

Cp Eng 111, Section B  
Fall 1999

Exam 3

11/19/99

Name:

Jose Chi  
11/19/99

94  
paper

Show all work on the exam papers. If you need additional space, use the reverse side of the paper. Closed book, closed notes, no calculator.

1. (a) Find the 8-bit 1's complement of 10100111  
(12)

01011000

- (b) Find the 8-bit 2's complement of 10010010

1s: 01101101

2s: 01101110

01101101  
01101110

- (c) If  $\overset{4}{1}\overset{2}{0}\overset{1}{0}00111$  is a signed number with the most significant bit representing the sign and the remainder of the number representing its magnitude, what decimal number does this binary number represent?

1 = neg

-7

- (d) If  $\overset{7}{1}\overset{6}{0}\overset{5}{0}\overset{4}{0}\overset{3}{1}\overset{2}{1}\overset{1}{1}$  is a signed number with the most significant bit representing the sign and the remainder of the number in 2's complement, what decimal number does this binary number represent?

64  
- 7  
57  
-60

-64

-57

2. Determine whether each of the following is True (T) or False (F). Circle the appropriate choice.

✱ (a) A gate whose output depends only on the current input combination is called a combinational circuit.

T

F X

(b) To represent the 8-bit word, 10111010, in an extended word with even parity, the parity bit would be 1.

T

F

✱ (c) Using a parity bit with odd parity, you can detect if an odd number of errors has occurred.

T

F

✱ (d) Using a parity bit with even parity, you can detect if an even number of errors have occurred.

T

F ✓even parity

01011 0 errors 1 error 3 errors  
11011 0 errors 2 errors 4 errors Don't know

odd

01011 0 errors 2 errors 4 errors Don't know  
11011 1 error 3 errors Know

3. For each of the following, consider an 8-bit register whose initial value is 10101001. Assume this initial state for each operation below; determine the contents of the register after each operation.

(a) SHL 1

01010010 ✓

~~10101001~~

(b) SHR 2

00101010 ✓

~~10101001~~

(c) ROL 2

10100110 ✓

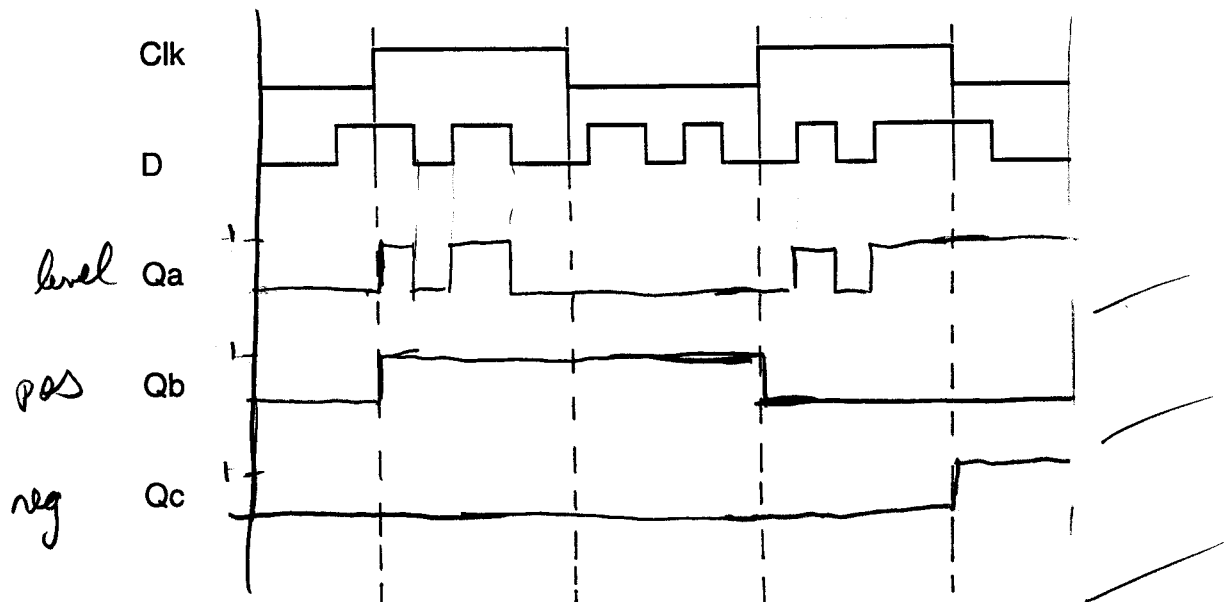
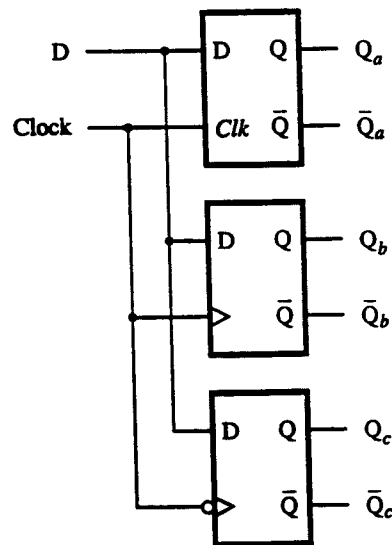
10101001

