# STT Lab 06 - Weights & Biases and Autogluon

Github repo link: <a href="https://github.com/Soham-Gaonkar/CS">https://github.com/Soham-Gaonkar/CS</a> Lab 06

## Group 7

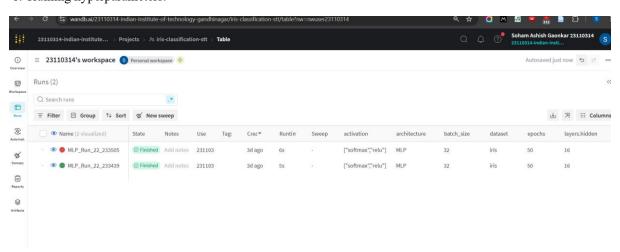
1.Soham Gaonkar 23110314

2.Chaitanya Sharma 23110072

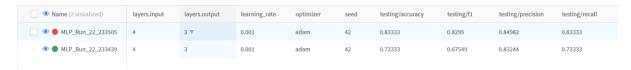
## Section 1: Weights & Biases

#### Results:

#### 1. Training hyperparameters:



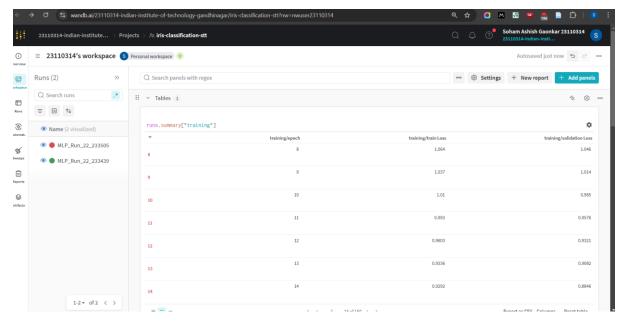
#### 2. Model architecture:



#### 3. Training and testing metrics:



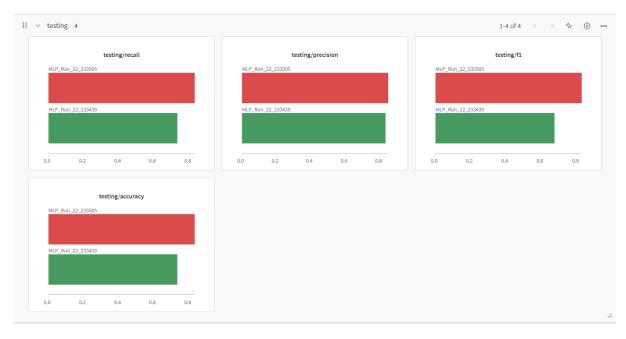
4. Training and validation loss table:



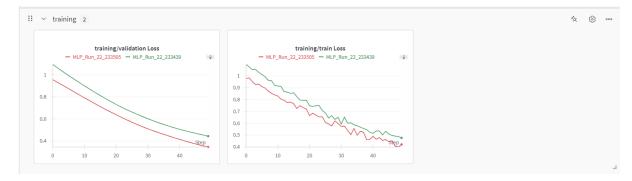
#### 5. Confusion matrix:



#### 6. Evaluation metrics:



## 7. Graphs of training and validation loss:



#### Code:

#### Wandb init:

#### Train - test - split:

```
Train - Val - Test Split (70-10-20)

# Train.test Split 80 20
from sklearm.mode]_selection import train_test_split

X_train_val, X_test, y_train_val, y_test - train_test_split(X, y, test_size=0.2, random_state=42, stratify - y)

X_train_xal, x_test, y_train_shape
print(X_train shape: , X_train.shape)
print(X_test shape: , X_test.shape)
print(Y_test shape: , X_val.shape)
print(Y_train shape: , y_train.shape)
print(Y_train shape: , y_test.shape)
print(Y_train shape: , y_val.shape)

**X_train shape: (105, 4)
X_test shape: (105, 4)
Y_test shape: (105, 4)
Y_test shape: (105, 4)
Y_test shape: (105, 6)
```

#### Scale:

```
Standard Scaler

# Normalize the data from sklearn.preprocessing import StandardScaler scaler = StandardScaler()

X_train_scaled = scaler.fit_transform(X_train)

X_val_scaled = scaler.transform(X val)

X_test_scaled = scaler.transform(X_test)

Use Min Max Scaler for making data from [0,1]
```

