12. Project: Who is the real author of Hamlet?



- o Process

 - Step 1: Please implement a <u>Text Classifier</u>

 Test the <u>Text Classifier</u> to predict who the real author of Hamlet is.

	Doc	Words	Author
Training	1	W1 W2 W3 W4 W5	C (Christopher Marlowe)
	2	W1 W1 W4 W3	C (Christopher Marlowe)
	3	W1 W2 W5	C (Christopher Marlowe)
	4	W5 W6 W1 W2 W3	W (William Stanley)
	5	W4 W5 W6	W (William Stanley)
	6	W4 W6 W3	F (Francis Bacon)
	7	W2 W2 W4 W3 W5 W5	F (Francis Bacon)
Test	8 (Hamlet)	W1 W4 W6 W5 W3	?

- o Please clearly shows the results of
 - P(C)
 - P(W)
 - **■** P(F)
 - P(W1|C)
 - P(W1|W)
 - P(W1|F)
 - P(W3|C)
 - P(W3|W)
 - P(W3|F)
 - P(W4|C)
 - P(W4|W)
 - P(W4|F)
 - P(W5|C)
 - P(W5|W)
 - P(W5|F)
 - P(W6|C)
 - P(W6|W)
 - P(W6|F)
 - P(C|d8)
 - P(W|d8)
 - P(F|d8)
 - Does d8 belong to C or W or F?
- Step 2: <u>Update your portfolio</u> by linking the <u>Google Slides presentation</u> to the <u>GitHub</u>.
 - o Use the following structure

Machine Learning
Text Classification

• Step 3: Please submit the URL of your <u>GitHub</u> postings as the homework answer.

Solution:

We have the training data and need to calculate the probabilities of each before testing the Text Classifier to identify the true author of Hamlet.

P(C): The probability of class C = 3/7

P(W): The probability of class W = 2/7

P(F): The probability of class F = 2/7

P(W1/C): The probability that the word "W1" appears on the 3 class C documents

$$=$$
 (count (W1, C) + 1) / (count(C)+|V|) $=$ (4+1) / (12+6) $=$ 5/18

4: how many times the word "W1" appear on the 3 class C documents.

12: how many words in the 3 class C documents.

6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W1|W): The probability that the word "W1" appears on the 3 class W documents

$$=$$
 (count (W1, W) + 1) / (count(W)+|V|) $=$ (1+1) / (8+6) $=$ 2/14 $=$ 1/7

1: how many times the word "W1" appear on the 2 class W documents.

8: how many words in the 3 class W documents.

6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W1|F): The probability that the word "W1" appears on the 2 class F documents

$$= (count(W1, F) + 1) / (count(F) + |V|) = (0+1) / (9+6) = 1/15$$

0: how many times the word "W1" appear on the 2 class F documents.

9: how many words in the 3 class W documents.

6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W3|C): The probability that the word "W3" appears on the 3 class C documents

$$= (count(W3, C) + 1) / (count(C) + |V|) = (2+1) / (12+6) = 3/18 = 1/6$$

2: how many times the word "W3" appear on the 3 class C documents.

- 12: how many words in the 3 class C documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W3|W): The probability that the word "W3" appears on the 3 class W documents

$$= (count(W3, W) + 1) / (count(W) + |V|) = (1+1) / (8+6) = 2/14 = 1/7$$

- 1: how many times the word "W3" appear on the 2 class W documents.
- 8: how many words in the 3 class W documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W3|F): The probability that the word "W3" appears on the 2 class F documents

$$= (count(W3, F) + 1) / (count(F) + |V|) = (2+1) / (9+6) = 3/15 = 1/5$$

- 2: how many times the word "W3" appear on the 2 class F documents.
- 9: how many words in the 3 class F documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W4|C): The probability that the word "W4" appears on the 3 class C documents

$$= (count(W4, C) + 1) / (count(C) + |V|) = (2+1) / (12+6) = 3/18 = 1/6$$

- 2: how many times the word "W4" appear on the 3 class C documents.
- 12: how many words in the 3 class C documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W4|W): The probability that the word "W4" appears on the 3 class W documents

$$= (count(W4, W) + 1) / (count(W) + |V|) = (1+1) / (8+6) = 2/14 = 1/7$$

- 1: how many times the word "W4" appear on the 2 class W documents.
- 8: how many words in the 3 class W documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W4|F): The probability that the word "W4" appears on the 2 class F documents

