



Daffodil
International
University

CSE 215

Algorithm Lab

“ASSIGNMENT”

Lab Task 2

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Date : 13.06.2020

Insertion Sort

```

Void - insertion-sort (int A[], int n)
{
    int i, j, item;
    for (i = 1; i < n; i++)      _____ n
        item = A[i];            _____ n
        j = i - 1;               _____ n
        while (j >= 0 && A[j] > item)  _____ n x n
            A[j+1] = A[j]         _____ n x n
            j = j - 1;             _____ n x n
        End while
        A[j+1] = item;             _____ n x n
    End for
End insertion-sort

```

$\frac{n \times n}{4n^2 + 3n}$

Best case: Analysis

For sorted Array.

For an Array, both loop will check for each element.

Any element of the array won't swap. Always n numbers of the element of an array will check both loop for n times.

\therefore The complexity of best case time is : $O(n)$

Worst case:

From the code,

we get,

the complexity function of an algorithm
is: $f(n) = 4n^2 + 3n$

∴ The time complexity of worst case time is: $O(n^2)$

Average case:

Both loop will be executed for n times. All possible values are average time.

$$\begin{aligned}\text{Avg time} &= 1 + 2 + 3 + \dots + (n-2) + (n-1) + n \\ &= \frac{n(n+1)}{2} = \frac{n^2 + n}{2}\end{aligned}$$

∴ The time complexity of Average case time is: $O(n^2)$

Selection Sort

```
void selectionSort (int A[], int n)
```

```
    int i, j, min, temp;
```

```
    for (i = 0; i < n-1; i++)
```

```
        min = i;
```

```
        for (j = i+1; j < n; j++)
```

```
            if (A[j] < A[min])
```

```
                min = j;
```

```
            end if
```

```
        end for
```

```
        if (min != i)
```

```
            temp = A[i]
```

```
            A[i] = A[min]
```

```
            A[min] = temp
```

```
        end if
```

```
    end for
```

```
end selectionSort
```


Analysis

Best case:

For sorted Array, both loop will check for each element. For best case, 2nd loop won't executed minimum one time but loop will check for each element. Always n number of element of an array will check for n times.

∴ The time complexity of best case time is: $O(n)$

Worst case:

From the code,

We get,

the complexity function of an Algorithm

$$is: f(n) = 3n^2 + 7$$

∴ The time complexity of worst case time is: $O(n^2)$

Average case:

All possible values of are average time. Both loop will executed for n times.

$$\begin{aligned}\text{Avg time} &= 1+2+3+\dots+(n-2)+(n-1)+n \\ &= \frac{n(n+1)}{2} = \frac{n^2+n}{2}\end{aligned}$$

\therefore The time complexity of Average case time is: $O(n^2)$

