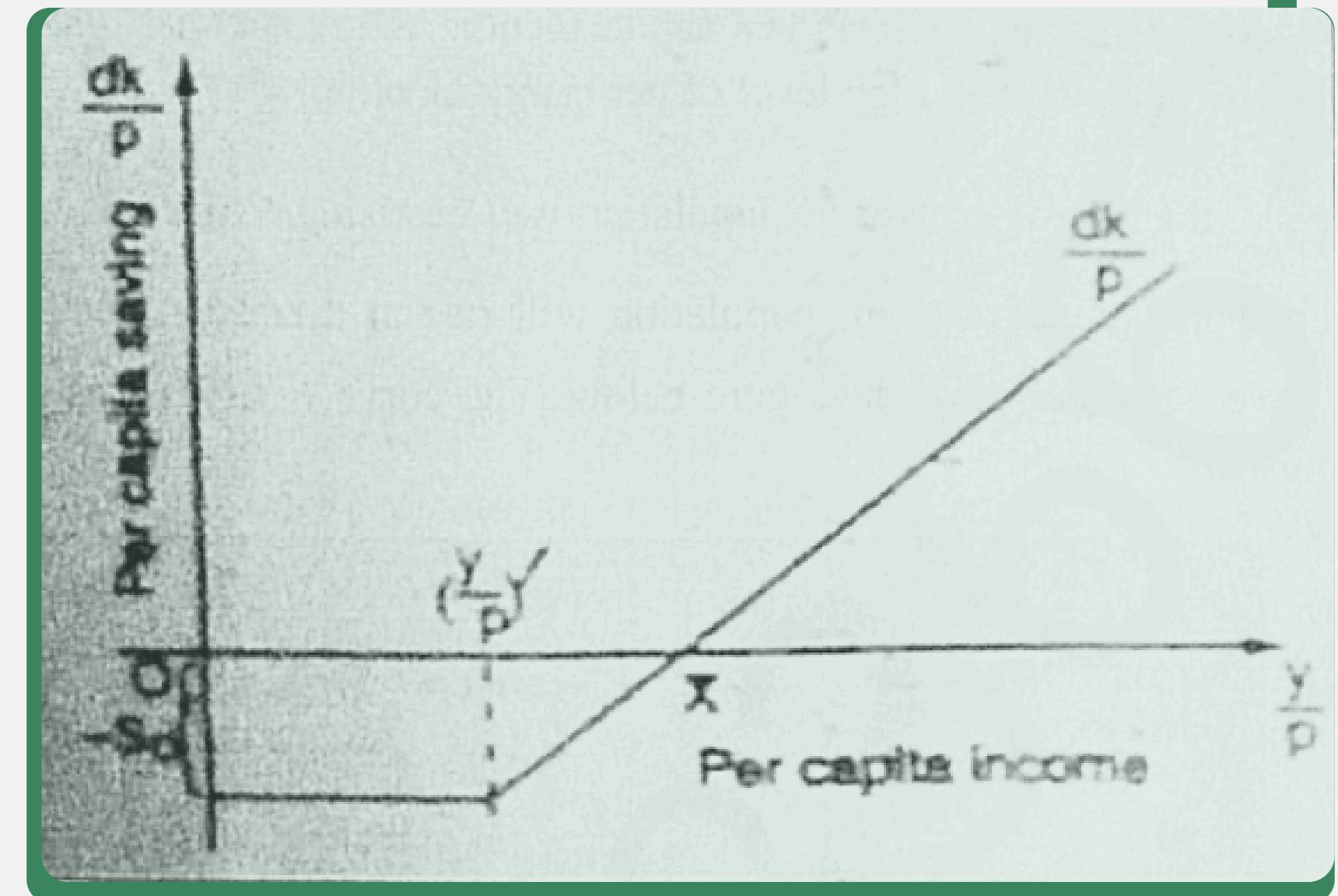
$$Y = F(K, P) \text{ (Capital & Population)}$$

$$\text{Savings} = \text{Investment} = dK$$

*Per capita saving ( $dK/P$ ) depends on per capita income ( $Y/P$ ).*

*Equation:*

- If  $Y/P > (Y/P)'$   $\rightarrow dK/P = b[Y/P - X]$  (savings increase)
- If  $Y/P \leq (Y/P)'$   $\rightarrow dK/P = -S_0$  (dissaving occurs)



$X$  = Zero-saving income level.

