

Project 1: FACTOR ANALYSIS REPORT

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1. Problem Description:

The data given has 26 observed, correlated variables which make it difficult to handle the data because of the repetition of the data. Therefore, we want to reduce the number of variables into smaller factors/themes and detect structure in the relationships between the variables.

Analysis in this report is done on a commodity data to identify the themes (i.e. factors) in the data. We used Factor Analysis technique:

- To take mass data and shrink it to smaller data that is more understandable and manageable
- Reduce the number of variables
- To analyze and find the relationship structure among the variables
- Factor analysis uses mathematical procedures to simplify the interrelated measures to discover patterns in a set of variables

2. Executive Summary:

According to my analysis, I have identified 3 factors/themes to classify my 25 variables. The three factors I have identified are Metals, Energy and agriculture, Households.

As you observe below, through this factor analysis technique we are now able to show how strongly our dataset variables are associated with each of the three factors. These associations with the factors can vary from -100% to 100%. Numbers having larger absolute values indicate a stronger association with that particular factor.

We may see some variables in the factors which doesn't make logical sense in the factor but if we see the mathematical interpretation they have high correlation but the factor as well as with the other variables in the factor.

Factor1: Metals

Below are the commodities with their percentages that come under Metals. From the description we have identified that the import and export is evenly spread across metals and all the variables are more than 70% related to the factor metals. Also, we see that there are two variables PFISH_USD and PROIL_USD which doesn't related to category metals but from the correlation table we see that these two variables are highly correlated with all the other variables in the factor.

COMMODITIES	DESCRIPTION (Metals)	%
PCOPP_USD	Copper, grade A cathode, LME spot price, CIF European ports, US\$ per metric ton	95%
PNICK_USD	Nickel, melting grade, LME spot price, CIF European ports, US\$ per metric ton	91%
PALUM_USD	Aluminum, 99.5% minimum purity, LME spot price, CIF UK ports, US\$ per metric ton	89%
PLEAD_USD	Lead, 99.97% pure, LME spot price, CIF European Ports, US\$ per metric ton	85%
PIORECR_USD	China import Iron Ore Fines 62% FE spot (CFR Tianjin port), US dollars per metric ton	72%
PFISH_USD	Fishmeal, Peru Fish meal/pellets 65% protein, CIF, US\$ per metric ton	72%
PROIL_USD	Rapeseed oil, crude, fob Rotterdam, US\$ per metric ton	72%

Factor2: Energy and agriculture

Below are the commodities with their percentages that come under Energy and agriculture. From the description we have identified that the variables are 60%-80% related to factor

COMMODITIES	DESCRIPTION (Energy and Agriculture)	%
PLOGSK_USD	Hard Logs, Best quality Malaysian meranti, import price Japan, US\$ per cubic meter	76%
PCOALAU_USD	Coal, Australian thermal coal, 12,000- btu/pound, less than 1% sulfur, 14% ash, FOB Newcastle/Port Kembla, US\$ per metric ton	66%
POILAPSP_USD	Crude Oil (petroleum), Price index, 2005 = 100, simple average of three spot prices; Dated Brent, West Texas Intermediate, and the Dubai Fateh	64%
PBARL_USD	Barley, Canadian no.1 Western Barley, spot price, US\$ per metric ton	66%
PMAIZMT_USD	Maize (corn), U.S. No.2 Yellow, FOB Gulf of Mexico, U.S. price, US\$ per metric ton	63%
PCOFFOTM_USD	Coffee, Other Mild Arabicas, International Coffee Organization New York cash price, ex-dock New York, US cents per pound	60%
PCOCO_USD	Cocoa beans, International Cocoa Organization cash price, CIF US and European ports, US\$ per metric ton	74%
PBANSOP_USD	Bananas, Central American and Ecuador, FOB U.S. Ports, US\$ per metric ton	73%
PHIDE_USD	Hides, Heavy native steers, over 53 pounds, wholesale dealer's price, US, Chicago, fob Shipping Point, US cents per pound	69%

Factor3: Households

Below are the commodities with their percentages that come under households.

