

Module - 3

Normalization : It is a technique to remove or reduce redundancy in a table.

Insertion Anomaly : It occurs when certain attributes cannot be inserted into the database due to missing additional data.

Ex. If a new course is introduced in University table. The student ID cannot remain empty as it is primary key.

Deletion Anomaly : It occurs when you delete a record that may contain attributes that should not be deleted.

Ex. If we remove the information of a ~~student~~ only student in department, All of the department information vanishes.

Updation Anomaly : It occurs when the same data is repeated on multiple rows, and changes are made in some but not all instances.

Ex. If an employee address changes & the update is made on one row but not on others, the database will contain inconsistent data.

How normalizations helps in these cases?
It divides the original table onto multiple tables from etc.

1st Normal Form:

Table should not contain any Multivalued Attributes.

Ex

Rollno.	Name	Course
1	Saw	C/C++
2	Harsh	Java
3	Onkar	DBMS C/C++

multivalued

Not in 1NF

Rollno.	Name	Course
1	Saw	C
2	Saw	C++
2	Harsh	Java
3	Onkar	C
3	Onkar	DBMS

or

Rollno.	Name	Course	Course
1	Saw	C	C++
2	Harsh	Java	Null
3	Onkar	C	DBMS

Primary key \rightarrow (Rollno, course)

Composite Primary key

(0584) T
Don't do this as
too many nulls

2 NF form

↓

Rollno.	Name	Rollno.	Course
1	Saw	1	C
2	Harsh	2	C++
3	Onkar	3	Java
		3	C
		3	DBMS

PK \Rightarrow Rollno.

PK \Rightarrow Rollno, DBMS

FK \Rightarrow Rollno.

Functional dependency

→ Helps Find all the candidate Keys of table

Ex. Table R with attributes A B C D

R(A B C D)

FD $\{A \rightarrow B, B \rightarrow C, C \rightarrow D\}$

$A^+ = B C D A$

$\therefore A$ is candidate key

$B^+ = B C D$

B is not candidate key

$C^+ = D C$

not CK

$D^+ = D$

not CK.

$(A B)^+ = A B C D$

$A B$ is not CK

as it is not

minimal if
it is a super key

$CX = \{A\}$

Non-PA = $\{B, C\}$

PA = $\{A\}$

Ex-2) R(A B C D)

FD = $\{A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow A\}$

$A^+ = A B C D$

$B^+ = B C D A$

$C^+ = C D A B$

$D^+ = D A B C$

All are

CK

→ Prime attribute is the attribute which is used in making CK.

$\Rightarrow \{A, B, C, D\}$

Non-PA $\Rightarrow \{ \}$

$$FD = \{ A \rightarrow B, BC \rightarrow D, E \rightarrow C, D \rightarrow A \}$$

Right attributes (Elements after ' \rightarrow ')

$$\Rightarrow (B, D, C, A)$$

The element which is not on right side, will be used for primary candidate key.

$$\therefore E = B D C A E$$

$$E^+ = E C$$

$$A E = A B E C D$$

$$\begin{aligned} BE^+ &= B E C D A \\ BCE^+ &= C E B D A \\ DE^+ &= D E C B A \end{aligned} \quad \left. \begin{array}{l} \text{They all} \\ \text{can be} \\ \text{CK.} \end{array} \right.$$

$\therefore (A E)$ is the candidate key.

