

# Implementation of Genetic Algorithm using the objective Function $f(x) = x^2$

```
import numpy as np
import random
```

```
population_size = 100
```

```
num_generations = 50
```

```
gene_range = (-10, 10)
```

```
crossover_rate = (0.7)
```

```
mutation_rate = 0.01
```

```
def fitness(x):
    return x**2
```

```
def initialize_population(size, gene_range):
    return np.random.uniform(gene_range[0],
                              gene_range[1], size)
```

```
def selection(population):
    fitness_values = fitness(population)
    probabilities = fitness_values / np.sum(fitness_values)
```

```
return population[np.random.choice(len(population),
                                     size=2, p=probabilities)]
```

```
def crossover_and_mutate(parent1, parent2):
    if random.random() < crossover_rate:
        alpha = random.random()
        offspring1 = alpha * parent1 + (1-alpha) * parent2
```

offspring 2 = (1-alpha)\*parent 1 + alpha\*parent 2

else:

offspring 1, offspring 2 = parent 1, parent 2

if random.random() < mutation\_rate:

offspring 1 = np.random.uniform(gene\_range[0], gene\_range[1])

if random.random() < mutation\_rate:

offspring 2 = np.random.uniform(gene\_range[0], gene\_range[1])

return offspring 1, offspring 2

def genetic\_algorithm():

population = initialize\_population(population\_size, gene\_range)

for i in range(num\_generations):

new\_population = []

for i in range(population\_size // 2):

parent 1, parent 2 = selection(population)

offspring 1, offspring 2 = crossover(parent 1, parent 2)

new\_population.extend([offspring 1, offspring 2])

population = np.array(new\_population)

best\_fitness = np.max(fitness(population))

print(f"Best Fitness = {best\_fitness}")

e/p:-

Best Solution : 0.40266

Fitness: 0.167004



Particle Swarm Optimization for Function Optimization

Particle Swarm Optimization (PSO) is inspired by the social behaviour of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality. Implement the PSO algorithm using Python to optimize a mathematical function.

Applications of PSO:

Particle Swarm Optimization has a wide range of Application across various fields, including:-

- 1) Engineering Design: optimization of structural designs, component layout and resource allocation.
- 2) Artificial Intelligence: Feature selection, training of neural networks and optimization of algorithms.
- 3) Robotics: path planning and multi-robot coordination.
- 4) Finance: Portfolio optimization and risk assessment.
- 5) Image processing: Edge detection and image segmentation.
- Telecommunication: Network design and frequency allocation.
- Healthcare: Intelligent diagnosis, disease detection and classification, medical image segmentation.

Algorithm steps:

- Step 1:- Define the problem (Mathematical Function):
- Identify a mathematical function  $f(x)$  that you want to optimize (eg, minimize or maximize).
  - Common cluster include functions like Rastrigin's function or the sphere function.
- Step 2:- Initialize parameters:
- Set parameters such as:
    - (a) Number of particles 'n'.
    - (b) Inertia weight  $w$  (controls exploration vs exploitation).
    - (c) Cognitive coefficient  $c_1$  (influences how much a particle is attracted to its own best position).
    - (d) Social coefficient  $c_2$  (influences how much a particle is attracted to the global best position).
- Step 3:- Initialize particles:
- (a) generate an initial population of particles with random positions and velocities in the solution space.
- Step 4:- Evaluate fitness:- calculate the fitness of each particles with random position and velocities in the solution space.
- Step 5:- Update Velocities and positions:
- update the velocity  $v_i$  and position  $x_i$  of each particle using the formula:
 
$$v_i = w \cdot v_i + c_1 \cdot r_1 \cdot (p_{best_i} - x_i) + c_2 \cdot r_2 \cdot (g_{best} - x_i)$$

$$x_i = x_i + v_i$$
  - Here,  $p_{best_i}$  is the personal best solution of particle  $i$ ,  $g_{best}$  is the global best position among all

particles and  $r_i$  are random numbers between 0 and 1.

6. Iterate: Repeat the evaluation, updating position adjustment for a set of numbers iteratively until a convergence criterion is met (e.g., significant improvement in the best solution).

7. Output the best solution.

→ After completing the iterations, output the best solution found, including its position and fitness value.

