

1. Given 3.1

From Table 3.1

↓

$$a. \quad XY + X\bar{Y} + \bar{X}Y = X(Y + \bar{Y}) + \bar{X}Y$$

P4b

$$= X \cdot 1 + \bar{X}Y$$

P5b

$$= X + \bar{X}Y$$

P2b

$$= X + Y$$

T7a

$$b. \quad \overline{(\bar{X}\bar{Z} + \bar{X}Y + YZ + XY)} = \overline{(\bar{X}\bar{Z} + \bar{X}\bar{Z} + YX + Y\bar{X})}$$

P3a, P3b

$$= \overline{[\bar{X}(Z + \bar{Z}) + Y(X + \bar{X})]}$$

P4b

$$= \overline{(\bar{X} \cdot 1 + Y \cdot 1)}$$

P5b

$$= \overline{(\bar{X} + Y)}$$

P2b

$$= \bar{\bar{X}} \cdot \bar{Y}$$

T9a

$$= X \cdot \bar{Y}$$

T5

$$c. \quad (X + Y) \cdot (\bar{X}\bar{Z} + Z) \cdot \overline{(\bar{Y} + XZ)} = (X + Y) (Z + \bar{Z}\bar{X}) \overline{(\bar{Y} + XZ)}$$

P3a, P3b

$$= (X + Y) (Z + \bar{X}) \overline{(\bar{Y} + XZ)}$$

T7a

$$= (X + Y) (Z + \bar{X}) Y (\bar{X}\bar{Z})$$

T9a, T5

$$= (X + Y) (Z + \bar{X}) Y (\bar{X} + \bar{Z})$$

T9b

$$= (X + Y) (\bar{X} + Z) (\bar{X} + \bar{Z}) Y$$

P3a, P3b

$$= (X + Y) (\bar{X} + Z\bar{Z}) Y$$

P4a

$$= (X + Y) (\bar{X} + 0) Y$$

P5a

$$= (X + Y) \cdot \bar{X} Y$$

P2a

$$= \bar{X} Y (X + Y)$$

P3b

$$= \bar{X} [Y(X + Y)]$$

T8b

#2

$$= \bar{x} [y(y+x)]$$

p3a

$$= \bar{x}y$$

T6b

2. Givone 3.5

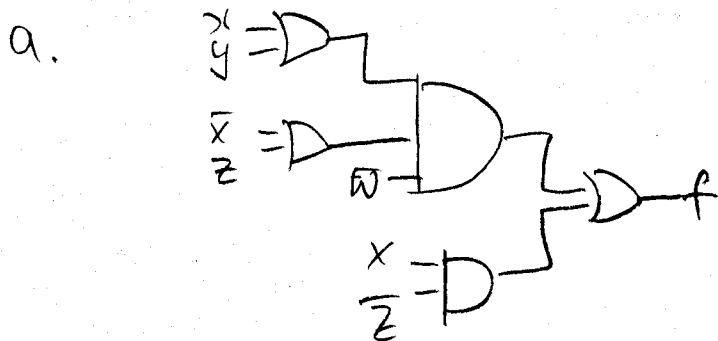
ab	XYZ	a	b
	000	1	1
	001	1	0
	010	1	1
	011	1	1
	100	0	1
	101	0	1
	110	1	0
	111	1	1

3. Givone 3.18

a.  $f = (w\bar{x}z + y)(w+z) + \bar{w}$

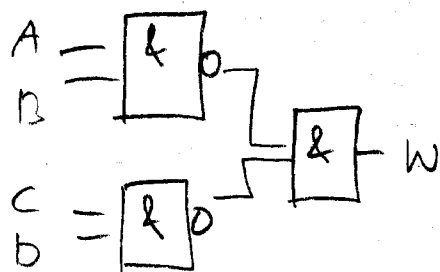
c.  $f = \overline{(w+\bar{x})(\bar{w}+y)}z + (\bar{w}+y)\bar{z}$

4. Givone 3.19



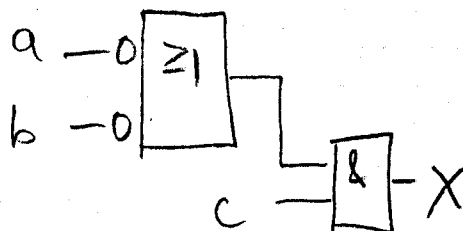


9.



⊗ note: NOR-only & NAND-only forms have different logic diagrams.

10.



11.

$$f' = UV\bar{W} + UV$$

$$= UV\bar{W} + UV(W + \bar{W})$$

$$= UV\bar{W} + UVW + UV\bar{W}$$

$$= \underline{UV\bar{W} + UVW}$$

⊗ note: Since CSOP is not covered in ch2. this problem will not be graded. Instead, 10 pts will be given automatically.