YTU Physics Department 2019-2020 Fall Semester					
FIZ1001 PHYSICS-1 Retake Exam					
Question Sheet	A	A	A	A	A
Name Surname					
Student No					
Physics Group No					
Department					
Exam Hall					·
Instructor's Name Surname					

Exam Date: 13.01.2020 Exam Duration: 90 min.

The 9th article of Student Disciplinary Regulations of YÖK
Law No.2547 states "Cheating or helping to cheat or
attempt to cheat in exams" de facto perpetrators take one or
two semesters suspension penalty.

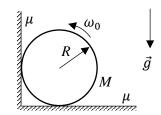
Students are **NOT** permitted to bring **calculators**, **mobile phones**, **smart watches** and/or any other unauthorized electronic devices into the exam room.

Student Signature:

 $\vec{v} = \frac{\Delta \vec{r}}{\Delta t} ; \vec{\alpha} = \frac{\Delta \vec{v}}{\Delta t} ; \vec{v} = \frac{d\vec{r}}{dt} ; \vec{\alpha} = \frac{d\vec{v}}{dt} ; \vec{v} = \vec{v}_0 + \vec{\alpha}t ; \vec{r} = \vec{r}_0 + \vec{v}_0 t + \frac{1}{2} \vec{\alpha}t^2 ; v^2 = v_0^2 + 2 \vec{\alpha} \cdot (\vec{r} - \vec{r}_0) ; F_r = m \frac{v^2}{r} ; F_s = -kx$ $f_s \leq \mu_s N ; f_k = \mu_k N ; P = \vec{F} \cdot \vec{v} ; W_{total} = \Delta K ; W = \int \vec{F} \cdot d\vec{r} ; \vec{P} = \frac{\Delta W}{\Delta t} ; \vec{F}_{conservative} = -\frac{dV}{dr} \hat{r} ; W_{conservative} = -\Delta U$ $W = \Delta U + \Delta K ; U = mgy ; U = \frac{1}{2} kx^2 ; \vec{F} = \frac{d\vec{p}}{dt} ; \vec{p} = m\vec{v} ; \vec{I} = \Delta \vec{p} = \vec{F} \Delta t ; \vec{r}_{cm} = \frac{\sum m_i \vec{r}_i}{\sum m_i} ; \vec{r}_{cm} = \frac{\int \vec{r} dm}{\int dm} ; \vec{\omega} = \frac{\Delta \vec{\theta}}{\Delta t} ; \vec{\alpha} = \frac{\Delta \vec{\omega}}{\Delta t}$ $\vec{\omega} = \frac{d\vec{\theta}}{dt} ; \vec{\alpha} = \frac{d\vec{\omega}}{dt} ; \vec{\omega} = \vec{\omega}_0 + \vec{\alpha}t ; \vec{\theta} = \vec{\theta}_0 + \vec{\omega}_0 t + \frac{1}{2} \vec{\alpha}t^2 ; \omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0) ; a_t = r\alpha ; \vec{\tau} = \vec{r} \times \vec{F} ; \vec{\tau}_0 = I_0 \vec{\alpha}$ $K_{rot} = \frac{1}{2} I \omega^2 ; I = \int r^2 dm ; I = I_{cm} + MD^2 ; P = \vec{\tau} \cdot \vec{\omega} ; W = \int \vec{\tau} \cdot d\vec{\theta} ; \vec{L} = \vec{r} \times \vec{p} ; \vec{L} = I \vec{\omega} ; \vec{\tau} = \frac{d\vec{L}}{dt} ; \vec{\tau} = \frac{d\vec{L}}{dt}$ $v_{cm} = R\omega ; x(t) = A\cos(\omega t + \varphi) ; T = \frac{1}{\epsilon} ; \omega = 2\pi f$

Questions 1-2 As shown in the figure, a homogen cylinder with mass of M and radius R is slowly left to the corner as it rotates around its axis with an angular velocity ω_0 . Friction coefficient between the wall and the surface of the cylinder and between the floor and the surface of the cylinder is μ .

