

# CSE110A: Compilers

June 9, 2023

## Topics:

- *Homework review*
- *Class review*

# Announcements

- Homework 5 due on Sunday
  - Given that our final is so early, I will give an extension until Wednesday
  - No office hours next week though
  - Piazza support will be sparse
- Homework 3 retesting is done today
  - If you fixed your exceptions
  - Also test 9 was off; some people failed when they shouldn't have. We will update it
- Rest of grades coming ASAP. Plan is to be done by next thursday

# Announcements

- Final: Monday June 12: 8 AM to 11 AM
  - 3 pages of notes, front and back
  - comprehensive
  - like the midterm, but 4 questions instead of 3
- Do not miss the final!
  - Any accommodations must go through DRC

# Quiz

# Quiz

Is the following loop a DOALL loop?

...

```
for (int i = 0; i < 3; i+=1) {
```

```
    a[i] = a[i+1] + a[i+2];
```

```
}
```

...

# Quiz

Is the following loop a DOALL loop?

...

```
for (int i = 0; i < 3; i+=1) {
```

```
    a[i] = b[i+1] + c[i+2];
```

```
}
```

...

# Quiz

We talked about several optimizations for DOALL loops. Try to think of another optimization that might be possible and write a few sentences about it.

# Quiz

We talked about image processing being a good domain for DOALL loops. Can you think of any other domains? Briefly describe the domain and how it has DOALL loops.

# Quiz

This is the last lecture of module 4. Please write any feedback you have about the module. Thank you and see you for the last day of class on Friday!

Thanks!

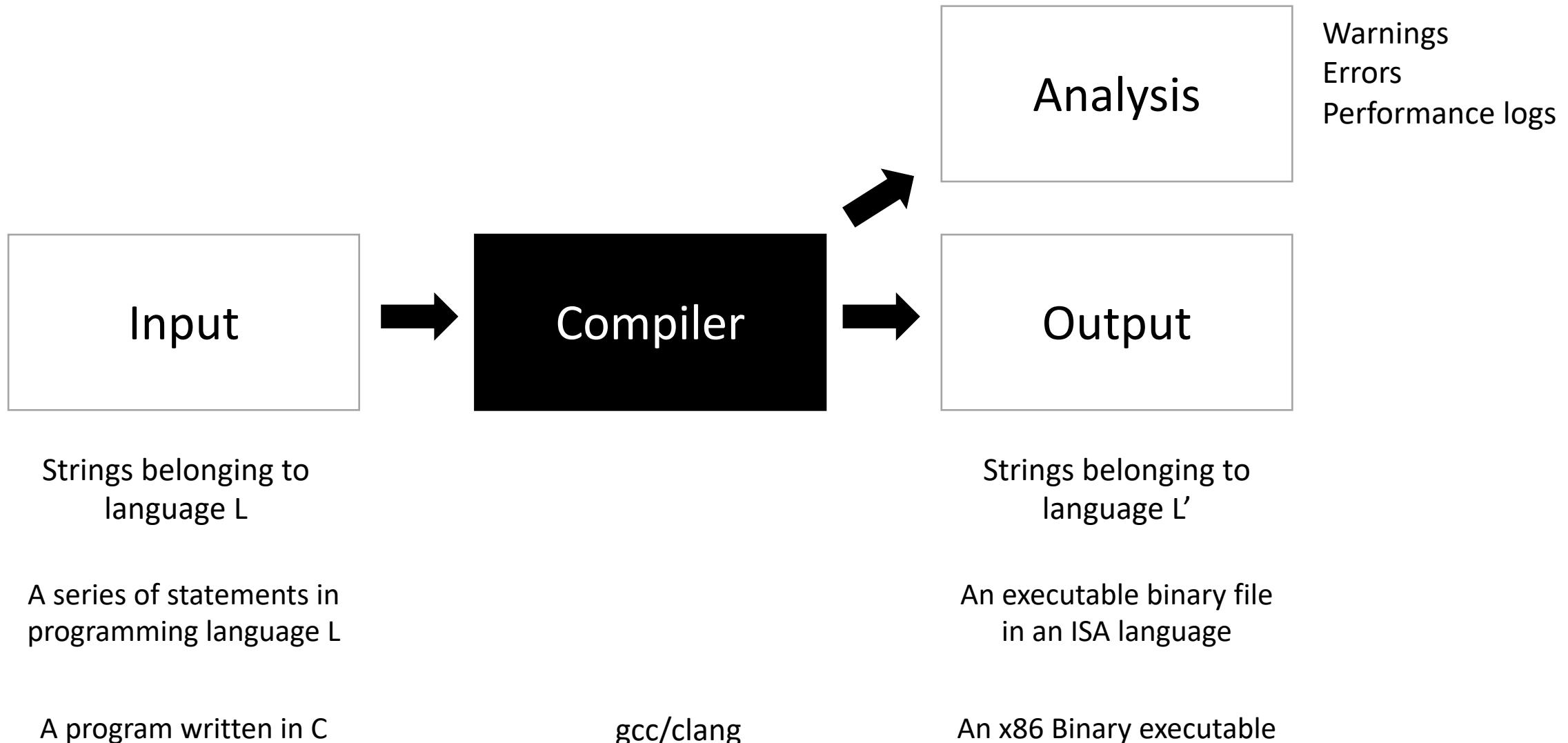
# Homework review

- Command line

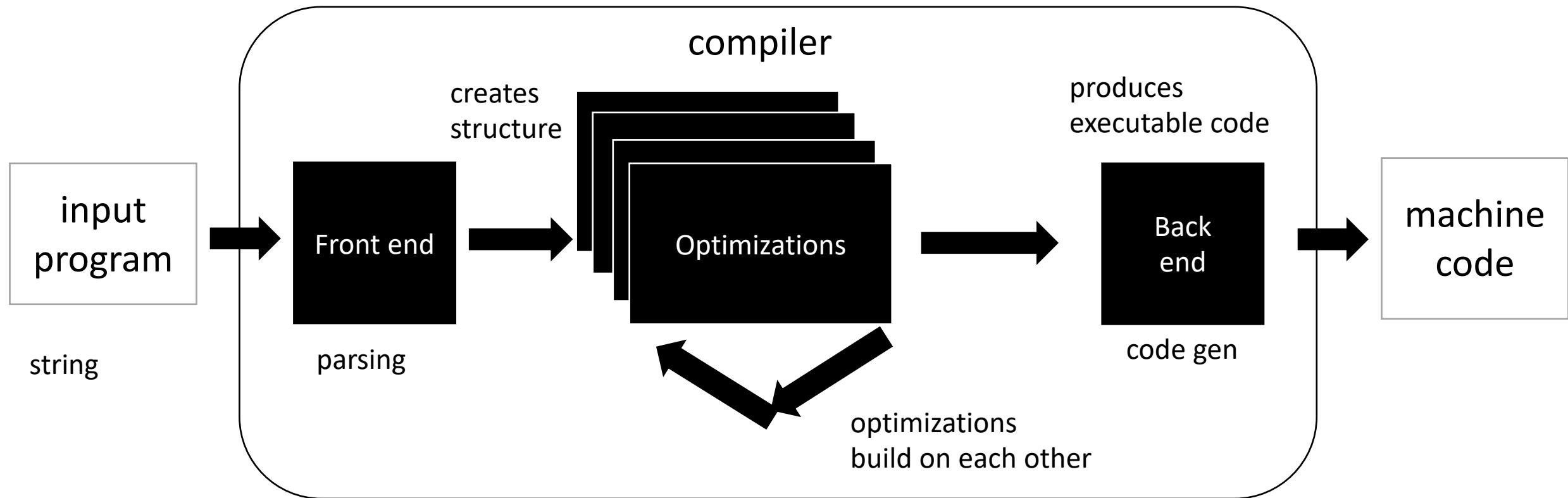
# Class Review

# *What is a compiler?*

What are some examples here?

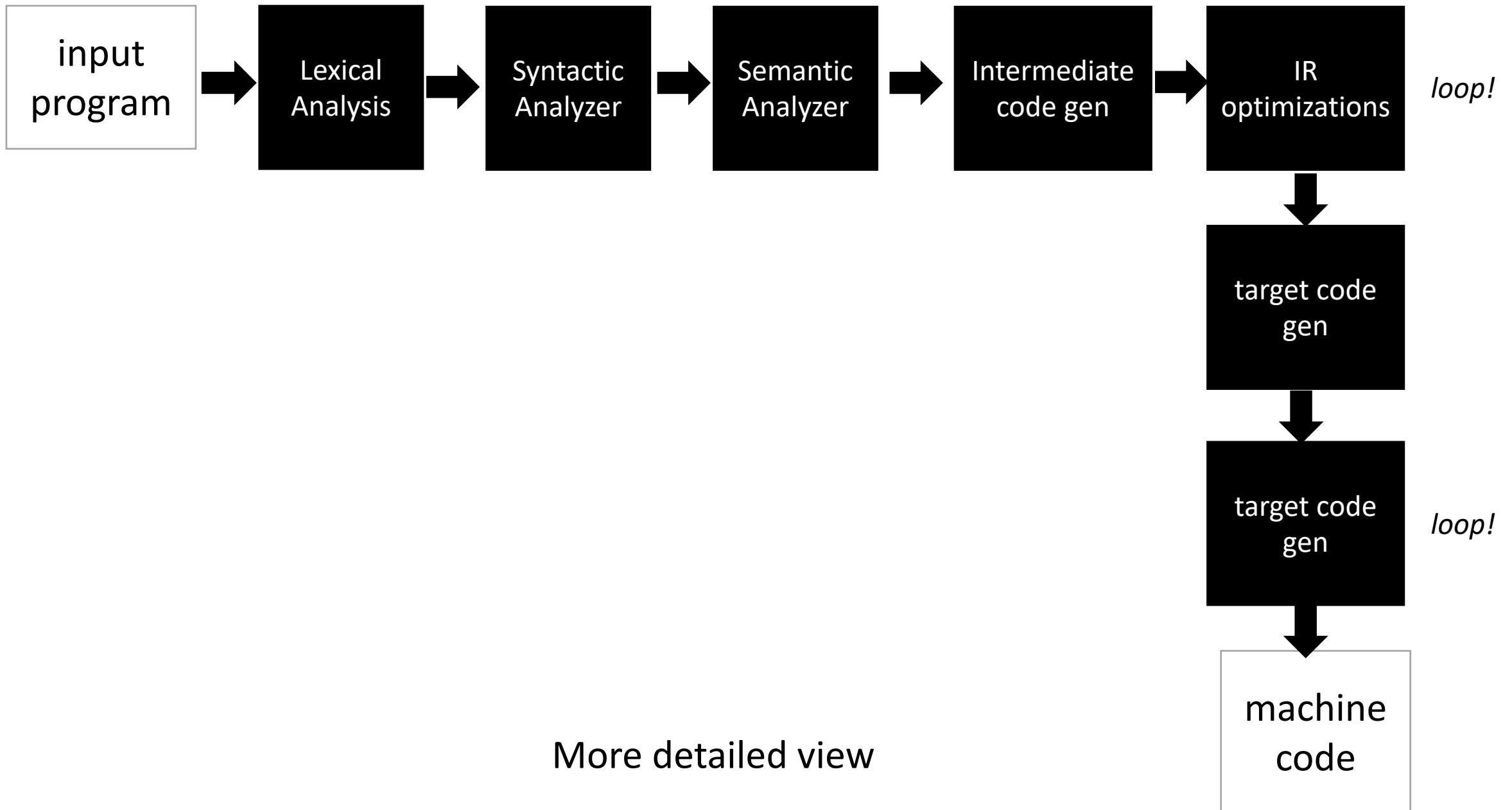


# Compiler Architecture



Medium detailed view

more about optimizations: <https://stackoverflow.com/questions/15548023/clang-optimization-levels>



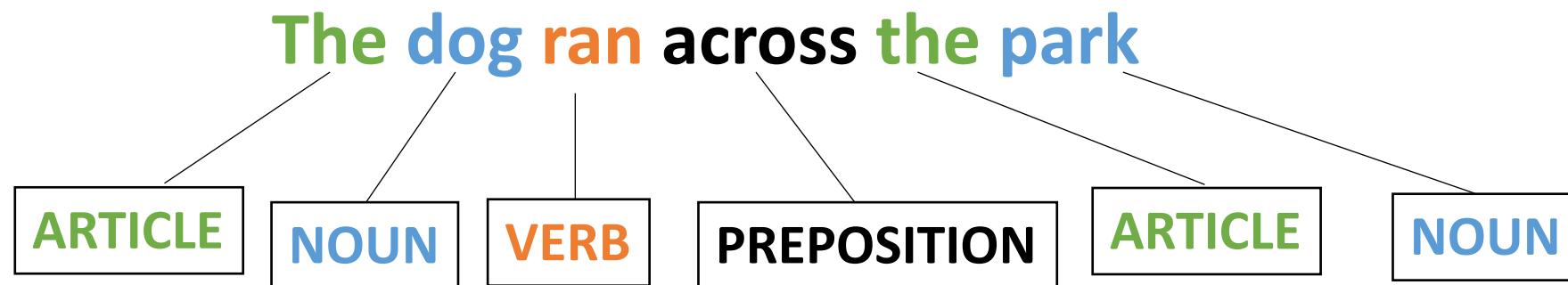
# Parsing is the first step in a compiler

- How do we parse a sentence in English?

The dog ran across the park

# Parsing is the first step in a compiler

- How do we parse a sentence in English?



