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# Problem Statement
# Implement Gradient Descent Algorithm to find the local minima of a function.
# For example, find the local minima of the function y=(x+3)^2 starting from the point x=2.
# Define the function y = (x + 3)^2
def fun_minimise(x):
  return (x+3)** 2
# Define the derivative of the function
def gradient(x):
  return 2 *(x+3)
# Initialise starting point
x = 2
# Set Parameter
learning_rate = 0.1
num_iteration = 100
#Gradient Descent Algorithm
for i in range(num iteration):
  #Calculate gradient at current point
  grad = gradient(x)
  \# Update\ value\ x\ using\ gradient\ and\ learning\ rate
  x = x - learning_rate * grad
  if i % 10 == 0:
    print("Iteration:",i," x=",x,"y=",fun_minimise(x))
\#Final\ value\ of\ x\ will\ be\ local\ minima
print("Local Minima: x= ", x,"y=",fun_minimise(x))
\rightarrow Iteration: 0 x= 1.0 y= 16.0
      Iteration: 10 x= -2.5705032704 y= 0.1844674407370954
      Iteration: 20 x= -2.953883139815726 y= 0.002126764793255884
      Iteration: 30 x = -2.995048239842858 y = 2.451992865385725e-05
     Iteration: 40 x= -2.999468308801686 y= 2.826955303647891e-07
     Iteration: 50 x= -2.9999429100922916 y= 3.259257562149415e-09 Iteration: 60 x= -2.9999938700178364 y= 3.757668132666189e-11
     Iteration: 70 \times -2.999999341798177 \times 4.3322963956744853e-13 Iteration: 80 \times -2.9999999293261177 \times 4.994797639633387e-15
     Iteration: 90 x = -2.9999999924114498 y = 5.758609463330129e-17
     Local Minima: x= -2.999999998981482 y= 1.0373792396055266e-18
```