STOCK MARKET PREDICTION (DATA MINING TECHNIQUES)

Abstract

In general way if we say that we want to predict the stock which means that we want to know whether the price of a stock will go high or low. The price will rise if tons of individuals want to shop for a stock. The value will drop if there are a much bigger number of sellers than buyers. Therefore, people generally will take the assistance of a broker which can assist the client in order that they will observe return. Therefore, we'll attempt to take history of the stock and analyse it by using data processing techniques and check out to predict the worth of the stock using linear regression and decision tree regressor but it's very difficult to predict share prices because it depends upon such huge numbers of things such organization financial status and national policy then on. Forecasting stock return involves an assumption that fundamental information publicly available within the past has some predictive relationships to the longerterm stock returns. This study tries to assist the investors within the stock exchange to make a decision the higher timing for purchasing or selling stocks supported the knowledge extracted from the historical prices of such stocks. The stock exchange is actually hard to model with any reasonable accuracy, to realize those objectives, people use the techniques of fundamental analysis, where trading rules are developed supported, the knowledge related to macroeconomics, industry, and company. The authors said that fundamental analysis assumes that the worth of a stock depends on its intrinsic value and expected return on investment. Analysing the corporate 's operations and therefore the market during which the company is working can do that. Consequently, the stock prices are often predicted reasonably well. However, for short- and medium-term speculations, fundamental analysis is usually not suitable.

Keywords

Linear Regression

Decision Tree Regressor

Dataset Link

https://www.kaggle.com/bibinvargheset/tatasteel

Introduction

The dataset here is a TATA STEEL Stock data. We want to know better about the future of the stock price by training the stock data of the previous days. Specifically, here the problem is a regression problem where we are trying to predict the dependent variable with the help of the information contained in the other variables. Data mining technique have been effectively revealed to produce high forecasting accurateness of movement of stock price. Now a days, as an alternative of a particular method, traders have to use various predicting methods to increase several signals and more information about the market's future. Data mining methods have been introduced for forecasting of movement indication of stock market index. Data mining techniques have a more successful act in predicting various fields such as policy, economy and engineering compared to usual statistical techniques by discovering unknown information of data.

Problem Statement

Everyone want to be rich in his life with low efforts and great advantages. Similarly, we want to look in our future with inner most desire as we do not want to take risks or we want to decrease risk factor. Stock market is a place where, selling and purchasing can provide future aims of life. So, the question is how to predict the market? How machine learning algorithms can help in prediction of stock market?

Software Used

We have used python for our project. Python can be used for wide range of applications. We are using various libraries in python.

- Numpų
- Matplotlib
- Pandas
- Sci-Kit Learn

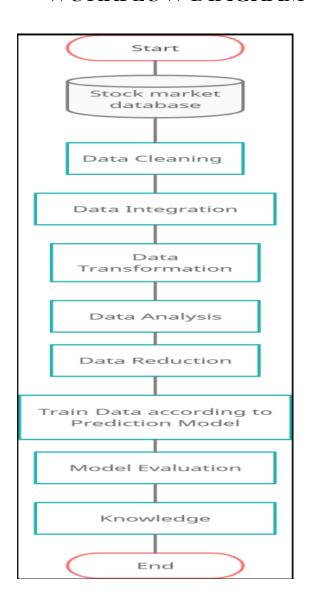
Platform Used

Google Colab

ALGORITHMIC STEPS

- Importing necessary modules
- Reading dataset
- Dropping Unknown 'Unnamed row'
- Visualizing with columns open low high close
- > Splitting dataset into test and train
- Calculating X_Future (Prediction)
- Predicting using decision tree and linear regressor
- ➤ Calculating RMSE score and accuracy
- > Evaluating and visualizing the predictions

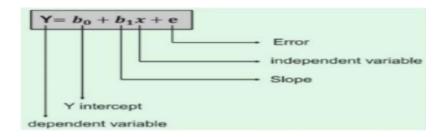
WORKFLOW DIAGRAM



MODULES AND DESCRIPTION

Linear Regression

The process of finding a straight line (as by least squares) that best approximates a set of points on a graph is linear regression. Linear regression analysis is used to predict the value of a variable based on the value of another variable. The variable you want to predict is called the dependent variable. The variable you are using to predict the other variable's value is called the independent variable.



