```
In [1]: import pandas as pd
        import numpy as np
        from scipy import stats
        from scipy.stats import norm
        from scipy.stats import chi2 contingency
In [2]: data = pd.read_csv("BuyerRatio.csv")
        data
Out[2]:
           Observed Values East West North South
        0
                    Males
                           50
                                142
                                              70
                                       131
                  Females 435
                              1523
                                      1356
                                             750
        obs = np.array([[50,142,131,70],[435,1523,1356,750]])
                                                                             #array conversion
In [3]:
        array([[ 50, 142, 131,
Out[3]:
               [ 435, 1523, 1356,
                                  750]])
In [4]: val = stats.chi2 contingency(obs)
                                                                             #expected values ir
        val
        (1.595945538661058,
Out[4]:
         0.6603094907091882,
         array([[ 42.76531299, 146.81287862, 131.11756787, 72.30424052],
                [ 442.23468701, 1518.18712138, 1355.88243213, 747.69575948]]))
In [5]:
        Expected_Values = val[3]
        Expected_Values
        array([[ 42.76531299, 146.81287862, 131.11756787, 72.30424052],
Out[5]:
               [ 442.23468701, 1518.18712138, 1355.88243213, 747.69575948]])
        p_value = val[0]
In [6]:
        p value
        1.595945538661058
Out[6]:
                                                            # alpha value is 0.05 or 5%
        if p_value <0.05:</pre>
In [7]:
            print(" we are rejecting null hypothesis")
            print("we are accepting null hypothesis")
        we are accepting null hypothesis
```

Since the p- value is (1.59) > 0.05, there is a significant difference in male-female ratio across regions