Experiment Number 3

Aim: Conversion from NFA to DFA.

Algorithm:

Step 1: Start

Step 2: Get number of final states.

Step 3: Get initial and transition states.

Step 4: Merge similar states and drop null states.

Step 5: Print respective output.

Step 6: Stop.

Code:

```
#include<stdio.h>
                    #include<string.h>
                    #include<math.h>

                    int ninputs;
                    int dfa[100][2][100] = {0};
                    int state[10000] = {0};
                    char ch[10], str[1000];
                    int go[10000][2] = {0};
                    int arr[10000] = {0};

                    int main()
                    {
                        int st, fin, in;
                        int f[10];
                        int i,j=3,s=0,final=0,flag=0,curr1,curr2,k,l;
                        int c;

                        printf("\nFollow the one based indexing\n");
```

```
    printf("\nEnter the number of states::");
    scanf("%d",&st);

    printf("\nGive state numbers from 0 to %d",st-1);

    for(i=0;i<st;i++)
                    state[(int)(pow(2,i))] = 1;

    printf("\nEnter number of final states\t");
    scanf("%d",&fin);

    printf("\nEnter final states::");
    for(i=0;i<fin;i++)
    {
        scanf("%d",&f[i]);
    }

    int p,q,r,rel;

    printf("\nEnter the number of rules according to NFA::");
    scanf("%d",&rel);

    printf("\n\nDefine transition rule as \"initial state input symbol final
state\"\n");



    for(i=0; i<rel; i++)
    {
```

```
        scanf("%d%d%d",&p,&q,&r);
                if (q==0)
                        dfa[p][0][r] = 1;
                else
                        dfa[p][1][r] = 1;
    }

    printf("\nEnter initial state::");
    scanf("%d",&in);

    in = pow(2,in);

    i=0;

    printf("\nSolving according to DFA");

    int x=0;
    for(i=0;i<st;i++)
    {
            for(j=0;j<2;j++)
            {
                    int stf=0;
                    for(k=0;k<st;k++)
                    {
                            if(dfa[i][j][k]==1)
                                    stf = stf +
pow(2,k);
                    }
```

```
                                        go[(int)(pow(2,i))][j] = stf;
                                        printf("%d-%d-->%d\n",(int)(pow(2,i)),j,stf);
                                        if(state[stf]==0)
                                                arr[x++] = stf;
                                        state[stf] = 1;
                        }

        }


        //for new states
        for(i=0;i<x;i++)
        {
                        printf("for %d ---- ",arr[x]);
                        for(j=0;j<2;j++)
                        {
                                        int new=0;
                                        for(k=0;k<st;k++)
                                        {
                                                        if(arr[i] & (1<<k))
                                                        {
                                                                        int h = pow(2,k);

                                if(new==0)

                                new = go[h][j];
                                                                        new = new | (go[h][j]);
```

```
                                        }
                                }

                                if(state[new]==0)
                                {
                                        arr[x++] = new;
                                        state[new] = 1;
                                }
                }
}

printf("\nThe total number of distinct states are::\n");

printf("STATE     0   1\n");

for(i=0;i<10000;i++)
{
                if(state[i]==1)
                {
                                //printf("%d**",i);
                                int y=0;
                                if(i==0)
                                        printf("q0 ");

                                else
                                for(j=0;j<st;j++)
                                {
                                        int x = 1<<j;
                                        if(x&i)
```

```
                                        {
                                                printf("q%d ",j);
                                                y = y+pow(2,j);
                                                //printf("y=%d
",y);
                                        }
                                }
                                //printf("%d",y);
                                printf("      %d   %d",go[y][0],go[y][1]);
                                printf("\n");
                        }
        }



        j=3;
        while(j--)
        {
                        printf("\nEnter string");
                                scanf("%s",str);
                                l = strlen(str);
                                curr1 = in;
                                flag = 0;
                                printf("\nString takes the following path-->\n");
                                printf("%d-",curr1);

                                for(i=0;i<l;i++)
                                {
                                        curr1 = go[curr1][str[i]-'0'];
                                        printf("%d-",curr1);
```

```
                }

                printf("\nFinal state - %d\n",curr1);

                for(i=0;i<fin;i++)
                {
                        if(curr1 & (1<<f[i]))
                        {
                                flag = 1;
                                break;
                        }
                }

                if(flag)
                        printf("\nString Accepted");
                else
                        printf("\nString Rejected");

        }


        return 0;
}
```

Output:

```
Follow the one based indexing

Enter the number of states::3

Give state numbers from 0 to 2
Enter number of final states    1

Enter final states::4

Enter the number of rules according to NFA::4


Define transition rule as "initial state input symbol final state"
1 0 1
1 1 1
1 0 2
2 0 4

Enter initial state::0

Solving according to DFA1-0-->0
1-1-->0
2-0-->6
2-1-->2
4-0-->0
4-1-->0
for 0 ---- for 0 ----
The total number of distinct states are::
STATE     0   1
q0        0   0
q0        0   0
q1        6   2
q2        0   0
q1 q2        0   0
```

Result: Thus, NFA to DFA implemented successfully.