~~3/10/24~~

THURSDAY

Date: 19.11.24  
Page: 10

# LAB-5

## Ant colony Optimization for Travelling Salesman problem

import numpy as np

cities = np.array([[0,0],[1,5],[5,3],[6,1],[3,6],[7,7]])

num\_cities = len(cities)

distances = np.zeros((num\_cities, num\_cities))

for i in range(num\_cities):

for j in range(num\_cities):

distances[i][j] = np.linalg.norm(cities[i] - cities[j])

num\_ants = 10

num\_iterations = 100

alpha = 1.0

beta = 2.0

rho = 0.5

initial\_pheromone = 1.0

pheromone = np.ones((num\_cities, num\_ants)) \* initial\_pheromone

def calculate\_probabilities(ant\_position, visited):

probabilities = []

for city in range(num\_cities):

if city not in visited:

prob = (pheromone[ant\_position][city])<sup>alpha</sup>

prob = prob \* (1 / distances[ant\_position][city])<sup>beta</sup>

probabilities.append(prob)

probabilities.append(0)  
probabilities /= np.sum(probabilities)  
return probabilities

best\_path = None

best\_path\_length = float('inf')

for \_ in range(num\_ants):

visited = []

path\_length = 0

ant\_position = np.random.randint(num\_cities)

visited.append(ant\_position)

for \_ in range(num\_cities - 1):

probabilities = calculate\_probabilities(ant\_position, visited)

next\_city = np.random.choice(range(num\_cities), p=probabilities)

path\_length += distances[ant\_position][next\_city]

ant\_position = next\_city

visited.append(next\_city)

path\_length += distances[ant\_position][visited[-1]]

all\_paths.append(visited)

path\_lengths.append(path\_length)

if path\_length < best\_path\_length:

best\_path\_length = path\_length

best\_path = visited

pheromone \*= (1 - rho) # Evaporate pheromones

for path, length in zip(all\_paths, path\_lengths):



Date     /    /      
Page     

```

for i in range(len(path) - 1):
    phermone[path[i]][path[i+1]] += 1.0 / length
    phermone[path[-1]][path[0]] += 1.0 / length

```

```

# output the best solution
print("best path found:", best_path)
print("shortest path length:", best_path_length)

```

o/p:

best\_path found: [5, 2, 3, 0, 1, 4]  
 Shortest path length: 24.249111...

S.T. 14.11

LAB-6

## Cuckoo Search Algorithm

```
import numpy as np
```

```
def levy-flight (lambda, d):
```

$$\text{Sigma} - u = (np \cdot \text{math} \cdot \text{gamma}((1 + \text{lambda}) \cdot \\ np \cdot \sin(np \cdot \pi \cdot \text{lambda} / 2) / \\ np \cdot \text{math} \cdot \text{gamma}((1 + \text{lambda}) / \\ \cdot \text{lambda} \cdot 2 \cdot ((\text{lambda} - 1) / 2))) \\ \cdot (1 / \text{lambda})$$
$$u = \text{np.random.normal}(0, \text{sigma}=u, \text{size}=d)$$
$$v = \text{np.random.normal}(0, 1, \text{size}=d)$$

Step =  $n / \text{up.ales}(v) \approx v(1 / \text{lamda})$

### return Step

```
def cuckoo_search (fun, dim, bounds, num_nests=25,  
max_iteration, pa=0.25, alpha  
= 0.01, beta=1.5):
```

$$\text{nestH} = \text{np.random.uniform}(\text{bounds}[0], \text{bounds}[1], (\text{num\_nestH}, \text{dim}))$$

fitness = up.array (ffunc (nest) for nest in nest)

best-nest = nests [np.argmax(fitness)]

best fitness =  $\arg \min(\text{fitness})$

for iteration in range(max\_iter):

for  $i$  in range( $\text{sum\_nest}$ ):

Step = alpha & levy - flight (beta, dim)

$$\text{num\_nest} = \text{nest}[i] + \text{Step} \cdot (\text{nest}[i] - \text{best\_nest})$$