#### Model architecture:

#### Training:

#### Evaluating:

```
# Compute metrics
from skleann.metrics import accuracy_score, precision_score, recall_score, fl_score, confusion_matrix

accuracy = accuracy_score(y_true, y_pred)
precision = precision_score(y_true, y_pred, average="macro")
recall = recall_score(y_true, y_pred, average="macro")
fl = fl_score(y_true, y_pred, average="macro")

print(f"Accuracy: (accuracy: 4f)")
print(f"Recall: (recall: 4f)")
print(f"Fl*score: {fl:.4f}")
print(f"Fl*score: {fl:.4f}")

resting_metrics = ("testing/accuracy": accuracy, "testing/precision": precision, "testing/recall": recall, "testing/fl": fl)
wandb.log(testing_metrics)

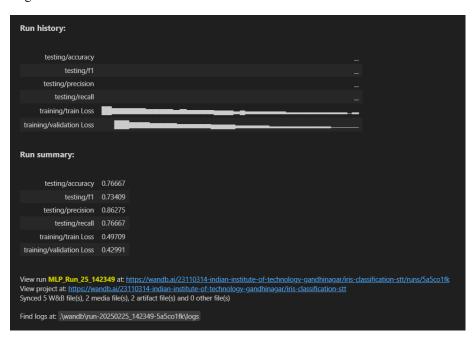
# Confusion Matrix
conf_matrix = confusion_matrix(y_true, y_pred)
plt.flgure(flgs)tze=(6, 5))
sns.heatang(conf_matrix, annot=True, fmt="d", cmap="Blues", xticklabels=iris.target_names, yticklabels=iris.target_names)
plt.xlabel("Predicted")
plt.xlabel("Predicted")
plt.ylabel("actual")
plt.savefig("confusion_matrix, png", bbox_inches="tight", dpi=300) # High quality save
plt.show()

confusion_matrix_metrics = ("confusion_matrix": wandb.Image("confusion_matrix.png"))
wandb.finish()

Accuracy: 9.7667
Precision: 9.8627

Recall: 9.7667
Fl-score: 0.7341
```

#### Logs:



## Section 2:

#### Task 1:

Code:

## **Evaluating Model:**

```
from autogluon.tabular import TabularPredictor
from sklearn.metrics import confusion_matrix, classification_report, fl_score
from autogluon.common import space

def evaluate model(predictor, test_data):
    """Evaluate the trained model on test data."""
    print("Evaluating model..")
    y_pred = predictor.predict(test_data.drop(columns=['target']))
    y_true = test_data'[target']
    accuracy = (y_pred == y_true).mean()
    fl = fl_score(y_true, y_pred, average='weighted')

    print(f"Accuracy: (accuracy:.4f), fl Score: {fl:.4f}\n")

# Confusion Netrix Plot

plt.figsize=(6, 5))
cm = confusion_matrix(y_true, y_pred)
sns.heatmap(cm, annot=True, fat='d', cmap='Blues', xticklabels=predictor.class_labels, yticklabels=predictor.class_labels)
plt.valabel("Predicted label")
plt.vilabel("True Label")
plt.vilabel("True Label")
plt.show()

# Print classification Natrix()
plt.show()

# Print classification report
print(classification report
print(classification report
print(classification report
print(classification report
print(f"Sample (il): Truth: (y_true.iloc(il), Predicted: (y_pred.iloc(il)")

print('-"58)

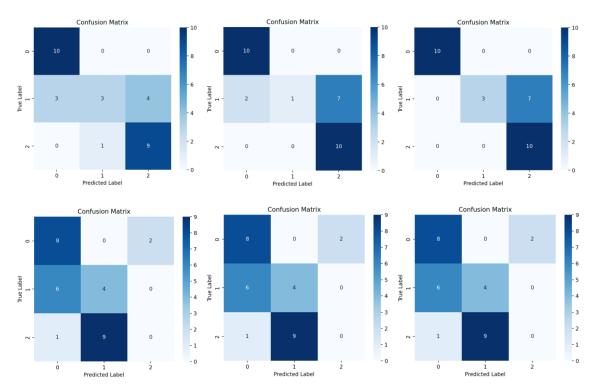
return accuracy, fl
```

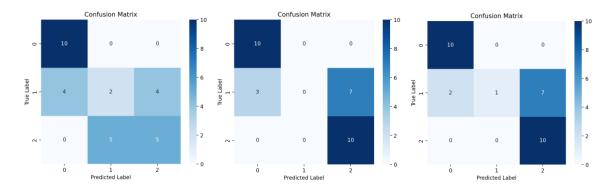
Iterating over all possible configurations:

