Project Report

Problem Statement:

File ds1.csv contain data of the customers who were offered a card along with their response in "card_offer." If they bought it, the value would be TRUE else it will be FALSE. Use this data to build a model to predict the customer response.

I. Dataset Information:

There are Two datasets test1.csv (Training dataset) and test2.csv (Testing dataset)

Number of Instances: 10000 Number of Attributes: 12 Missing Values: No

Knowing the Dataset:

1. We started our dataset with finding the number of columns and number of rows.

12

nrow(customer)

10000

2. Now we structured the dataset and find the type of the variables.

```
$ customer id
                : int 167317 393970 435082 952844 22454 68256 878177 361131 65721
511114 . . .
\ demographic_slice: Factor w/ 4 levels "AXO3efs", "BWEsk45", . . : 3 3 2 1 3 4 1 1 1 3 . . .
$ country_reg : Factor w/ 2 levels "E", "W": 1 1 2 1 1 1 2 2 2 2 ...
                : Factor w/ 2 levels "N", "Y": 2 1 2 2 2 2 1 1 2 2 ...
$ ad_exp
$ est_income
              : num 76868 89873 45309 26767 96224 ...
$ hold bal
               : num 19.63 21.6 8.02 20.71 18.76 ...
$ imp_cscore
                : int 556 602 604 539 630 760 686 698 531 673 ...
$ RiskScore
                : num 739 634 525 843 567 ...
$ imp_crediteval
                : num 24 25.3 25.6 23.5 25.5 ...
                : num 0.0897 0.54 0.5229 0.0386 0.5642 ...
$ axio score
$ card offer
                 : logi FALSE FALSE FALSE FALSE TRUE ...
```

3. We also concluded the X-Variables and Y-Variable from the dataset.

II. Pre-processing of Data:

1. Check for NA, and Blanks values:

Null, NA, Blanks or ? are not present in dataset.

a) Dropping Columns:

i) Customer_id

It is unique identifier of an customer_id, it will not be required in any of the analysis.

A. Graphical Representation:

a) Variable Distributions

1. Axio_Score Distribution

Histogram of customer\$axio_score

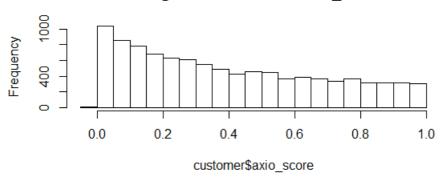
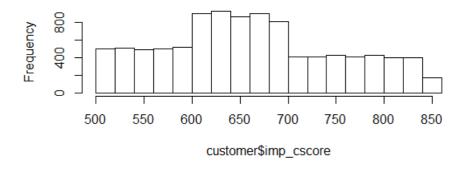


Fig 1: Axio_Score Distribution

We can see the normal distribution is left skewed.

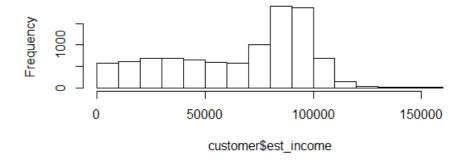
2. Imp_Score Distribution

Histogram of customer\$imp_cscore

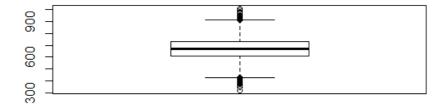


3. Est_income

Histogram of customer\$est_income



4. Boxplot for Risk_score



We can see outliers are present in Risk_score column.

III. Building Training and Testing Model

We randomized (to avoid any selection bias) and divided the clean data obtained into two parts: Training and Test Data, in a 70:30 ratio, which allowed us to train our models on 70% of the data and use the other 30% to assess the performance of our models.