COMMODITIES	DESCRIPTION (Households)	%
PNGASEU_USD	Natural Gas, Russian Natural Gas border price in Germany, US\$ per thousands of cubic meters of gas	85%

PNGASUS_USD	Natural Gas, Natural Gas spot price at the Henry Hub terminal in Louisiana, US\$ per thousands of cubic meters of gas	83%
PNGASJP_USD	Natural Gas, Indonesian Liquefied Natural Gas in Japan, US\$ per cubic meter of liquid	78%
PBEEF_USD	Beef, Australian and New Zealand 85% lean fores, CIF U.S. import price, US cents per pound	84%
PLAMB_USD	Lamb, frozen carcass Smithfield London, US cents per pound	65%
PGNUTS_USD	Groundnuts (peanuts), 40/50 (40 to 50 count per ounce), cif Argentina, US\$ per metric ton	81%
PCOFFROB_USD	Coffee, Robusta, International Coffee Organization New York cash price, ex-dock New York, US cents per pound	72%
PLOGORE_USD	Soft Logs, Average Export price from the U.S. for Douglas Fir, US\$ per cubic meter	67%
PCOTTIND_USD	Cotton, Cotton Outlook 'A Index', Middling 1-3/32 inch staple, CIF Liverpool, US cents per pound	66%

3. Technical Appendix

This appendix introduces the various technical issues that were encountered during the factor analysis of the commodities data which is represented above. The analysis was based on a set of 397 records that were collected from the global commodity market prices.

3.1 Data Description:

There were several issues with the data initially, I had a total 144 missing records which makes 36% of the total 397 records, so we cannot simply delete them. So, I dealt with them by imputing the values by mean/median.

Fig 1.1 shows that the description of total records(N) and the corresponding missing values by N Miss.

Variables with Missing values
The MEANS Procedure

Variable	N	N Miss
PALUM_USD	397	0
PBANSOP_USD	397	0
PBARL_USD	397	0
PBEEF_USD	397	0
PCOALAU_USD	397	0
PCOCO_USD	397	0
PCOFFOTM_USD	397	0
PCOFFROB_USD	397	0
PROIL_USD	397	0
PCOPP_USD	397	0
PCOTTIND_USD	397	0
PFISH_USD	397	0
PGNUTS_USD	397	0
PHIDE_USD	397	0
PIORECR_USD	397	0
PLAMB_USD	397	0
PLEAD_USD	397	0
PLOGORE_USD	397	0
PLOGSK_USD	397	0
PMAIZMT_USD	397	0
PNGASEU_USD	337	60
PNGASJP_USD	253	144
PNGASUS_USD	265	132
PNICK_USD	397	0
POILAPSP_USD	397	0

Fig 1.1

My dataset had 25 numeric variables which represented the US dollars of the commodity. The description of all the dataset is shown below in the Fig 1.2

where we use the content procedure to get the description of all the data and column Description is attached as an explanatory column to give the detail description of what the variable represents.

Alphabetic List of Variables and Attributes			
Variable	Type	Len	Description
PALUM_USD	Num	8	Aluminum, 99.5% minimum purity, LME spot price, CIF UK ports, US\$ per metric ton
PBANSOP_USD	Num	8	Bananas, Central American and Ecuador, FOB U.S. Ports, US\$ per metric ton
PBARKL_USD	Num	8	Barley, Canadian no.1 Western Barley, spot price, US\$ per metric ton
PBEEF_USD	Num	8	Beef, Australian and New Zealand 85% lean fores, CIF U.S. import price, US cents per pound
PCOALAU_USD	Num	8	Coal, Australian thermal coal, 12,000- btu/pound, less than 1% sulfur, 14% ash, FOB Newcastle/Port Kembla, US\$ per metric ton
PCOCO_USD	Num	8	Cocoa beans, International Cocoa Organization cash price, CIF US and European ports, US\$ per metric ton
PCOFFOTM_USD	Num	8	Coffee, Other Mild Arabicas, International Coffee Organization New York cash price, ex-dock New York, US cents per pound
PCOFFROB_USD	Num	8	Coffee, Robusta, International Coffee Organization New York cash price, ex-dock New York, US cents per pound
PCOPP_USD	Num	8	Copper, grade A cathode, LME spot price, CIF European ports, US\$ per metric ton
PCOTTIND_USD	Num	8	Cotton, Cotton Outlook 'A Index', Middling 1-3/32 inch staple, CIF Liverpool, US cents per pound
PFISH_USD	Num	8	Fishmeal, Peru Fish meal/pellets 65% protein, CIF, US\$ per metric ton
PGNUTS_USD	Num	8	Groundnuts (peanuts), 40/50 (40 to 50 count per ounce), cif Argentina, US\$ per metric ton
PHIDE_USD	Num	8	Hides, Heavy native steers, over 53 pounds, wholesale dealer's price, US, Chicago, fob Shipping Point, US cents per pound
PIORECR_USD	Num	8	China import Iron Ore Fines 62% FE spot (CFR Tianjin port), US dollars per metric ton
PLAMB_USD	Num	8	Lamb, frozen carcass Smithfield London, US cents per pound
PLEAD_USD	Num	8	Lead, 99.97% pure, LME spot price, CIF European Ports, US\$ per metric ton
PLOGORE_USD	Num	8	Soft Logs, Average Export price from the U.S. for Douglas Fir, US\$ per cubic meter
PLOGSK_USD	Num	8	Hard Logs, Best quality Malaysian meranti, import price Japan, US\$ per cubic meter
PMAIZMT_USD	Num	8	Maize (corn), U.S. No.2 Yellow, FOB Gulf of Mexico, U.S. price, US\$ per metric ton
PNGASEU_USD	Num	8	Natural Gas, Russian Natural Gas border price in Germany, US\$ per thousands of cubic meters of gas
PNGASJP_USD	Num	8	Natural Gas, Indonesian Liquefied Natural Gas in Japan, US\$ per cubic meter of liquid
PNGASUS_USD	Num	8	Natural Gas, Natural Gas spot price at the Henry Hub terminal in Louisiana, US\$ per thousands of cubic meters of gas
PNICK_USD	Num	8	Nickel, melting grade, LME spot price, CIF European ports, US\$ per metric ton
POILAPSP_USD	Num	8	Crude Oil (petroleum), Price index, 2005 = 100, simple average of three spot prices; Dated Brent, West Texas Intermediate, and the Dubai Fateh
PROIL_USD	Num	8	Rapeseed oil, crude, fob Rotterdam, US\$ per metric ton

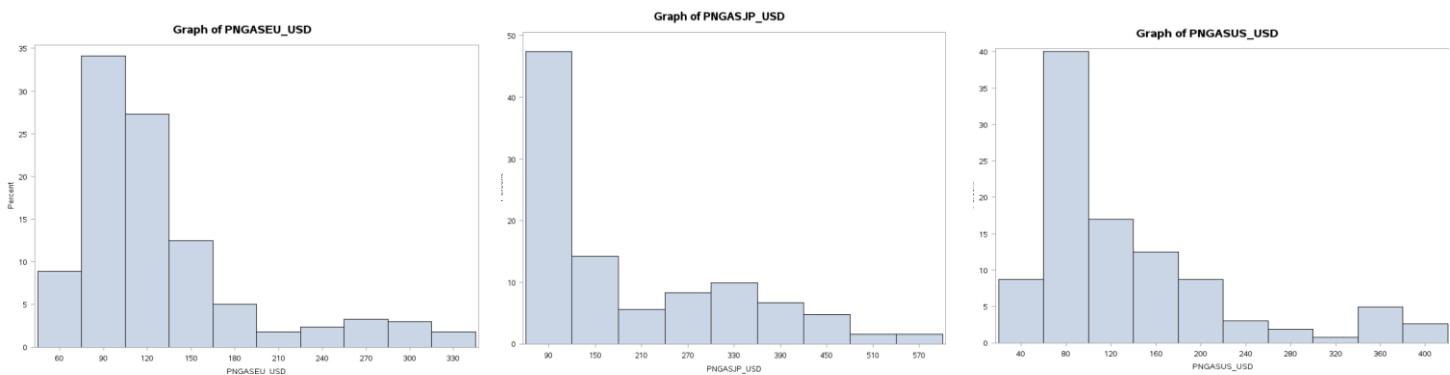
Fig 1.2

3.2 Imputation:

We perform imputation by assuming a multivariate normal distribution for the data. We use the Univariate procedure to get the summary statistics of each variable with missing values.

From the figure 1.3 below, we see the data is skewed on the right since the mean is greater than the median and we see the histogram is not symmetric for all the 3 variables (All-Natural gases) therefore we will use median to replace our missing values.

Fig 1.3



3.3 Standardization:

Before we do our analysis, it is important for all the variables to be of the same dimension. Therefore, we standardize the dataset to have a zero mean and unit variance.

3.4 Correlation:

After performing correlation, we see that the variables are highly correlated with each other and therefore, factor analysis is a right approach.