#### Results Table:

	# Batch Size	# Learning Rate	# Epochs	# Train Accuracy	# Test Accuracy	# Validation Accuracy	# F1 Score	△ Model
		2 0.001		0.7238095238095238	0.7333333333333333	0.8	0.3292753623188406	NeuralNetTorch
		0.001		0.8095238095238095		0.8	0.3292753623188406	NeuralNetTorch
	2	2 0.001		0.8666666666666667	0.7666666666666667	0.8666666666666667	0.3292753623188406	NeuralNetTorch
		? 1e-05		0.3904761904761905	0.4	0.2666666666666666	0.3292753623188406	NeuralNetTorch
	2	? 1e-05		0.3904761904761905	0.4	0.3333333333333333	0.3292753623188406	NeuralNetTorch
		? 1e-05		0.3904761904761905	0.4	0.3333333333333333	0.3292753623188406	NeuralNetTorch
	4	0.001		0.6095238095238096	0.5666666666666667	0.666666666666666	0.3292753623188406	NeuralNetTorch
	4	0.001		0.8095238095238095	0.666666666666666	0.7333333333333333	0.3292753623188406	NeuralNetTorch
	4	0.001		0.8095238095238095		0.8	0.3292753623188406	NeuralNetTorch
	4	1e-05		0.3904761904761905	0.4	0.266666666666666	0.3292753623188406	NeuralNetTorch
10	4	1e-05		0.3904761904761905	0.4	0.2666666666666666	0.3292753623188406	NeuralNetTorch
	4	1e-05		0.3904761904761905	0.4	0.3333333333333333	0.3292753623188406	NeuralNetTorch
12 rows x 8	3 cols 25 V	per page			« 〈 Page	1 of 1 > »		

#### Confusion matrices:

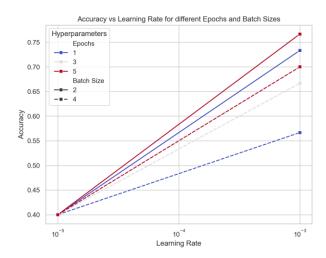




## **Overall Results Comparison:**

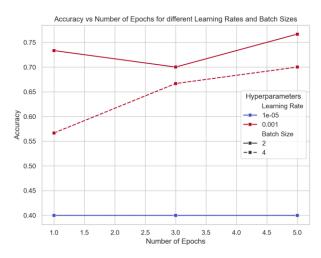
Accuracy vs Learning Rate:

As learning rate increases (for smaller values), accuracy seems to rise.(direct)



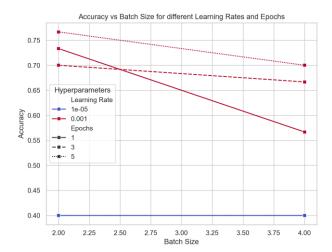
Accuracy vs Number of Epochs:

As number of epochs increases, for a good learning rate, accuracy increases.(direct)



## Accuracy vs Batch Size:

With increase in batch size, accuracy decreases. (inverse)



#### Task 2:

Code:

Training:

```
def train_auto_mode(train_data,val_data,search_strategy,num_trials,scheduler):
     model_path = f'models/auto_training/{search_strategy}'
     if(search_strategy =='grid'):
          search_strategy = 'random'
          nn_options = {
  'num_epochs': ag.space.Categorical(2,3,4),
  'learning_rate': ag.space.Categorical(1e-4,1e-2),
           'batch_size': ag.space.Categorical(2,3,4),
           'activation': 'relu',
'hidden_size': 16,
'num_layers': 2,
           num_trials = 3*3*2
           nn_options = []
    'num_epochs': ag.space.Int(lower=2, upper=4),
    'learning_rate': ag.space.Real(lower=1e-4,upper=1e-2),
                rearrang_ate : ag.space.Real(lower=1e-4,upg
'batch_size': ag.space.Int(lower=2,upper=4),
'activation': 'relu',
'hidden_size': 16,
'num_layers': 2,
     time_limit = 120*60 # 2 mins
      hyperparameter_tune_kwargs = {
           'num_trials': num_trials,
'scheduler': scheduler,
'searcher': search_strategy,
     predictor = TabularPredictor(
    label='target',
    eval_metric='accuracy',
    problem_type='multiclass',
          path = model_path).fit(
train_data=train_data,
           tuning_data=val_data,
           use_bag_holdout=True, # Use validation data for tuning
          # disable bagging
num_bag_folds=0,
           num_stack_levels=0,
fit_weighted_ensemble =False,
           fit_full_last_level_weighted_ensemble= False,
           verbosity=2,
           hyperparameters=hyperparameters,
           hyperparameter_tune_kwargs=hyperparameter_tune_kwargs,
           time_limit=time_limit,
     return predictor
```

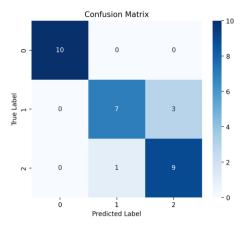
#### Calling function:

Confusion matrices:

#### Random Search:

Random search is a hyperparameter optimization technique that randomly selects a combination of hyperparameters from a given range and evaluates them using a validation set.



