

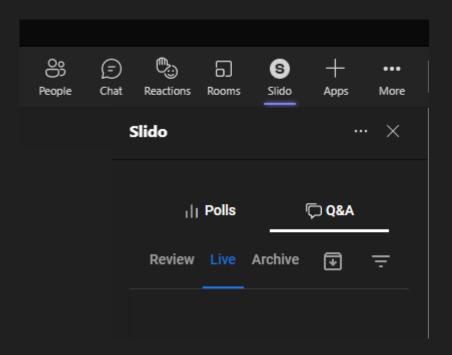
# EQUINOX AI&DATA LAB



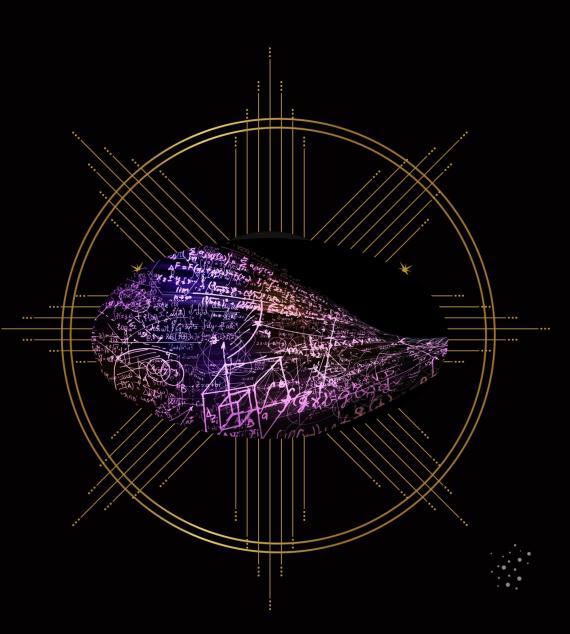
#### QnA

- We use Slido for Q&As and polls
- Add questions at any time, upvote the ones you like
- Teams app users can see Slido at the bottom of the meeting

 Web users can go to slido.com and enter the number #8810 353







# Maths for Quantum Computing

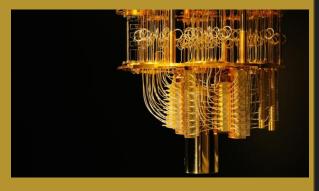
The language of the universe



#### **Technical Course Structure**

Introduction to QC

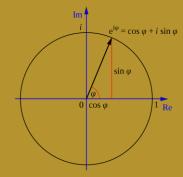
Thursday 25<sup>th</sup> August



What is QC?
What you should know
about QC

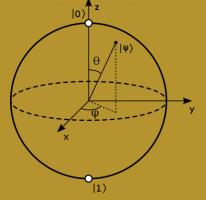
Maths for QC

Friday 2<sup>nd</sup> September



Complex numbers Linear Algebra Single Qubits

Thursday 8<sup>th</sup> September



Bloch Sphere Operators Single Qubit gates

Assignment 1 Due Monday 12<sup>th</sup>





by Andy Matuschak and Michael Nielsen

# A free introduction to quantum computing and quantum mechanics

By working through these essays, you will understand in detail all the basic principles of quantum computing and quantum mechanics, plus two important applications: the quantum search algorithm and quantum teleportation.

You'll need familiarity and comfort with the basics of linear algebra and complex numbers. We'll teach you the rest.