So, to find their CK, in short

$$CK = \{ A E \} \quad \xrightarrow{\text{check from this is 'A' or 'E' is present on the RHS of FD.}} \quad \text{is present on the RHS of FD.}$$

\downarrow

$$DE^+ = D E A B C \quad \text{If yes replace them.}$$

\downarrow

$$BE^+ = B E C D A$$

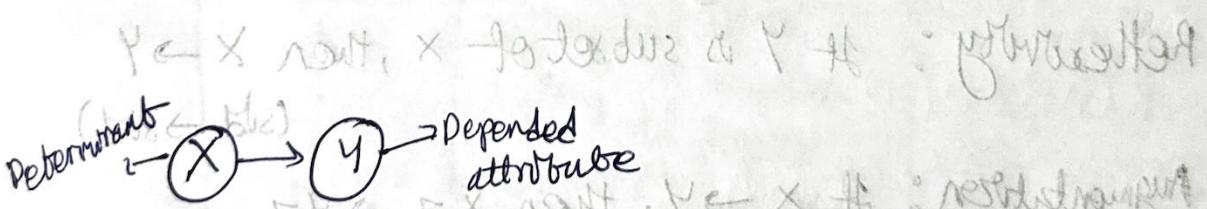
\downarrow

$$CE^+ = C E Y X$$

$$CK = \{ A E^*, D E^*, B E^* \}$$

$$\text{Prime attributes} = \{ A, D, B \}$$

$$\text{Non prime} = \{ C \}$$



X determines Y

or

Y is determined by X

$$\begin{array}{ll} \checkmark \quad \text{sid} \rightarrow \text{snname} & \checkmark \quad \text{sid} \rightarrow \text{snname} \\ 1 \quad \text{RanInt} & 1 \quad \text{RanInt} \\ \text{sid} \rightarrow \text{snname} & \text{sid} \rightarrow \text{snname} \\ 2 \quad \text{RanInt} & 2 \quad \text{Year} \end{array}$$

$$\begin{array}{ll} \checkmark \quad \text{sid} \rightarrow \text{snname} & \checkmark \quad \text{sid} \rightarrow \text{snname} \\ 1 \quad \text{RanInt} & 1 \quad \text{RanInt} \\ \text{Year} & \text{Year} \end{array}$$

$$\begin{array}{ll} \checkmark \quad \text{sid} \rightarrow \text{snname} & \checkmark \quad \text{sid} \rightarrow \text{snname} \\ 1 \quad \text{RanInt} & 1 \quad \text{RanInt} \\ \text{Year} & \text{Year} \end{array}$$

\checkmark value $X \rightarrow Y$ right $X \rightarrow Y$ \rightarrow Determinant

Reflexivity

$$\{ \text{reflexive} \} \leftarrow \{ \text{reflexive} \} \cup \{ \text{reflexive} \} = \{ \text{reflexive} \}$$

Trivial FD:

What is it?



* The value to be determined is already a subset of determinants.

ex



Non-Trivial

$$x \rightarrow y \quad x \cap y \neq \emptyset \quad (y \text{ is not a subset of } x)$$

Ex: id \rightarrow name

sid \rightarrow sname

sid \rightarrow sname

id \rightarrow location

sid \rightarrow semester

sid \rightarrow semester

sid \rightarrow phone

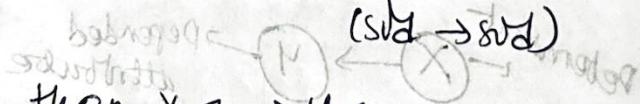
sid \rightarrow phone

sid \rightarrow phone

Properties of FD:

$\{ \text{reflexive} \} = \text{surjective}$

Reflexivity: If y is subset of x , then $x \rightarrow y$



Augmentation: If $x \rightarrow y$, then $xz \rightarrow yz$

(sid \rightarrow sname), sid phone \rightarrow sname phone

Transitivity: if $x \rightarrow y$ and $y \rightarrow z$ then $x \rightarrow z$

(sid \rightarrow sname) & (sname \rightarrow salary)

[sid \rightarrow salary]

Union: If $x \rightarrow y$ & $x \rightarrow z$ then $x \rightarrow yz$

Decomposition: if $x \rightarrow yz$ then $x \rightarrow y$ & $x \rightarrow z$

Pseudo-transitivity: If $x \rightarrow y$ & $wy \rightarrow z$ then $wx \rightarrow z$

composition: if $x \rightarrow y$ & $z \rightarrow w$ then $xz \rightarrow yw$

→ Never break LHS

2nd Normal form

- Table or relation must be in 1st Normal form
- All the non-prime attributes should be fully functional dependent on candidate key.