(d) ROR 3

00110101 ✓

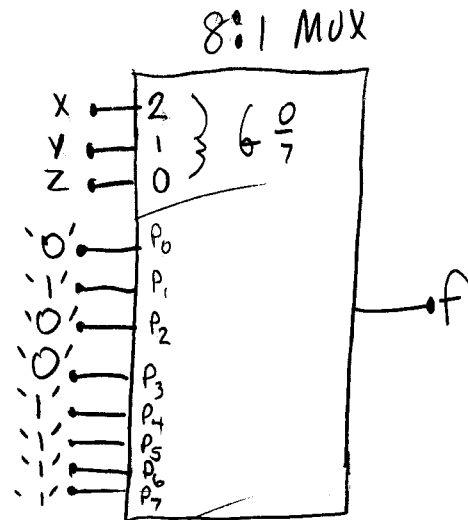
00110101

4. In the circuit below, assume an initial value of 0 for Q.  
(12) Complete the timing diagram for Qa, for Qb, and for Qc.



5. Use a multiplexor unit to implement the function G defined by the following (10) Karnaugh map.

yz \ x	00	01	11	10
0	0	1	0	0
1	1	1	1	1



$$\begin{array}{r}
 10101010 \\
 10101011 \\
 + 10101011 \\
 \hline
 10110001
 \end{array}$$

6. Perform the following binary operations without converting to decimal; you (12) can convert to decimal to check your answer.

$$\begin{array}{r}
 10110110 \\
 01010101 \\
 \hline
 10000101
 \end{array}$$

(a)  $10110110 + 01010101$

+1 00001011 *de*

$$\begin{array}{r}
 10110110 \\
 01010101 \\
 \hline
 10000101
 \end{array}$$

(b)  $10110110 - 01010101$

01100001

$$\begin{array}{r}
 10110110 \\
 - 01010101 \\
 \hline
 01100001
 \end{array}$$

$$\begin{array}{r}
 10110110 \\
 + 10101011 \\
 \hline
 10110001
 \end{array}$$

(c)  $1011 \times 0111$

1001101

$$\begin{array}{r}
 1011 \\
 \times 0111 \\
 \hline
 1011 \\
 1011 \\
 1011 \\
 1011 \\
 \hline
 1001101
 \end{array}$$

$$\begin{array}{r}
 1011 \\
 \times 0111 \\
 \hline
 1011 \\
 1011 \\
 1011 \\
 1011 \\
 \hline
 1001101
 \end{array}$$

$$\begin{array}{r}
 64 \ 32 \ 16 \ 8 \ 4 \ 2 \ 1 \\
 + 64 \\
 + 12 \\
 \hline
 77
 \end{array}$$

$$\begin{array}{r}
 64 \\
 + 12 \\
 \hline
 76 \\
 + 1 \\
 \hline
 77
 \end{array}$$

10

01  
10

00

 $2^4 \cdot 2^4$ 

p. 5

Name: Jesse Kim

7. (a) In most cases, the product of two n-bit 2's complement numbers requires fewer than  $2n$  bits to represent it. In fact, there is only one case which requires the full  $2n$  bits. What is it?

each digit must be a 1  
ex. 11 and 11

$$\begin{array}{r} 11 \\ 11 \\ \hline 1111 \\ 1001 \\ \hline 8420 \\ 1111 \end{array}$$

$$\begin{array}{r} 11 \\ 10 \\ \hline 00 \\ 11 \\ \hline 110 \end{array}$$

$$\begin{array}{r} 15 \\ 15 \\ \hline 215 \end{array}$$

3

 $2^4$ 

- (e) In a ternary (base 3) system, there are three digits: 0, 1, 2. Complete the following table to define a ternary half-adder:

a	b	sum	carry
0	0	0	0
0	1	1	0
0	2	2	0
1	0	1	0
1	1	2	0
1	2	0	1
2	0	2	0
2	1	0	1
2	2	1	1