The cost function provides the best possible values for b0 and b1 to make the best fit line for the data points. We do it by converting this problem into a minimization problem to get the best values for b0 and b1. The error is minimized in this problem between the actual value and the predicted value.

$$egin{aligned} minimize &rac{1}{n} \sum_{i=1}^n (pred_i - y_i)^2 \ &J = rac{1}{n} \sum_{i=1}^n (pred_i - y_i)^2 \end{aligned}$$

We choose the function above to minimize the error. We square the error difference and sum the error over all data points, the division between the total number of data points. Then, the produced value provides the averaged square error over all data points (MSE). we change the values of b0 and b1 so that the MSE value is settled at the minimum.

Decision Tree Regressor

Decision Tree is a decision-making tool that uses a flowchart-like tree structure or is a model of decisions and all of their possible results, including outcomes, input costs and utility.

Decision-tree algorithm falls under the category of supervised learning algorithms. It works for both continuous as well as categorical output variables.

The branches/edges represent the result of the node and the nodes have either:

- Conditions [Decision Nodes]
- Result [End Nodes]

The branches/edges represent the truth/falsity of the statement and takes makes a decision based on that. Decision Tree Regression:

Decision tree regression observes features of an object and trains a model in the structure of a tree to predict data in the future to produce meaningful continuous output. Continuous output means that the output/result is not discrete, i.e., it is not represented just by a discrete, known set of numbers or values.

Discrete output example: A weather prediction model that predicts whether or not there'll be rain in a particular day.

Continuous output example: A profit prediction model that states the probable profit that can be generated from the sale of a product.

$$\begin{split} &I\big(P(v_1),\dots,P(v_i)\big) = \sum_{i=1}^n -P(v_i)log_2P(v_i) \\ &Gain(Attribute) = I\left(\frac{p}{p+n},\frac{n}{p+n}\right) - \sum_{i=1}^v \frac{p_i+n_i}{p+n} I\left(\frac{p_i}{p_i+n_i},\frac{n_i}{p_i+n_i}\right) \end{split}$$

RMSE (Evaluation Metrix)

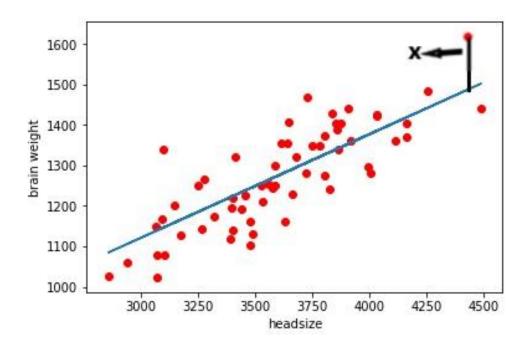
It follows an assumption that error is unbiased and follow a normal distribution.

Let a= (predicted value- actual value) ^2

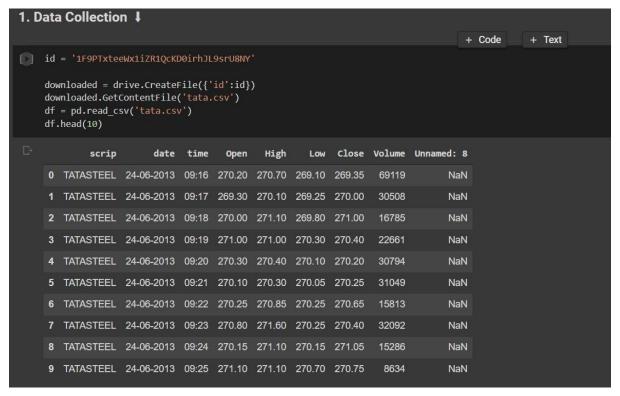
Let b = mean of a = a (for single value)

Then RMSE= square root of b

$$RMSE = \sqrt{\frac{\sum_{i=1}^{N} (Predicted_{i} - Actual_{i})^{2}}{N}}$$



As you can see in this scattered graph the red dots are the actual values and the blue line is the set of predicted values drawn by our model. Here X represents the distance between the actual value and the predicted line this line represents the error, similarly, we can draw straight lines from each red dot to the blue line. Taking mean of all those distances and squaring them and finally taking the root will give us RMSE of our model.