# Programs for Lexical Analysis

Scanner (sometimes called lexer)

Defined by a list of tokens and definitions:

- ARTICLE
- NOUN
- VERB
- ADJECTIVE

- = {The, A, My, Your}
- = {Dog, Car, Computer}
- = {Ran, Crashed, Accelerated}
- = {Purple, Spotted, Old}

Tokens

Tokens Definitions

# Scanner API

What do we want?

“My Old Computer Crashed”



Scanner

# Scanner API

What do we want?

“My Old Computer Crashed”



Scanner

```
[(ARTICLE, "My"), (ADJECTIVE, "Old"), (NOUN, "Computer"), (VERB, "Crashed") ]
```

*Lexeme: (TOKEN, value)*

# Longest possible match

Consider the token:

- CLASS\_TOKEN = {"cse", "110", "cse110"}

What would the lexemes be for: "cse110"

options:

- (CLASS\_TOKEN, "cse") (CLASS\_TOKEN, "110")
- (CLASS\_TOKEN, "cse110")

This one!

# Longest possible match

- Important for operators, e.g. in C
- `++`, `+=`

how would we scan “`x++;`”

`[ ( ID, "x" ), ( ADD, "+" ), ( ADD, "+" ), ( SEMI, ";" ) ]`

`[ ( ID, "x" ), ( INCREMENT, "++" ), ( SEMI, ";" ) ]`

# Let's write tokens as regular expressions

- For our simple programming language

ID	=	[ a-z ] +
NUM	=	[ 0-9 ] +
ASSIGN	=	" = "
PLUS	=	" + "
MULT	=	" * "
IGNORE	=	[ " " ]

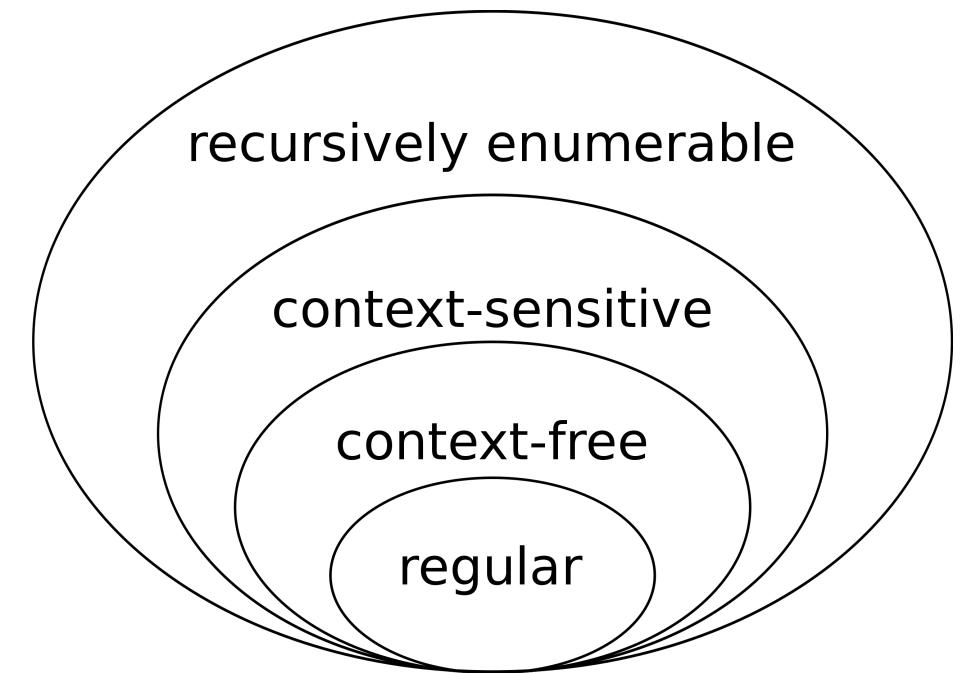
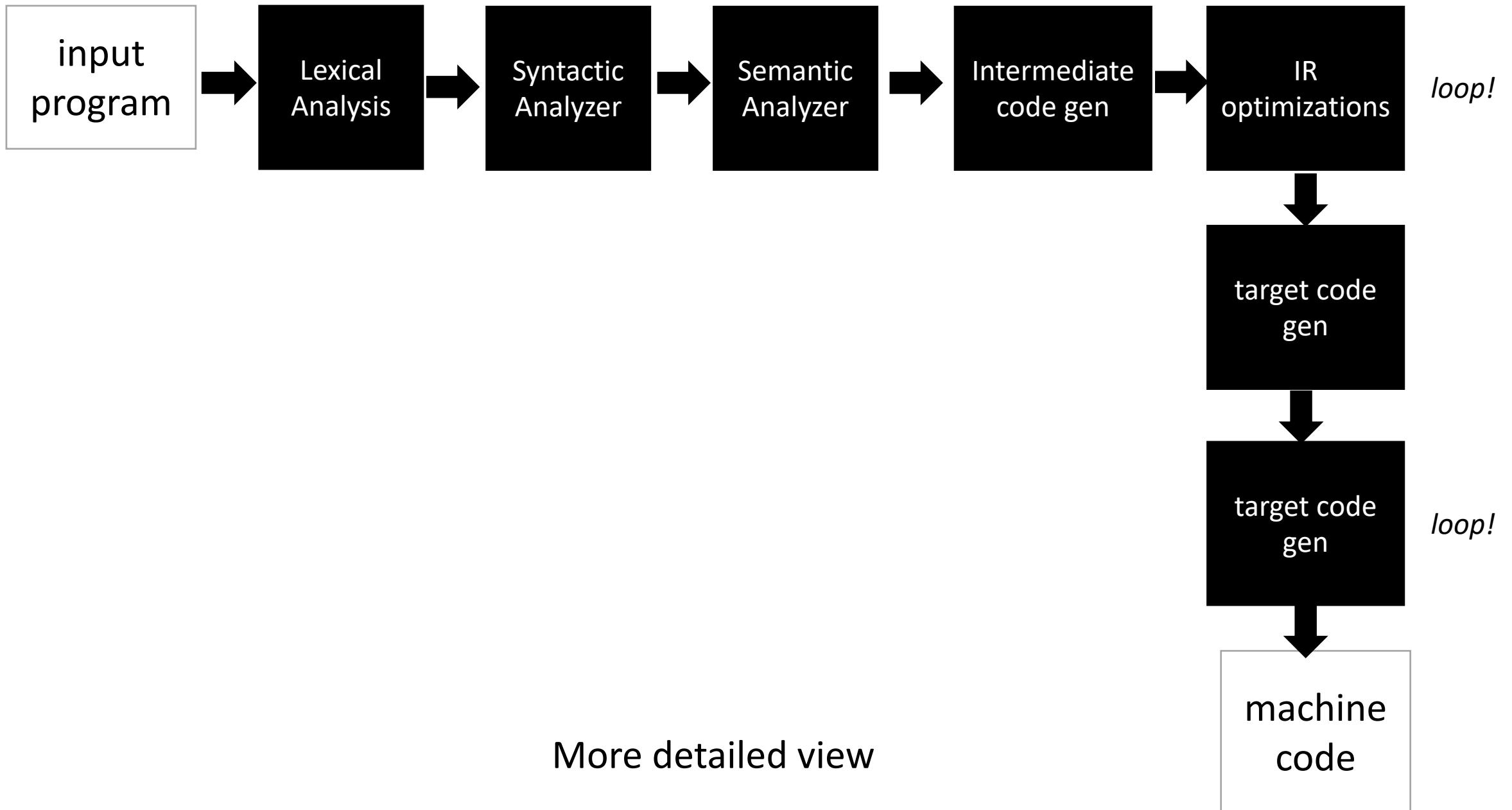


image source: wikipedia

# Scanner implementations

- Naïve scanner:
  - Pros/cons?
- Exact match scanner
  - Pros/cons?
- Start of string scanner
  - Pros/cons?
- Named group scanner
  - Pros/cons?



# Parsing

- Use CFGs to express our grammar
  - Why?
- CFGs consist of production rules and terminals
- production rules can be recursive

Examples:

add\_expr ::= NUM PLUS NUM

mult\_expr ::= NUM TIMES NUM

joint\_expr ::= add\_expr TIMES add\_expr

simple\_expr ::= simple\_expr PLUS NUM  
| simple\_expr TIMES NUM  
| NUM

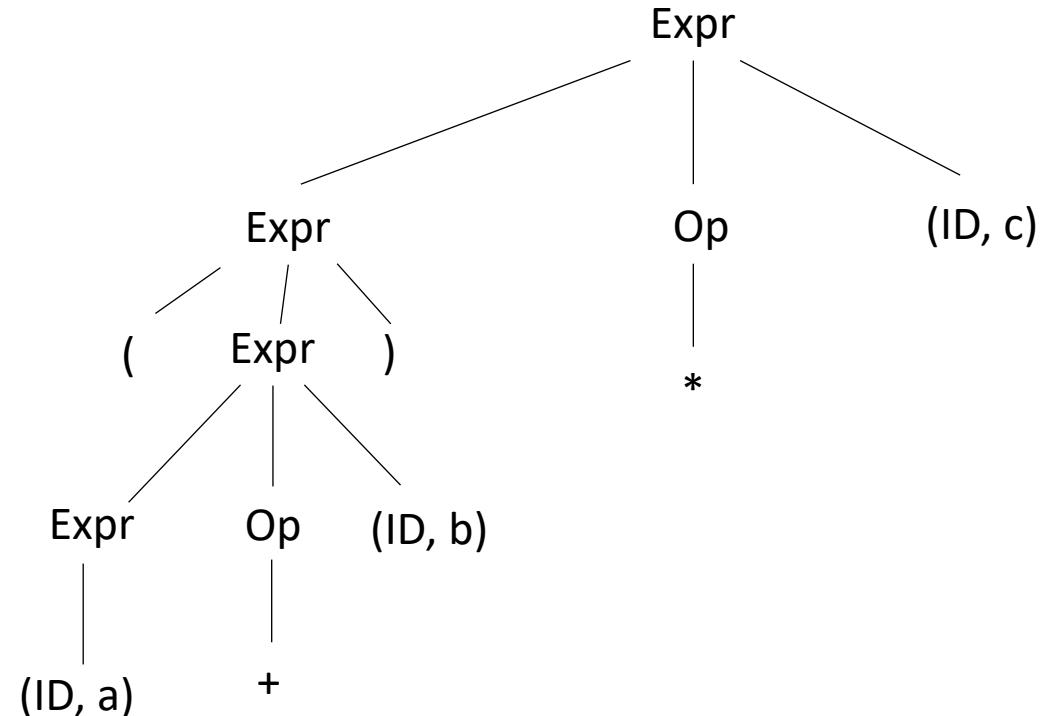
# A more complicated derivation

```
1: Expr ::= '(' Expr ')'  
2:      | Expr Op ID  
3:      | ID  
4: Op   ::= '+'  
5: Op   | '*'  
       |
```

*Are there other ways to derive  $(a+b)*c$ ?*

We can visualize this as a tree:

RULE	Sentential Form
start	Expr
2	Expr Op ID
5	Expr * ID
1	(Expr) * ID
2	(Expr Op ID) * ID
4	(Expr + ID) * ID
3	(ID + ID) * ID

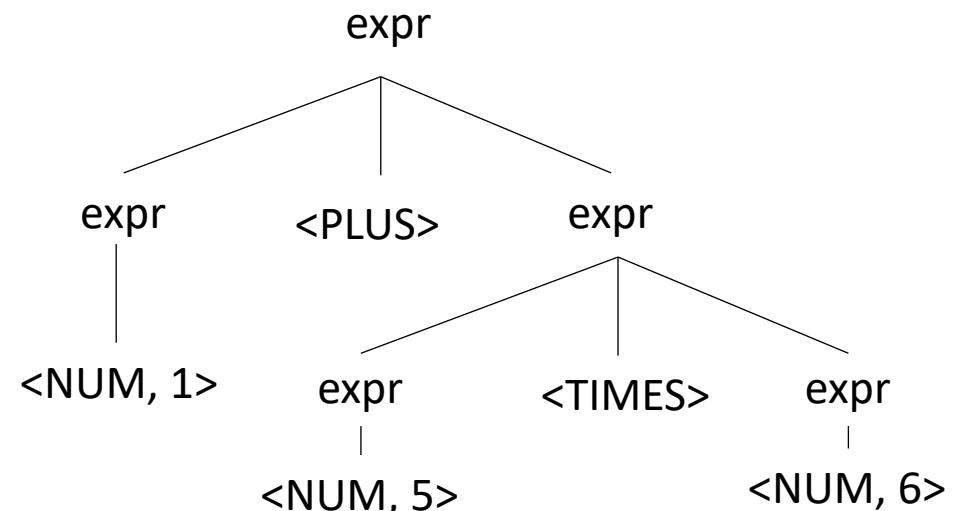
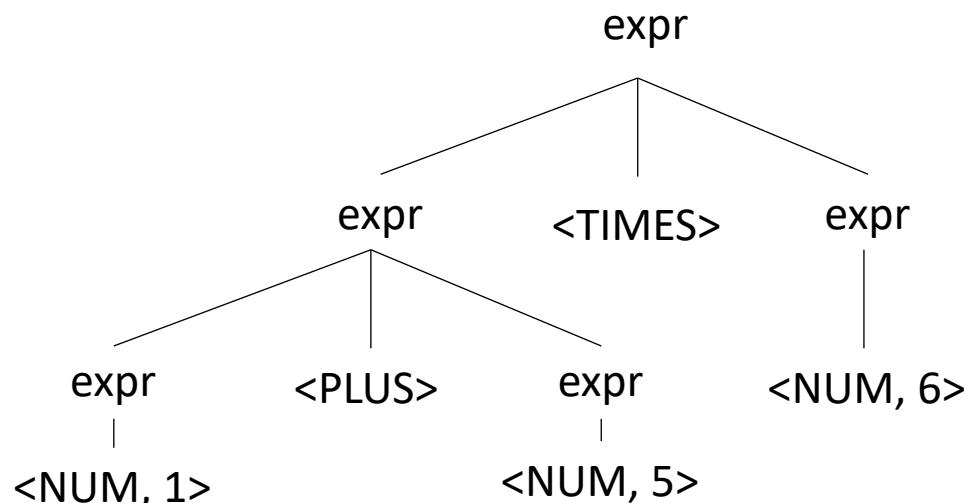