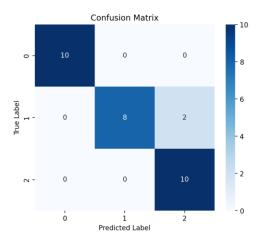


Grid Search:

Grid search is a hyperparameter optimization technique that exhaustively searches through a grid of hyperparameters to find the best combination.

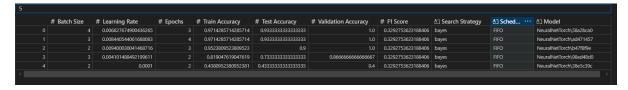


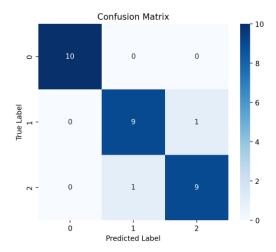
(with replacement – closest to grid search)



## Bayes Optimization:

Bayesian optimization is a probabilistic model-based optimization technique that uses the posterior distribution of the loss function to select the most promising hyperparameters to evaluate in the next iteration.

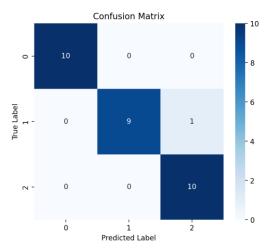




#### Bayes Optimization and hyperband:

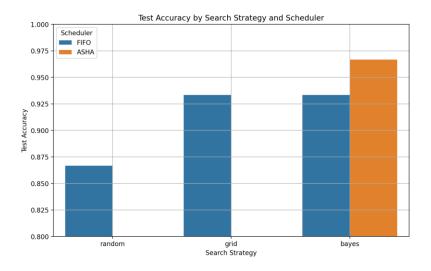
Bayes with Hyperband essentially refers to a hybrid approach where the exploration strategy of Bayesian Optimization is combined with the efficient resource allocation mechanism of the Hyperband algorithm, and this combined method is often called ASHA (Asynchronous Successive Halving Algorithm); meaning, when you use Bayesian optimization to guide the search within the framework of Hyperband's parallel exploration and early stopping, you are effectively using ASHA.

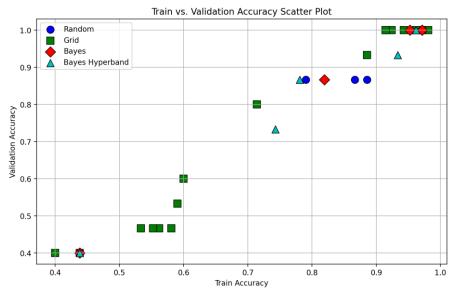




#### Results table Overall:







## Relationship Between Hyperparameters and Performance

#### **Epochs vs. Performance (Direct Relationship)**

More epochs generally allow the model to learn better, reducing loss and improving accuracy & F1 score.

Since all trials have only 3 epochs, we can't see a strong effect, but usually, more epochs the better performance (up to a limit). Overfitting only happens after a large number of epochs (around 20 or more)

#### **Batch Size vs. Performance (Inverse Relationship)**

Smaller batch sizes (e.g., 2, 3) tend to perform better (higher test accuracy & F1).

Larger batch sizes (e.g., 4) can lead to faster convergence but may not generalize as well.

#### Learning Rate vs. Performance (Optimal Range Effect)

Too high (0.01, Row 1): Can converge quickly but risk overshooting the optimal solution.

Too low (0.0036, Row 0): May learn too slowly and not reach optimal performance in given epochs.

Balanced (0.0097, Row 3): Achieves the best accuracy, meaning there's an optimal learning rate range.

# **Conclusion:**

Best Approach: The Bayesian search strategy with ASHA (Row 3) performs the best.

It finds the best hyperparameters efficiently, leading to highest test accuracy (96.67%) and best F1 score (0.9666).

Grid Search (Row 1) is okay but can be slow since it tests all possible values systematically.

Random Search (Row 0) is the least effective because it selects values randomly without learning from past results.

Overall: Bayesian search is smarter—it picks better values by learning from past tests, making it more efficient.