3.5 Methods Adopted:

The factor analysis was performed with assigning variance as one to each variable. The number of factors was initially selected by retaining only those factors with an eigenvalue greater than one. Also, we perform the scree plot test to retain the number of factors. In my case, I see there are only three factors former performing both the test and we do further rotation to maximize the variance (variability) of the factor.

Among the various orthogonal (Varimax, factor parsimax) and oblique(Promax) methods tested, Factor parsimax rotation outperformed to the others due to better distribution of variance among the three factors.

Below are the technical decisions relative to the factor analysis:

No Rotation: As we can see from the “Variance explained by each factor” table that factor 1 has a very large variance as compared to the other two and therefore we would need rotation.

Variance Explained by Each Factor		
Factor1	Factor2	Factor3
14.523840	5.942430	1.178083

Varimax Rotation: From the factor loadings table in varimax rotation we see that there are 4 complex variables i.e. the 2 or more factors have very minor difference in their values. Also, we see that the variance is so less for the third factor which gives us only one variable in the third factor. Such classification where there's one variable for a factor is not considered a good factor analysis.

Variance Explained by Each Factor		
Factor1	Factor2	Factor3
10.456595	9.238617	1.949142

Factor Parsimax Rotation: This method gives the most appropriate factors with equal distribution of variance and variables among the factors as we can see from the figure below.

Variance Explained by Each Factor		
Factor1	Factor2	Factor3
7.5444722	7.2686739	6.8312079

Rotated Factor Pattern (Standardized Regression Coefficients)			
	Factor1	Factor2	Factor3
PALUM_USD	1.03053	-	-
PBANSOP_USD	-0.50509	0.49601	-
PBARL_USD	-0.52550	0.58416	-
PBEEF_USD	0.32785	0.98910	-
PCOALAU_USD	-0.50137	0.59739	-
PCOCO_USD	0.67811	-	-0.39620
PCOFFOTM_USD	-0.56789	0.57530	-
PCOFFROB_USD	-	0.69988	-0.42824
PROIL_USD	0.81683	-	-
PCOPP_USD	1.15135	-	-
PCOTTIND_USD	-	0.81235	-
PFISH_USD	0.81461	-	-
PGNUTS_USD	0.36035	0.85731	-
PHIDE_USD	-0.51574	0.58828	-
PIORECR_USD	-0.82133	-	-
PLAMB_USD	0.80895	0.69027	-
PLEAD_USD	0.98738	-	-
PLOGORE_USD	-	0.82043	-
PLOGSK_USD	-	-	0.93922
PMAIZMT_USD	-0.43462	0.49847	-
PNGASEU_USD	-	0.91320	-
PNGASJP_USD	-	0.92561	-
PNGASUS_USD	-	0.96458	-
PNICK_USD	1.06378	-	0.32225
POILAPSP_USD	-0.30855	0.63647	-

Values less than 0.3 are not printed.

Promax Rotation: This is an Oblique rotation method which is used when the factors have high correlation. This rotation is not suitable because it is outputting loadings greater than 100% for some variables plus it also gives only one variable for the fatcor3 which doesn't give a good clustering. Therefore, we will not move ahead with rotation.

4.PROGRAMS

```
libname project1 "/home/asodan20/Project 1";
```

```
filename dataset "/home/asodan20/Project 1/project1_data_29.csv";
```

```
/*Inputting the variables*/
```

```
data project1.commodities;
```

```
infile dataset dlm=' ' firstobs= 9;
```

```
input PALUM_USD      PBANSOP_USD      PBARL_USD PBEEF_USD PCOALAU_USD
      PCOCO_USD PCOFFOTM_USD PCOFFROB_USD  PROIL_USD PCOPP_USD
      PCOTTIND_USD PFISH_USD  PGNUTS_USD      PHIDE_USD PIORECR_USD
      PLAMB_USDPLEAD_USD PLOGORE_USD  PLOGSK_USD      PMAIZMT_USD
      PNGASEU_USD      PNGASJP_USD PNGASUS_USD  PNICK_USD POILAPSP_USD;
```

```
run;
```

```
proc contents data = project1.commodities;
```

```
title "Contents of the given file";
```

```
run;
```

```
proc means data = project1.commodities;
```

```
title " Summary of the given file";
```

```
run;
```

/*Deal with the missing values*/

```
proc means data=project1.commodities n nmiss;
```

```
title "Variables with Missing values";
```

```
run;
```

```
* Variables PNGASEU_USD,PNGASJP_USD,PNGASUS_USD has missing values;
```

```
* For the variable PNGASEU_USD, we will do the following analysis;
```

```
title 'Graph of PNGASEU_USD';
```

```
ods graphics off;
```

```
proc univariate data=project1.commodities;
```

```
    histogram PNGASEU_USD;
```

```
    var PNGASEU_USD;
```

```
run;
```

```
* Since the graph is not symmetric we will use median
```

```
instead of mean to replace the missing values
```

```
therefore replacing the missing values with 109.5500;
```

```
* For the variable PNGASJP_USD, we will do the following analysis;
```

```
title 'Graph of PNGASJP_USD ';
```

```
ods graphics off;
```

```
proc univariate data=project1.commodities;
```

```
    histogram PNGASJP_USD;
```

```
    var PNGASJP_USD;
```

```
run;
```

```
* Again the graph is not symmetric we will use median
```

```
value 128.8000 for replacing the missing values;
```

```
* For the variable PNGASUS_USD, we will do the following analysis;
```

```
title 'Graph of PNGASUS_USD ';
```

ods graphics off;

```
proc univariate data=project1.commodities;
```

 histogram PNGASUS_USD;

 var PNGASUS_USD;

```
run;
```

* Again the graph is not symmetric we will use median value 101.4100 for replacing the missing values;

***Replacing all the missing values with medians;**

```
data project1.NewCommodities;
```

 set project1.Commodities;

 if PNGASEU_USD = 'n.a.' then PNGASEU_USD = 109.5500;

 if PNGASJP_USD = 'n.a.' then PNGASJP_USD = 128.8000;

 if PNGASUS_USD = 'n.a.' then PNGASUS_USD = 101.4100;

```
run;
```

```
proc print data =project1.newcommodities;run;
```

/*Standardise data*/

```
proc standard data=project1.NewCommodities
```

 out=project1.standarddata mean=0 std=1;

 var _numeric_;

```
run;
```

```
proc print data = project1.standarddata;
```

*** correlation between the variables;**

```
proc corr data=project1.standarddata;
```

```
run;
```

*** check results with/without priors";**

```
title "checking results after priors";
```

```
proc factor data=project1.standarddata rotate=varimax scree;
```

priors smc;

run;

*** Factor Analysis without rotation;**

ods graphics on;

proc factor data = project1.standarddata

plot = SCREE reorder;

TITLE "Factor Analysis without rotation";

```
var PALUM_USD  PBANSOP_USD    PBARL_USD PBEEF_USD  PCOALAU_USD
    PCOCO_USD  PCOFFOTM_USD  PCOFFROB_USD  PROIL_USD  PCOPP_USD
    PCOTTIND_USD PFISH_USD    PGNUTS_USD    PHIDE_USD  PIORECR_USD
    PLAMB_USDPLEAD_USD PLOGORE_USD  PLOGSK_USD    PMAIZMT_USD
    PNGASEU_USD   PNGASJP_US PNGASUS_USD   PNICK_USD  POILAPSP_USD;
```

RUN;

ods graphics off;

* As we can see that without rotation, the number of factors= 3 since the eigenvalues of 3 variables >1 and from the scree plot also we can see that.

Therefore, we will retain three factors;

*** With Rotation ;**

%let rotation = varimax;

ods graphics on;

PROC FACTOR DATA= project1.standarddata

ROTATE=&rotation

reorder;

TITLE "Factor Analysis with &rotation Rotation";

RUN;

ods graphics off;

* Running the Oblique rotation

***Promax rotation;**

```
%let rotation1= promax;
```

```
ods graphics on;
```

```
PROC FACTOR DATA= project1.standardddata
```

```
    ROTATE=&rotation1 fuzz=0.3
```

```
    ;
```

```
    TITLE "Factor Analysis with &rotation1 Rotation";
```

```
RUN;
```

```
ods graphics off;
```

***Rotation = factorparsimax;**

```
%let rotation2=Factorparsimax;
```

```
ods graphics on;
```

```
PROC FACTOR DATA= project1.standardddata
```

```
    Plot=SCREE
```

```
    ROTATE=&rotation2
```

```
    reorder
```

```
    ;
```

```
    TITLE "Factor Analysis with &rotation2 Rotation";
```

```
RUN;
```

```
ods graphics off;
```