# Ambiguous grammars

- input: 1 + 5 \* 6

```
expr ::= NUM
      | expr PLUS expr
      | expr TIMES expr
      | LPAREN expr RPAREN
```

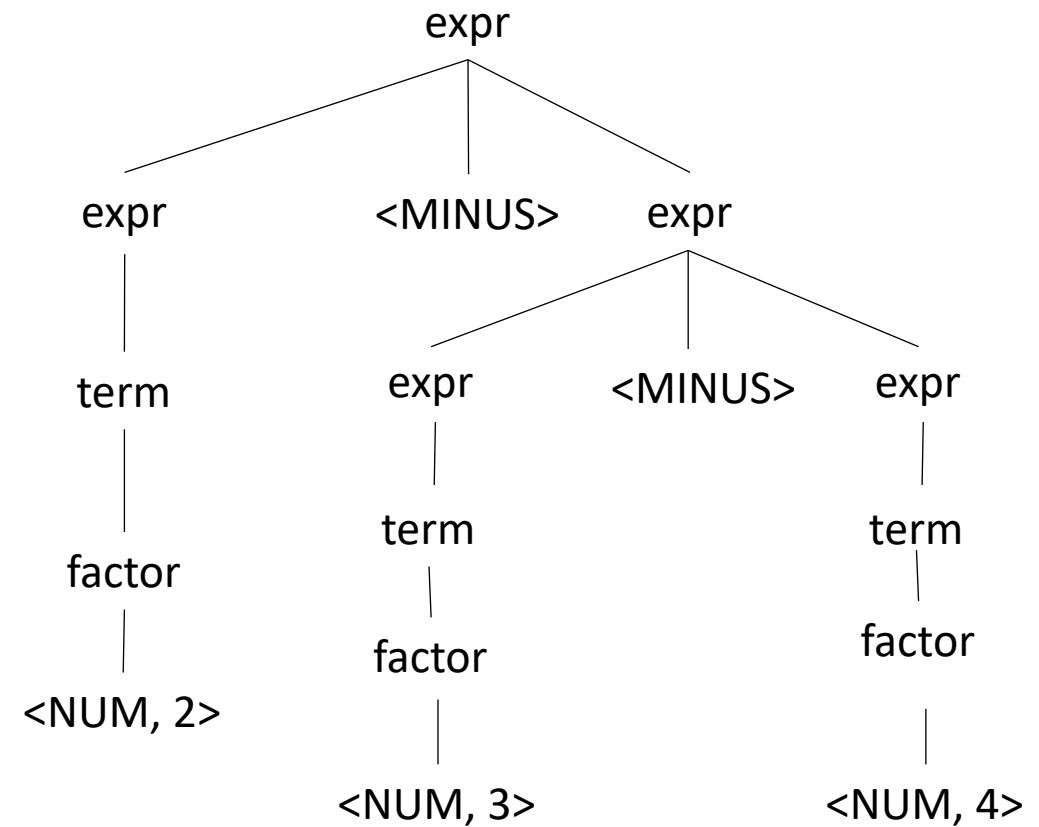
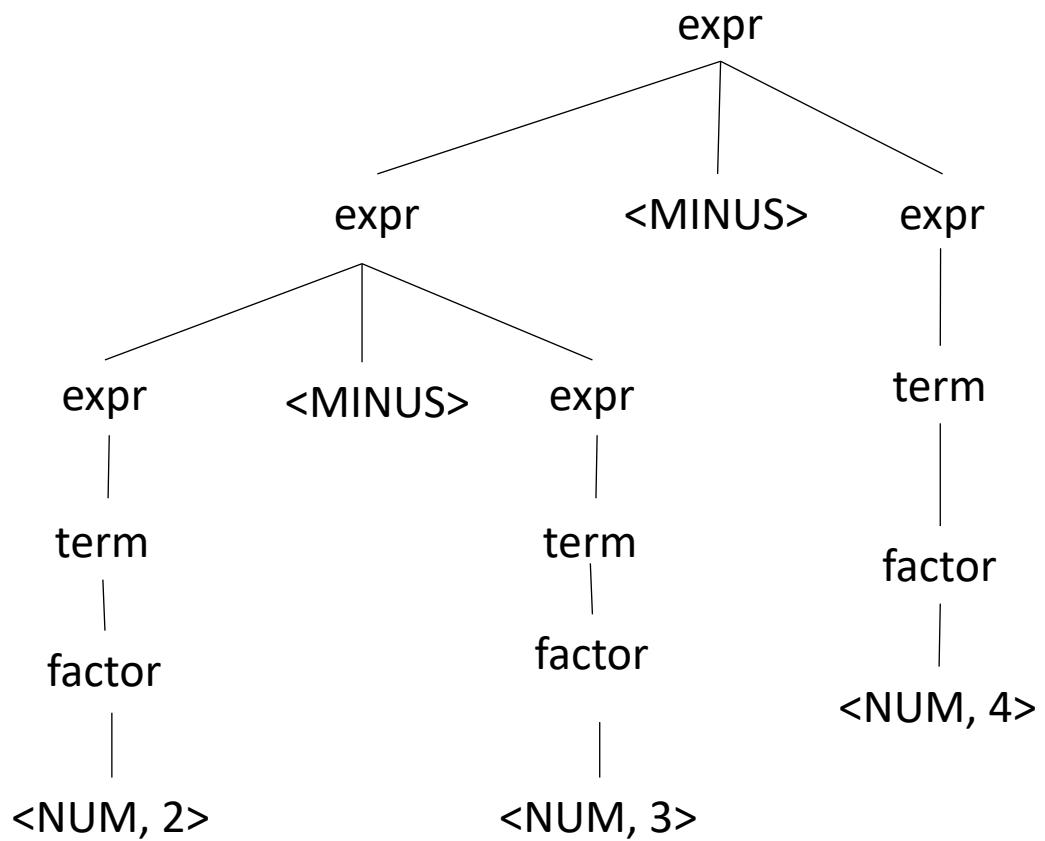
Two possible parse trees for the same input



Does not correctly encode precedence!

# More ambiguous grammars

input: 2-3-4



## *Which one is right?*

# How to avoid ambiguous grammars

*Let's do operators [ +, \*, -, /, ^ ] and ( )*

Operator	Name	Productions
+,-	expr	: expr PLUS term   expr MINUS term   term
*,/	term	: term TIMES pow   term DIV pow   pow
^	pow	: factor CARROT pow   factor
()	factor	: LPAR expr RPAR   NUM

Tokens:

NUM = "[ 0-9 ]+"  
PLUS = '\+'  
TIMES = '\\*'  
LP = '\('  
RP = '\)'  
MINUS = '-'  
DIV = '/'  
CARROT = '\^'

# Implementing parsers

```
root = start symbol;  
focus = root;  
push(None);  
to_match = s.token();  
  
while (true):  
    if (focus is a nonterminal)  
        pick next rule (A ::= B1,B2,B3...BN);  
        push(BN... B3, B2);  
        focus = B1  
  
    else if (focus == to_match)  
        to_match = s.token()  
        focus = pop()  
  
    else if (to_match == None and focus == None)  
        Accept  
  
What could a den  
choice do?
```

## *What could a demonic choice do?*

1: Expr ::= Expr '+' ID  
2: | ID

*Can we derive the string a*

```
to_match = s.token()
focus = pop()

else if (to_match == None and focus == None):
    Accept
```

Expanded Rule	Sentential Form
start	Expr

# Eliminating direct left recursion

A = Op Unit  
B = Unit

```
1: Expr ::= Expr Op Unit
2:      | Unit
3: Unit ::= '(' Expr ')'
4:      | ID
5: Op   ::= '+'
6:      | '*'
```

```
1: Expr ::= Unit Expr2
2: Expr2 ::= Op Unit Expr2
3:      | ""
```

*Lets do this one as an example:*

```
Fee ::= Fee A
      | B
```



```
Fee ::= B Fee2
Fee2 ::= A Fee2
      | ""
```

# The First+ Set

*The First+ set is the combination of First and Follow sets*

		First sets:	Follow sets:	First+ sets:
1:	Expr ::= Unit Expr2	1: {‘(’, ID}	1: NA	1: {‘(’, ID}
2:	Expr2 ::= Op Unit Expr2	2: {‘+’, ‘*’}	2: NA	2: {‘+’, ‘*’}
3:	“”	3: {"””}	3: {None, ‘)’’}	3: {None, ‘)’’}
4:	Unit ::= ‘(’ Expr ‘)’	4: {‘(’}	4: NA	4: {‘(’}
5:	ID	5: {ID}	5: NA	5: {ID}
6:	Op ::= ‘+’	6: {‘+’}	6: NA	6: {‘+’}
7:	‘*’	7: {‘*’}	7: NA	7: {‘*’}

# Do we need backtracking?

*The First+ set is the combination of First and Follow sets*

```
1: Expr   ::= Unit Expr2  
2: Expr2 ::= Op Unit Expr2  
3:      | ""  
4: Unit   ::= '(' Expr ')'  
5:      | ID  
6: Op     ::= '+'  
7:      | '*'
```

First+ sets:

```
1: { '(', ID }  
2: { '+', '*' }  
3: { None, ')' }  
4: { '(' }  
5: { ID }  
6: { '+' }  
7: { '*' }
```

These grammars are called LL(1)

- L - scanning the input left to right
- L - left derivation
- 1 - how many look ahead symbols

*They are also called predictive grammars*

Many programming languages are LL(1)

*For each non-terminal: if every production has a disjoint First+ set then we do not need any backtracking!*

# Recursive descent parser

# Recursive descent parser

```
1: Expr  ::= Unit Expr2
2: Expr2 ::= Op Unit Expr2
3:          |
4:          |
5:          |
6: Unit   ::= '(' Expr ')'
7:          |
8:          |
9:          |
10: Op    ::= '+'
11:          |
12:          |
13:          |
```

*How do we parse an Expr?*

*We parse a Unit followed by an Expr2*

We can just write exactly that!

```
def parse_Expr(self):
    self.parse_Unit();
    self.parse_Expr2();
    return
```

# Recursive descent parser

```
1: Expr  ::= Unit Expr2
2: Expr2 ::= Op Unit Expr2
3:          | ""
4: Unit   ::= '(' Expr ')'
5:          | ID
6: Op     ::= '+'
7:          | '*'
```

*How do we parse an Expr2?*

# Recursive descent parser

```
1: Expr  ::= Unit Expr2
2: Expr2 ::= Op Unit Expr2
3:          | ""
4: Unit   ::= '(' Expr ')'
5:          | ID
6: Op     ::= '+'
7:          | '*'
```

*How do we parse an Expr2?*

First<sup>+</sup> sets:

```
1: {'(', ID}
2: {'+', '*'}
3: {None, ')''}
4: {'('}
5: {ID}
6: {'+'}
7: {'*'}
```

# Recursive descent parser

```
1: Expr  ::= Unit Expr2
2: Expr2 ::= Op Unit Expr2
3:          | ""
4: Unit   ::= '(' Expr ')'
5:          | ID
6: Op     ::= '+'
7:          | '*'
```

First+ sets:

```
1: {'(', ID}
2: {'+', '*'}
3: {None, ')'}
4: {'('}
5: {ID}
6: {'+'}
7: {'*'}
```

*How do we parse an Expr2?*

```
def parse_Expr2(self):
    token_id = get_token_id(self.to_match)

    # Expr2 ::= Op Unit Expr2
    if token_id in ["PLUS", "MULT"]:
        self.parse_Op()
        self.parse_Unit()
        self.parse_Expr2()
        return

    # Expr2 ::= ""
    if token_id in [None, "RPAR"]:
        return

    raise ParserException(... # observed token
                          ["PLUS", "MULT", "RPAR"]) # expected token
```

# Symbol Table

*Consider this simple programming language:*

ID = [a-z]+

INCREMENT = “\+\+”

TYPE = “int”

LBRAC = “{“

RBRAC = “}”

SEMI = “;”

```
int x;  
{  
    int y;  
    x++;  
    y++;  
}  
y++;
```

statements are either a declaration or an increment

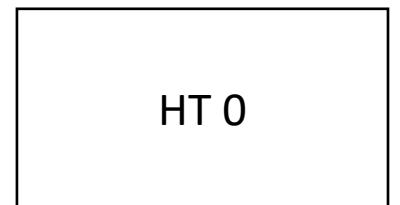
# How to implement a symbol table?