As  $Y/P$  increases past a point, per capita saving starts to rise

# Population Growth vs Per Capita Income

Population growth rate ( $dP/P$ ) also depends on  $Y/P$ :

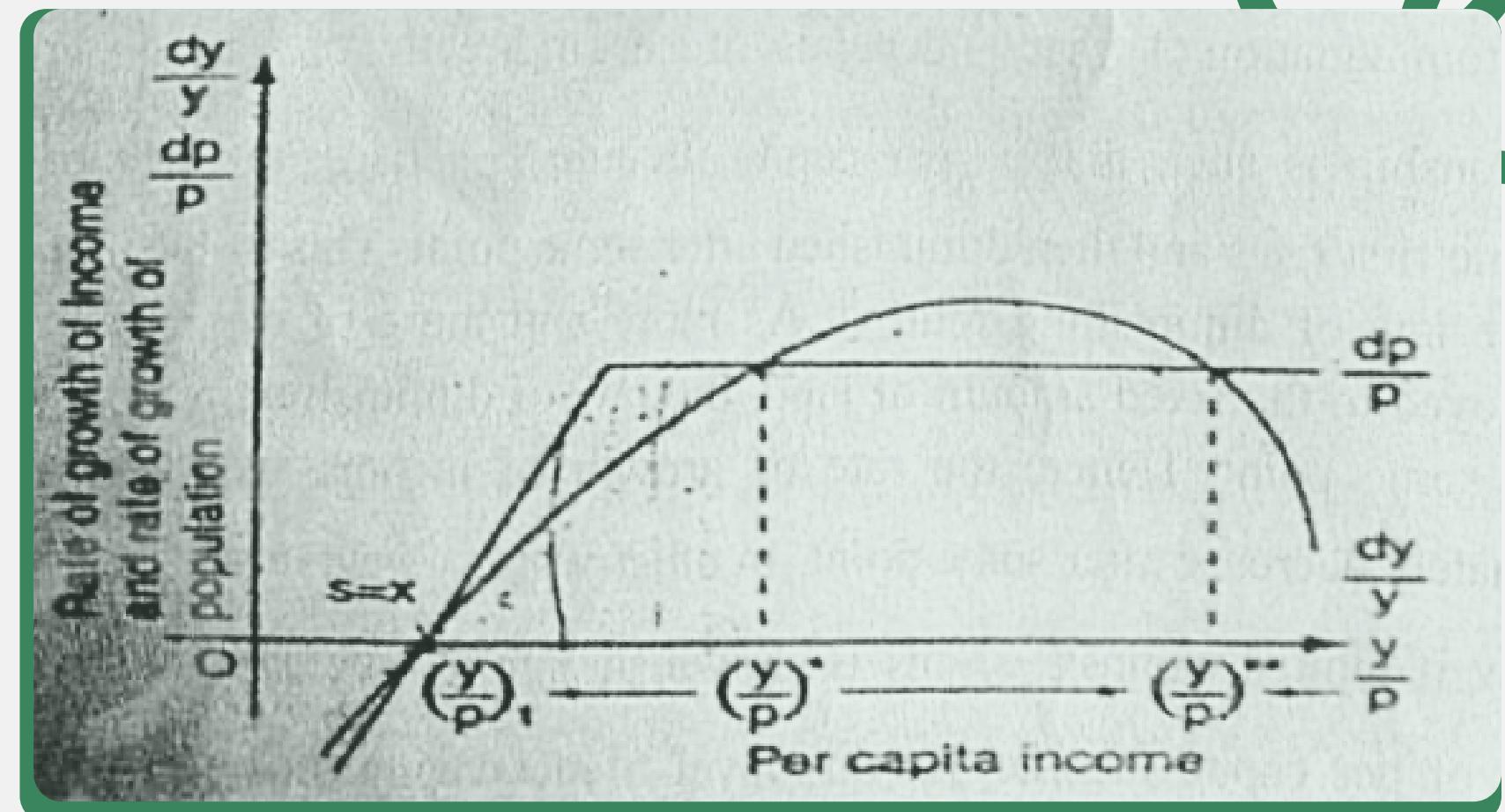
If  $Y/P < S$  (subsistence level)  $\rightarrow$  population falls.

If  $S < Y/P < (Y/P)''$   $\rightarrow$  population rises.

If  $Y/P \geq (Y/P)''$   $\rightarrow$  population grows at max rate.