$$= (count(W4, F) + 1) / (count(F) + |V|) = (2+1) / (9+6) = 3/15$$

- 2: how many times the word "W4" appear on the 2 class F documents.
- 9: how many words in the 3 class F documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W5|C): The probability that the word "W5" appears on the 3 class C documents

$$= (count(W5, C) + 1) / (count(C) + |V|) = (2+1) / (12+6) = 3/18 = 1/6$$

- 2: how many times the word "W5" appear on the 3 class C documents.
- 12: how many words in the 3 class C documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W5|W): The probability that the word "W5" appears on the 3 class W documents

$$= (count(W5, W) + 1) / (count(W) + |V|) = (2+1) / (8+6) = 3/14$$

- 2: how many times the word "W5" appear on the 2 class W documents.
- 8: how many words in the 3 class W documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W5|F): The probability that the word "W5" appears on the 2 class F documents

$$= (count(W5, F) + 1) / (count(F)+|V|) = (2+1) / (9+6) = 3/15$$

- 2: how many times the word "W5" appear on the 2 class F documents.
- 9: how many words in the 3 class F documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W6|C): The probability that the word "W6" appears on the 3 class C documents

$$= (count(W6, C) + 1) / (count(C) + |V|) = (0+1) / (12+6) = 1/18$$

- 0: how many times the word "W6" appear on the 3 class C documents.
- 12: how many words in the 3 class C documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W6|W): The probability that the word "W6" appears on the 2 class W documents

$$= (count(W6, W) + 1) / (count(W) + |V|) = (2+1) / (8+6) = 3/14$$

- 2: how many times the word "W6" appear on the 2 class W documents.
- 8: how many words in the 3 class W documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(W6|F): The probability that the word "W6" appears on the 2 class F documents

- = (count(W6, F) + 1) / (count(F)+|V|) = (1+1) / (9+6) = 2/15
- 1: how many times the word "W6" appear on the 2 class F documents.
- 9: how many words in the 3 class F documents.
- 6: number of vocabularies: (W1 W2 W3 W4 W5 W6)

P(C|d8) : P(C) * P(W1|C) * P(W4|C) * P(W6|C) * P(W5|C) * P(W3|C)

$$= ((3/7) * (5/18) * (1/6) * (1/18) * (1/6) * (1/6)$$

- = 0.00003061924, approx. 0.00004
- = 3/7: prior: P(C)
- = There are 5 words in d8: W1 W4 W6 W5 W3

Each word "W1" has P(W1|C) = 5/18

The word "W4" has P(W4|C) = 3/18 = 1/6

The word "W6" has P(W6|C) = 1/18

The word "W5" has P(W5|C) = 3/18 = 1/6

The word "W3" has P(W3|C) = 3/18 = 1/6

P(W|d8) = P(W) * P(W1|W) * P(W4|W) * P(W6|W) * P(W5|W) * P(W3|W)

- = (2/7*2/14*2/14*3/14*3/14*2/14)
- = 0.00002824936, approx. 0.00003

- = 2/7: prior: P(W)
- = There are 5 words in d8: W1 W4 W6 W5 W3

Each word "W1" has P(W1|W) = 2/14

The word "W4" has P(W4|W) = 2/14

The word "W6" has P(W6|W) = 3/14

The word "W5" has P(W5|W) = 3/14

The word "W3" has P(W3|W) = 2/14

P(F|d8) = P(F) * P(W1|F) * P(W4|F) * P(W6|F) * P(W5|F) * P(W3|F)

$$= ((2/7) * (1/15) * (3/15) * (2/15) * (3/15) * (3/15))$$

- = 0.00002031746, approx. 0.00002
- = 2/7: prior: P(F)
- = There are 5 words in d8: W1 W4 W6 W5 W3

Each word "W1" has P(W1|F) = 1/15

The word "W4" has P(W4|F) = 3/15

The word "W6" has P(W6|F) = 2/15

The word "W5" has P(W5|F) = 3/15

The word "W3" has P(W3|F) = 3/15

Does d8 belong to C or W or F?

The probability calculations show that Document 8 should be in Class C because it has the highest probability calculation.