- Thoughts? What data structures are good at mapping strings?
- Symbol table
- four methods:
  - **lookup(id)** : lookup an id in the symbol table.  
Returns None if the id is not in the symbol table.
  - **insert(id,info)** : insert a new id into the symbol table along with a set of information about the id.
  - **push\_scope()** : push a new scope to the symbol table
  - **pop\_scope()** : pop a scope from the symbol table

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

base scope



Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

`push_scope()`

HT 0

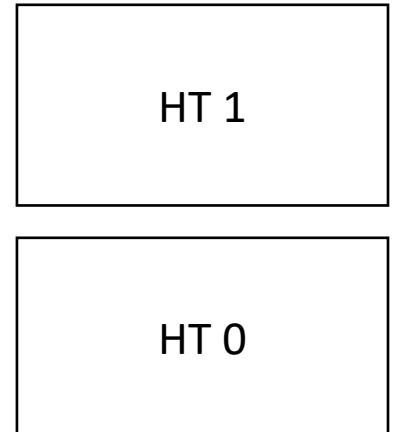
Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

*adds a new  
Hash Table  
to the top of the stack*

**push\_scope()**

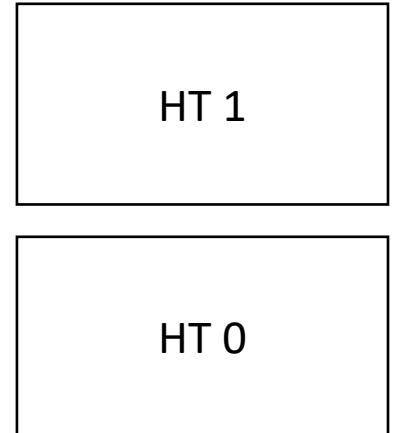


Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

**insert(id,data)**



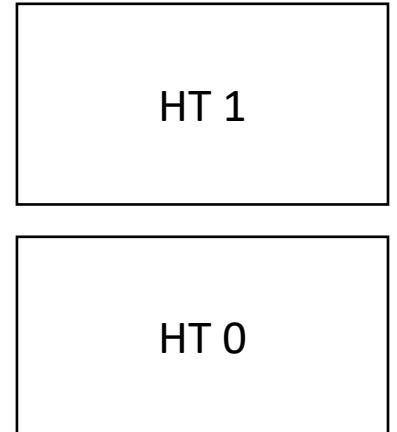
Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

insert (`id` → `data`) at  
top hash table

**insert(id,data)**

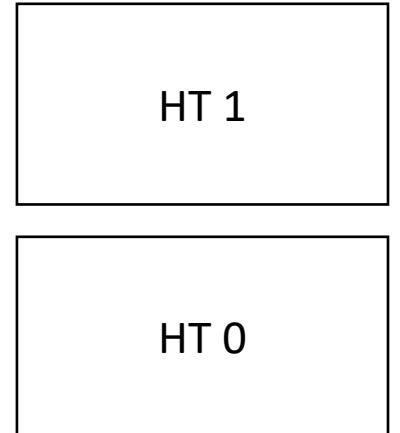


Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

**lookup(id)**



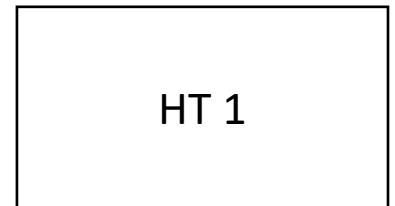
Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

**lookup(id)**

check here  
first



Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

**lookup(id)**

then check  
here

HT 1

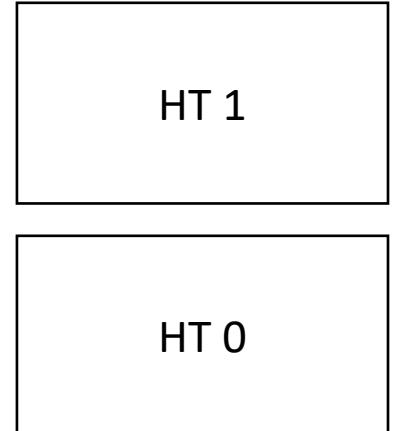
HT 0

Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:

`pop_scope()`



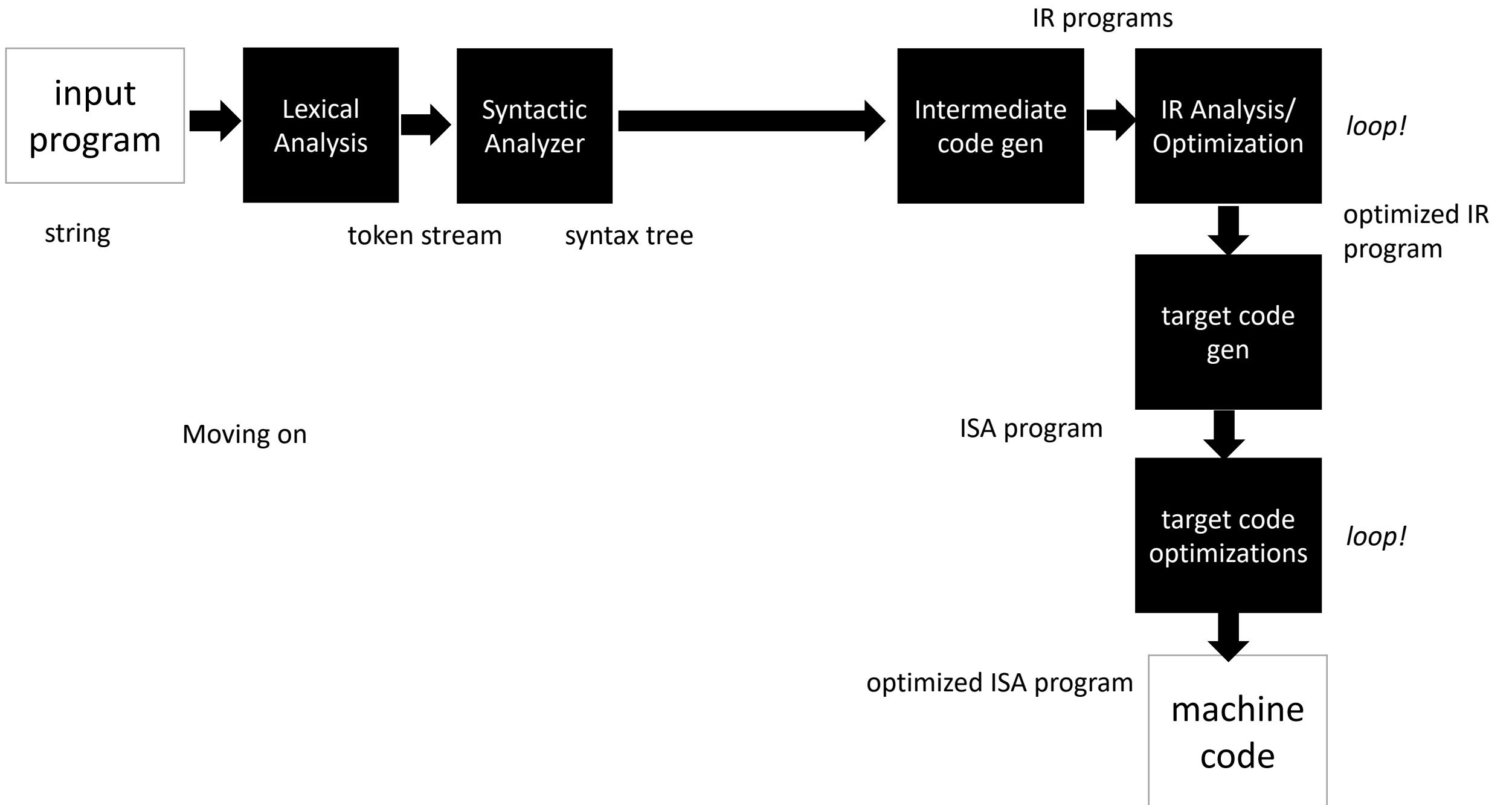
Stack of hash tables

# How to implement a symbol table?

- Many ways to implement:
- A good way is a stack of hash tables:



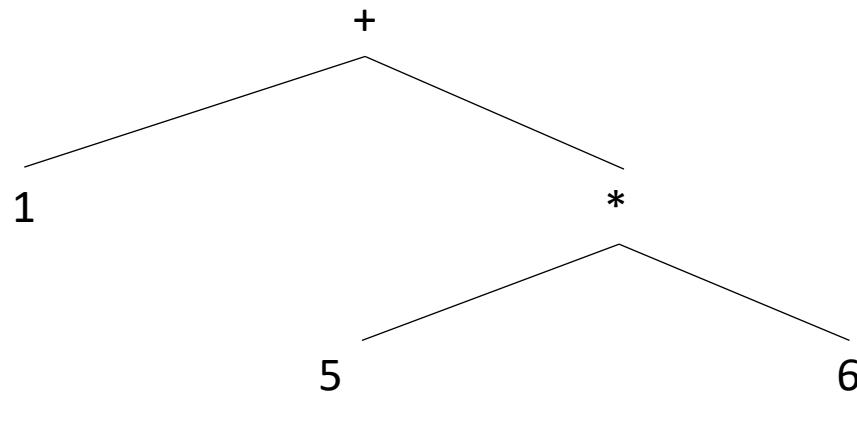
Stack of hash tables



# First IR: Abstract Syntax Tree

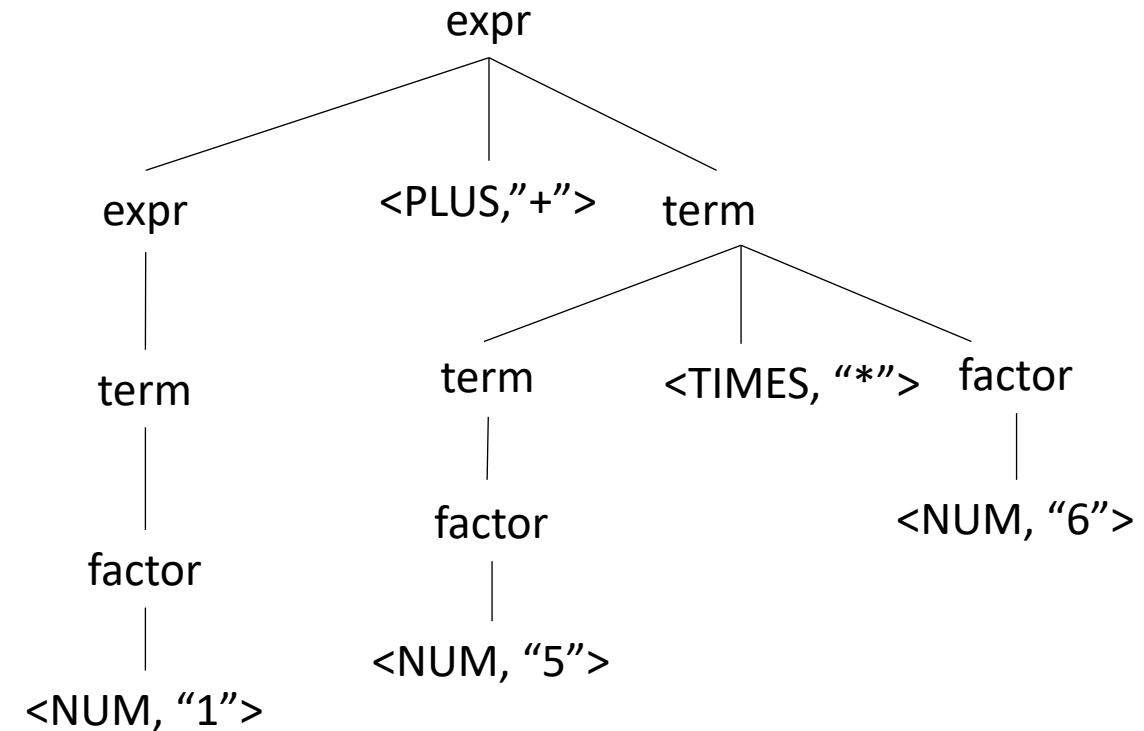
input:  $1+5*6$

# What is an AST?



AST

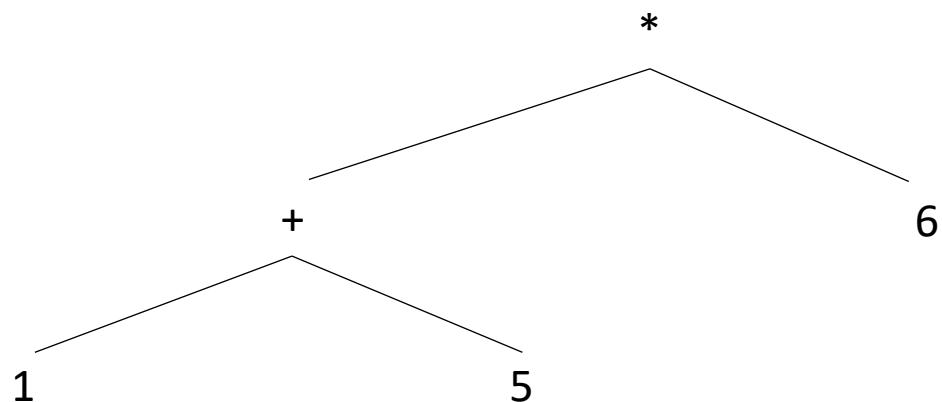
*What are some differences?*



Parse Tree

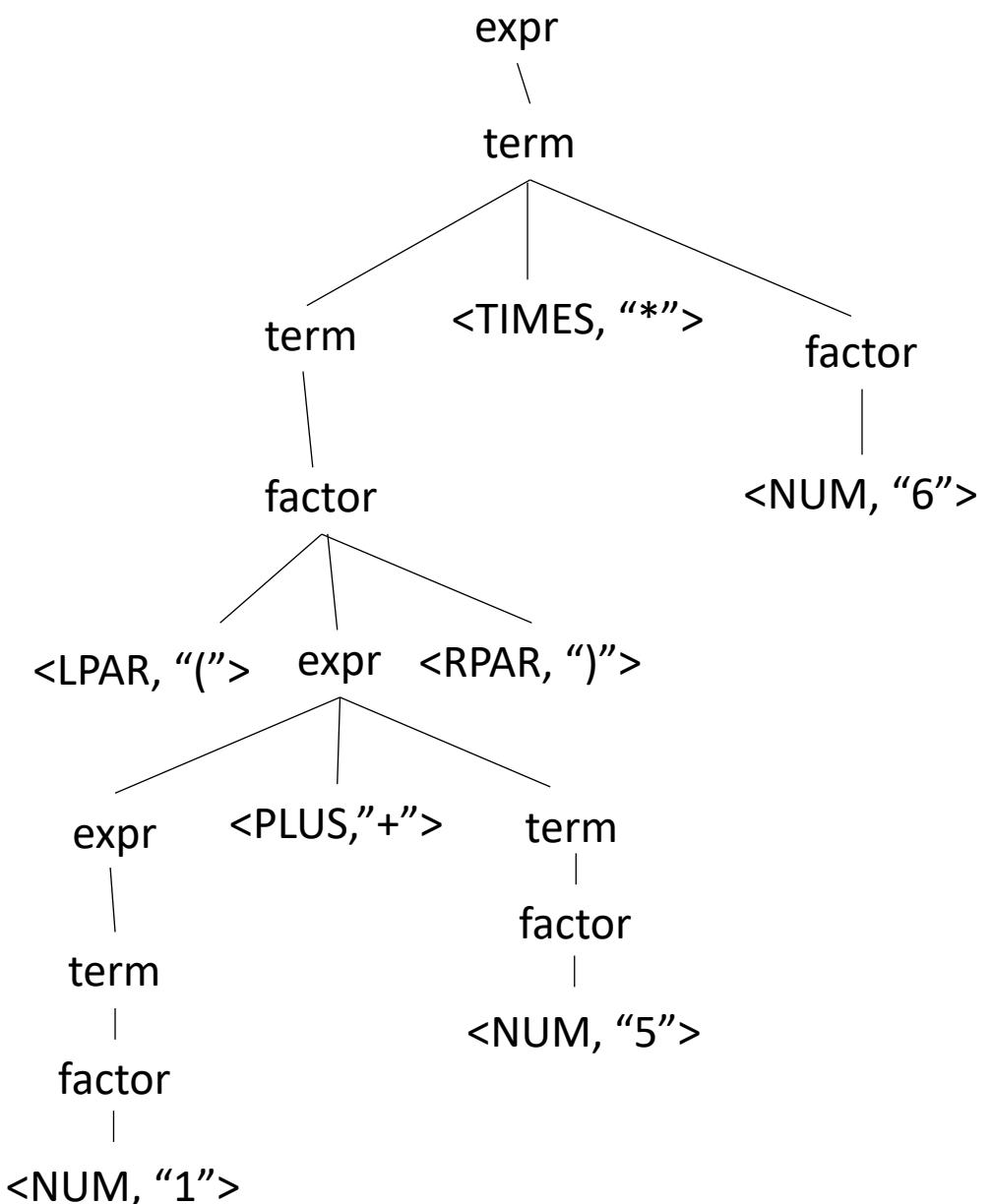
# Example

what happens to ()s in an AST?

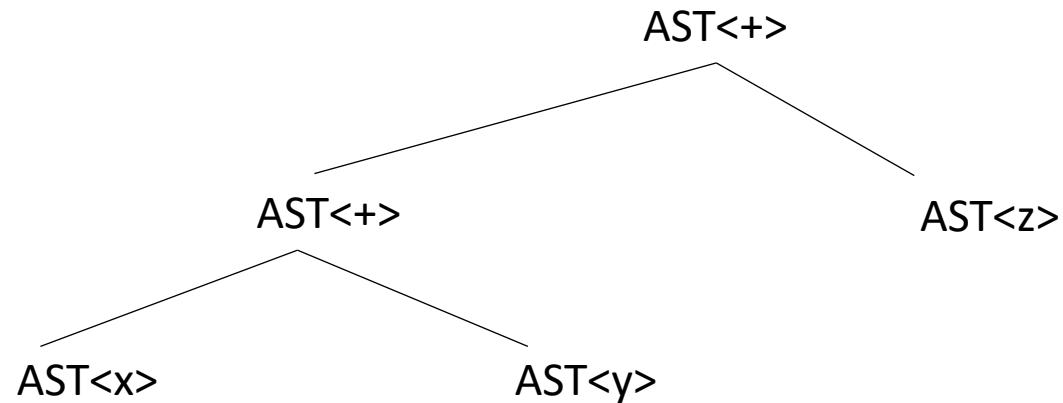


No need for (), they simply capture precedence. And now we have precedence in the AST tree structure

input:  $(1+5)*6$



# Evaluate an AST by doing a post order traversal

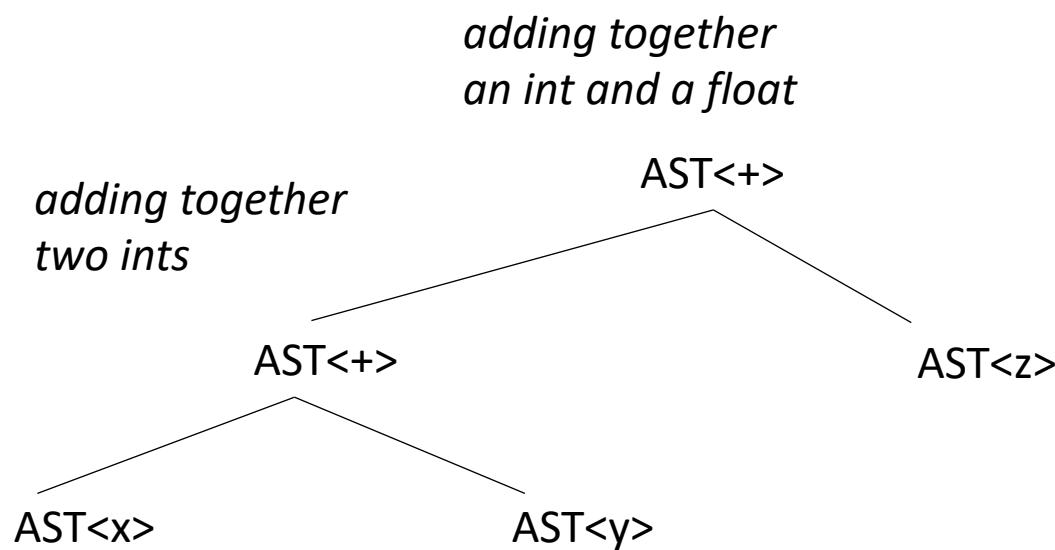


*What if you cannot evaluate it?  
What else might you do?*

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How does this change things?*

# Evaluate an AST by doing a post order traversal



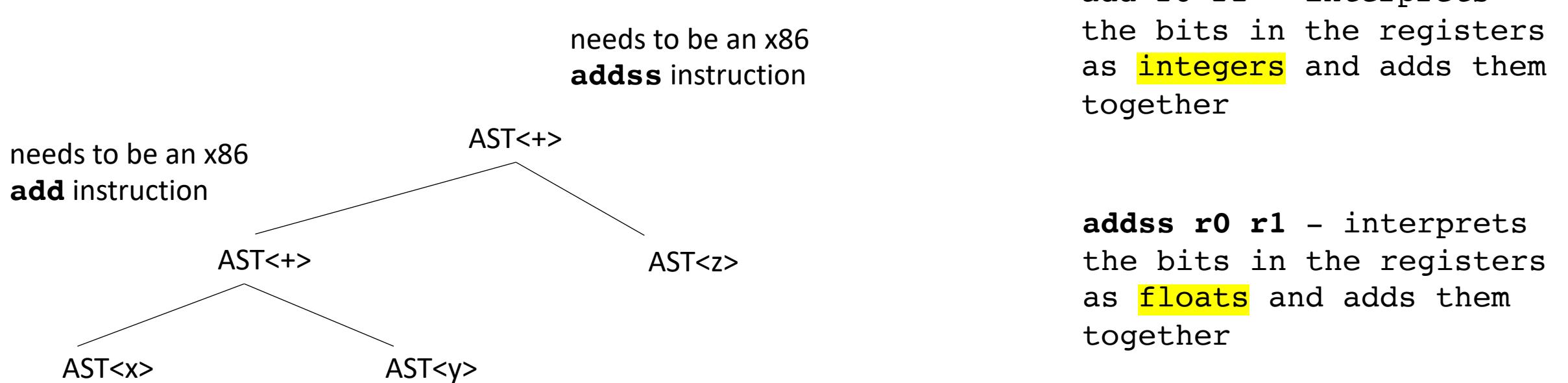
*What if you cannot evaluate it?  
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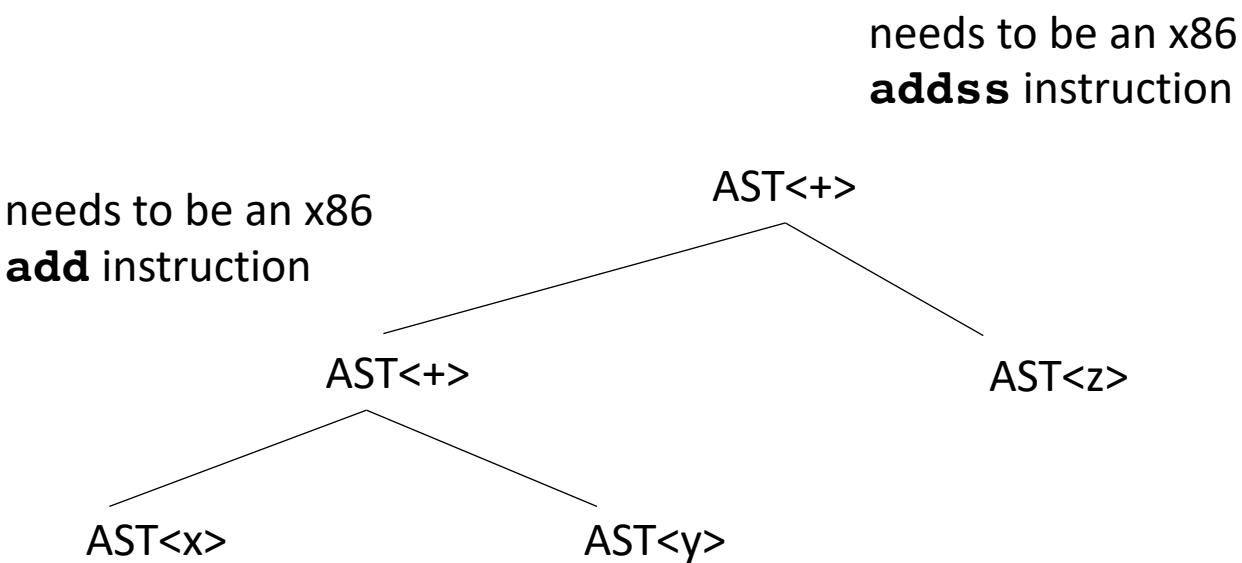
*How does this change things?*

in many languages this is fine, but we are working towards assembly language

# Evaluate an AST by doing a post order traversal



# Evaluate an AST by doing a post order traversal



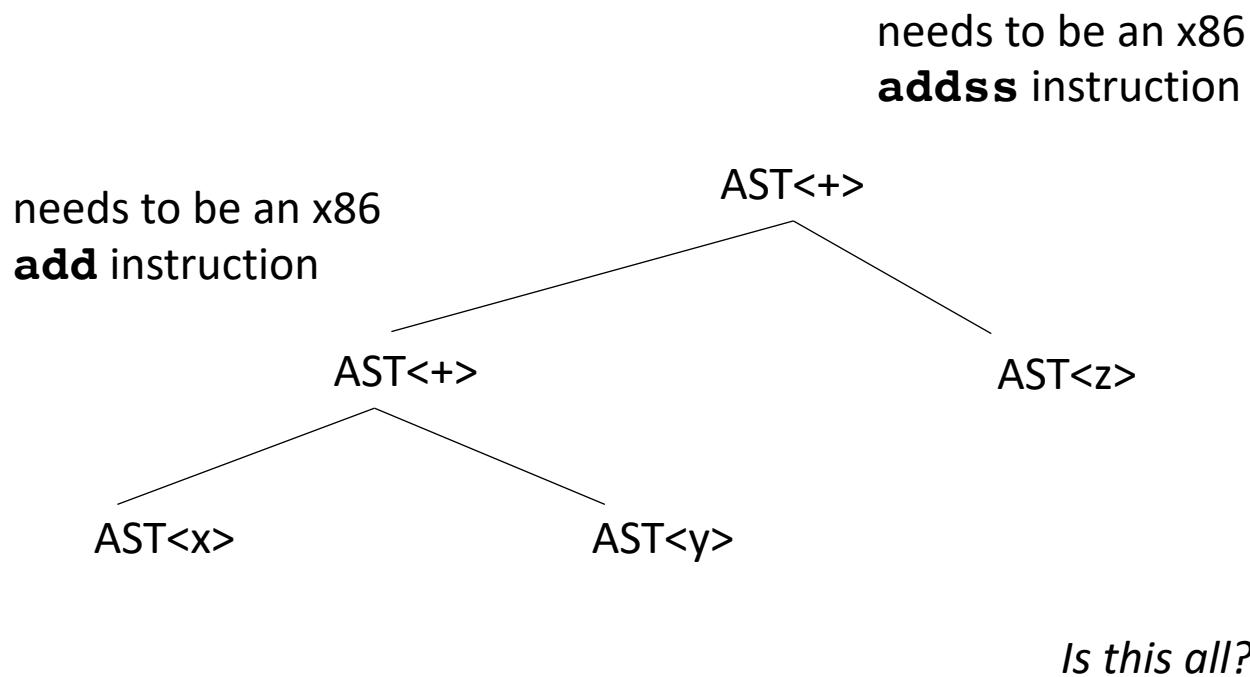
*Is this all?*

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

Lets do some experiments.

