

Name: _____

Roll Number: _____

Quiz-1

Max. Time: 20 min

Max. Points: 20

Note: Solve all parts. Limit your written responses to the provided space.

Q.1. [5] Choose by putting a check mark on the most appropriate option. Note: No cutting/overwriting allowed.

i. Number of nodes explored by IDS are always lesser than that for BFS.

(A) True (B) **False**

ii. Greedy search always gives an optimal solution for a 0-1 knapsack problem.

(A) True (B) **False**

iii. Uniform cost search is also known as greedy search.

(A) True (B) **False**

iv. Hill climbing search can never find an optimal solution.

(A) True (B) **False**

v. A _____ heuristic expands more states than a _____ heuristic.

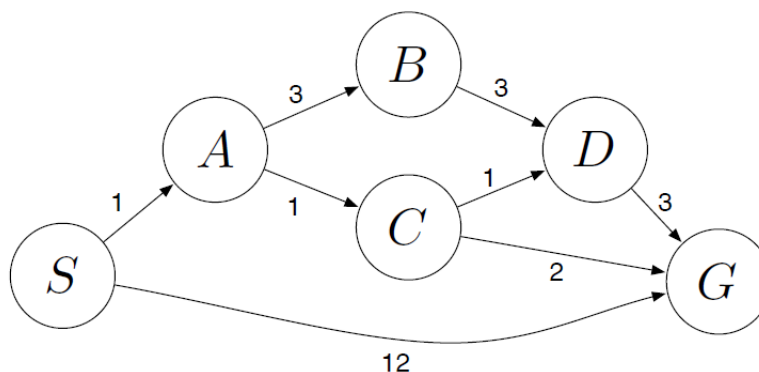
(A) Admissible, Informed (B) Monotone, Admissible (C) More Informed, less informed (D) **None of the given choices**

~~(A) True (B) False~~

Q.2. [5+5]

a) Consider the search problem shown in Figure 1, where 'S' is the start state and 'G' is the goal state, and answer the following:

What path would the following search algorithms return for the problem: breadth first search, uniform cost search (aka Dijkstra's algorithm), depth first search, depth first with iterative deepening, and A*. Note: Break ties alphabetically and output the paths as a list of nodes.



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Breadth First Search: S-G

Uniform Cost Search (Dijkstra's algorithm): S-A-C-G

Depth First Search: S-A-B-D-G

Depth First Iterative Deepening: S-G

A*: S-A-C-G

b) If 'h1' and 'h2' are heuristics for this problem as shown in table below., state and justify whether the heuristics are admissible and monotone?

State	h ₁	h ₂
S	5	4
A	3	2
B	6	6
C	2	1
D	3	3
G	0	0

h1: Not admissible ($h_1(S)=5 > h_1^*(S)=4$); Not monotone ($h_1(S)-h_1(A)=5-3 > \text{cost}(S,A) (=1)$)

h2: Admissible ($h_2(n) \leq \text{cost}(n,G)$); Not monotone ($h_2(S)-h_2(A)=4-2 > \text{cost}(S,A)$)

Q.3. [3+2]

a) How can you modify depth first search so that it acts like breadth first search?

Ans: Impose a depth bound of one. This will then become an IDS algorithm

b) Define monotonicity of a heuristic?

Ans: For any two states 'u' and 'v' in the state space 'S' such that 'u' is an ancestor of 'v', if $h(u)-h(v) \leq \text{cost}(u,v)$ along with the fact that $h(\text{Goal})=0$; then the heuristic function 'h' will be called monotone. Note that $\text{cost}(u,v)$ is the actual cost of the shortest path between the nodes 'u' and 'v'.