# CpE 213 Digital Systems Design Review

Lecture 2 Wednesday 8/24/2005



#### Overview

- Announcement
- Introduction (continued)
- Review of number systems

#### **Announcement**

- Class will be in EECH 104 from now on.
- This is a permanent change.
- Exam locations will be announced in advance.

#### **Basic information**

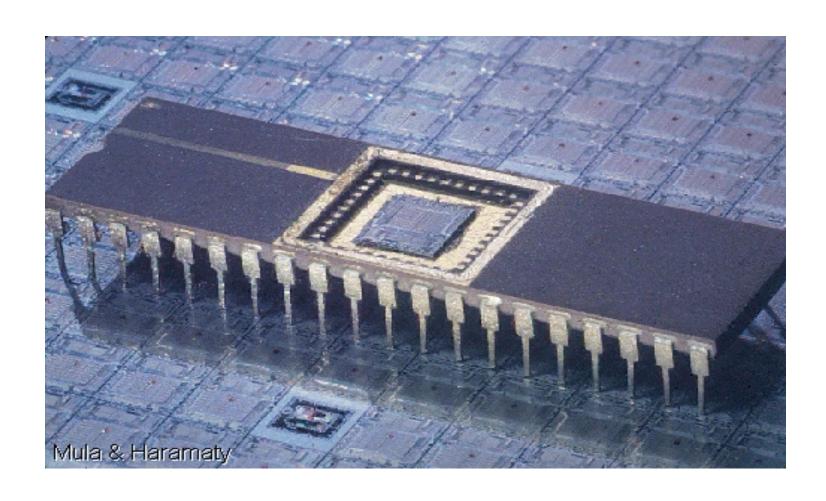
- Instructor: Dr. Sahra Sedigh-Ali
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- Office Hours: <u>Tuesdays and Thursdays</u>
   1:00-2:30, or by appointment.
- Email is the best way to reach me.

# Introduction (continued)

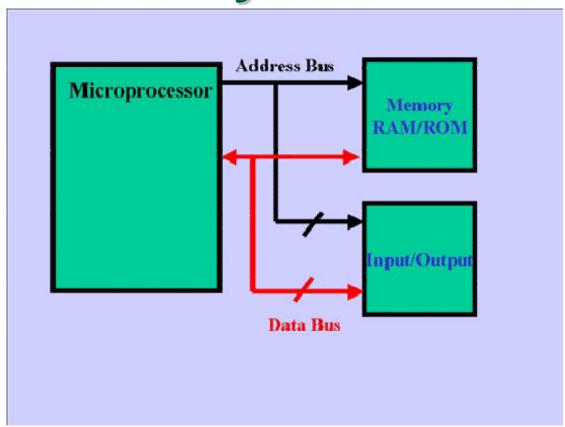
#### **Definitions**

- A device that stores and retrieves data and sequentially executes a stored program without human intervention.
- a computer that is contained in a single integrated circuit.
- : A microprocessor with a number of integrated peripherals, typically used in control-oriented applications.

# A Typical Microprocessor



# General Layout of a Basic μP System



 Most of these components are common to all processors.

#### Definition of a Microcontroller

- is a single-chip computer that contains many of the same items that a desktop computer has, such as μP, memory, etc., but does not include any "human interface" devices like a monitor, keyboard, or mouse.
- Microcontroller =
- Microcontrollers are designed for , rather than human interaction.
- Micro suggests that the device is small, and controller tells you that the device might be used to control objects, processes, or events.

# What is an Embedded Controller?

Another term to describe a microcontroller is embedded controller, because the microcontroller and its support circuits are often built into, or embedded in, the devices they control.

### Topics covered in this course

- Introduction to microprocessor organization and operation, emphasizing the 8051 microprocessor subset (the WIMP51).
- Introduction to computer architecture, with emphasis on systems involving the 8051 microcontroller.
- Machine and assembly language programming for the Intel 8051 and variants.
- 4. C language programming for embedded systems.
- 5. More later ...

### **Course Objectives**

- By the end of the course, you should be able to:
  - Understand the organization of a simple microcontroller.
  - Analyze and design hardware and software for small digital systems involving microcontrollers.
  - Program embedded computer systems in Assembly and C.
  - Use the 8051 microcontroller and its standard peripherals.