What should  $5 + 5.0$  be?

# Evaluate an AST by doing a post order traversal



```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

Lets do some experiments.

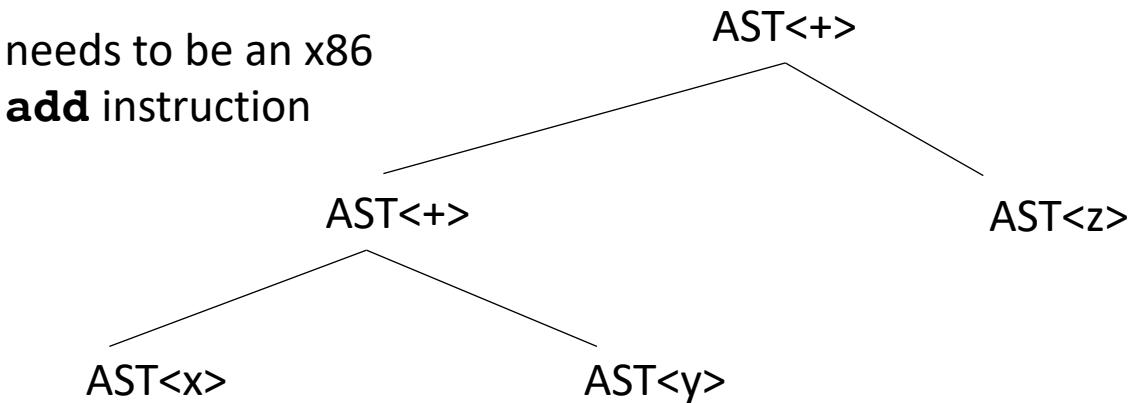
What should  $5 + 5.0$  be?

but

**addss r1 r2**

interprets both registers  
as floats

# Evaluate an AST by doing a post order traversal



needs to be an x86  
**add** instruction

needs to be an x86  
**add** instruction

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

But the binary of 5 is 0b101  
the float value of 0b101 is 7.00649232162e-45

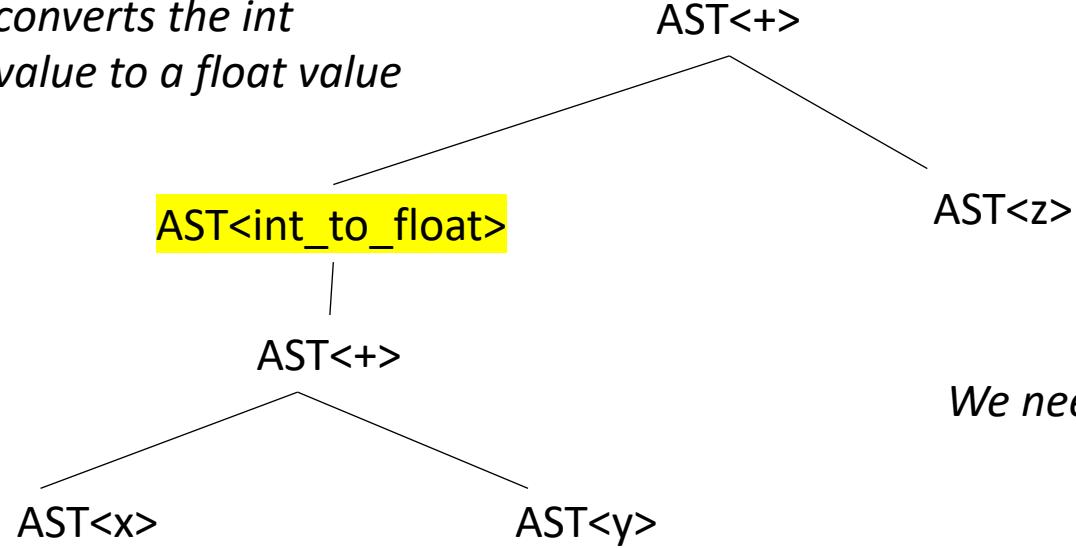
We cannot just add them!

*Is this all?*

# Evaluate an AST by doing a post order traversal

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*converts the int  
value to a float value*

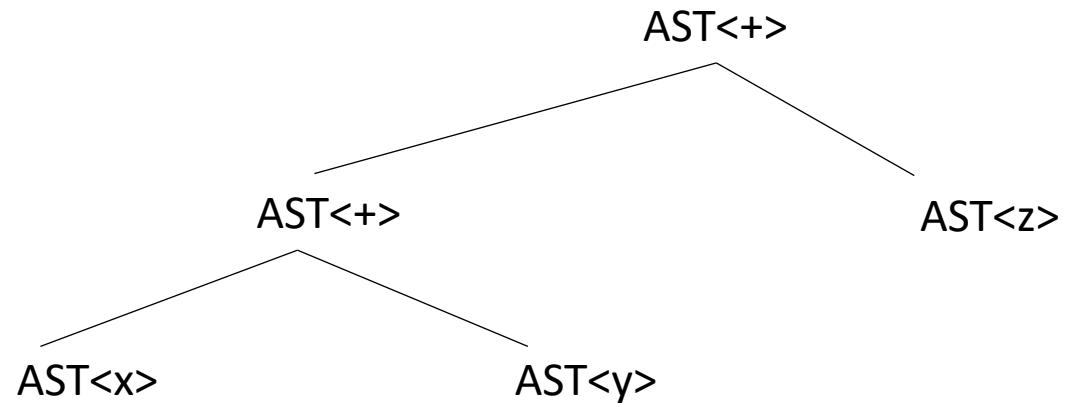


*We need to make sure our operands are in the right format!*

# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

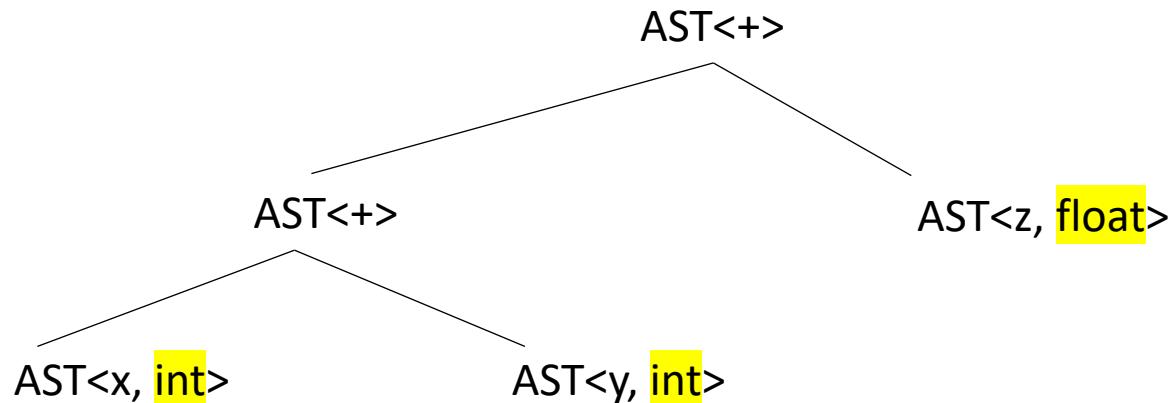
*each node additionally gets a type*



# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

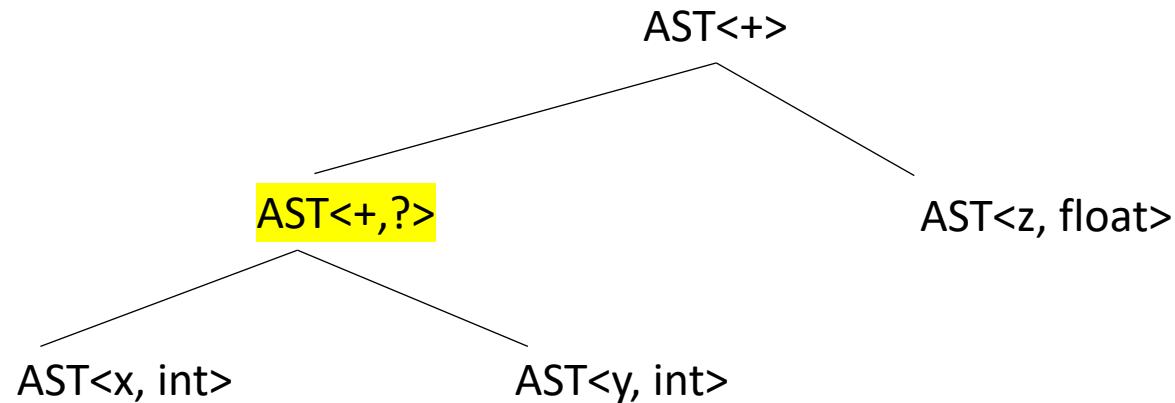
*each node additionally gets a type  
we can get this from the symbol table for the leaves*



# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*

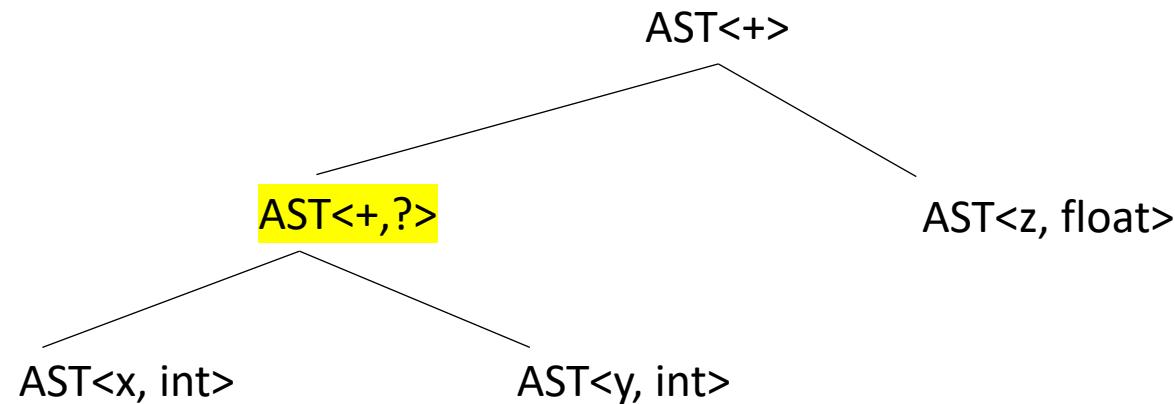


# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*

*combination rules for subtraction:*



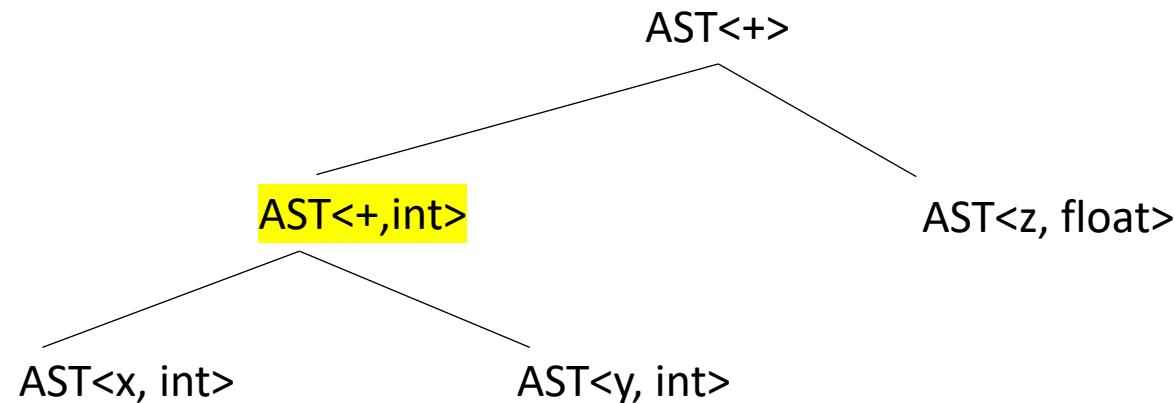
first	second	result
int	int	int
int	float	float
float	int	float
float	float	float

# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*

*inference rules for subtraction:*



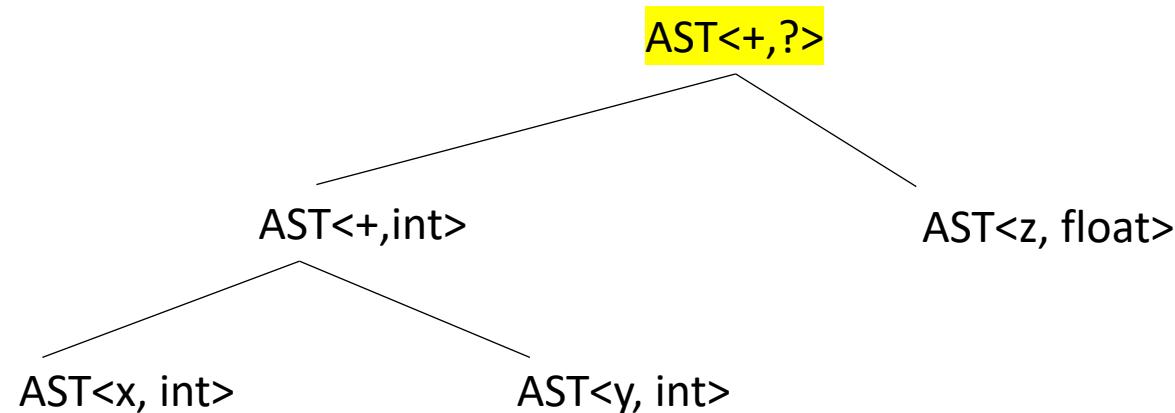
first	second	result
int	int	int
int	float	float
float	int	float
float	float	float

# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*

*inference rules for subtraction:*



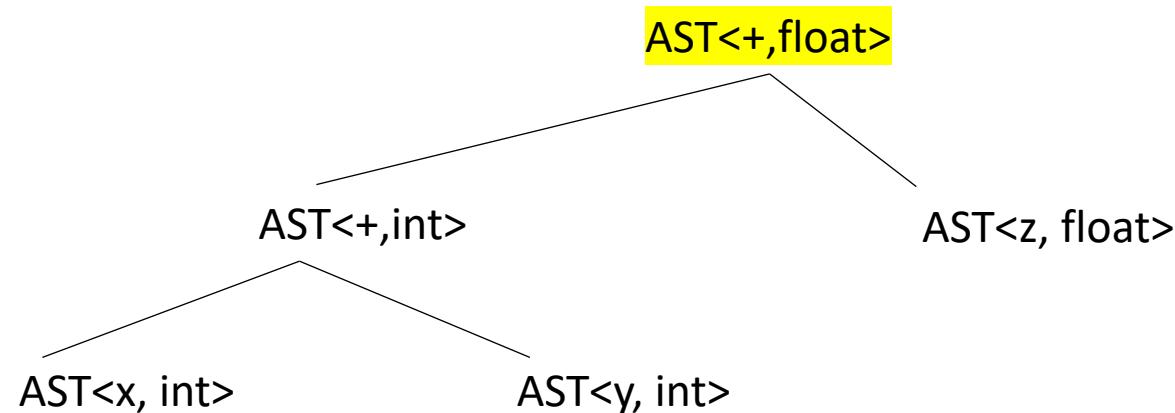
first	second	result
int	int	int
int	float	float
float	int	float
float	float	float

# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*

*inference rules for subtraction:*

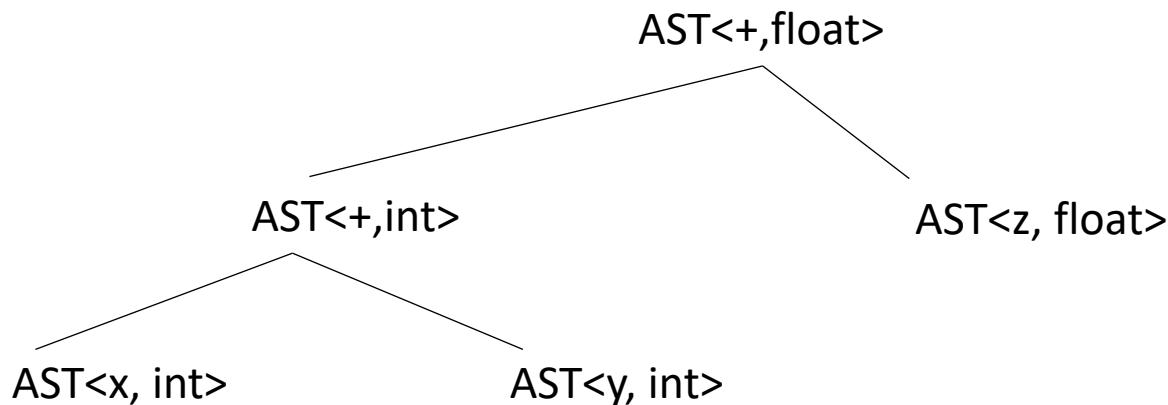


first	second	result
int	int	int
int	float	float
float	int	float
float	float	float

# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*



*inference rules for subtraction:*

first	second	result
int	int	int
int	float	float
float	int	float
float	float	float

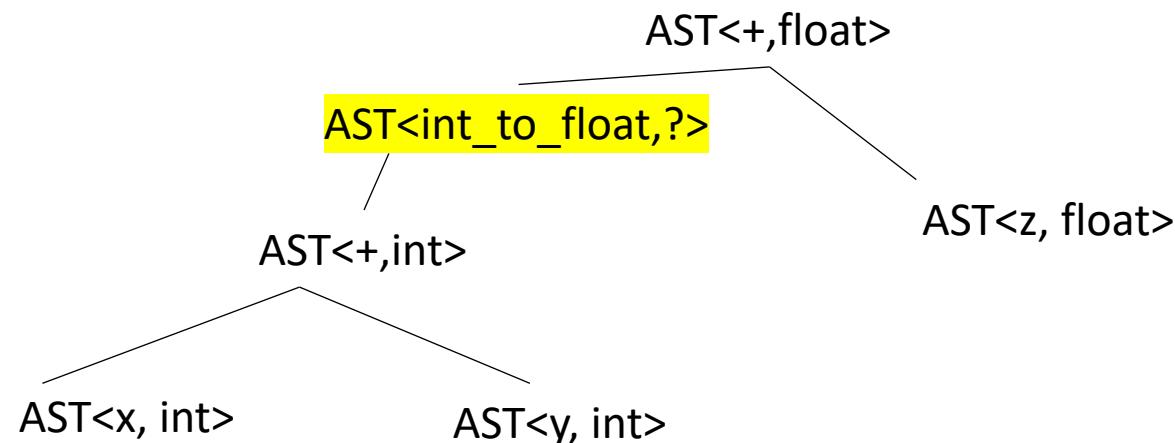
what else?

# Type inference on an AST