Start reading

3	Linear Algebra			
			ım States	
		3.1.1	Column Vectors	
		3.1.2	Row Vectors	

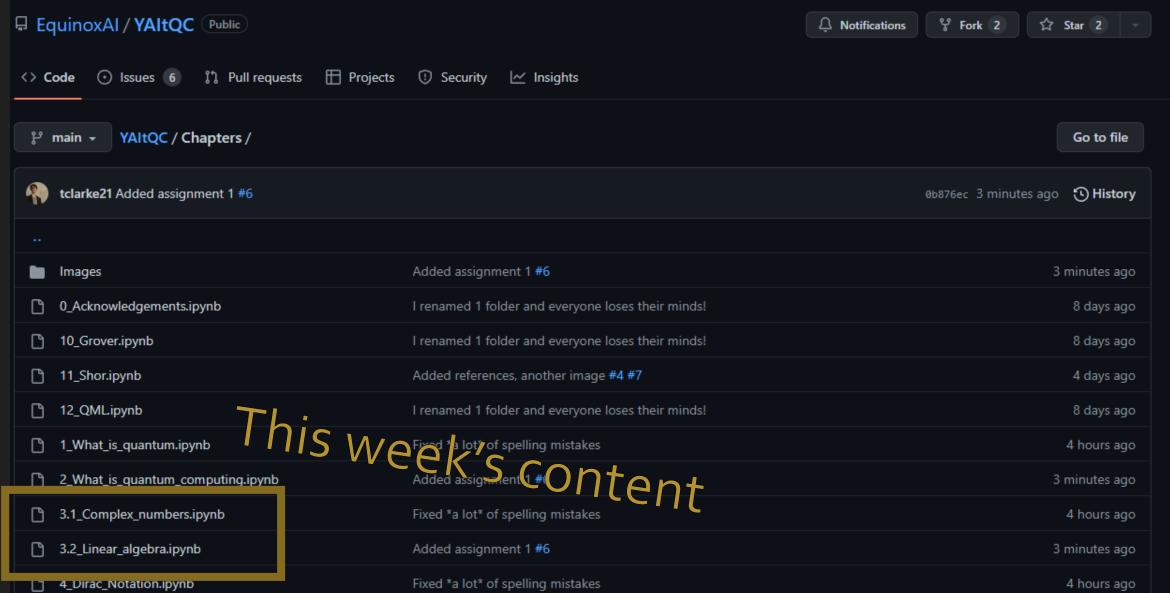
3.2	Inner Products
3.2	
	3.2.1 Inner Products Are Scalars
	3.2.2 Orthonormality
	3.2.3 Projection, Measurement, and Change of Basis 120
3.3	Quantum Gates
	3.3.1 Gates as Matrices
	3.3.2 Common One-Qubit Gates as Matrices
	3.3.3 Sequential Quantum Gates
	3.3.4 Circuit Identities
	3.3.5 Unitarity
	3.3.6 Reversibility
3.4	Outer Products
	3.4.1 Outer Products Are Matrices
	3.4.2 Completeness Relation
3.5	Summary

From Introduction to Classical & Quantum Computing by Thomas G Wong



#### Course materials

https://github.com/EquinoxAI/YAItQC/tree/main/Chapters





# Why do we need complex numbers?

The Schrodinger Equation

$$\hat{p}_{i}$$
 -  $ih \frac{\partial}{\partial x}$ 

Momentum in quantum mechanics

$$|\gamma\rangle = \cos(9/2)|0\rangle + e^{i\phi}\sin(9/2)|1\rangle$$

The state of a qubit (explained more next week)

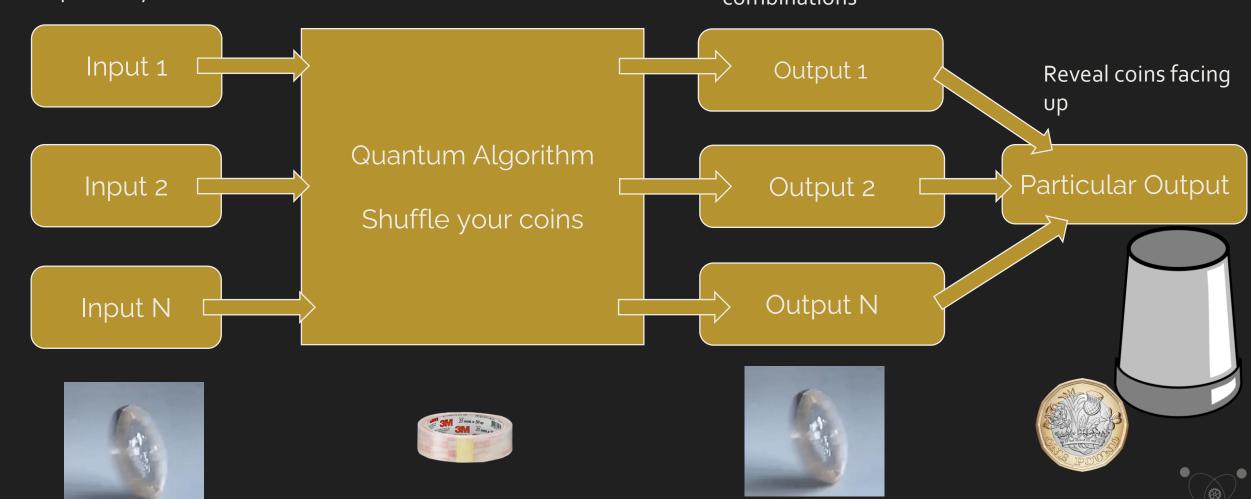
#### **How Quantum Computers Work**

Quantum Algorithm: Set of instructions that describes how you change the state of the (quantum) computer