customer

customerID	storeID	location
1	1	Delhi
1	3	Mumbai
2	1	Delhi
3	2	Banglore
4	3	Mumbai

Candidate key: customerID, storeID

PKA \rightarrow (ID, SID)

NPA \rightarrow Location

To make it onto 2NF: $R \times X \rightarrow \text{functional dependency}$

Customer ID	store ID	store ID	location
1	1	1	Delhi
1	3	3	2
2	1	1	Bangalore
3	2	2	3
4	3	3	Mumbai

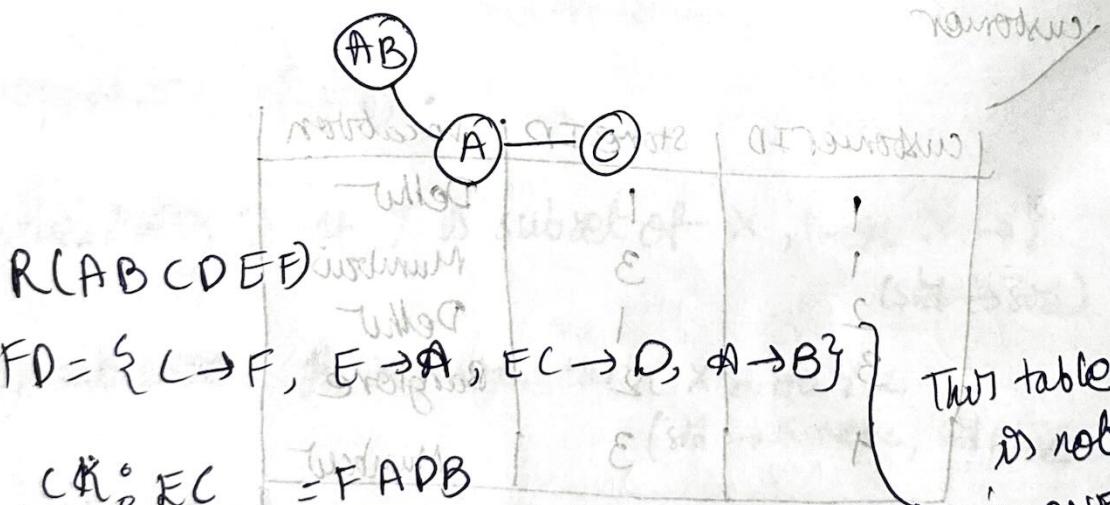
CR \Rightarrow customer ID store ID

CK \rightarrow store ID
most dominant

Hence both are in 2NF.

→ There should be no partial dependency on the relation

ex) Part of a candidate key, is determining another non-prime attribute C.



This table is not in 2NF

$CF \subseteq EC \Rightarrow F \in AB$

$EC^+ = \{E, C, F, A, D, B\}$

$EC = \text{candidate key}$

prime attributes $\Rightarrow \{E, C\}$

non " " $\Rightarrow \{A, B, D, F\}$

as EC
 $C \rightarrow F$, $E \rightarrow A$

3rd Normal Form

→ Table must be in 2nd Normal form

→ There should be no transitive dependency in table.

Roll no.	state	City
2	Punjab	Mohali
2	Haryana	Ambala
3	Punjab	Mohali
4	Haryana	Ambala
5	Bihar	Patna

CK = Roll no.

FD: Roll no. → state
state → city

PA → {Roll no.}

NPA → {state, city}

R(ABCD)

FD: AB → CD, D → A

AB⁺ = ABCD

DB⁺ = DBAC

CK → {AB, DB}

PA → {A, B, D}

NPA → {C}

To check for transitive:

for each FD \Rightarrow LHS must be CK or SK or RHS is a prime attribute

In the above example, CK is not prime attribute.

