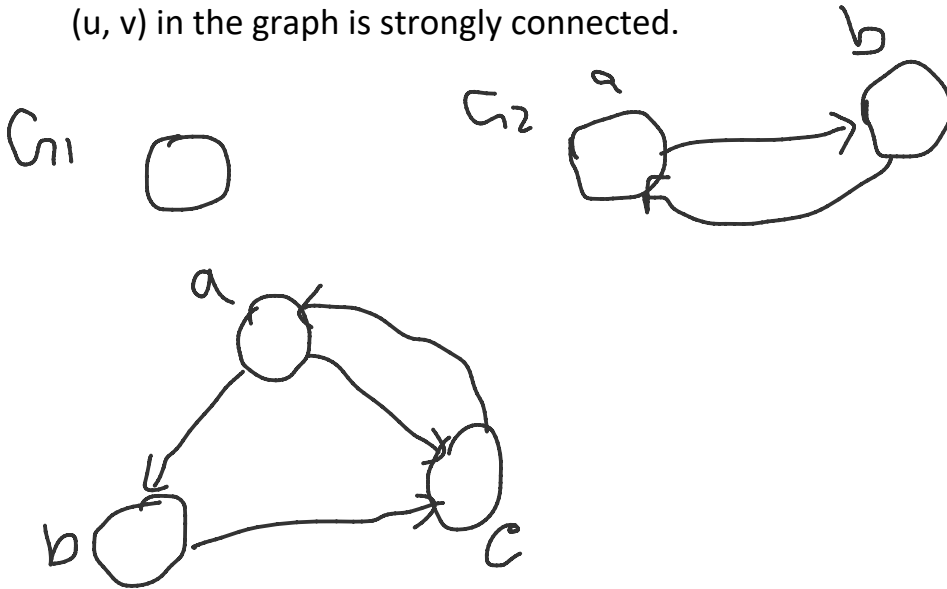


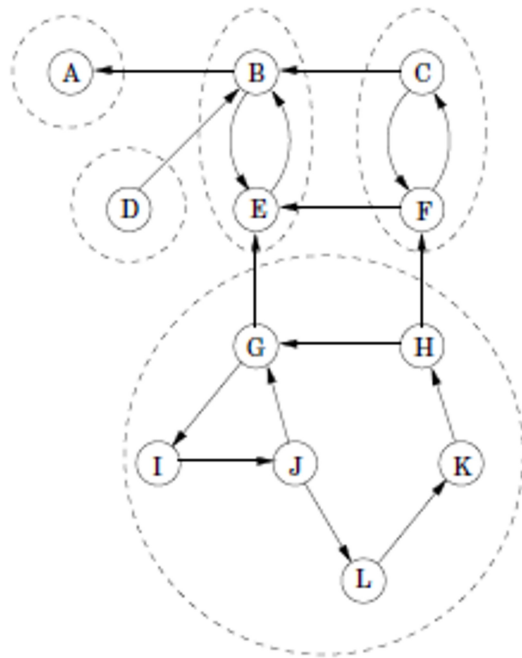
Strongly Connected Components (SCC)

Thursday, January 28, 2021 9:17 AM

Two vertices, u and v , of a directed graph are said to **strongly connected** iff there is a **path** from u to v then there is also a **path** from v to u in the graph i.e. both are reachable from each other.

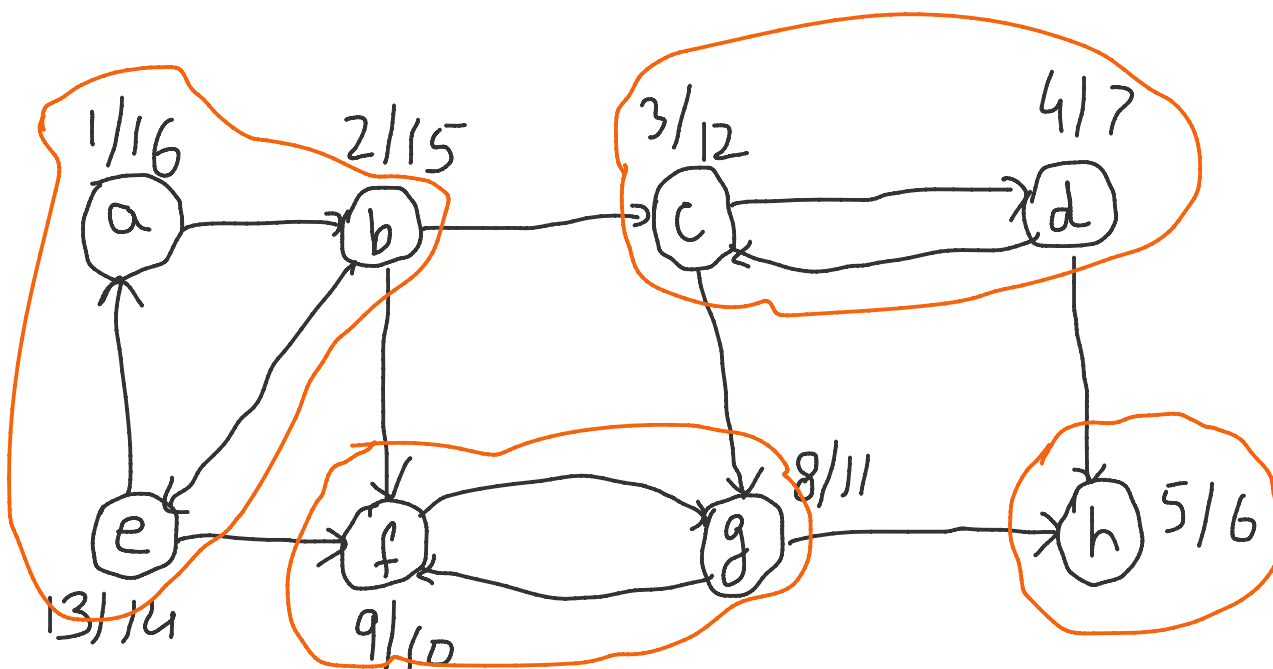
A directed graph is said to be strongly connected if for every pair of vertices (u, v) in the graph is strongly connected.





A Strongly Connected Component (SCC) of a directed graph $G(V, E)$ is a **maximal set of vertices** $C \subseteq V$ such that every pair of vertices in C is reachable from each other i.e. they are strongly connected.

- 1) Apply DFS to the graph to find out the discover and finish times of each vertex.
- 2) Find $G^T(V, E^T)$ of $G(V, E)$; $E^T = \{ \langle u, v \rangle; \text{ if } \langle v, u \rangle \in E \}$
- 3) Apply DFS on G^T in reverse order of finishing time of step 1. All vertices visited during the execution of DFS-VISIT constitute a SCC.



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Predecessor:

Node:

Discover Time:

Finish Time:

