



# **NATIONAL INSTITUTE OF TECHNOLOGY SIKKIM**

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## **Machine Learning (EC16105) Project Report Academic Year 2023-2024**

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## Abstract:

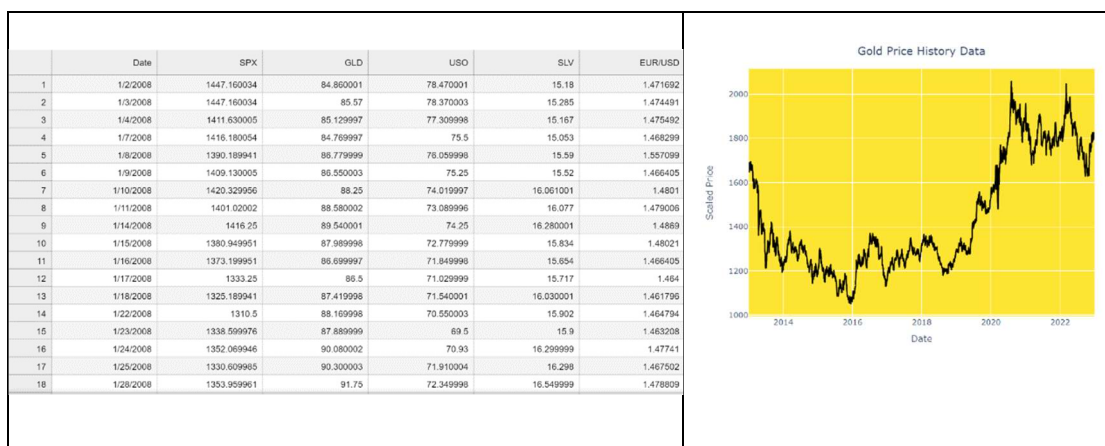
The project, titled "GOLD PRICE PREDICTIONS", predicts gold prices based on last year's gold data. The main purpose of the program is to help investors decide when to buy or sell gold by predicting the rise and fall of gold prices every day. Inventory forecasting plays an important role in the financial success of a business. The gold price is calculated by analysing the dataset containing the price of gold from the previous year. The rise in gold prices, along with fluctuations and price declines in other markets such as the capital market and real estate market, has led more and more investors to look at gold as a copy investment tool. There is concern that these high prices will continue and prices will reverse. There are many studies examining the relationship between gold prices and some financial variables. We use machine learning techniques to predict financial fluctuations and focus on predicting the price of gold.

## Objective:

The main objectives of the project are:

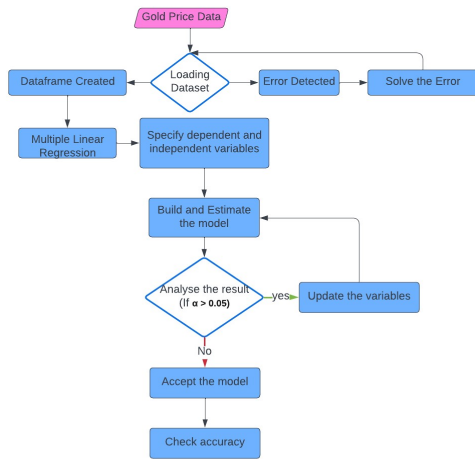
1. This project is based on the applicability of the proposed machine learning algorithms that had demonstrated their efficiency to predict gold prices with a better predictive rate.
2. To apply the best appropriate Machine Learning procedure.
3. We proposed the development of a prediction model for predicting future gold prices using Multiple Linear Regression, Random Forest, KNN.

## Dataset Variations:

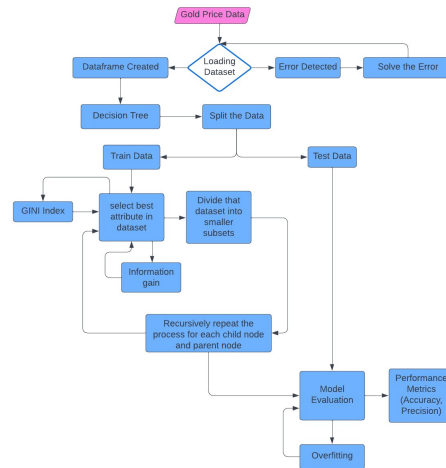


## Flowcharts:

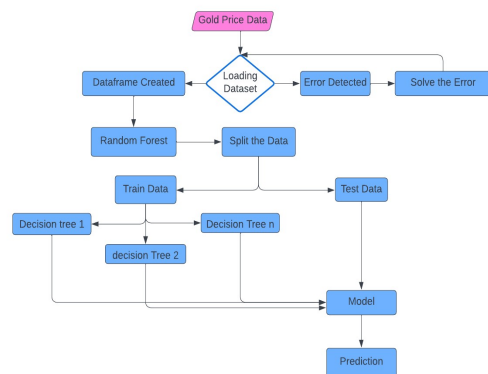
### Multiple Linear Regression:



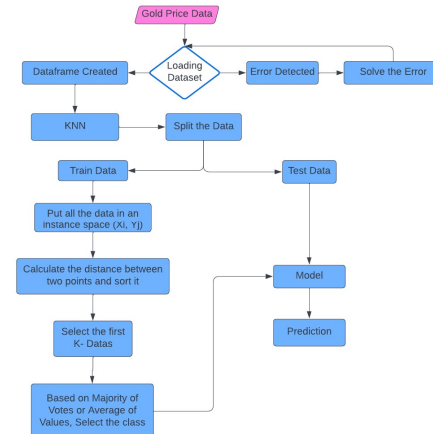
### Decision Tree:



### Random Forest:



### KNN:



## Codes:

|   |  |
|---|--|
| <b>Multiple Linear Regression:</b> <pre> class MultipleLinearRegression:      def __init__(self, learning_rate=0.01, iterations = 2000):         self.learning_rate=learning_rate         self.iterations=iterations         self.coefficients = None         self.intercept = None      def predict(self, X):         return self.intercept + self.coefficients * X      def fit(self,X,y):         self.coefficients = 0         self.intercept = 0         n=len(X)          for i in range(self.iterations):             y_predicted = self.predict(X)              d_coefficient = (-2/n)*sum(X*(y-y_predicted))             d_intercept = (-2/n) *sum((y-y_predicted))              self.coefficients -= self.learning_rate * d_coefficient             self.intercept -= self.learning_rate * d_intercept </pre> | <b>Decision Tree:</b> <pre> from sklearn.model_selection import train_test_split from sklearn.tree import DecisionTreeRegressor from sklearn.metrics import mean_squared_error from sklearn.metrics import r2_score import pandas as pd  data = pd.read_csv('gld_price_data.csv')  X = data.drop(['Date', 'GLD'], axis = 1) y = data['GLD']  X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)  regressor = DecisionTreeRegressor()  # Train the model regressor.fit(X_train, y_train)  # Make predictions predictions = regressor.predict(X_test) </pre>  |
| <b>Random Forest:</b> <pre> import numpy as np import pandas as pd import seaborn as sns import matplotlib.pyplot as plt from sklearn.model_selection import train_test_split from sklearn.ensemble import RandomForestRegressor from sklearn import metrics  gold_data = pd.read_csv('gld_price_data.csv') gold_data.head()  #to check any missing values gold_data.isnull().sum()  #splitting the features and target X = gold_data.drop(['Date', 'GLD'], axis = 1) y = gold_data['GLD']  X_train , X_test, y_train, y_test = train_test_split(X, y, test_size = 0.2, random_state = 2)  regressor.fit(X_train, y_train) regressor = RandomForestRegressor(n_estimators = 100)  #prediction on test data test_data_prediction = regressor.predict(X_test) </pre>  | <b>KNN:</b> <pre> import pandas as pd from sklearn.model_selection import train_test_split from sklearn.neighbors import KNeighborsRegressor from sklearn.preprocessing import StandardScaler from sklearn.metrics import mean_squared_error  gold_data = pd.read_csv('gld_price_data.csv')  X = gold_data.drop(['Date', 'GLD'], axis = 1) y = gold_data['GLD']  X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)  scaler = StandardScaler() X_train_scaled = scaler.fit_transform(X_train) X_test_scaled = scaler.transform(X_test)  k = 3 regressor = KNeighborsRegressor(n_neighbors=k)  regressor.fit(X_train_scaled, y_train)  predictions = regressor.predict(X_test_scaled) </pre> |

## Accuracy:

| Algorithms                 | R2_Score           | Mean Square Error |
|----------------------------|--------------------|-------------------|
| Multiple Linear Regression | 0.8975640982991402 | 56.16559421500603 |
| Decision Tree              | 0.9831109316901961 | 9.260274392156793 |
| Random Forest              | 0.9892766469309671 | 5.655962881475242 |
| KNN                        | 0.9941851307615867 | 3.188292196731859 |

## Outputs:

|   |   |
|---|---|
| Year: <input type="text" value="1986"/><br>Month: <input type="text" value="12"/><br>Day: <input type="text" value="6"/><br><input type="button" value="Predict"/><br>Predicted gold price for 1986-12-6: \$798.79  | Year: <input type="text" value="2021"/><br>Month: <input type="text" value="1"/><br>Day: <input type="text" value="1"/><br><input type="button" value="Predict"/><br>Predicted gold price for 2021-1-1: \$2405.91 |
| Year: <input type="text" value="2024"/><br>Month: <input type="text" value="4"/><br>Day: <input type="text" value="22"/><br><input type="button" value="Predict"/><br>Predicted gold price for 2024-4-22: \$2561.77 | Year: <input type="text" value="2028"/><br>Month: <input type="text" value="8"/><br>Day: <input type="text" value="2"/><br><input type="button" value="Predict"/><br>Predicted gold price for 2028-8-2: \$2763.61 |

## Conclusion:

This project aimed at understanding the relationship between gold prices and options that affect gold prices such as stocks, oil prices, rupee dollar exchange rate, silver price. This study uses monthly price data from January 2000 to December 2018. The data is divided into two periods. The first period was from January 2000 to October 2011, when gold prices increased; Four machine learning algorithms were used to analyse this data: linear regression, decision tree, random forest regression and KNN. The relationship between the variables is strong in stage I, and strong in stage II. It was found to be weak at this stage. While this model fit the first-level data well, the second-level fit was poor. KNN has a better prediction accuracy for the entire time- period, while multiple linear regression shows less accuracy as it best suits for the data having linear relationship between its features and target.

## Kernel Functions:

### 1. Polynomial Kernel:

It represents the similarity of vectors in the training set of data in a feature space over polynomials of the original variables used in the kernel.

$$f(x_1, x_2) = (x_1^T \cdot x_2 + 1)^d$$

## 2. Sigmoid Kernel:

It is used for taking input, mapping them to a value of 0 and 1 so that they can be separated by a simple straight line.

$$f(x_1, x_2) = \tanh(\alpha x^T \cdot y + x)$$

## 3. RBF Kernel:

**Radial Basis Function (RBF)** is used to create non-linear combinations of our features to lift our samples onto a higher-dimensional feature space where we can use a linear decision boundary to separate our classes. It is the most used kernel in SVM classifications.

Mathematically it can be represented as:

$$f(x_1, x_2) = e^{-||x_1 - x_2||^2 / 2\sigma^2}$$