$$\begin{array}{r} 1 \\ 2 \\ \hline 3 \end{array}$$

3 3' 0  
1 0  
1 2

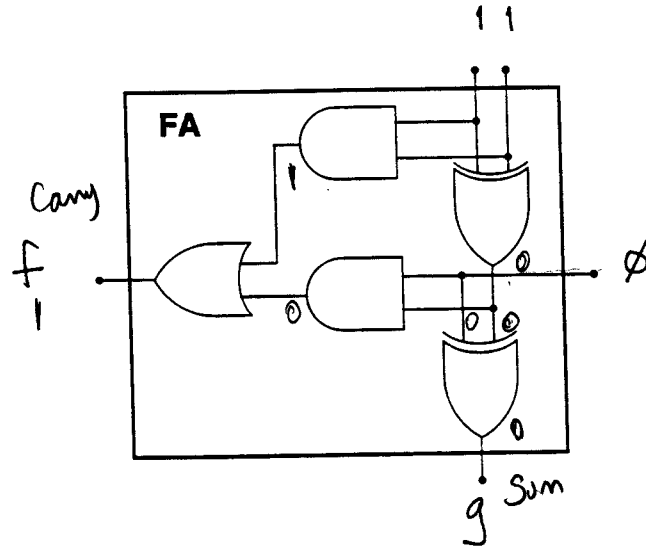
4

Name: Jesse Davis

8. Given each of the following with input values as shown, determine the output.  
(18)

(a)

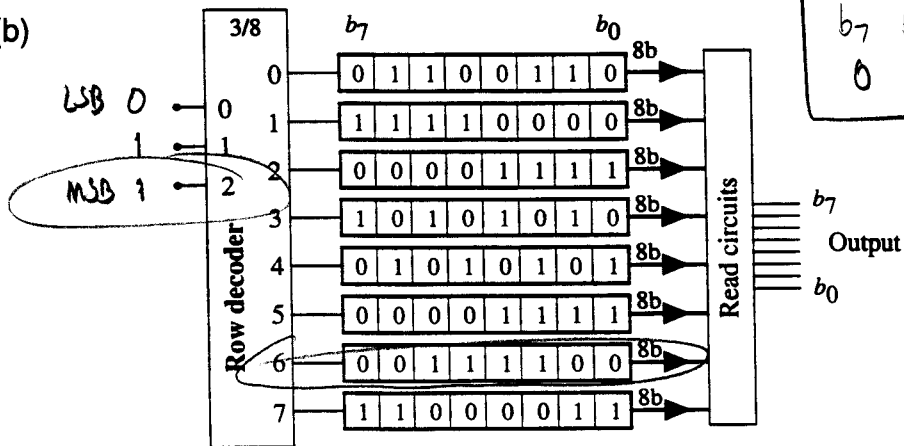
$f = '1'$   
 $g = '0'$



11 0  
11 0  
10

(b)

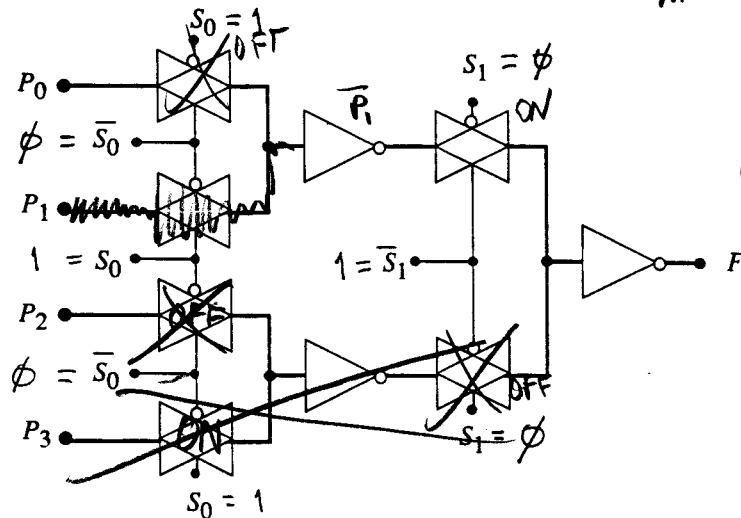
42  
110



$b_7 \ b_6 \ b_5 \ b_4 \ b_3 \ b_2 \ b_1 \ b_0$   
0 0 1 1 1 1 0 0

(c)

$S_0 = 1$   
 $S_1 = 0$



MUX 4:1

$F = P_1$