IV. Selecting models

- **1. Decision Trees**: By iteratively and hierarchically observing the level of certainty of predicting whether someone would be readmitted or not, we find the relative importance of different factors using a more human-like decision making strategy in establishing this determination.
- **2. Random Forests**: By considering more than one decision tree and then doing a majority voting, random forests helped in being more robust predictive representations than trees as in the previous case. For both Decision Trees and Random Forests, we removed the interaction terms from the feature set since these are already accounted for in tree-based models.
- **3. Logistic Regression :** Logistic Regression is used for Binary classification. Logistic Regression is extension of linear regression. Models the probability of an event occurring (Y) based on the Independent variables (x1, x2,... xn) **that are numeric or categorical** in nature.
- **4. Support Vector Machines**: Support Vector Machines can help model linearly inseparable data, thus allowing us to explain complex non-linear relationships. However, because of high-dimensional structure and complexity, they are limited by their interpretability to gain insights on how different features are weighted/assigned importance.
- **5. K-nearest Neighbors**: While K-nearest neighbors provide decent predictions, they cannot help in deciding the features that contribute to this decision the most, since features are weighted equally (assuming we normalize them) based on simply their contribution to the proximity/distance function.

Model Selection:

We can use different algorithms to predict model from that dataset(test1.csv). I used Logistic Regression and Random Forest for building model. After comparing these models, I have done final prediction(on test2.csv) using Random Forest because Random Forest gives better accuracy/prediction in training and testing dataset of test1.csv dataset.

1. Using Logistic Regression Algorithm After Building Model

```
1st Model:
Call:
glm(formula = card_offer ~ ., family = "binomial", data = train)
Deviance Residuals:
            1Q
                 Median
                             3Q
   Min
                                     Max
-4. 7504   -0. 0515   -0. 0047   -0. 0001
                                  3.3239
Coefficients:
                        Estimate Std. Error z value Pr(>|z|)
                       -2.792e+01 2.044e+00 -13.665 < 2e-16 ***
(Intercept)
demographic_sliceCARDIF2 -9.056e-02 2.637e-01 -0.343 0.731281
demographic_sliceDERS3w5 1.070e+00 3.330e-01
                                             3. 212 0. 001317 **
                       -7. 159e+00 3. 962e-01 -18. 069 < 2e-16 ***
country_regW
ad expY
                       -6. 488e-02 1. 468e-01 -0. 442 0. 658516
est_income
                       1.518e-04 7.525e-06 20.171 < 2e-16 ***
hold bal
                       -1.267e-01 9.690e-03 -13.070 < 2e-16 ***
                       pref_cust_prob
imp_cscore
                       9. 940e-03 2. 288e-03
                                            4.345 1.39e-05 ***
                       -7. 985e-04 8. 078e-04 -0. 988 0. 322950
RiskScore
                       4. 293e-02 1. 037e-01
                                             0.414 0.678864
imp crediteval
                       4. 696e-02 2. 527e-01
                                             0. 186 0. 852570
axio_score
                       0.001 '**'
                                   0.01 '*' 0.05 '.' 0.1 ''
Signif. codes: 0
(Dispersion parameter for binomial family taken to be 1)
   Null deviance: 6112.1 on 6999 degrees of freedom
Residual deviance: 1232.1 on 6987 degrees of freedom
AIC: 1258.1
Number of Fisher Scoring iterations: 9
Confusion matrix for Training Dataset:
       actual
predicted
                1
           0
       0 5761 132
       1 132 975
Confusion matrix for Testing Dataset:
        actua l
                1
predicted
           0
       0 2526
               51
           50 373
```

```
"Best accuracy = 0.845"
2nd Model:
Call:
glm(formula = card_offer ~ ., family = "binomial", data = train1)
Deviance Residuals:
   Min
            1Q
                 Median
                             30
                                     Max
-4. 3759 -0. 0448 -0. 0041 -0. 0001
                                  3. 1373
Coefficients:
                         Estimate Std. Error z value Pr(>|z|)
(Intercept)
                       -2.846e+01 1.415e+00 -20.107 < 2e-16 ***
demographic_sliceBWEsk45 7.720e-01 3.423e-01
                                            2. 256
                                                   0.0241 *
demographic_sliceCARDIF2 -4.185e-02 2.648e-01 -0.158
                                                   0.8744
demographic_sliceDERS3w5 8.286e-01 3.328e-01
                                             2.490
                                                   0.0128 *
country_regW
                      -6. 666e+00 3. 863e-01 -17. 254 < 2e-16 ***
est_income
                       1.545e-04 7.651e-06 20.194 < 2e-16 ***
                       -1.064e-01 9.430e-03 -11.287 < 2e-16 ***
hold bal
pref_cust_prob
                       imp_cscore
                       9.866e-03 1.245e-03
                                            7. 924 2. 3e-15 ***
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 '' 1
(Dispersion parameter for binomial family taken to be 1)
   Null deviance: 6092.0 on 6999 degrees of freedom
Residual deviance: 1174.6 on 6991 degrees of freedom
AIC: 1192.6
Number of Fisher Scoring iterations: 9
Confusion matrix for Training Dataset:
        actual
predicted
           0
                1
       0 5775 122
```