- best-kept)



```
new_nest = np.clip(new_nest, bounds[0],  
                    bounds[1])
```

```
new_fitness = func(new_nest)
```

```
if new_fitness < fitness[i]:
```

```
    best[i] = new_nest
```

```
    fitness[i] = new_fitness
```

```
worst_nest_idx = np.argsort(fitness)[-int(pareto  
    num_nest):]
```

```
new_nest[worst_nest_idx] = np.random.uniform  
    (bounds[0], bounds[1], len(worst_nest_idx)  
    dim))
```

```
fitness[worst_nest_idx] = np.array([func  
    (new) for new in new_nest[worst_nest_idx]])
```

```
min_idx = np.argmin(fitness)
```

```
if fitness[min_idx] < best_fitness:
```

```
    best_fitness = fitness[min_idx]
```

```
    best_nest = new_nest[min_idx]
```

```
print(f"Iteration {iteration + 1} / {pmax}  
    Best Fitness: {best_fitness}")
```

```
return best_nest, best_fitness
```

```
dim = 5
```

```
bounds = [-5.12, 5.12]
```

```
num_nest = 25
```

```
max_iteration = 100
```

```
pa = 0.25
```

```
print("Best Solution found:", best_solution)
```

```
print("Best fitness (objective value):",  
    best_fitness)
```

alp

Iteration 1/50, Best Fitness: 3.54 9330

Iteration 11/50, Best Fitness: 94 9635

Iteration 21/50, Best Fitness: 50 3612

Iteration 31/50, Best Fitness: 23 2598

Iteration 41/50, Best Fitness: 13 23426

Iteration 50/50, Best Fitness: 13 23426

Best Solution found: [0.0052 -1.8056 0.9038  
-0.8295 1.0059]

Best fitness (objective value): 19.2741



# LAB-7

grey wolf optimization algorithm:

import numpy as np

def objective-function(x):  
return sum(x\*\*2)

def gwo(obj-func, dim, n-wolves, max-iter,  
lower-bound, upper-bound):  
wolves = np.random.uniform(lower-bound,  
upper-bound, (n-wolves, dim))

alpha-pos = np.zeros(dim)  
beta-pos = np.zeros(dim)  
delta-pos = np.zeros(dim)  
alpha-score = float('inf')  
beta-score = float('inf')  
delta-score = float('inf')

for iter in range(max-iter):  
for i in range(n-wolves):  
fitness = obj-func(wolves[i])  
if fitness < alpha-score:  
delta-score, delta-pos = beta-score,  
beta-pos.copy()  
beta-score, beta-pos = alpha-score,  
alpha-pos.copy()  
alpha-score, alpha-pos = fitness,  
wolves[i].copy()  
elif fitness < beta-score:  
delta-score, delta-pos = beta-score,  
beta-pos.copy()

beta-score, beta-pos = fitness, wolves[i].copy()  
elif fitness < delta-score:  
delta-score, delta-pos = fitness, wolves[i].copy()

a = 2 - 2 \* (iter / max-iter)  
for i in range(n-wolves):  
for j in range(dim):  
r1, r2 = np.random.random(), np.random.random()  
A1 = 2 \* a \* r1 - a  
C1 = 2 \* r2  
p-alpha = abs(C1 \* alpha-pos[j] - wolves[i][j])  
x1 = alpha-pos[j] - A1 \* p-alpha

r1, r2 = np.random.random(), np.random.random()  
A2 = 2 \* a \* r1 - a  
C2 = 2 \* r2  
p-beta = abs(C2 \* beta-pos[j] - wolves[i][j])  
x2 = beta-pos[j] - A2 \* p-beta

r1, r2 = np.random.random(), np.random.random()  
A3 = 2 \* a \* r1 - a  
C3 = 2 \* r2  
p-delta = abs(C3 \* delta-pos[j] - wolves[i][j])  
x3 = delta-pos[j] - A3 \* p-delta

wolves[i][j] = (x1 + x2 + x3) / 3

wolves[i] = np.clip(wolves[i], lower-bound,  
upper-bound)

return alpha-score, alpha-pos

dimension = 5  
num-wolves = 10  
max-iterations = 100  
lower = -10  
upper = 10

best-score, best-position = ewo(Objective-function, dimension, num-wolves, max-iterations, lower, upper)

Print("Best solution (position) :", best-position)  
print("Best objective value :", best-score)

O/p:- Best Solution (position) : [-5.5723 - 5.8920  
- 6.1442 - 5.8431]  
Best objective value : 1.7742e-12

Gen 28.11.