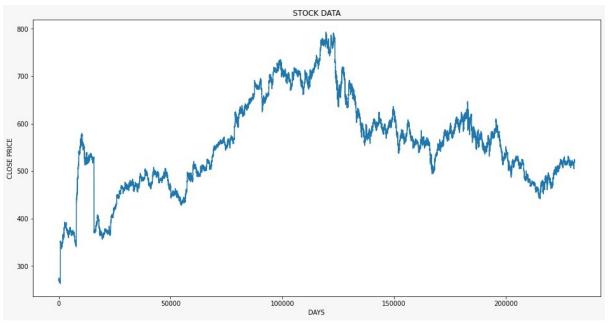
2. Data Preprocessing |

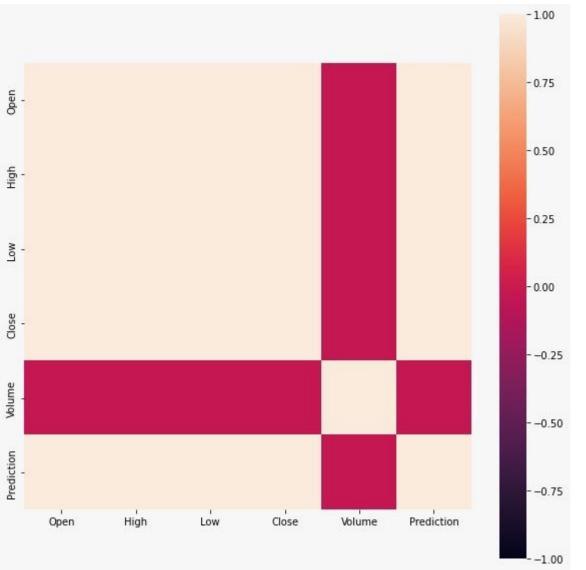
df[['Close']].fillna(value=df[['Close']].mean(),inplace=True)

```
df.drop('Unnamed: 8' , axis = 'columns' , inplace = True)
    df.drop('time' , axis = 'columns' , inplace = True)
    df.head(10)
D
                High
         Open
                         Low Close Volume Prediction
    0 270.20 270.70 269.10 269.35
                                      69119
                                                 272.65
     1 269.30 270.10 269.25 270.00
                                      30508
                                                 273 60
    2 270.00 271.10 269.80 271.00
                                      16785
                                                 274.15
      271.00 271.00 270.30 270.40
                                      22661
                                                 273.75
    4 270.30 270.40 270.10 270.20
                                      30794
                                                 273.70
      270.10 270.30 270.05 270.25
                                      31049
                                                 273.60
      270.25 270.85 270.25 270.65
                                      15813
                                                 273.90
     7 270.80 271.60 270.25 270.40
                                      32092
                                                 274.50
      270.15 271.10 270.15 271.05
                                      15286
                                                 274.35
      271.10 271.10 270.70 270.75
                                       8634
                                                 273.90
```