### Why this course is important

- Microcontrollers are used extensively in process control, instrumentation, home appliances, automobiles, etc. – they represent a basic building block of modern digital systems design.
- If you go into virtually any form of engineering design, there is a high probability that knowledge of microcontrollers will be required.
- Microcontrollers are the basis of <u>embedded</u> <u>systems.</u>

# Microprocessors vs. Microcontrollers

	Microprocessor	Microcontroller
Data formats		
Instruction types/modes		
Hardware Architecture		
Applications		
I/O		

# Pros and Cons of Microcontrollers

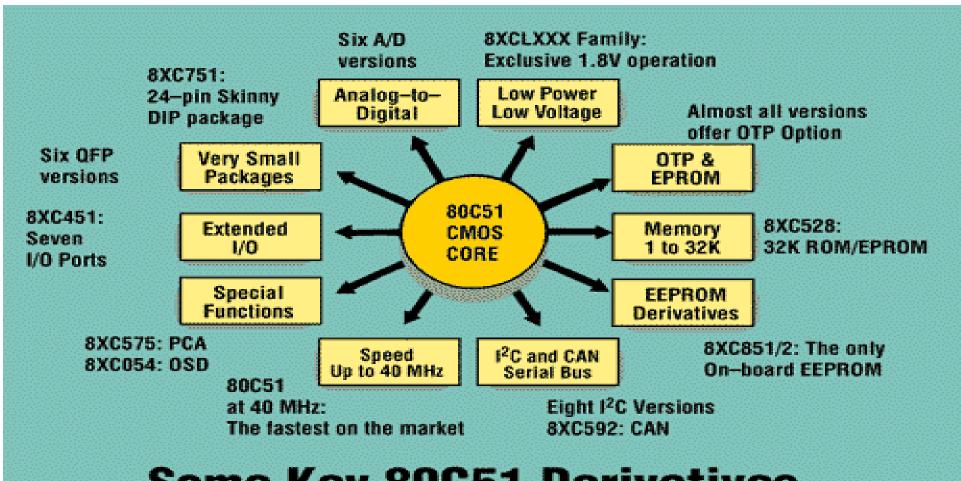
Advantages	Disadvantages	
Low cost	Poor versatility	
response	response	
(distributed and	(compared to discrete	
controlled applications)	circuits)	
Space, size of system	Limited space	
Efficiency	Limited instruction set	
"Embeddability"		
Low power usage		

### Microcontroller Types

- Microcontroller models vary in data size from 4 to 32 bits.
- 4-bit units are produced in huge volumes for very simple applications.
- 8-bit units are the most versatile.
- 16 and 32-bit units are used in high-speed control and signal processing applications.

# Why the 8051 microcontroller?

- Classic
- Most popular
- Plenty of applications, peripherals, and development tools
- More than 150 variants of 8051 are offered by more than 20 vendors
  - over 126 million components sold annually
- We will learn about what's inside, how to program, and how to design around the 8051.
- These concepts are fundamental to digital systems design in general.



#### Some Key 80C51 Derivatives

# **C** programming

- A typical 'desktop C' program
- What does it do?
- What's wrong with it?

### Hello world in Desktop C

- Invoked by a console command
- Writes 'Hello World' followed by new line to stdio output device (console display)
- Returns to operating system when finished
- That is also what is wrong with it!

#### **Embedded Hello World Program**

#### **Embedded software attributes**

- Stored in
- Started at power on
- Runs forever
- is important
  - is often more important than the actual value
- Cost is important use minimal resources to run (memory, clock speed, power, parts)

### Some embedded applications

- Automotive Applications
- Telecommunications
- Consumer Electronics
- Industrial Controls
- Aerospace

### **Automotive Applications**

- As many as 22 micros in GM cars and trucks
- Over 60 micros and 4 networks in late model Volvo
- Automatic climate control
- Anti-lock brakes, traction control
- Stability enhancement
- Driver information centers
- Supplemental restraint systems (SRS)
- Real time damping
- Navigation systems
- Remote keyless entry

#### **Telecommunications**

- Satellite communications
- Cordless phones
- Cellular phones, pagers, infrastructure
- An 8051 (or variant) in EVERY Adtran product
- Cost about \$1 in large quantities
- Used to control ASICs

### Other embedded applications

- Consumer electronics
- Industrial Controls
  - Labeling machines
  - Coin Acceptors
- Aerospace
  - Flight control systems
  - Navigation systems

## **Review of Number Systems**

#### **Decimal Numbers: Base 10**

■ Digits: 0, 1, 2, 3, 4, 5, 6, 7, 8, 9

Example:

3271 =

### Numbers: positional notation

- Number Base B => B symbols per digit:
  - Base 10 (Decimal): 0, 1, 2, 3, 4, 5, 6, 7, 8, 9
     Base 2 (Binary): 0, 1
- Number representation:
  - d<sub>31</sub>d<sub>30</sub> ... d<sub>2</sub>d<sub>1</sub>d<sub>0</sub> is a 32-digit number
  - value =  $d_{31}x B^{31} + d_{30}x B^{30} + ... + d_2x B^2 + d_1x B^1 + d_0x B^0$
- Binary: 0,1
  - **■** 1011010 =
  - Notice that a 7-digit binary number converts into a 2-digit decimal number
  - Which base(s) convert(s) to binary easily?

#### **Hexadecimal Numbers: Base 16**

- Digits: 0,1,2,3,4,5,6,7,8,9,A,B,C,D,E,F
- Normal digits have expected values
- In addition:
  - A → 10
  - B → 11
  - C → 12
  - D → 13
  - E → 14
  - F → 15

#### **Hexadecimal Numbers: Base 16**

- Example (convert hex to decimal):
  - B28F0DD =

#### decimal

 Notice that a 7-digit hex number is converted to a 9-digit decimal number

# Decimal vs. Hexadecimal vs.Binary

```
Examples:
                                      00
                                                0000
                                           0
                                      01
                                                0001
■1010 1100 0101 (binary)
                                      02
                                                0010
       (hex)
                                           3
                                      03
                                                0011
                                      04
                                                0100
                                     05
                                                0101
■10111 (binary)
                                     06
                                                0110
              (binary)
                                     07
                                                0111
     (hex)
                                      8.0
                                                1000
                                     09
                                                1001
                                      10
                                                1010
                                          Α
■3F9(hex)
                                      11
                                                1011
                    (binary)
                                     12
                                                1100
=
                                     13
                                          D
                                                1101
                                     14
                                                1110
                                          Ε
                                      15
                                                1111
                                          F
```

### **Hex to Binary Conversion**

- HEX is a more compact representation of binary.
- Each hex digit represents 16 decimal values.
- Four binary digits represent 16 decimal values.
- Therefore, each hex digit can replace four binary digits.
- Example:
  - 0011 1011 1001 1010 1100 1010 0000 0000 binary
  - hex
  - C uses notation 0x

#### Which Base Should We Use?

- Decimal: Great for humans; most arithmetic is done with this base.
- Binary: This is what computers use, so get used to them. Become familiar with how to do basic arithmetic with them (+,-,\*,/).
- Hex: Terrible for arithmetic; but if we are looking at long strings of binary numbers, it's much easier to convert them to hex and look at four bits at a time.

# What can we do with binary representations of numbers?

- Everything we can do with decimal numbers.
  - Addition
  - Subtraction
  - Multiplication
  - Division
  - Comparison
- Example: 10 + 7 = 17

1 1 1 0 1 0 + 0 1 1 1

- so simple to add in binary that we can build circuits to do it
- subtraction also just as in decimal

# Complement Number (CN) Representation

- in CN, the negative of a number is equal to the so-called "complement" of the number
- there are two popular complements
  - radix complement of an n digit number D is given by
     r<sup>n</sup> − D, where r is the radix (or base of the number)
  - diminished radix complement we are not interested in this one for this course

## 2's Complement notation

- 2's complement of a binary number, D
  - the complement equals  $r^n D = 2^n D$
- alternative convenient way of finding 2's complement
  - write the number in the binary form
  - flip all bits
  - add one
    - drop any carry out of MSB

## 8-bit examples

	17 <sub>10</sub> =00010001 <sub>2</sub>	$0_{10} = 0000000_2$	1 <sub>10</sub> = 0000001 <sub>2</sub>
flip bits			
add 1			

fact: a negative number will always have a 1 in the MSB

# Conversions in 2's complement

- 10111<sub>2</sub> = ?
- note that if we are not using signed numbers,

■ given n bits, the range of representable numbers in 2's complement is -2<sup>n-1</sup> to (2<sup>n-1</sup> -1)

# 2's complement addition/subtraction

- add 2's complement numbers just as we would add positive numbers, and ignore the carry out of the "sign bit"
  - sign bit is the MSB

### For Friday

- Review today's lecture notes.
- Print lecture notes for Lecture 3.
- Email me names of your group members (one email per group).