Equation:

- $dP/P = p[Y/P - S]$  when  $Y/P < (Y/P)''$
- $dP/P = (dP/P)'$  when  $Y/P \geq (Y/P)''$



# Trap Equilibrium and How it Works

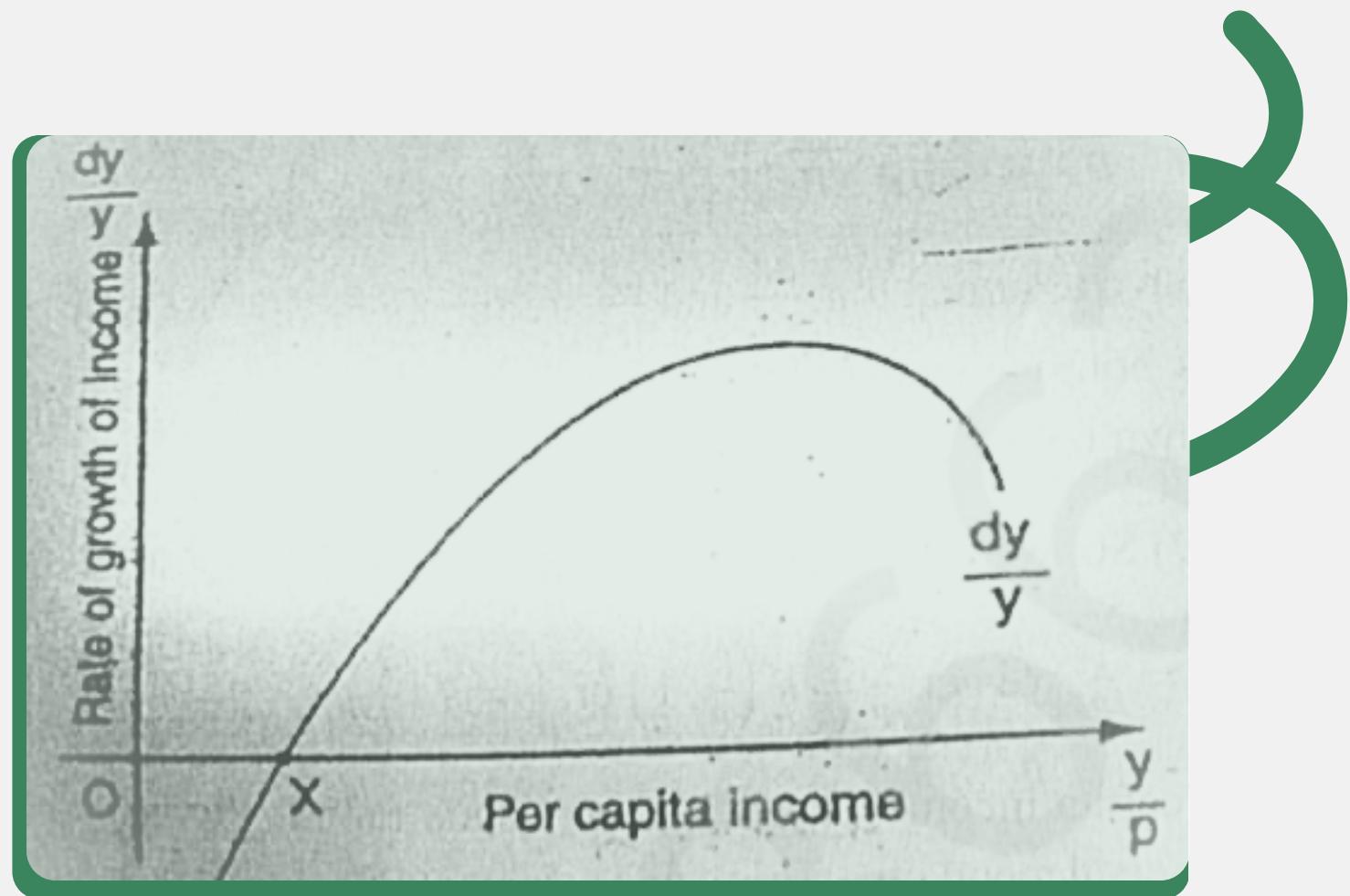


Fig. 3 Plotting  $dY/Y$  and  $dP/P$  together shows interaction.

- If an economy starts at  $(Y/P)_1$ , small increases fall back.
- Only large jumps beyond  $(Y/P)^*$  allow escape to growth.

## Equilibrium points

01.  $(Y/P)_1 \rightarrow$   
Low-Level Equilibrium (Stable)

02.  $(Y/P)^* \rightarrow$   
Unstable Equilibrium

03.  $(Y/P)^{**} \rightarrow$   
High-Level Equilibrium (Stable)

Strength of Trap = Distance between  $(Y/P)_1$  and  $(Y/P)^*$ .



# Breaking the Trap & Model's Limitation

## Ways to Escape the Trap:

- Technical progress (shifts  $dY/Y$  upward)
- Lower birth rate (shifts  $dP/P$  downward)
- Foreign capital/investment
- Emigration of labor
- Strong social institutions & favorable policies

## Limitations of Nelson's Model:

- Ignores demand-side factors
- Static model – time not considered
- Assumes saving = investment
- Population growth is treated as fully endogenous
- Oversimplifies the reasons for underdevelopment

## Conclusion:

Despite limitations, Nelson's model helps understand how overpopulation hampers development in poor economies.



Thank you  
very much!