Confusion matrix for Testing Dataset:

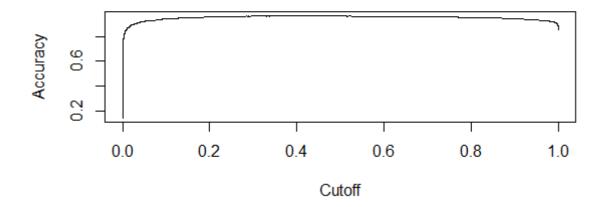
1 124 979

actual predicted 0 1 0 2512 46 1 58 384

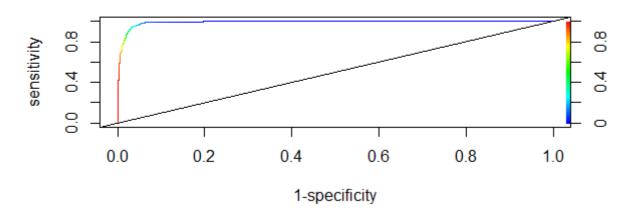
Some Important Graphs After Model Building (test1.csv dataset)

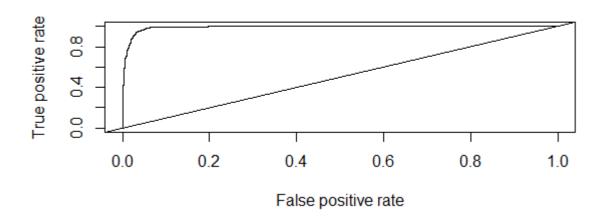
[&]quot;Best accuracy = 0.966 Best cutoff = 0.5399"

ROC Curve:



ROC Curve





2. Using Random Forest Algorithm After Building Model

```
1<sup>st</sup> Model:
Call:
 randomForest(x = train_x, y = factor(train_y))
               Type of random forest: classification
                     Number of trees: 500
No. of variables tried at each split: 3
        00B estimate of error rate: 2.51%
Confusion matrix for Training Dataset:
        1 class. error
0 5887 59 0.009922637
1 117 937 0.111005693
Confusion matrix for Testing Dataset:
         actual
predicted
             0
                 1
        0 2556
                 39
           20 385
        1
2nd model:
Call:
 randomForest(x = train1_x, y = factor(train1_y))
               Type of random forest: classification
                     Number of trees: 500
No. of variables tried at each split: 2
        OOB estimate of error rate: 2.16%
Confusion matrix for Training Dataset:
        1 class. error
0 5860 47 0.007956662
1 104 989 0.095150961
Confusion matrix for Testing Dataset:
         actual
predicted
        0 2538
                40
           24 398
```

We can see here, second model of random forest algorithm gives better accuracy so I used that model for predicting "card_offer" of customers in actual testing dataset (i.e. test2.csv).