FD: $\textcircled{AB} \rightarrow CD, \textcircled{D} \rightarrow A$

LHS is a CK

RHS is a CK

∴ Thus is not valid FD

∴ This table is in 3NF

Transitive occurs, only when A non-prime attribute is pointing to another NRA.

BCNF (Boyce Codd Normal Form)

~~2nd~~ ~~3rd~~

not 3NF but BCNF is in 3NF form

→ It should be in 3NF

→ All the LHS in FD, must be a CK./super key.

student

	Rollno.	Name	Voter ID	age	on list
1		Ram	K0123	20	S
2		Varun	M034	21	S
3		Ram	K786	23	N
4		Rahul	B432	21	S

CK $\Rightarrow \{ \text{Rollno, Voter ID} \}$

FD $\Rightarrow \{ \text{Rollno} \rightarrow \text{Name} \}$

$\{ \text{Roll no} \rightarrow \text{Voter ID} \}$

$\text{Voter ID} \rightarrow \text{age}$

$\text{Voter ID} \rightarrow \text{name}$

∴ Two table in BCNF form

• Third normal form always ensures 'Dependency preserving decomposition'

but not in BCNF.

• Both third & BCNF ensure lossless decomposition

THE WILL ADD CHART

Surjection A new file, having constraint
values of primary if suffixed

APN

4th Normal Form

BCNF

- It should be in BCNF
- It should not contain Non-trivial multivalued dependency

Course	Instructor	Textbook
Management	white green black	Drucker Peter
Finance	gray	weston Giltord

Course → Instructor

Course → Textbook

The above table is not in 4NF, as it has multiple values for the same column.
i.e. course → Instructor etc.

Solution :

Course	Instructor
Management	white
Management	green
Management	black
Finance	gray

Course	Textbook
Management	Drucker
Management	Peter
Finance	weston
Finance	Giltord

- 4NF is a level of database normalisation where there are non-trivial multivalued dependencies other than CK.

Database design & implementation

7/1/28

most Database in 3rd block

↳ Relational model concepts for block 7th -
prob no 9

Relations : ~~contains~~ Tables containing rows & columns

Tuples : Rows in a table, where each row represents a specific instance or data entry.

Attribute : Columns in a table, defining the properties of the data

Primary key : An attribute (or set of attributes) that uniquely identifies each tuple in a relation.

Domain : Defines the set of valid values for an attribute.

Schema : Describes the structure of relation, including its attributes & their domains

name	string
age	integer
gender	string

name	string
age	integer
gender	string
height	float

most marks most difficult to understand & make changes in difficult - not in 3rd
" " 11 marks

Relational Model Constraints

Domain constraints: Ensures that values in each attribute adhere to their defined domain.

Key constraint: Ensures that each tuple can be uniquely identified by using the primary key.

Entity integrity: Requires that primary key attributes cannot contain null values.

Referential integrity: Ensures that relationships between tables are maintained, typically involving foreign keys referencing primary keys in other tables.

Referential Database Schema:

Database schema: A set of relation schemas that make up a database.

Foreign key: An attribute in one table that references the primary key in another.

Referential integrity: Ensures that the foreign key constraint values in one table are linked/referenced to another table's PK.

Semantic integrity: Additional constraints based on constraint application semantics, not directly expressible in model.

Relational update operations

Insertion
Deletion
Modification

In tuples

Dealing with constraint violation

Cancellation: Rejecting an operation would violate a constraint

Notification: Informing the user of the violation without performing the operation.

Correction: Automatically correcting violations, such as setting null values or propagating changes to maintain integrity.

Reject-all-or-none rule: If any part of an operation violates a constraint, the entire operation is rejected.

Reject-all-but-one rule: If one part of an operation violates a constraint, the entire operation is rejected.

Reject-all-but-one rule: If one part of an operation violates a constraint, the entire operation is rejected.