4. Data Analysis 1 + Code + Text df.describe() Open High Low Close Volume Prediction count 230815.000000 230815.000000 230815.000000 230815.000000 2.308150e+05 230790.000000 556.270728 556.586028 555.947558 556.266577 1.781764e+04 556.297438 97.322036 97.360675 97.283910 97.321571 2.624750e+04 97.281660 std min 263.400000 263.400000 262.600000 263.100000 4.000000e+00 263.100000 488.700000 489 000000 488 400000 488 700000 5 108000e+03 488.700000 25% 50% 555.850000 556.200000 555.500000 555.850000 1.019700e+04 555.900000 614.850000 2.059900e+04 614 900000 615 250000 614 500000 614 850000 75% max 792.750000 793.000000 792.050000 792.750000 2.368212e+06 792.750000

```
3. Data Transformation 1
[ ] pd.options.mode.chained_assignment = None
    future days = 25
    df[['Prediction']] = df[['Close']].shift(-future_days)
    df.tail(10)
                 scrip
                            date time
                                        Open
                                               High
                                                        Low Close Volume Unnamed: 8 Prediction
    230805 TATASTEEL 29-03-2019 15:21 520.00 520.95 519.95 520.95
                                                                    69733
                                                                                NaN
                                                                                            NaN
    230806 TATASTEEL 29-03-2019 15:22 520.85 521.00 520.75 520.80
                                                                    54403
                                                                                NaN
                                                                                           NaN
    230807 TATASTEEL 29-03-2019 15:23 521.00 521.70 520.85 521.45
                                                                                NaN
                                                                                            NaN
    230808
            TATASTEEL 29-03-2019 15:24 521.45 521.55 520.60 520.60 111182
                                                                                NaN
                                                                                           NaN
           TATASTEEL 29-03-2019 15:25 520.90 520.90 520.45 520.60
                                                                                NaN
                                                                                            NaN
            TATASTEEL 29-03-2019 15:26 520.55 520.85 520.35 520.35
                                                                    37074
                                                                                NaN
                                                                                           NaN
     230811 TATASTEEL 29-03-2019 15:27 520.40 520.60 520.20 520.50
                                                                    26332
                                                                                NaN
                                                                                            NaN
            TATASTEEL 29-03-2019 15:28 520.35 520.35 519.65 519.80
                                                                                            NaN
                                                                                NaN
    230813 TATASTEEL 29-03-2019 15:29 519.25 519.95 519.25 519.50
                                                                    17073
                                                                                NaN
                                                                                            NaN
     230814 TATASTEEL 29-03-2019 15:30 519.70 520.50 518.50 520.50
                                                                    47406
                                                                                NaN
                                                                                            NaN
```





```
4(A). Relevant Attribute Selection 1
 # Lets create the feature dataset (Lets say X) & transform it into a numpy array
     X = np.array(df.drop(['Prediction'],1)[:-future_days])
     print(X)
                 270.7 269.1 269.35 69119.
                         269.25 270. 30508.
269.8 271. 16785.
                 270.1
                 522.45 521.75 522.1 36608.
522.4 522. 522.1 33187.
        522.4
         522.15 522.4
                                  522.15 33555.
        522.2
                 522.5
     # Lets create a target data set (Y) and convert it into a numpy array and all of
      Y = np.array(df['Prediction'])[:-future_days]
      print(Y)
  [-> [272.65 273.6 274.15 ... 519.8 519.5 520.5 ]
4(B). Dataset Split (Training & Testing) 1
     # and Testing dataset. For any model , the size of training dataset should
     # surpass the size of testing dataset , because training a model is a laborious
     # Thus we shall split the dataset into 75% (training) and 25% (testing) portions
     # For the aforementioned step , we shall be using scikit-learn library
     from sklearn import model selection as mls
     x_train , x_test , y_train , y_test = mls.train_test_split(X,Y,test_size = 0.25)
4(C). Model Creation 1
# Creation of models begin
     # Starting with Decision Tree Regressor Model
     # Why Regressor ? Because each value under an attribute is unique
     from sklearn.tree import DecisionTreeRegressor
     tree = DecisionTreeRegressor().fit(x train , y train)
     # Lets create the Linear Regression model
     # Why Regressor ? Because each value under an attribute is unique
```

from sklearn.linear_model import LinearRegression
linreg = LinearRegression().fit(x_train , y_train)

```
# Model Tree Prediction
tree_pred = tree.predict(x_test)
print(tree_pred)

[633.15 727.5 664.1 ... 583.5 750.4 483.2 ]

# Model Linear Regression Prediction
linreg_pred = linreg.predict(x_test)
print(linreg_pred)

[635.63935401 724.50980358 664.49474302 ... 584.26331195 751.28817138
482.41689671]
```

```
4(E). Model Evaluation 

[] # Let us compare the results with respect to various 
# evaluation metrics

# For this , we have to import the metrics library of Scikit-learn

# let us first check for Decision Tree 
from sklearn import metrics 
import math

# NOTE : don't get surprised if you see the range of values taken from 173117th 
# onwards. Remember, we had mentioned earlier that we will be predicting stocks 
# for the upcoming days.

print('Mean Absolute Error (MAE) : ', metrics.mean_absolute_error(df['Close'][173117:],tree_pred)) 
print('Mean Squared Error (MSE) : ', metrics.mean_absolute_error(df['Close'][173117:],tree_pred)) 
print('Root Mean Squared Error (RMSE) : ', math.sqrt(metrics.mean_absolute_error(df['Close'][173117:],tree_pred)))

Mean Absolute Error (MAE) : 87.31900932441332 
Mean Squared Error (MSE) : 12078.814653887483 
Root Mean Squared Error (RMSE) : 9.344464100440074
```

```
# Now let us check for Linear Regression

print('Mean Absolute Error (MAE): ', metrics.mean_absolute_error(df['Close'][173117:],linreg_pred))
print('Mean Squared Error (MSE): ', metrics.mean_squared_error(df['Close'][173117:],linreg_pred))
print('Root Mean Squared Error (RMSE): ', math.sqrt(metrics.mean_absolute_error(df['Close'][173117:],linreg_pred)))

Mean Absolute Error (MAE): 87.2485129045042
Mean Squared Error (MSE): 12061.976989297467
Root Mean Squared Error (RMSE): 9.340691243398648
```

