

Section 3.2 Earth Properties (references 3.9.2, 3.9.3)

Std Earth gravitational acceleration, $g_0 = 9.8066 \text{ m/s}^2 = 32.174 \text{ ft/s}^2$

mass = $5.9722 \times 10^{24} \text{ kg} = 13.22 \times 10^{24} \text{ lb}$

rotation rate, $\omega = 7.292115 \times 10^{-5} \text{ rad/sec}$

average density = $5.522 \text{ g/cm}^3 = 344.7 \text{ lb/ft}^3$

radius average, $R_{avg} = 6,367,444 \text{ m} = 3956.538 \text{ st. miles} = 20,890,522 \text{ ft}$

radius at the equator (R_e) is $6,378,137 \text{ m} (\pm 2)$

radius at the poles $R_p = 6,356,752 \text{ [m]}$

radius as a function of latitude, ϕ (assumes perfect ellipsoid):

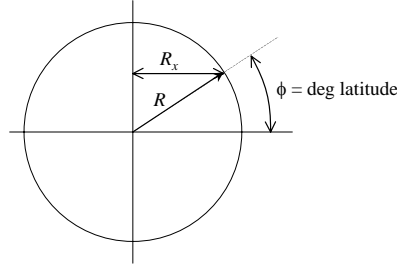
$$R = \left[\left(\frac{\cos \phi}{R_e} \right)^2 + \left(\frac{\sin \phi}{R_p} \right)^2 \right]^{-\frac{1}{2}}$$

Centrifugal Relief from Gravity

The earth's "normal" gravity field includes both the Newtonian Law and a correction for the centrifugal force caused by the earth's rotation. The centrifugal relief correction is

$$\Delta CR = -\frac{V^2}{R_x} = -\frac{(R_x \omega)^2}{R_x} = R_x \omega^2$$

where ω is the earth's rotation rate and R_x is the perpendicular distance from the earth's axis to the surface and can be calculated as $R_x = R \cos \phi$ (see figure below).



For any centrifugal relief calculations associated with aircraft performance, it is sufficiently exact ($g \pm 0.00004 \text{ m/s}^2$) to use the average earth radius. An aircraft flying eastward contributes to centrifugal relief while a west-bound aircraft diminishes it.