## Lab Program 6

### Parallel Cellular Algorithm

```
import numpy as np
```

```
def fitness-function(x, y):  
    return -x**2 - y**2 + 10*x + 8*y
```

grid-size = (5,5)

Num Iteration = 5

$$\text{search\_space} = f(10, 10)$$

neighborhood-size = 1

```
population = np.random.uniform(search_space[0],  
search_space[1], (grid_size, 2))
```

```
def get_best_neighbor(population, x, y, neighborhood_size):
    x_min, x_max = max(0, x - neighborhood_size), min(grid[0], x + neighborhood_size + 1)
    y_min, y_max = max(0, y - neighborhood_size), min(grid[1], y + neighborhood_size + 1)
```

neighborhood = population[x\_min:x\_max, y\_min:y\_max].reshape(-1, 2)

return max(neighborhood, key=lambda ind:  
fitness\_function(ind[0], ind[1]))

13) Iteration in range (num. iteration):

new population = np. copy (population)

f)  $\times$  in range (Grid Size CoV):

for  $\forall$  in range(Grid\_size[1]):

best neighbor = get best neighbor (population,  $x, y$ , neighborhood-size)



```
new_population[k, t] = np.clip(best_neighbor +
                                mutation, search_spec[0],
                                search_spec[1])
```

```
population = new_population
```

```
fitness = np.array([fitness_function(
    ind[0], ind[1]) for ind in row]
    for row in population)
```

```
best_idx = np.unravel_index(fitness.argmax(),
                             fitness.shape)
```

```
print(f"Iteration {iteration+1}: Best fitness = {fitness[best_idx]:.2f}, Best cell = {population[best_idx]}")
```

At output final best solution

```
best_idx = np.unravel_index(fitness.argmax(),
                             fitness.shape)
```

```
print(f"Best solution: {x, y} = {population[best_idx]}, fitness {fitness[best_idx]:.2f}")
```

output

Iteration 1: Best fitness = 40.60, Best cell = [4.78053407 4.59665822]

Iteration 2: Best fitness = 40.99, Best cell = [5.070012 3.90911838]

Iteration 3: Best fitness = 40.95, Best cell = [4.86433292 2.93221728]

Iteration 4: Best fitness = 40.92, Best cell = [5.05377386 2.84260916]

Iteration 5: Best fitness = 40.98, Best cell = [5.12205527 4.05919927]



## Expression

### Program Genetic Algorithm

```
import numpy as np
```

```
def fitness_function(x):  
    return -x**2 + 5*x + 6
```

```
population_size = 10
```

```
mutation_rate = 0.1
```

```
Crossover_rate = 0.8
```

```
num_generations = 50
```

```
search_space = (-10, 10)
```

```
population = np.random.uniform(search_space[0], search_space[1], population_size)
```

```
for generation in range(num_generations):  
    fitness = np.array([fitness_function(ind)  
                        for ind in population])
```

```
    adjusted_fitness = fitness - fitness.min() + 1  
    probabilities = adjusted_fitness / adjusted_fitness.sum()
```

```
    selected = np.random.choice(population_size, population_size, p=probabilities)
```

```
    next_population = []
```

```
    for i in range(0, population_size, 2):
```

```
        parent1 = selected[i]
```

```
        parent2 = selected[(i+1) % population_size]
```

```
        if np.random.rand() < Crossover_rate:
```

```
            offspring1 = (parent1 + parent2) / 2
```

```
            offspring2 = (parent2 + parent1) / 2
```

```
        else:
```

```

offspring = np.random.uniform(-1, 1)
if np.random.rand() < mutation_rate:
    else 0
offspring = np.random.uniform(-1, 1)
if np.random.rand() < mutation_rate:
    else 0

```

```

best_idx = fitness.argmax()
print("Generation %d: %d" % generation + 1)
Best fitness = fitness[best_idx]:.2f
Best individual = population[best_idx]:.2f")

```

```

final_fitness = np.array([fitness_function(ind)
                           for ind in population])
best_idx = final_fitness.argmax()
print("In Best Solution: X = %d" % population[
    best_idx]:.2f, fitness = %d" % final_fitness[
    best_idx]:.2f")

```

output

Best solution x = 2.48, fitness = 12.20