```
int x;  
int y;  
float z;  
float w;  
w = x + y + z
```

*How do we get the type for this one?*

*inference rules for subtraction:*



first	second	result
int	int	int
int	float	float
float	int	float
float	float	float

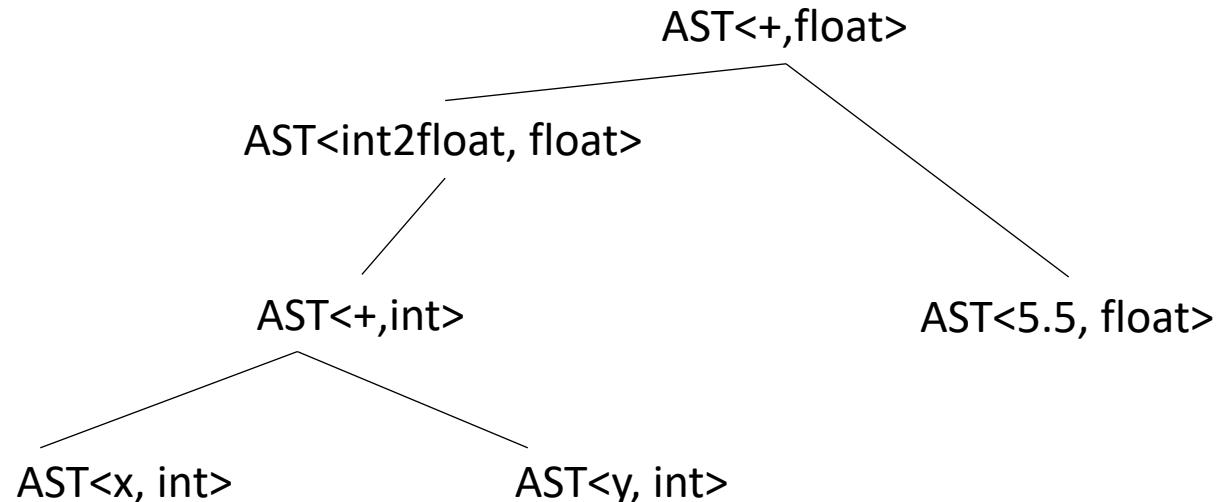
what else? need to convert the int to a float

# Linearizing an AST

# Converting AST into Class-IR

```
int x;  
int y;  
float w;  
w = x + y + 5.5
```

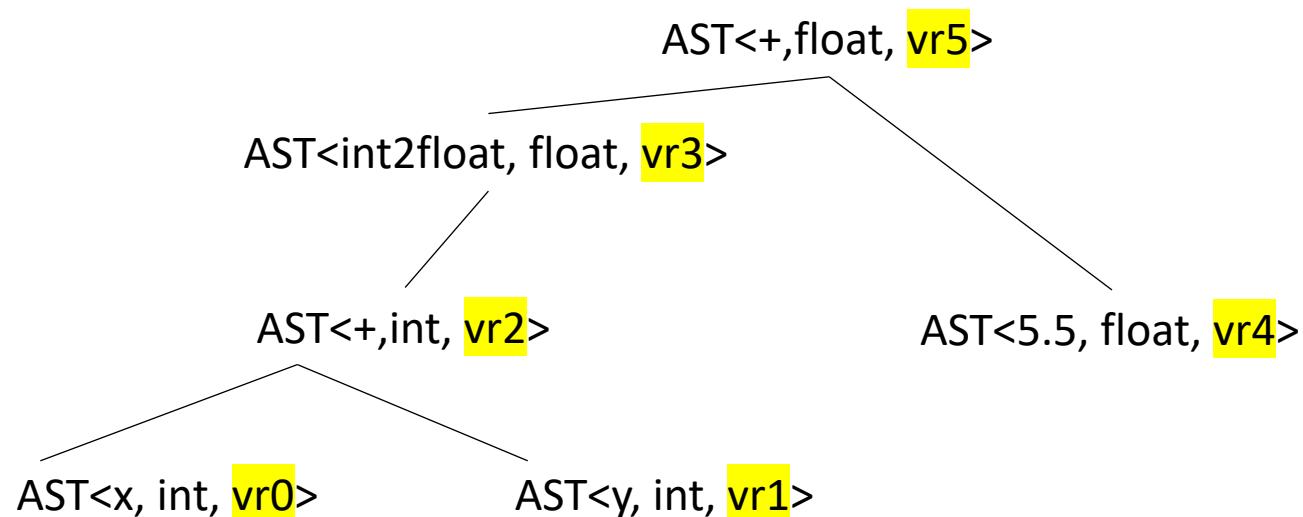
**After type inference**



# Converting AST into Class-IR

```
int x;  
int y;  
float w;  
w = x + y + 5.5
```

**After type inference**



We will start by adding a new member to each AST node:

A virtual register

Each node needs a distinct virtual register

```
int x;  
int y;  
float w;  
w = x + y + 5.5
```

```
vr5 = addf(vr3, vr4);
```

```
vr3 = vr_int2float(vr2);
```

```
AST<int2float, float, vr3>
```

```
AST<+, float, vr5>
```

```
vr2 = addi(vr0, vr1);
```

```
AST<+, int, vr2>
```

```
AST<5.5, float, vr4>
```

```
AST<x, int, vr0>
```

```
AST<y, int, vr1>
```

```
vr0 = int2vr(x);
```

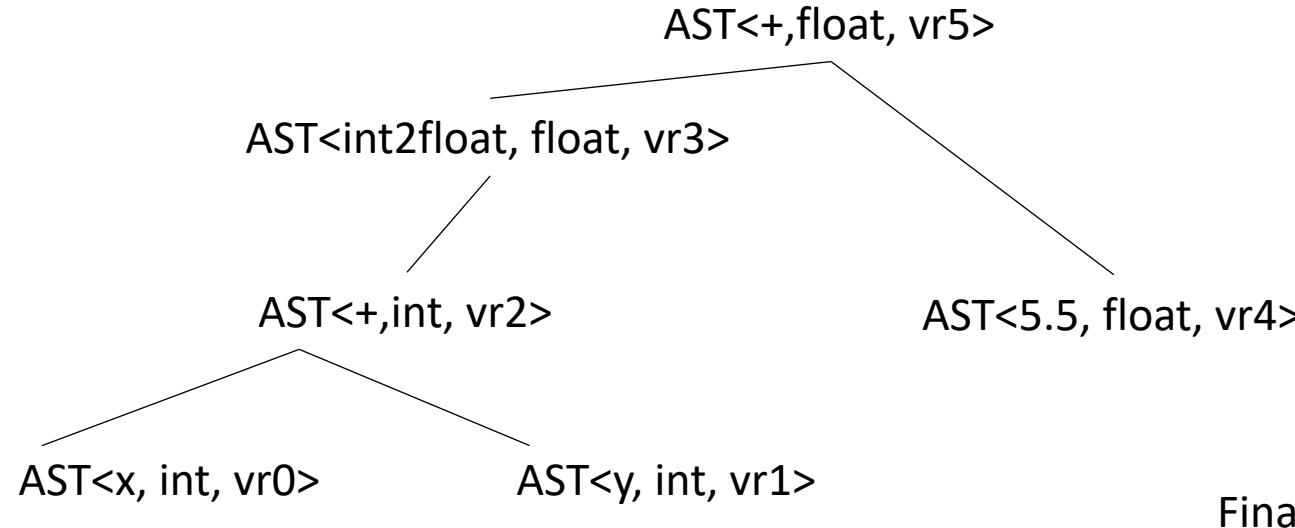
```
vr1 = int2vr(y);
```