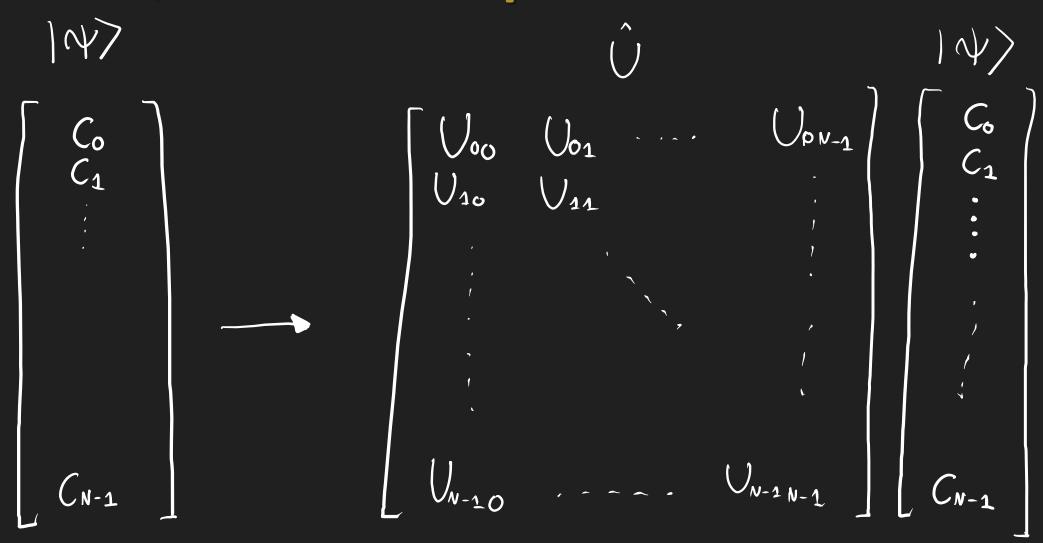
Many possible coin

Spin many coins

combinations



# **How Quantum Computers Work**





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#### Select the following you are familiar with

#### Summary

- Any point on the unit circle can be described by an angle
- Imaginary numbers are a multiple of  $i = \sqrt{-1}$
- Complex numbers have a real and imaginary part
- - Every complex number has a complex conjugate which has the negative imaginary part
- - The magnitude of a complex number is the Euclidean norm of its real and imaginary components
- - Euler's formula allows any complex number to be written as  $z=re^{i\phi}$



#### Summary

- Vectors are a collection of numbers stored in a row or column
- Vectors can be added to each other or multiplied by a scalar
- The inner product of two vectors tells us how aligned they are
- Perpendicular (orthogonal) vectors have an inner product of o
- Matrices are arrays of numbers that can act on vectors
- Applying a matrix to a vector turns the vector into another vector
- Matrices can have an inverse which does the reverse of the matrix
- Unitary matrices have an inverse equal to their conjugate transpose
- Next time: Single qubits

# Assignment 1

- 9 questions
- 2 optional challenge questions
- Due Monday 12<sup>th</sup> September
- Can write solutions by hand

Thomas Clarke Quantum Computing Technical Foundations September 2, 2022

#### Assignment 1: Maths for Quantum Computing

Assignment Due: Monday 12th September

Solutions can be handwritten on a separate sheet of paper, typed or done on a tablet. You may print this, write the solutions on it, and then scan and upload it.

Send the completed assignment to tclarke@asesoftware.com If you have any questions or difficulties, please do reach out to the same email.

Challenge Questions are Optional

#### 1. Complex Numbers

#### Question 1. Complex number algebra

Simplify the following into the form a + bi

1) 
$$(6+4i)+(3+5i)$$

2) 
$$(-6+4i)+(-3+5i)$$

3) 
$$i(2+3i)$$

4) 
$$(6+4i)(6-4i)$$

#### Question 2. Complex conjugate

Find the complex conjugate for your answers to the previous question

Hint: the complex conjugate of z = a + ib is  $z^* = a - ib$ 

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#### **Audience Q&A Session**

