Heat resistor

R

I = 
$$\frac{1}{R}(V_A - V_B)$$

For a case :  $R = \int \frac{1}{R} - \lim_{n \to \infty} \frac{1}{R}$ 

Resistivity

of material

N =  $V_A - V_B$ 

Current source

in B = i (given)

Resistor:  $P = Ri^2 = \frac{V^2}{R}$ 

[deal capacitor: (apacitainte)

A =  $\frac{1}{R} - \frac{1}{R} = \frac{1}{R}$ 

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Charge

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Charge

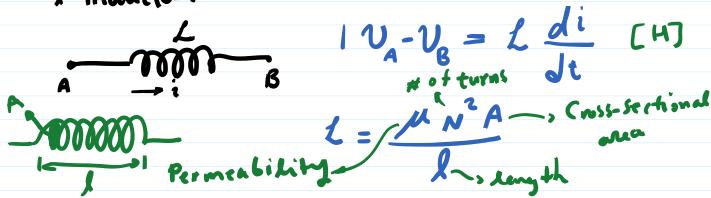
Area of flat plates

 $\frac{1}{R} - \frac{1}{R} = \frac{1}{R} - \frac{1}{R} = \frac{1}{R}$ 

I describe the plates

 $\frac{1}{R} - \frac{1}{R} = \frac{1}{R} - \frac{1}{R} - \frac{1}{R} = \frac{1}{R} - \frac{1}{R} -$ 

\* Inductor.



\* Kirchhoff's Current Law (KCL):

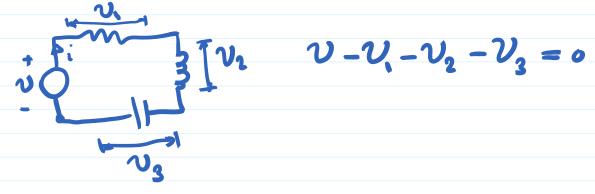
Sum of the currents entening a node is equal to sum of currents leaving that node



\* Kirchhoffis Voltage Law (KVL).

Sum of all the voltage changes around





$$\frac{1}{2} \sum_{i=1}^{R} \frac{kvL}{i} = v - iR - L \frac{di}{dt} - \frac{1}{c} \int_{i}^{i} dt = v$$

$$\frac{1}{2} \sum_{i=1}^{R} \frac{di}{dt} + Ri + \frac{1}{c} \int_{i}^{i} dt = v$$

$$\frac{1}{2} \sum_{i=1}^{R} \frac{di}{dt} = \frac{i}{2} \int_{i}^{i} dt = v$$

if 
$$2 = \int i dt$$
  $i = q$   $\frac{di}{dt} = q$ 

$$\Rightarrow \begin{bmatrix} 1 & \ddot{q} \\ 1 & + R \dot{q} \\ 1 & + R \dot{q} \end{bmatrix} + \begin{bmatrix} 1 & \ddot{q} \\ 1 & \ddot{q} \\ 1 & 1 \end{bmatrix}$$
 Standard second order oscillator

$$m\dot{x} + c\dot{x} + Kx = f$$

daming spring Constant or energy storage element.

$$kvl1: \quad v - i_1 R_1 - L \frac{di_3}{dt} = 0$$

$$kvl 2: -\frac{1}{c} \int i_2 dt - R_2 i_2 + L \frac{di_3}{dt} = 0$$
 $kcl : i_1 = i_2 + i_3$ 

Let's replace is by i.-is

$$\begin{cases}
L \frac{di_1}{dt} - L \frac{di_2}{dt} + R_1 i_1 = V \\
L \frac{di_2}{dt} - L \frac{di_0}{dt} + R_2 i_2 + \frac{1}{C} \int_{i_2}^{i_2} dt = 0
\end{cases}$$

$$i_1 R_1 \text{ pil } i_2 C$$

$$i_2 R_2 L_3 R_4$$

$$i_3 R_4 R_4$$

$$i_4 R_2 R_4$$

$$i_5 R_4 R_4$$

$$i_6 R_4$$

Series and parallel Resistors/(apacitors/Inductors)
$$R_1 R_2 R_4$$
Req Req = R\_1 + R\_4

Req

$$R_2 R_4 R_4$$

Series 
$$\begin{cases} -m - m = -m - keq = R_1 + R_2 \\ -m - m = -m - keq = h_1 + h_2 \\ k_1 \quad k_2 \quad keq \quad keq = h_1 + h_2 \\ -k_1 \quad k_2 \quad keq \quad keq = h_1 + h_2 \\ -k_1 \quad k_2 \quad keq \quad keq = h_1 + h_2 \\ -k_1 \quad k_2 \quad keq \quad keq = h_1 + h_2 \\ -k_1 \quad k_2 \quad keq \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad k_2 \quad keq = k_1 + k_2 \\ -k_1 \quad$$