```
vr4 = float2vr(5.5);
```

What now?

We can create a 3 address  
program doing a post-order  
traversal

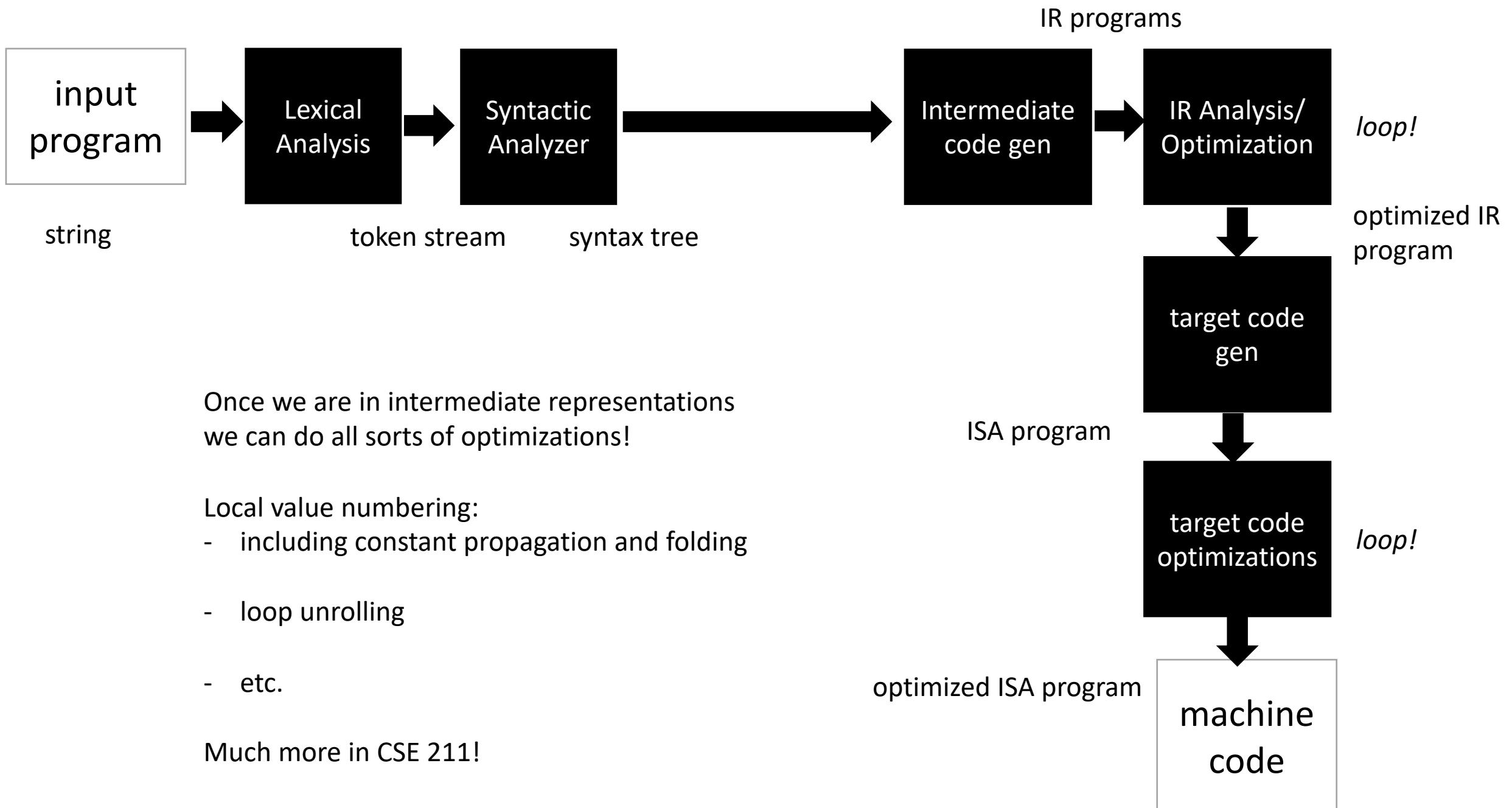
```
int x;  
int y;  
float w;  
w = x + y + 5.5
```

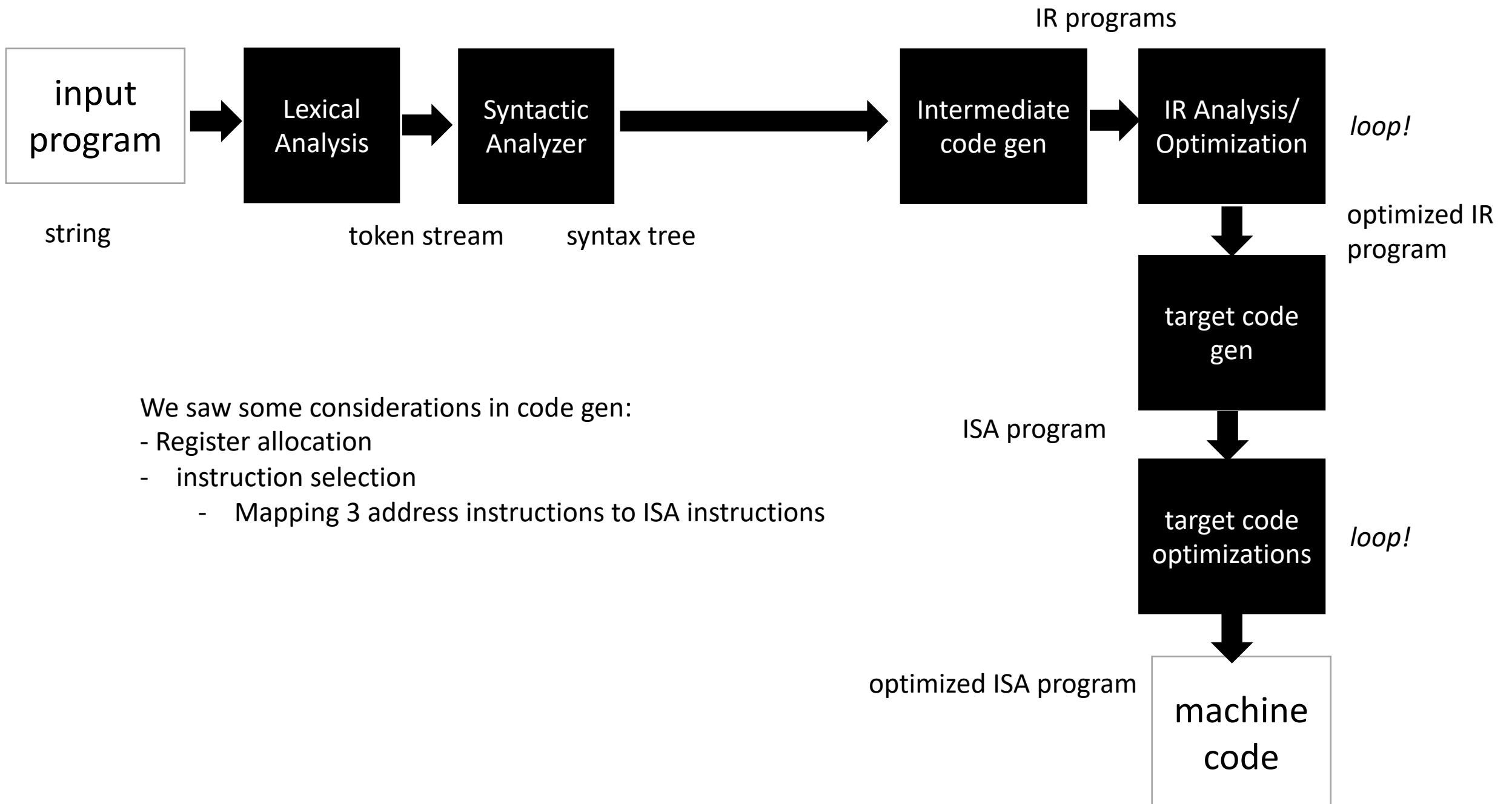


Final program

```
vr0 = int2vr(x);  
vr1 = int2vr(y);  
vr2 = addi(vr0,vr1);  
vr3 = vr_int2float(vr2);  
vr4 = float2vr(5.5);  
vr5 = addf(vr3,vr4);
```

We can create a 3 address  
program doing a post-order  
traversal





# Last day of class!

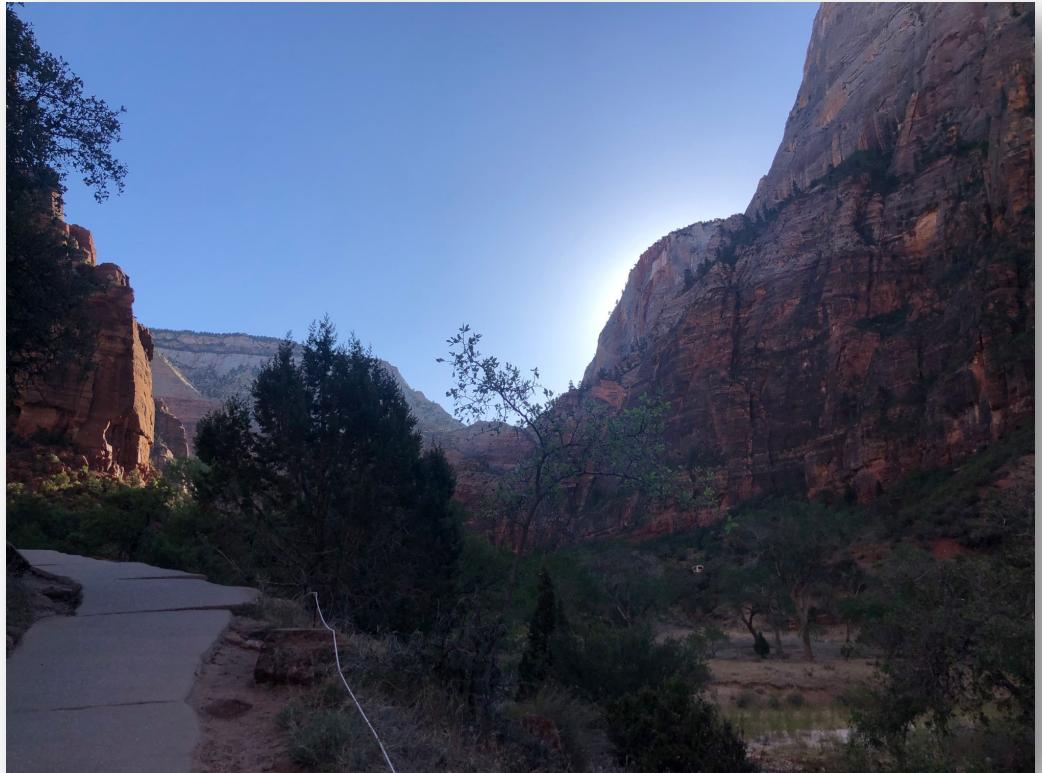
- I hope after the final you take some time to reflect

# Taking a class is like going on a long hike

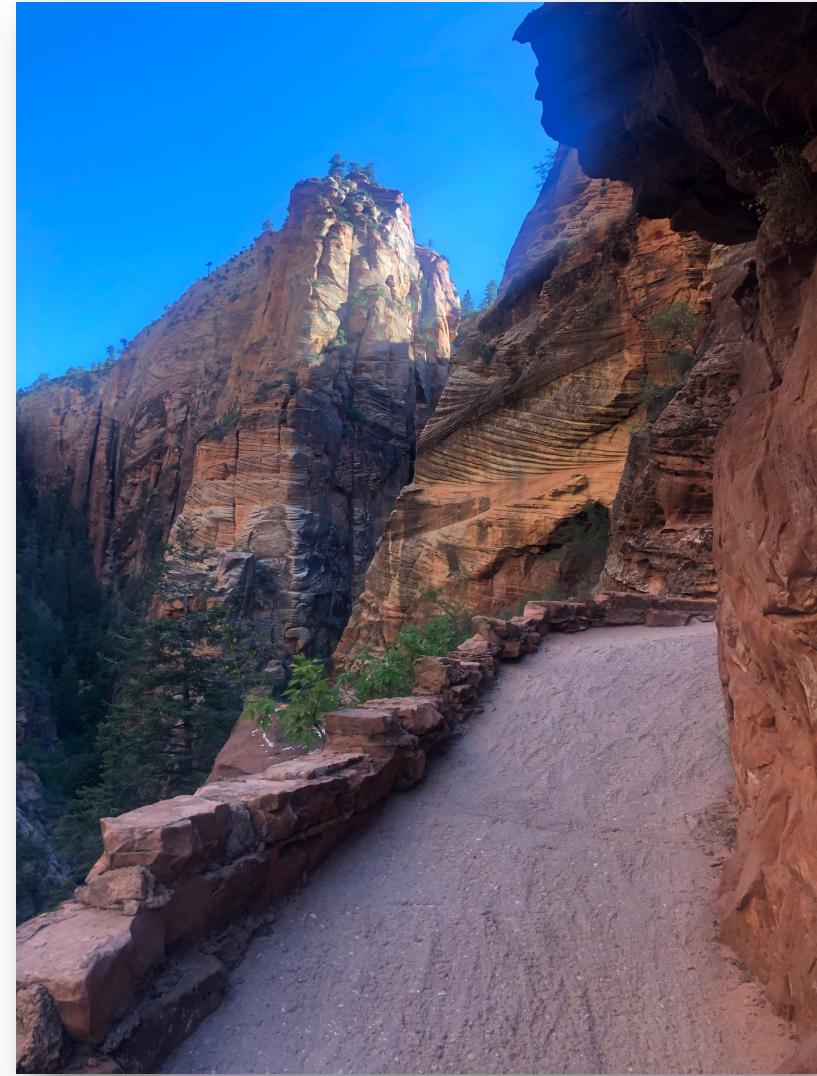




Scanners



Scanners



AST and type checking



*The culmination  
of your homeworks  
is quite big! A parser  
and IR generator  
for a non trivial subset  
of C!*

*Take some time  
in the summer  
to enjoy the view!*

# Thank you!

- This is still a new version of the class and I know there were some issues with the assignments. Thanks for your patience and working with us!
- Even if you don't work on compilers in your career, understanding them will help you write better code and understand programming languages in a deeper way
  - And I hope you found things interesting regardless!
- Hope to keep in touch!
- Let us know if there are any issues with grades, which should be coming out ASAP