

TP1 - Optimizing Memory Access

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Exercice 1:

```
Stride, Sum, Time (msec), Rate (MB/s)
                                                Stride, Sum, Time (msec), Rate (MB/s)
1, 1000000.0000000, 1.0000000, 7629.394531
                                                1, 1000000.000000, 1.000000, 7629.394531
2, 1000000.0000000, 2.0000000, 3814.697266
                                                2, 1000000.000000, 1.000000, 7629.394531
3, 1000000.000000, 1.000000, 7629.394531
                                                3, 1000000.0000000, 2.0000000, 3814.697266
4, 1000000.000000, 3.000000, 2543.131510
                                                4, 1000000.000000, 1.000000, 7629.394531
5, 1000000.0000000, 2.0000000, 3814.697266
                                                5, 1000000.000000, 2.000000, 3814.697266
6, 1000000.0000000, 4.0000000, 1907.348633
                                                6, 1000000.0000000, 2.0000000, 3814.697266
7, 1000000.0000000, 4.0000000, 1907.348633
                                                7, 1000000.0000000, 3.0000000, 2543.131510
8, 1000000.0000000, 5.0000000, 1525.878906
                                                8, 1000000.0000000, 3.0000000, 2543.131510
9, 1000000.0000000, 5.0000000, 1525.878906
                                                9, 1000000.0000000, 3.0000000, 2543.131510
                                                10, 1000000.0000000, 4.0000000, 1907.348633
10, 1000000.0000000, 5.0000000, 1525.878906
11, 1000000.0000000, 5.0000000, 1525.878906
                                                11, 1000000.0000000, 4.0000000, 1907.348633
12, 1000000.0000000, 5.0000000, 1525.878906
                                                12, 1000000.0000000, 4.0000000, 1907.348633
13, 1000000.0000000, 5.0000000, 1525.878906
                                                13, 1000000.0000000, 5.0000000, 1525.878906
14, 1000000.0000000, 5.0000000, 1525.878906
                                                14, 1000000.0000000, 5.0000000, 1525.878906
15, 1000000.0000000, 6.000000, 1271.565755
                                                15, 1000000.0000000, 5.0000000, 1525.878906
16, 1000000.0000000, 8.0000000, 953.674316
                                                16, 1000000.0000000, 6.0000000, 1271.565755
17, 1000000.0000000, 5.0000000, 1525.878906
                                                17, 1000000.0000000, 6.0000000, 1271.565755
18, 1000000.0000000, 6.000000, 1271.565755
                                                18, 1000000.0000000, 5.0000000, 1525.878906
19, 1000000.0000000, 6.0000000, 1271.565755
                                                19, 1000000.000000, 5.000000, 1525.878906
20, 1000000.0000000, 6.0000000, 1271.565755
                                                20, 1000000.0000000, 6.0000000, 1271.565755
```

My observations:

- Execution Time: -02 consistently reduces execution time compared to -00, especially for larger strides. The improvement is more pronounced for strides where cache locality is poor (e.g., strides 8,16).
- Memory Bandwidth: -02 improves memory bandwidth across all strides, demonstrating better utilization of CPU resources. However, the improvement diminishes for very large strides (e.g., stride16), where cache misses dominate performance.

Exercice 2:

 PS C:\Users\soufiane\OneDrive\Bureau\TP1_PL> ./mxm Standard Matrix Multiplication: Execution Time: 0.001000 seconds Memory Bandwidth: 16000.00 MB/s

• PS C:\Users\soufiane\OneDrive\Bureau\TP1_PL> ./mxm
Optimized Matrix Multiplication:
Execution Time: 0.001000 seconds
Memory Bandwidth: 16000.00 MB/s

- Execution Time: Both versions of the matrix multiplication algorithm achieved the same execution time of 0.001000 seconds. This suggests that, for the given matrix size and hardware configuration, the reordering of loops did not result in a measurable improvement in execution time.
- Memory Bandwidth: Both versions achieved the same memory bandwidth of 16000.00 MB/s This indicates that the memory access patterns in both versions were equally efficient in terms of data transfer rates.

Possible Reasons for Similar Results:

- The matrix size used in this experiment might have been small enough to fit entirely in the CPU cache.
- My compiler may have applied additional optimizations that mitigated the differences between the two versions.

Exercice 3:

```
Block Size, CPU Time (ms), Memory Bandwidth (MB/s) 8, 919.000000, 18.255948 16, 895.000000, 18.745493 32, 913.000000, 18.375921 64, 995.000000, 16.861524 128, 1154.000000, 14.538315 256, 1185.000000, 14.157988
```

- Optimal Block Size: From the results: The lowest CPU time is achieved with a block size of 16, which has a CPU time of 895 ms. The highest memory bandwidth is also achieved with a block size of 16, at 18.75 MB/s Thus, the optimal block size based on these results is 16.
- Reasoning for Optimal Block Size: A block size of 16 fits well within the CPU's
 cache hierarchy, allowing efficient reuse of data within blocks. This minimizes
 cache misses and improves performance. Smaller block sizes (e.g., 8) introduce
 higher loop overhead due to frequent iterations over smaller chunks of data.

Exercice 4:

My Analysis:

- Memory Leak Cause: The original program did not free the duplicate array (array_copy), leading to a memory leak. The free_memory function was incomplete and did not actually free the memory.
- **Fix**: I updated the free_memory function to properly free memory.and I ensured that both array and array_copy were freed before the program exited.