APPS ~

**TOUR** 

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 $\sqrt{(4*pi*r^2)*16*pi^2/((2*(d-\lambda/4)))^4*(e^(i*2*k*r)))}/\sqrt{(4*pi*r^2)*16*pi^2/((2*(d-\lambda/4)))^4*k^2*(e^(i*2*k*a)))}/\sqrt{(4*pi*r^2)*16*pi^2/((2*(d-\lambda/4)))^4*k^2*(e^(i*2*k*a)))}/\sqrt{(4*pi*r^2)*16*pi^2/((2*(d-\lambda/4)))^4*k^2*(e^(i*2*k*a)))}/\sqrt{(4*pi*r^2)*16*pi^2/((2*(d-\lambda/4)))^4*k^2*(e^(i*2*k*a)))}/\sqrt{(4*pi*r^2)*16*pi^2/((2*(d-\lambda/4)))^4*k^2*(e^(i*2*k*a)))}$ 





**Σ** Extended Keyboard



Examples

**Random** 

Assuming i is the imaginary unit | Use i as a variable instead

Input:

$$\left\{ \sqrt{ar} \times \frac{\sqrt{\frac{\left\|2\left(d-\frac{\lambda}{4}\right)\right|^{4} e^{i\times2\,k\,r}\right|}{4\pi\,r^{2}} \left|16\times\frac{\pi^{2}}{\left|2\left(d-\frac{\lambda}{4}\right)\right|^{4}k^{2}\,e^{i\times2\,k\,a}}\right|}}{3\,\sqrt{\pi}\,d}, d=0.9, a=2, r=1, k\,r=1 \right\}$$

|z| is the absolute value of zi is the imaginary unit

Result:

$$2\sqrt{ar}\left|d-\frac{\lambda}{4}\right|^{2}\sqrt{\frac{e^{2\operatorname{Im}(ak)-2\operatorname{Im}(kr)}}{r^{2}}}\sqrt{\left|\frac{1}{k^{2}\left|d-\frac{\lambda}{4}\right|^{4}}\right|}\left\{\frac{1}{3d},d=0.9,a=2,r=1,kr=1\right\}$$

Im(z) is the imaginary part of z

Substitution:

Approximate form

$$\frac{2\sqrt{\frac{1}{r^2}} \sqrt{a\,r} \,\, e^{\mathrm{Im}(a\,k) - \mathrm{Im}(k\,r)}}{3\,d\,|k|} = \frac{20\sqrt{2}}{27}$$

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