5. Data Visualization |

```
# Here , we will again use Matplotlibs' PyPlot library

preds = linreg_pred

# The result of the Linear regression is in the form of numpy array

# But , We cannot concatenate dataframe column values with a numpy array

# Thus , we either have to convert the numpy array into a Pandas Series OR

# into a dataframe column. Converting to Pandas series is relatively easy.

preds = pd.Series(preds)

# NOTE : Pandas Series is a one-dimensional labeled array capable of

# holding data of any type (integer, string, float, python objects, etc.).

# Now lets visualize the result(s) of Linear Regression

valid = df[X.shape[0]:]

valid['Prediction'].append(preds)

plt.figure(figsize = (16,8))

plt.title('MODEI : LINEAR REGRESSION')

plt.xlabel('CLOSE PRICE')

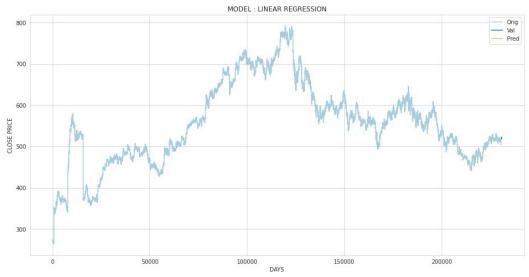
plt.plot(df['Close'])

plt.plot(valid['Close', 'Prediction'])

plt.legend(['Orig', 'Val', "Pred"])

plt.legend(['Orig', 'Val', "Pred"])

plt.show()
```

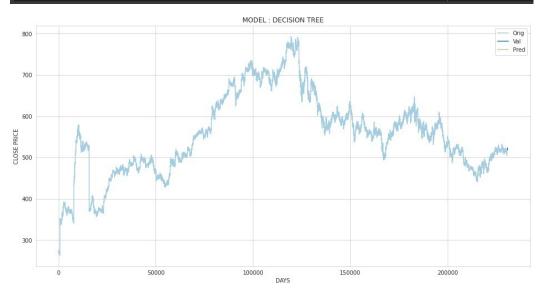


```
preds = tree_pred

preds = pd.Series(preds)

valid = df[X.shape[0]:]
valid['Prediction'].append(preds)
plt.figure(figsize = (16,8))
plt.title('MODEL : DECISION TREE')
plt.xlabel('DAYS')
plt.ylabel('CLOSE PRICE')
plt.plot(df['Close'])
plt.plot(valid[['Close', 'Prediction']])
plt.legend(['Orig', 'Val', "Pred"])
plt.show()

# NOTE : IN the x-axis (DAYS) , there is a decimal point on each scale value
# The decimal point should be after 3rd digit from the right
```



6. COMPARITIVE STUDY / RESULTS AND DISCUSSION \$\\ [Linear Regression]: RMSE SCORE = 9.340691243398648 [Decision Tree]: RMSE SCORE = 9.344464100440074

RESULTS AND ANALYSIS

Root Mean Squared Error (RMSE)

o Linear Regression: – 9.3406

o Decision Tree: - 9.3444

Mean Absolute Error

O Linear Regression: 87.2485

Decision Tree Regressor: 87.3190

Mean Squared Error

o Linear Regression: 12061.9769

O Decision Tree Regressor: 12078.8146

CONCLUSION

It is known that lower RMSE implies better result. Thus, after analysing the above result we conclude that Linear Regression model was about 0.0038% more efficient than Decision Tree model on the given data set.

EXPOSURE GAINED

Data mining technique have been effectively revealed to produce high forecasting accurateness of movement of stock price.

Now a days, as an alternative of a particular method, traders have to use various predicting methods to increase several signals and more information about the market's future. Data mining methods have been introduced for forecasting of movement indication of stock market index.

After completing the project, we gained knowledge about how linear regression and decision tree algorithm works.