1) Find the magnitude of the angular acceleration of the cylinder $I_{cm} = \frac{1}{2}MR^2$

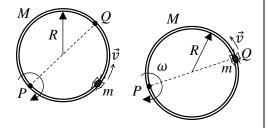


- **A)** $\frac{\mu g(1+\mu)}{2R(1+\mu^2)}$
- **B**) $\frac{2\mu g(1-\mu)}{R(1+\mu^2)}$
- C) $\frac{2\mu g(1-\mu)}{R(1-\mu^2)}$
- **D**) $\frac{\mu g(1+\mu)}{2R(1-\mu^2)}$
- **E**) $\frac{2\mu g(1+\mu)}{R(1+\mu^2)}$

- 2) How many cycles has the cylinder made until it stops?
- **A)** $\frac{R(1+\mu^2)\omega_0^2}{8\pi\mu g(1+\mu)}$
- **B**) $\frac{R(1+\mu^2)\omega_0^2}{8\pi\mu g(1-\mu)}$
- C) $\frac{R(1-\mu^2)\omega_0^2}{8\pi\mu g(1+\mu)}$
- **D**) $\frac{R(1-\mu^2)\omega_0^2}{16\pi\mu a(1+\mu)}$
- **E**) $\frac{R(1+\mu^2)\omega_0^2}{16\pi\mu g(1+\mu)}$

Questions 3-4 A circle with mass M and radius R can rotate freely around point P on the frictionless plane. A bug with mass m runs along the circle with speed \vec{v} with respect to the circle as shown in the figure.

3) Find the angular velocity of the circle when the bug reaches diametrically opposite to the point P (point Q).



- A) $\frac{mv}{(M+2m)R}$
- **B**) $\frac{2mv}{(M+3m)!}$
- C) $\frac{2mv}{(M+2m)R}$
- $\mathbf{D}) \ \frac{2mv}{\left(M+\frac{1}{2}m\right)R}$
- \mathbf{E}) $\frac{mv}{(M+m)R}$
- 4) Find the linear velocity of the bug <u>relative to the plane</u> when the bug reaches to the point Q.
- A) $\frac{mv}{(M+m)}$
- **B**) $\frac{2mv}{(M+3m)}$
- C) $\frac{Mv}{M+2m}$
- $\mathbf{D}) \ \frac{2mv}{\left(M + \frac{1}{3}m\right)}$
- $\mathbf{E}) \ \frac{2mv}{(M+2m)}$

Questions 5-6-7 The velocity components of a particle with mass m=0.5 (kg) moving in the x-y plane are given by $v_x = 11 + 2t$ (m/s) and $v_y = 5$ (m/s). The particle is at the origin at t=0.

5) At t=1 second, how many meters is the particle far away from the origin?

A) 15

- **B**) 12
- **C**) 11
- **D**) 14

E) 13

6) Find the work done by the net force on the particle within the time interval t=0 to t=1 (s) in Joule.

A) 17

- **B**) 5
- **C**) 12
- **D**) 15

E) 24

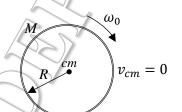
7) Find the tangential acceleration of the particle in t=1 second in unit of (m/s^2) ?

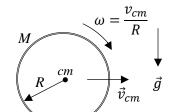
A) $\frac{36}{\sqrt{194}}$

- B) $\frac{26}{\sqrt{194}}$ C) $\frac{16}{\sqrt{184}}$
- **E**) $\frac{6}{\sqrt{184}}$

Questions 8-9 A circle with radius *R* and mass *M* is slowly left onto the horizontal frictional ground while rotating at an angular velocity ω_0 .

8) How soon does the ball start to roll without sliding?





 μ_k

 $\mathbf{A)} \ \frac{\omega_0 R}{2\mu_k g}$

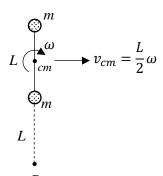
- $2\omega_0 R$ $5\mu_k g$
- $\mathbf{D}) \ \frac{2\omega_0 R}{3\mu_k g}$

9) What is the speed of the center of mass when rolling?

- **B**) $\frac{2\omega_0 R}{}$
- C) $\frac{3\omega_0 R}{5}$
- **E**) $\frac{\omega_0 R}{3}$

Questions 10-11 The two point masses in the figure rotate around the center of mass at an angular velocity ω on the frictionless ground connected to each other by a massles rigid rod with L_1 length and at the same time it is being moved by $v_{cm} = \frac{L}{2}\omega$

10) Find the total moment of inertia of the two masses relative to the axis perpendicular to the page plane and passing through point P.



- **B**) $\frac{5}{2}mL^2$
- C) $5mL^2$
- $\mathbf{D}) mL^2$
- **E**) $\frac{7}{2}mL^2$

