

Coding :

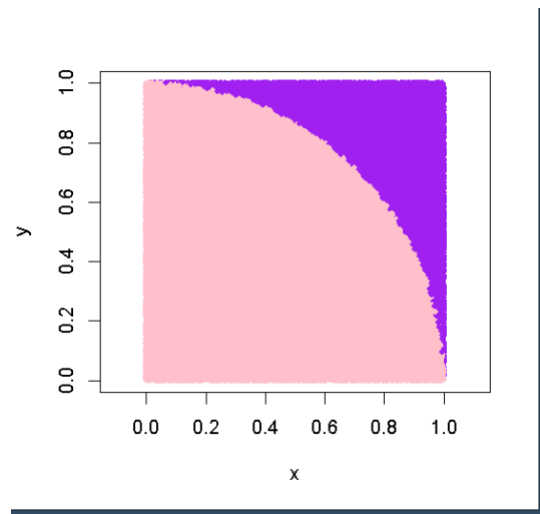
```
1 options(scipen = 20) #Forcing the program to not use scientific notations
2
3 set.seed(277) #Set seed for the randomization as the last 3 digits of my ID to make it unique
4
5 my.pi <- function(n){ #Build "my.Pi" : a function to estimate Pi value
6   x = runif(n, min = 0, max = 1) #Use runif(n) to generate n random coordinate (x,y) points
7   y = runif(n, min = 0, max = 1) #Use runif(n) to generate n random coordinate (x,y) points
8   r = sqrt(x^2 + y^2) #Calculate radius using the distance between the generated coordinate (x,y) and the origin
9   num.circle.dots = sum(r <= 1) #count the dots inside the circle
10  num.square.dots = n #amount of dots
11  ratio = num.circle.dots / num.square.dots #Find the ratio of a quarter of unit circle and unit square
12  my.pi = ratio * 4 #Multiply by 4 quadrant
13  plot(x, y, col = ifelse(r <= 1, "pink", "purple"), asp = 1, pch = 20) #Plot graph to display the ratio in the first quadrant
14  return(my.pi)
15 }
16
17 cat("My pi =", my.pi(2000000), "\n") #print out the value of estimated pi
18
19
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```

Table :

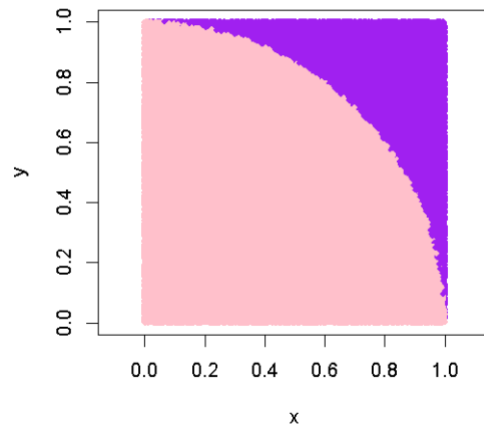
Number of dots	Pi value	Difference from actual Pi
500,000	3.141736	0.000143346411
1,000,000	3.141856	0.000263346411
2,000,000	3.142364	0.000771346411

Graphs :

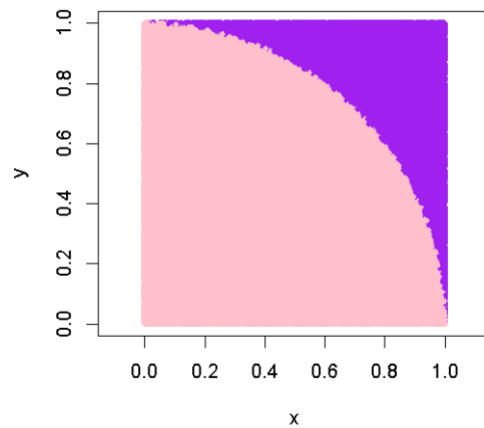
500,000



1,000,000



2,000,000



Conclusion :

By generating random dots in range (0,1), we can estimate pi value with the area of the quadrant of the circle. The range 1 circle will have the area of $\pi r^2 = \pi(1)^2 = \pi$. Which means our ratio of $\frac{1}{4}$ circle inside the (1,1) square will have the area of around $\frac{1}{4} \pi$.

