### Sample math symbols

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#### Chapter 1

## Single equations

Add a squared and b squared to get c squared. Or, using the more mathematical approach:  $a^2 + b^2 = c^2$ 

T<sub>E</sub>X is pronouned as  $\tau \epsilon \chi$ 

 $100 \text{ m}^3 \text{ of water}$ 

This comes from my heartsuit

Add a squared and b squared to get c squared. Or, using the more mathematical approach:

$$a^2 + b^2 = c^2 (1.1)$$

Einstein says

$$E = mc^2 (1.2)$$

He didn't say

$$1 + 1 = 3 (bollocks)$$

This is a reference to (1.2).

Add a squared to b squared to get c squared. Or, using a more mathematical approach

$$a^2 + b^2 = c^2$$

or you can type less for the same effect

$$a^2 + b^2 = c^2$$

This is text style:  $\lim_{n\to\infty}\sum_{k=1}^n\frac{1}{k^2}=\frac{\pi^2}{6}$ . And this is the display style:

$$\lim_{n \to \infty} \sum_{k=1}^{n} \frac{1}{k^2} = \frac{\pi^2}{6} \tag{1.3}$$

A  $d_{e_{e_p}}$  mathematical expression followed by a  $h_{i_{g_h}}$  expression. As opposed to a smashed  $d_{e_{e_p}}$  expression followed by a  $h_{i_{g_h}}$  expression.  $\forall x \in \mathbf{R}: \quad x^2 \geq 0$ 

$$\forall x \in \mathbf{R}: \quad x^2 \ge 0$$
  
 $x^2 \ge 0 \quad \text{for all } x \in \mathbf{R}$ 

$$x^{2} \geq 0 \quad \text{for all } x \in \mathbb{R}$$

$$p_{ij}^{3} \quad m_{\text{Knuth}} \quad \sum_{k=1}^{n} k$$

$$a^{x} + y \neq a^{x+y} \quad e^{x^{2}} \neq e^{x^{2}}$$

$$\sqrt{2} \Leftrightarrow x^{1/2} \quad \sqrt[3]{2} \quad \sqrt{x^{2} + \sqrt{y}} \quad \sqrt{x^{2} + y^{2}}$$

$$\Psi = v_{1} \cdot v_{2} \cdot \dots \qquad n! = 1 \cdot 2 \cdot \dots (n-1) \cdot n$$

$$0.\overline{3} = \frac{1/3}{3}$$

$$a + b + c \cdot d + e + f = 54$$

$$Advanced Calculus$$

$$f(x) = x^{2} \quad f'(x) = 2x \quad f''(x) = 2$$

$$Y \quad \widehat{XY} \quad \overline{x}_{0} \quad \overline{x}_{0}$$

$$\begin{array}{ccc}
\hat{XY} & \widehat{XY} & \bar{x}_0 & \bar{x}_0 \\
\vec{a} & \vec{AB} & \vec{AB}
\end{array}$$

$$\lim_{x \to 0} \frac{\sin x}{x} = 1$$

 $JamesComey = nutjob_{x=D.Trump}$ 

 $a \bmod b$  $x \equiv a \pmod b$ 

In in-line equations, the fraction  $\frac{1}{2}$ (text style) is shrunk to fit the line. The reverse of which is  $\frac{1}{2}$ (display style). A built-in fraction is  $\frac{1}{2}$ 

$$\sqrt{\frac{x^2}{k+1}} \qquad x^{\frac{2}{k+1}} \qquad \frac{\partial^2 f}{\partial x^2}$$

Pascal's rule is

$$\binom{n}{k} = \binom{n-1}{k} + \binom{n-1}{k-1}$$

$$f_n(x) \stackrel{d}{\succ} f_m(x)$$

$$\int_0^{\frac{\pi}{2}} x^2 \, \mathrm{d}x \qquad \sum_{i=1}^n i \qquad \prod_{\epsilon}$$

$$\sum_{\substack{0 < i < n \\ j \subseteq i}}^{n} P(i, j) = Q(i, j)$$

$$a, b, c \neq \{a, b, c\}$$

$$1 + \left(\frac{1}{1 - x^2}\right)^3 \qquad \ddagger -\right)$$

$$a+b+c+d+e+f+g+h+i+z+x+v+n+m+1+2+3+4 \\ = j+k+l+m+n \quad (1.4)$$

#### Chapter 2

## Multiple equations

align env

$$a = b + c \tag{2.1}$$

$$= d + e \tag{2.2}$$

$$a = b + c \tag{2.3}$$

$$= d + e \tag{2.4}$$

Interpretation: & is more standard in the use of system of equations. Its downfall:

$$a = b + c \tag{2.5}$$

$$= d + e + f + g + h + j + j + u + j + k + s + c$$

$$+c+r+e+g+t+y+z$$
 (2.6)

$$= p + q + r + s \tag{2.7}$$

A better solution:

$$a = b + c (2.8)$$

$$= d + e + g + r + h + j + j + k$$

$$+l+b+m+v+v+c+f+h$$
 (2.9)

$$= p + q + r + s \tag{2.10}$$

There are two troubles:

Trouble I:

$$a = a = a \tag{2.11}$$

Trouble II:(the spacing between  $j^2$  is big!)

$$a = b + c (2.12)$$

$$= z + x + v + n + o + m + n + b + t + r + e + t + i^{2} + j^{2} + (2.13)$$

In additionally, we are provided with \lefteqn when the LHS is too long:

$$a+b+c+r+e+d+f+g+d+e+t+f+g+h+d$$
=  $a+b+c+m+j+k$  (2.14)
=  $n+o+p+q+r+s$  (2.15)

However, this still sucks as the RHS is too short and the array is not properly centered:

$$a+b+c+e+f+g+h+j+k+l (2.16)$$
= r+s (2.17)

Our new remedy will be ...

#### 2.1 IEEEeqnarray Environment

$$a = b + c$$

$$= d + e + f + b + t + g + h$$

$$+ j + k + l$$

$$= p + q + r + s$$
(2.18)
(2.19)

Additional spaces can be added with . and /and ? in an increasing order. We now show how IEEEeqnarray solves (2.13) and (2.17).